

The background is a light gray with faint, abstract patterns. There are several thin, white circles of varying sizes scattered across the page. Some of these circles have small, faint numbers or symbols near them, such as '0.92', '0.52', '0.82', '0.50', '0.60', '0.70', '0.80', '0.90', '1.00', '1.10', '1.20', '1.30', '1.40', '1.50', '1.60', '1.70', '1.80', '1.90', '2.00', '2.10', '2.20', '2.30', '2.40', '2.50', '2.60', '2.70', '2.80', '2.90', '3.00', '3.10', '3.20', '3.30', '3.40', '3.50', '3.60', '3.70', '3.80', '3.90', '4.00', '4.10', '4.20', '4.30', '4.40', '4.50', '4.60', '4.70', '4.80', '4.90', '5.00', '5.10', '5.20', '5.30', '5.40', '5.50', '5.60', '5.70', '5.80', '5.90', '6.00', '6.10', '6.20', '6.30', '6.40', '6.50', '6.60', '6.70', '6.80', '6.90', '7.00', '7.10', '7.20', '7.30', '7.40', '7.50', '7.60', '7.70', '7.80', '7.90', '8.00', '8.10', '8.20', '8.30', '8.40', '8.50', '8.60', '8.70', '8.80', '8.90', '9.00', '9.10', '9.20', '9.30', '9.40', '9.50', '9.60', '9.70', '9.80', '9.90', '10.00'.

# **Genetic Algorithm**

# Presentation Outline:

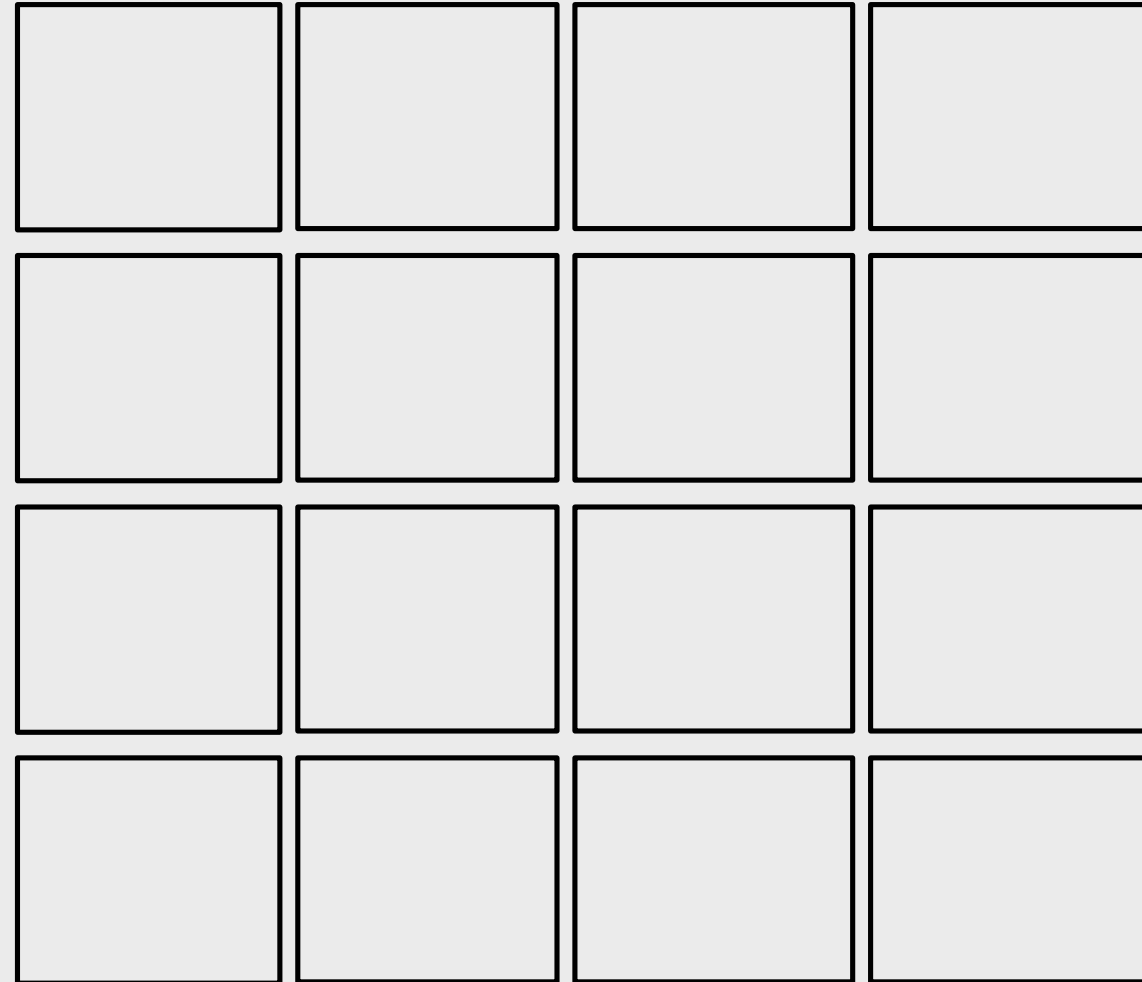
- 1) Introducing the 4-Queen problem
- 2) **Activity**: Solving 4-Queen problem using artifacts
- 3) Solution of 4-Queen problem in Backtracking approach
- 4) Demerits of Backtracking approach
- 5) Introducing 8-Queen problem
- 6) Discussion on Genetic Algorithm
- 7) Solution of 8-Queen problem using GA
- 8) Conclusion



# The 4-Queen Problem

Once upon a time, there was a great king in India. However, it was a matter of shame that he had 4 Queens. The Queens were so arrogant and they didn't even want to see one another. Therefore, the King built a castle of  $4 \times 4$  rooms. However, he couldn't find a way to place the 4 Queens in 4 separate rooms, so that they couldn't see each other.

Would, you please help the King to place the Queens? Avoid placing two Queens in a same row, same column and even same diagonal rooms.





# Solution of the 4-Queen Problem Using Backtracking Approach

Therefore , the king called Professor John Holland of the University of Michigan to solve the 4-Queen problem. And Professor solved the 4-Queen problem in backtracking approach.





# The 5-Queen Problem



One month later, Professor received a call from the great King to solve his 5-Queen problem. Professor, solved the 5-Queen problem in backtracking approach.



# Solution of the 5-Queen Problem Using Backtracking Approach





# 6-Queen Problem

John Holland introduced **Genetic Algorithm (GA)**

**Darwin's theory of evolution**



Fortunately, one month later, the King requested the professor to solve 6-Queen problem. The professor thought that the King may request him to solve 16-Queen problem within next 10 months.

Backtracking approach will not be efficient to solve the 8 or 16-Queen problems.

Therefore, professor invented Genetic Algorithm to solve the n-Queen problem.

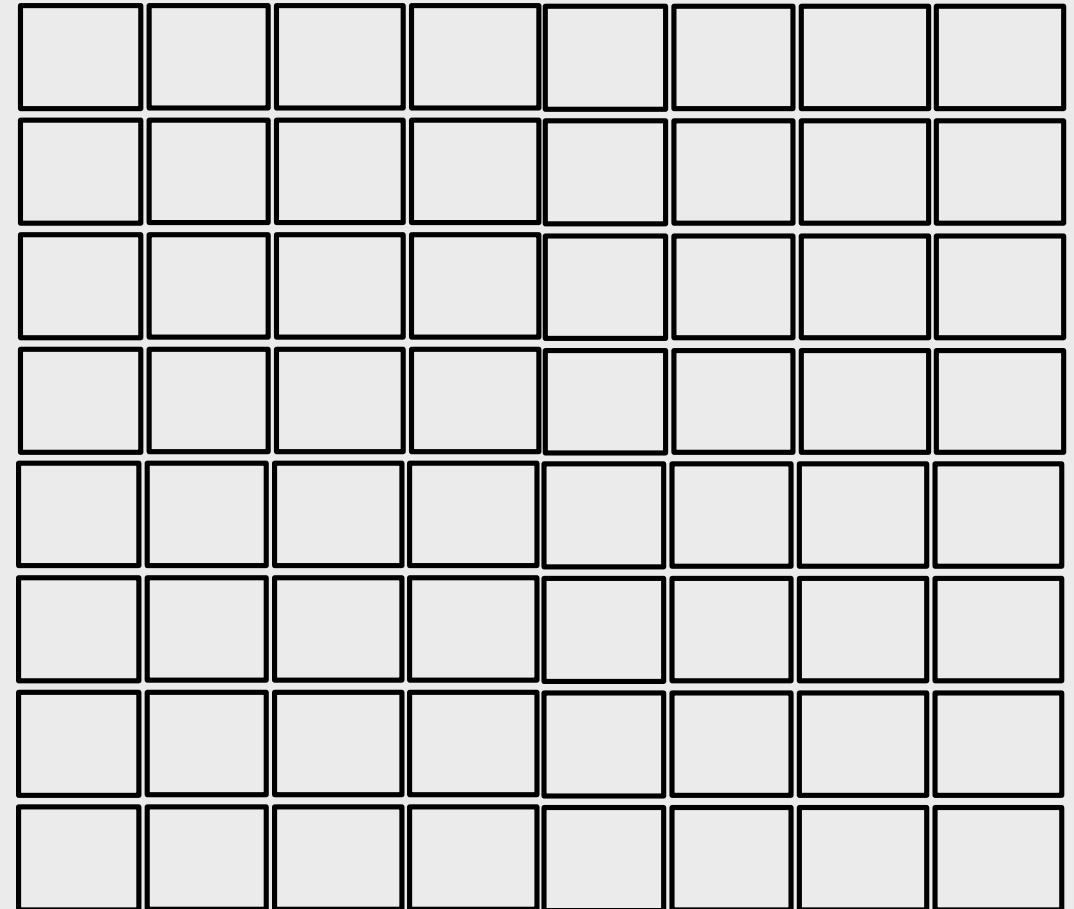


# 8-Queen Problem



John Holland introduced **Genetic Algorithm (GA)**

**Darwin's theory of evolution**





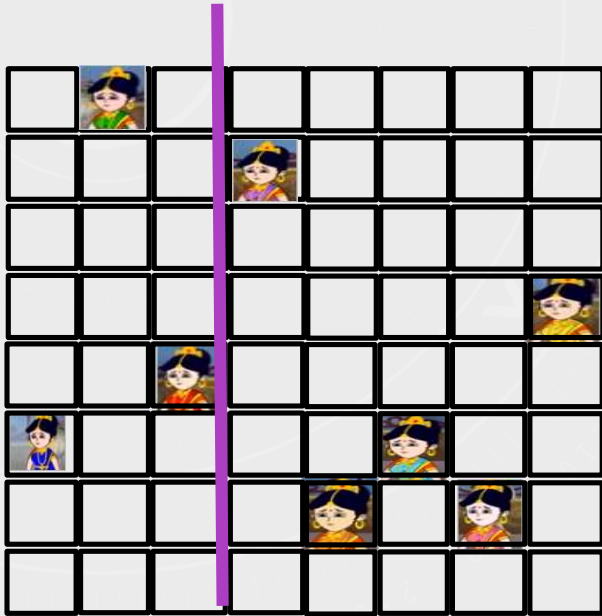
Introduced in the 1970s by John Holland at University of Michigan

- ▶ begin with  $k$  randomly generated states (population)
- ▶ each state (individual) is a string over some alphabet (chromosome)
- ▶ fitness function (bigger number is better)
- ▶ crossover
- ▶ mutate (evolve?)



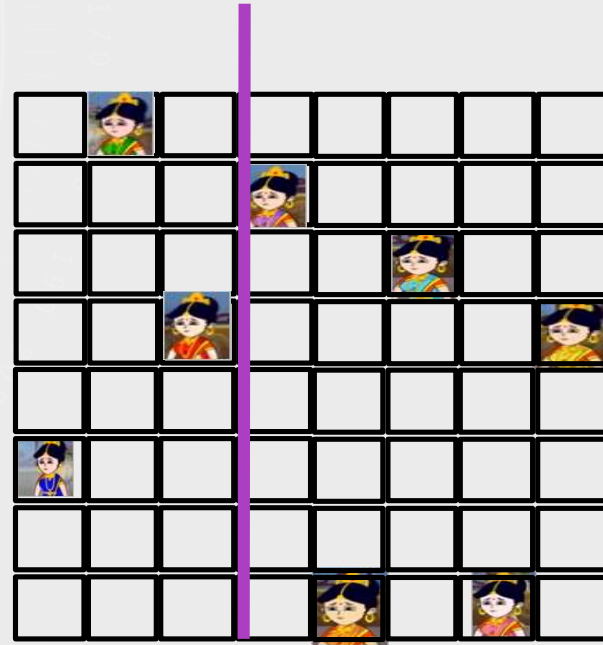
# Formulation of Genetic Algorithm

John Holland introduced **Genetic Algorithm (GA)**  
**Darwin's theory of evolution**



3 8 4 7 2 3 2 5

Fitness=28-7=21



3 8 5 7 1 6 1 5

Fitness=28-4=24

**Fitness function:** number of non-attacking pairs of queens

Maximum number of pairs:  $8 \times 7/2 = 28$

[Q1 Q2]

[Q1 Q3]

[Q1 Q4]

[Q1 Q5]

[Q1 Q6]

[Q1 Q7]

[Q1 Q8]

.....

[Q8 Q7]

Chromosome of Father: 3 8 4 7 2 3 2 5

Chromosome of Mother: 3 8 5 7 1 6 1 5

# Pseudo-code of GA:

START

    Generate the initial population

    Compute fitness

    REPEAT

        Selection

        Crossover

        Mutation

        Compute fitness

    UNTIL population has converged

STOP

# Crossover:

Chromosome of Father:

3 8 4 7 2 3 2 5

Chromosome of Mother:

3 8 5 7 1 6 1 5

Crossover point

3 8 4 7 2 3 2 5

3 8 5 7 1 6 1 5

2 4 4 1 5 1 2 4

3 2 5 4 3 2 1 3

Chromosome of Father:

3 8 4 7 2 3 2 5

Chromosome of Mother:

3 8 5 7 1 6 1 5

Offspring 1:

3 8 4 7 1 6 1 5

Offspring2:

3 8 5 7 2 3 2 5

# Mutation:

Before Mutation:

Offspring 1: 3 8 4 7 1 6 1 5

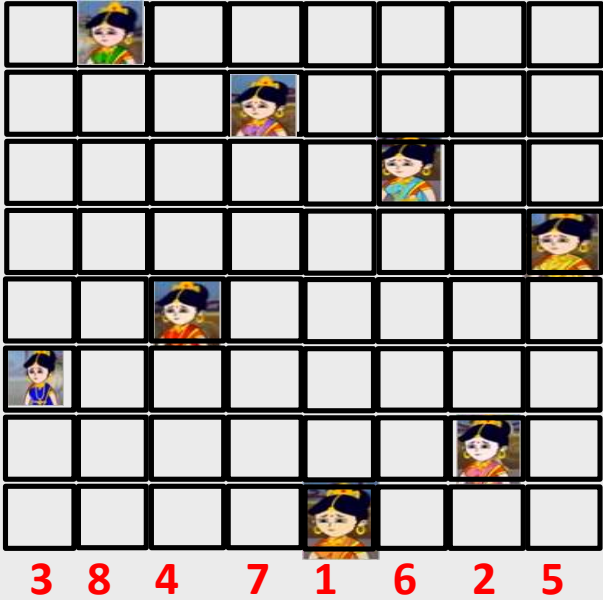
Offspring2: 3 8 5 7 2 3 2 5

After Mutation:

Offspring 1: 3 8 4 7 1 6 2 5

Offspring2: 3 8 6 7 2 3 2 5

Offspring 1:



Fitness=28-0=28

Offspring2:



Fitness=28-5=23

## Genetic Algorithms

### Example

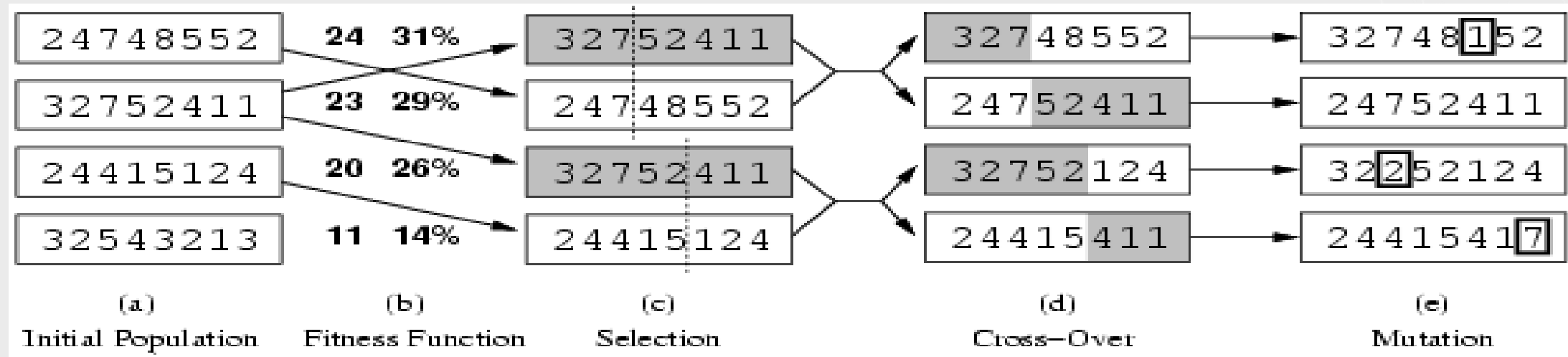
Represent states and compute fitness function.

24748552	24
32752411	<del>23</del>
24415124	<del>20</del>
32543213	<del>11</del>
	<u>77</u>

(a)

Initial Population

# GENETIC ALGORITHMS



- Fitness function: number of non-attacking pairs of queens (min = 0, max =  $8 \times 7/2 = 28$ )  
 $24/(24+23+20+11) = 31\%$   
 $23/(24+23+20+11) = 29\%$  etc



# Solution of 8-Queen Problem using Genetic Algorithm

John Holland introduced **Genetic  
Algorithm (GA)**  
**Darwin's theory of evolution**



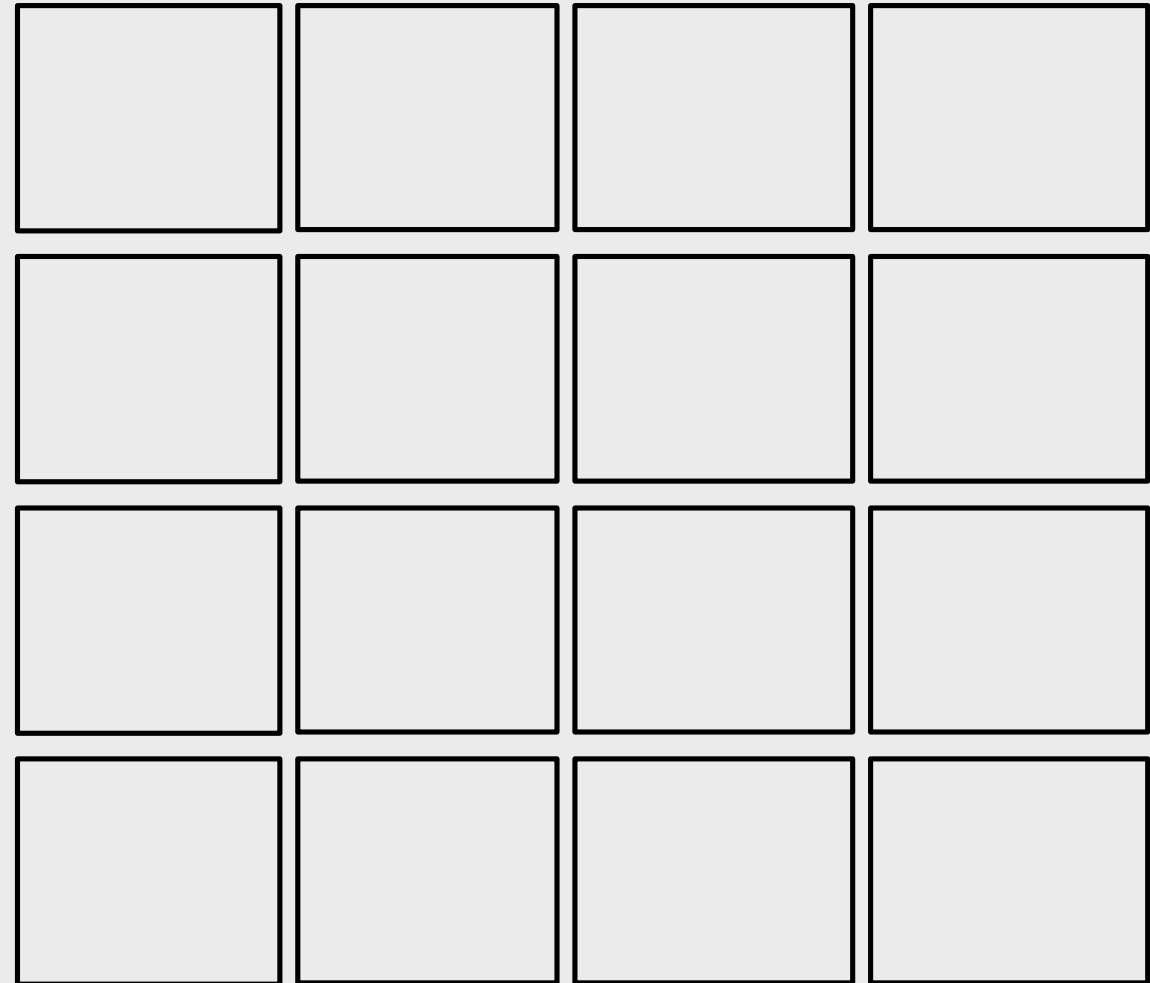




# The 4-Queen Problem

**Fitness function:** number of non-attacking pairs of queens

What is the Maximum fitness value: ????





# 4-Queen Problem Using Backtracking Approach

Therefore , the king called Professor John Holland of the University of Michigan to solve the 4-Queen problem. And solved the 4-Queen problem in backtracking approach.





# Solution of the 4-Queen Problem Using GA



Initial Population

# Conclusion

## Application areas of GA:

- Game programming
- Cloud resource allocation
- Job scheduling of operating systems
- Channel assignment in communication system
- Combinatorial optimization
- Creative design (NASA antenna)
- Operational research

# REFERENCES

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- *Barricelli, Nils Aall (1963). "Numerical testing of evolution theories. Part II. Preliminary tests of performance, symbiogenesis and terrestrial life". Acta Biotheoretica (16): 99–126.*

# RESEARCH

## A Dynamic Scheduling Method for Collaborated Cloud with Thick Clients

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