

# Subtracting Integers

**Example:  $-11 - (-7)$**



That is 11 negatives.

Now let's subtract (take away) seven negatives.



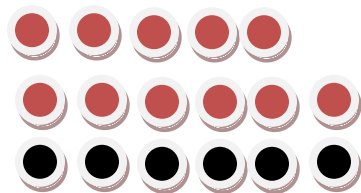
And we are left with four negatives, so

$$-11 - (-7) = -4$$

**Example:  $-5 - 6$**



That is five negatives, but I don't have any positives to subtract (take away). So, I am going to add Zero Sum Pairs until I have six positives that I can take away. (notice that the chips still sum to -5 after I add the zero sum pairs)



Having added six zero sum pairs, I now have six positives that I can take from my group which is still worth -5. And when I do, I end up with this.



I'm left with eleven negatives and  $-5 - 6 = -11$ .

Look at the previous two examples, but instead of subtracting the second number from the first, add the opposite of the second number to the first.

**Example  $-11 - (-7)$**

$$-11 + 7$$





With the seven zero sum pairs, our sum is again -4.

**Example:  $-5 - 6$**

$$-5 + (-6)$$



And again, adding the opposite gives me the same value as subtracting the number, in this case -11.

### Rule for Subtracting Integers

Instead of Subtracting, Add the opposite.

**Examples:**

$$15 - 7 = 15 + (-7)$$

$$= 8 \quad \text{signs are different so subtract the numbers, answer is pos b/c GAV is pos}$$

$$-17 - (-8) = -17 + 8$$

$$= -9 \quad \text{signs are different so subtr, answer is neg b/c GAV is neg}$$

$$6 - 9 = 6 + (-9)$$

$$= -3 \quad \text{signs are different so subtr, answer is neg b/c GAV is neg}$$

$$-6 - (-12) = -6 + 12$$

$$= 6 \quad \text{signs are different so subtr, answer is pos b/c GAV is pos}$$