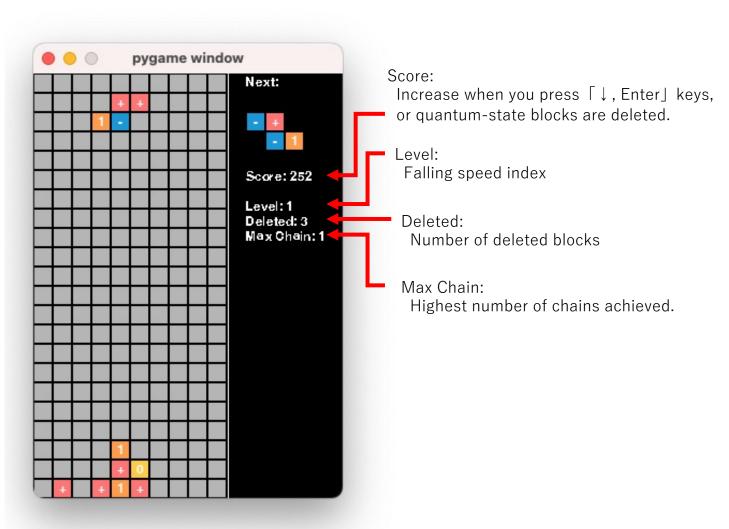


# Quantum Tetris Rulebook

Delete quantum-state blocks (|0>, |1>, |+>, |->) by connecting three blocks of same states! Quantum states change when gate blocks (|H>, |X>, |Z>) touch to its top.

#### Detailed Rule:

- $\cdot$   $\lceil \leftarrow \downarrow \rightarrow \rfloor$ : move,  $\lceil \uparrow \rfloor$  rotate,  $\lceil Enter \rfloor$  drop to bottom,  $\lceil p \rfloor$  pause
- · Gate blocks vanish when they hit the floor.
- · Gradual acceleration of falling speed as quantum-state blocks are deleted.



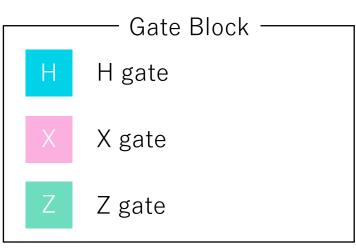
Quantum-State Block

0 |0> state

1 |1> state

+ |+> state |+> =  $\frac{1}{\sqrt{2}}(|0\rangle + |1\rangle)$ 

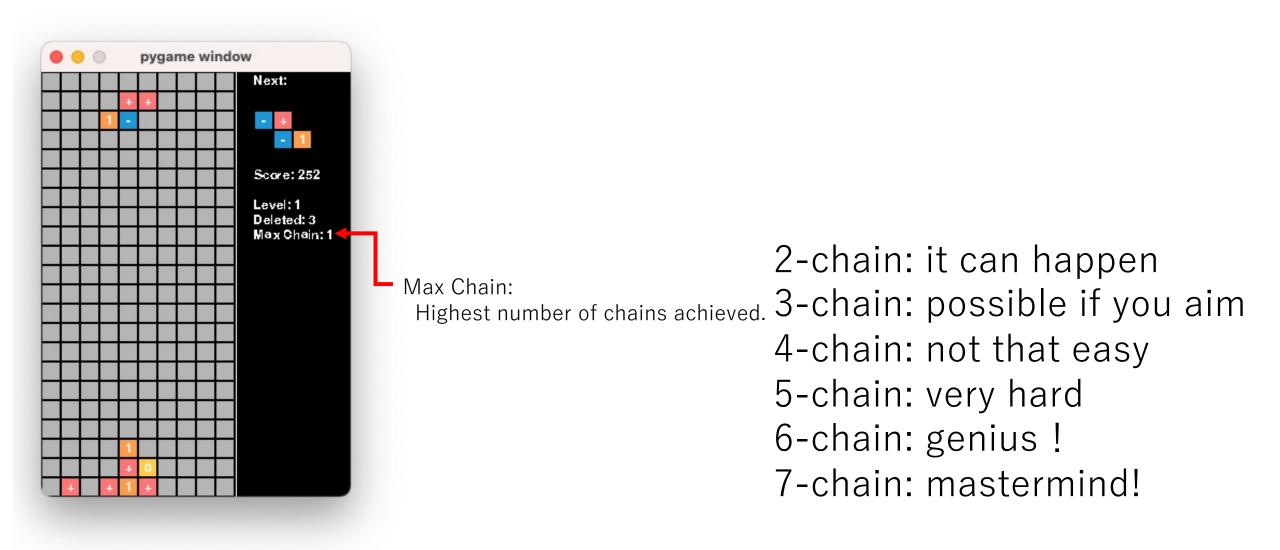
 $|-\rangle$  state  $|-\rangle = \frac{1}{\sqrt{2}}(|0\rangle - |1\rangle)$ 



Effect of Gate Block

Effect of Gate Block				
	0> state	1> state	+> state	│─> state
H gate  i.e.  0>⇌ +>  1>⇌ ->	$H = \begin{pmatrix} 1 & 1 & 1 \\ 1 & 1 & 1 \\ 1 & 1 & 1 \\ 1 & 1 &$	$ \begin{array}{c} H \\ \downarrow \\ 1 \\ H 1\rangle =  -\rangle \end{array} $	H = 0 $H = 0$	$\begin{matrix} H \\ \downarrow \\ - \end{matrix} \qquad \begin{matrix} 1 \\ H   - \rangle =  1\rangle \end{matrix}$
X gate i.e.  0>⇌ 1>	$\begin{array}{c} X \\ \downarrow \\ 0 \\ \downarrow \\ X 0\rangle =  1\rangle \end{array}$	$\begin{array}{c} X \\ \downarrow \\ 1 \\ \rangle =  0\rangle \end{array}$	$\downarrow \\ + \qquad + \\ X +\rangle =  +\rangle$	$\begin{array}{c} X \\ \downarrow \\ - \\ X   - \rangle = -   - \rangle \end{array}$
Z gate i.e.  +>~ ->	$ \begin{array}{c} Z \\ \downarrow \\ 0 \\ Z 0\rangle =  0\rangle \end{array} $	$ \begin{array}{c} Z \\ \downarrow \\ 1 \\ Z 1\rangle = - 1\rangle \end{array} $	$Z$ $+$ $Z +\rangle =  -\rangle$	$Z = +$ $Z -\rangle =  +\rangle$

Play the game and understand the rule of quantum computer! Aim for a chain of seven!



### Future Plan

### **Extra Rule**

- Add Y gate, |i>, |-i> state
- Consider ± sign of state
- Add entangle gate (CX)

## **Spread Strategy**

- Deploy smartphone application
- Add online match mode