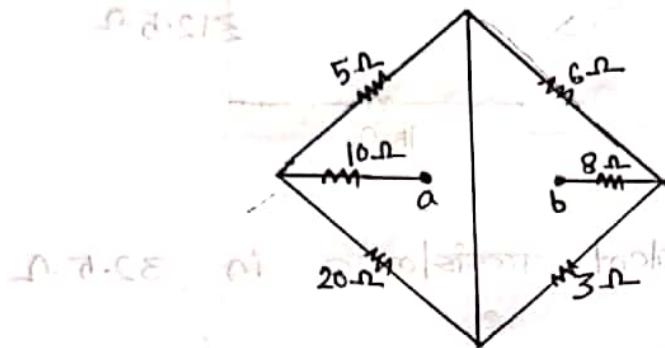


Name: Omar Faruk

Roll: 2019831055

### Ans: to the que: No -1



5Ω and 20Ω are in parallel and equivalent resistance,

$$R_1 = \left( \frac{1}{5} + \frac{1}{20} \right)^{-1} = 4\Omega$$

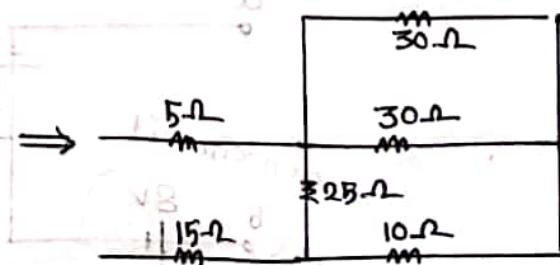
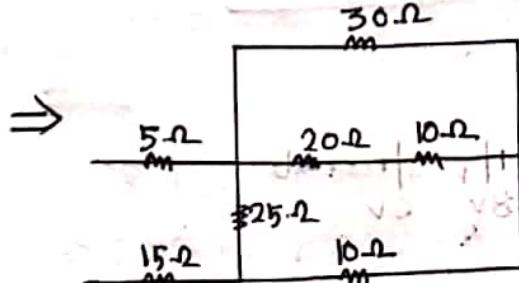
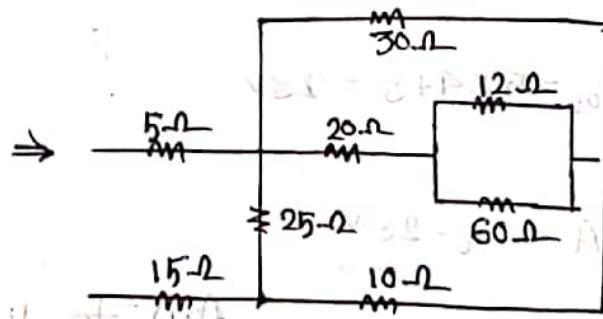
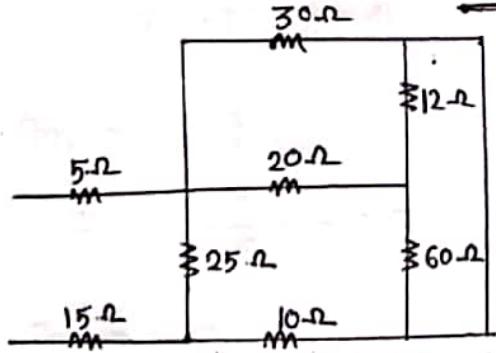
6Ω and 3Ω are in parallel and equivalent resistance.

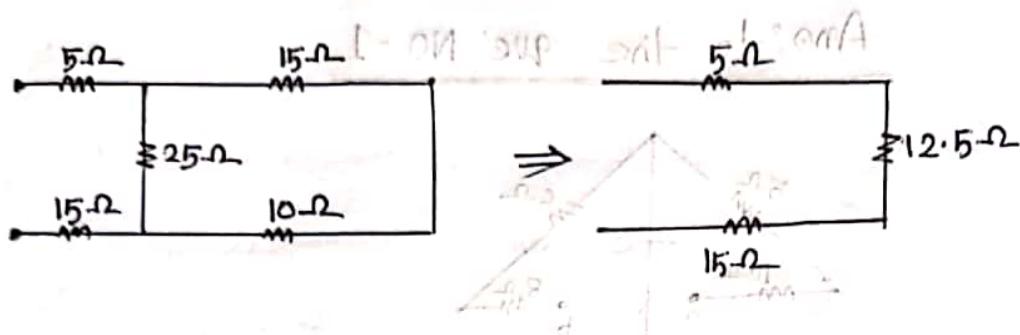
$$R_2 = \left( \frac{1}{6} + \frac{1}{3} \right)^{-1} = 2\Omega$$

So, total resistance is,

$$R_T = 10 + R_1 + R_2 + 8 = (10 + 4 + 3 + 8)\Omega = 24\Omega$$

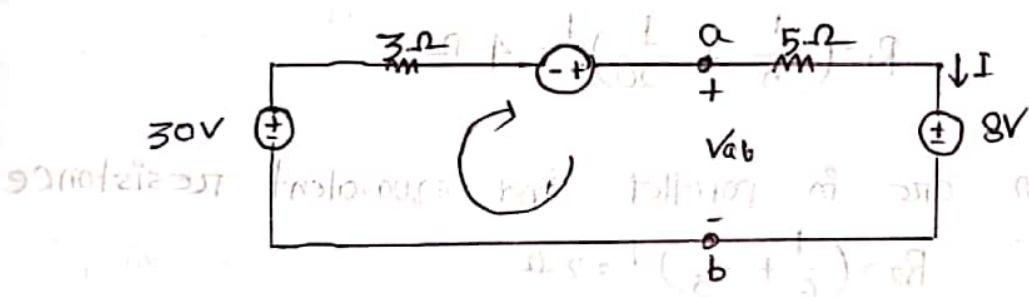
### Ans: to the que: No -2





So, the total equivalent resistance is  $32.5\Omega$

Ans : to the que: NO-3



Applying KVL,

$$-30 + 3I - 10 + 5I + 8 = 0$$

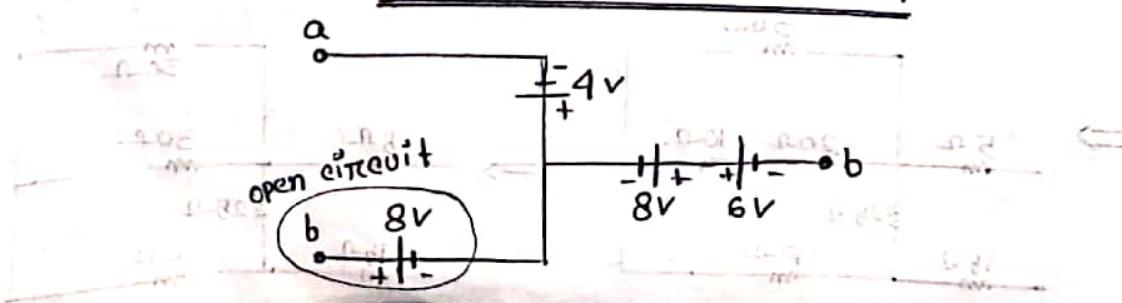
$$\Rightarrow 8I - 32 = 0$$

$$\Rightarrow I = 4 \text{ A}$$

$$\therefore V_{ab} = 5 \times 4 + 8 = 28 \text{ V}$$

$$\therefore I = 4 \text{ A}, V_{ab} = 28 \text{ V}$$

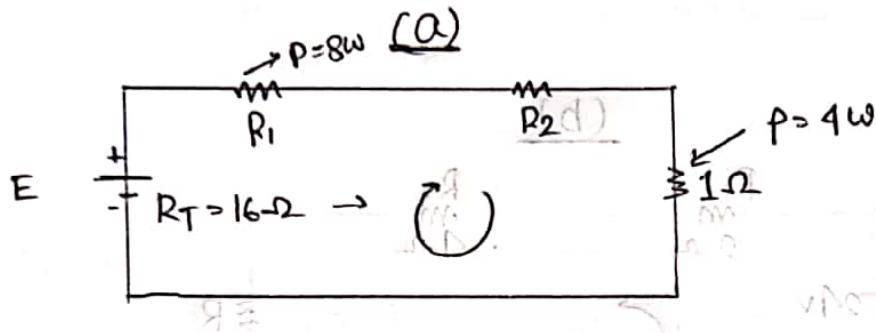
Ans : to the que: NO-4



PRACTICE PAPER

$$\text{So, } V_{ab} = (-4 - 8 + 6) \text{ V} = -6 \text{ V}$$

Ans: to the que NO - 5



Hence,

$$R_T = R_1 + R_2 + 1 \Rightarrow R_1 + R_2 = 16 - 1 \Rightarrow R_1 + R_2 = 15 \dots \textcircled{i}$$

Applying KVL in the loop

$$IR_1 + IR_2 + I - E = 0 \Rightarrow IR_1 + IR_2 + I = E \dots \textcircled{ii}$$

and,

$$P_1 = VI = I^2 R_1 = 8 \dots \textcircled{iii}$$

also,

$$P_2 = I^2 \times 1 = 4 \Rightarrow I = 2 \dots \textcircled{iv}$$

From (iii)

$$R_1 = \frac{8}{4} = 2\Omega$$

From (i),

$$2 + R_2 = 15 \Rightarrow R_2 = 13\Omega$$

From, (ii)

$$IR_1 + IR_2 + 2 = E \Rightarrow 2 \times 2 + 2 \times 13 + 2 = E$$

$$E = 32V$$

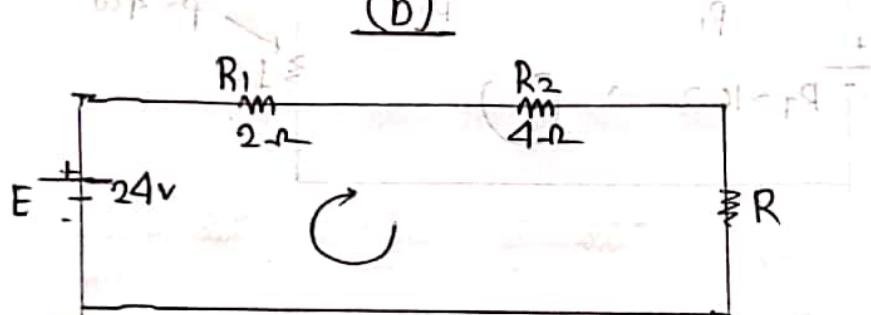
So, the unknown quantities are.

$$I > 2A$$

$$R_2 = 13\Omega$$

$$R_1 = 2\Omega$$

$$E = 32V$$



Applying KVL in the loop,

$$IR_1 + IR_2 + IR = E$$

$$2I + 4I + IR = 24$$

$$\Rightarrow IR + 6I = 24 \dots \text{(i)}$$

and,

$$P = I^2 R \Rightarrow R = \frac{24}{I^2} \dots \text{(ii)}$$

From (i) and (ii)

$$I \times \frac{24}{I^2} + 6I = 24$$

$$\Rightarrow \frac{24}{I} + 6I = 24 \Rightarrow 6I^2 + 24 = 24I$$

$$\Rightarrow 6I^2 - 24I + 24 = 0 \Rightarrow 6I^2 - 12I - 12I + 24 = 0$$

$$\Rightarrow 6I(I-2) - 12(I-2) = 0 \Rightarrow (I-2)(6I-12) = 0$$

$$\therefore I = 2$$

From (ii)

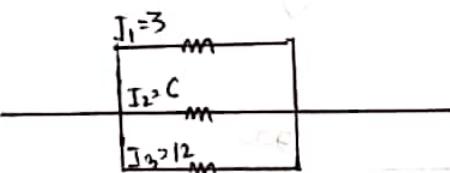
$$2^2 \times R = 24, R = 6\Omega$$

So, the unknown quantities are,

$$I = 2A, R = 6\Omega$$

Ans: to the que: No - 6

Let, draw a parallel circuit -



We know,

the relation between current (I) and resistance (R) in.

$$I \propto \frac{1}{R} \quad [ \because V \text{ is const. in parallel circuit} ]$$

So,

$$I_1 : I_2 : I_3 = \frac{1}{R_1} : \frac{1}{R_2} : \frac{1}{R_3}$$

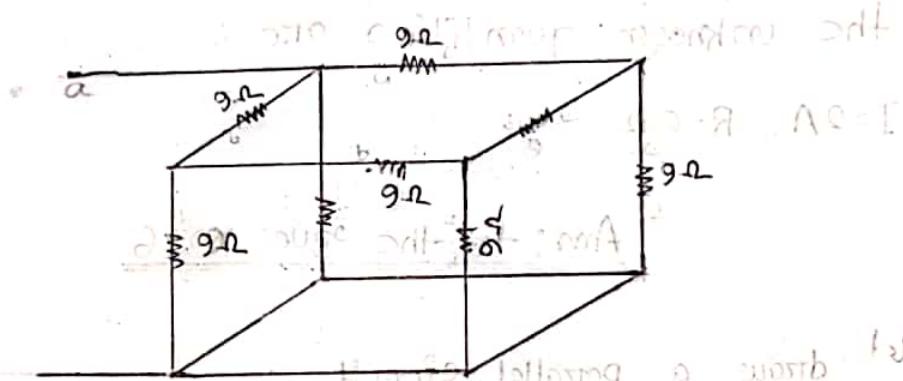
$$\Rightarrow R_1 : R_2 : R_3 = \frac{1}{I_1} : \frac{1}{I_2} : \frac{1}{I_3}$$

$$= \frac{1}{3} : \frac{1}{6} : \frac{1}{12}$$

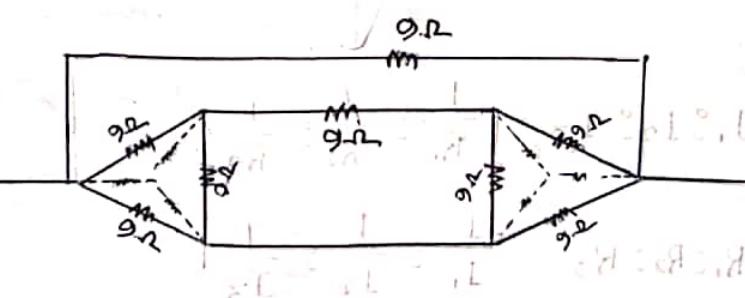
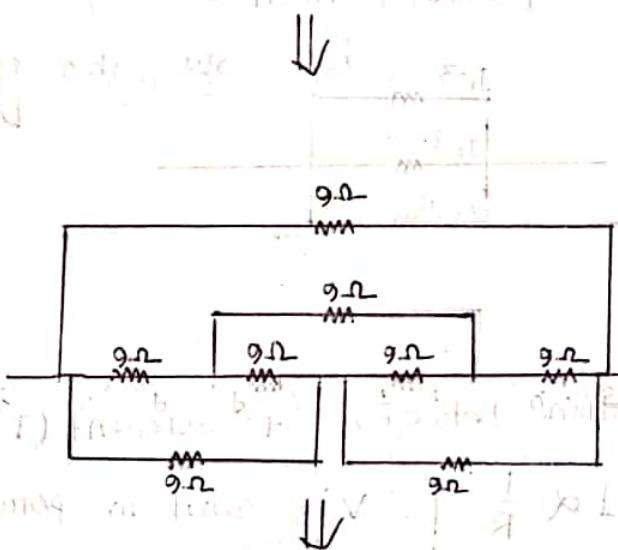
$$= 4 : 2 : 1$$

So, the ratio of transmission is 4:2:1

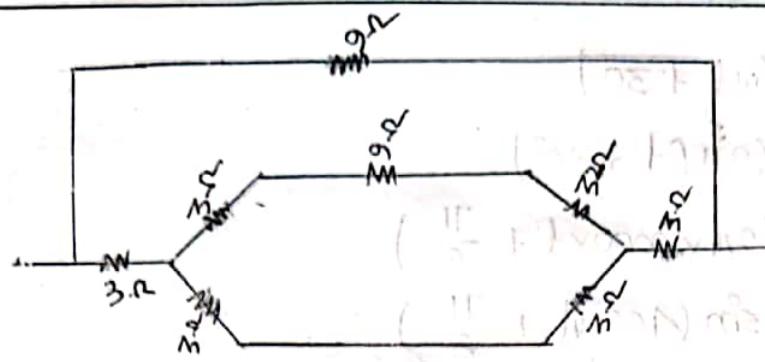
Ans. to the que: NO-7



Having following a resistive load



wye-delta in the loop



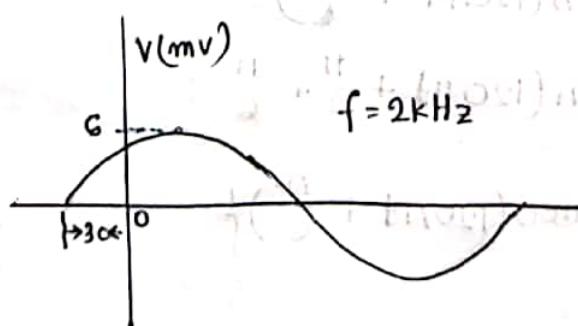
So, the total resistance is  $R_T = \left( \frac{1}{\left( \frac{1}{6} + \left( \frac{1}{15} + \frac{1}{6} \right)^{-1} \right)} + \frac{1}{9} \right)^{-1}$

$$= 4.2 \Omega$$



Ans to the que: No - 8

(a)

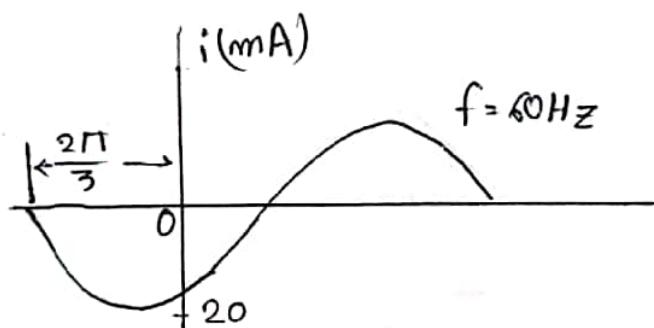


We know that,

$$V = V_m \sin(\omega t + \delta)$$

$$\begin{aligned}
 v &= V_m \sin(\omega t + 30^\circ) \\
 &= V_m \sin(2\pi f t + 30^\circ) \\
 &= V_m \sin(2\pi \times 5000 \times t + \frac{\pi}{6}) \\
 &= \cancel{V_m} 6 \sin(1000\pi t + \frac{\pi}{6})
 \end{aligned}$$

A

(b)

$$i = -i_m \sin(\omega t + \delta)$$

$$= -20 \sin(2\pi f t + \delta)$$

$$= -20 \sin(120\pi t + \frac{2\pi}{3})$$

$$= -20 \sin(120\pi t + \frac{\pi}{2} + \frac{\pi}{6})$$

$$= \{-20 \cos(120\pi t + \frac{\pi}{6})\}$$

A

$$(Z + j\omega) \hat{I} = j\omega - V$$

Ans to the que: NO - 9

(a)

Given that,

$$V = 2 \cos(\omega t - 30^\circ)$$

$$= 2 \sin(90^\circ + \omega t - 30^\circ)$$

$$= 2 \sin(\omega t + 60^\circ)$$

and,

$$i = 5 \sin(\omega t + 60^\circ)$$

So, the phase difference:  $(60^\circ - 60^\circ) = 0^\circ$

(b)

Given that,

$$V = -4 \cos(\omega t + 90^\circ)$$

$$= -4 \sin(90^\circ + \omega t + 90^\circ)$$

$$= -4 \sin(\omega t + 180^\circ)$$

and,

$$i = -2 \sin(\omega t + 10^\circ)$$

So, the phase difference:  $(180^\circ - 10^\circ) = 170^\circ$

Ans: to the que: NO - 10

$$\text{average value} = \frac{|15 \times 6| + |10 \times 3| + |10 \times -3|}{30}$$

$$= \frac{30 + 30 + 30}{30} \text{ volt}$$

$$= 3 \text{ volt}$$

$$R_{rms} = \sqrt{\frac{5 \times 6^2 + 10 \times 3^2 + 10 \times (-3)^2}{30}}$$

$$= \sqrt{\frac{180 + 90 + 90}{30}}$$

$$= 3.464$$

Ans: to the que: NO - 9

(a)

given that,

$$V = 100 \sin(\omega t + 40^\circ)$$

$$\text{and, } i = 20 \sin(\omega t + 70^\circ)$$

$$\text{Phase difference, } = 70^\circ - 40^\circ = 30^\circ$$

$$\text{Power, } P = E_{rms} \cdot I_{rms} \cdot \cos \phi$$

$$= \frac{100}{\sqrt{2}} \times 20 \times \cos 30^\circ$$

$$= 865.763 \text{ watt (leading)}$$

(b)

given that,

$$V = 150 \sin(\omega t - 70^\circ)$$

$$\text{and } i = 3 \sin(\omega t - 50^\circ)$$

$$\text{Phase difference, } \phi = -50 - (-70^\circ) \\ = 20^\circ$$

$$\text{Power, } P = E_{\text{rms}} \cdot I_{\text{rms}} \cdot \cos \phi$$

$$= (150 \times 0.707) \times (3 \times 0.707) \cdot \cos 20^\circ$$

$$= 211.36 \text{ watt (leading)}$$

Ans to the que: No-10

Given that,

$$F(w, x, y, z) = \sum(1, 3, 7, 11, 15)$$

| w | x | y | z | F |
|---|---|---|---|---|
| 0 | 0 | 0 | 0 | 0 |
| 0 | 0 | 0 | 1 | 1 |
| 0 | 0 | 1 | 0 | 0 |
| 0 | 0 | 1 | 1 | 1 |
| 0 | 1 | 0 | 0 | 0 |
| 0 | 1 | 0 | 1 | 0 |
| 0 | 1 | 1 | 0 | 0 |

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| w | x | y | z | F |
|---|---|---|---|---|
| 0 | 1 | 1 | 1 | 1 |
| 1 | 0 | 0 | 0 | 0 |
| 1 | 0 | 0 | 1 | 0 |
| 1 | 0 | 1 | 0 | 0 |
| 1 | 0 | 1 | 1 | 1 |
| 1 | 1 | 0 | 0 | 0 |
| 1 | 1 | 0 | 1 | 0 |
| 1 | 1 | 1 | 0 | 0 |
| 1 | 1 | 1 | 1 | 1 |

$$F = \bar{w}x\bar{y}z + \bar{w}\bar{x}yz + \bar{w}xy\bar{z} + w\bar{x}yz + wx\bar{y}z$$

B Using k-map:

| $\bar{y}\bar{z}$ | $\bar{w}\bar{x}$ | $\bar{w}x$ | $wx$ | $w\bar{x}$ |
|------------------|------------------|------------|------|------------|
| $\bar{y}z$       | x                | 1          | 1    | x          |
| $yz$             |                  | x          | 1    |            |
| $y\bar{z}$       |                  | 0          | 1    | 0          |
| $y\bar{z}$       |                  | 1          | 1    | 0          |

$\therefore F$  has don't care condition  $d(w,x,y,z) = \Sigma(0,2,5)$

$$F = x\bar{y} + w\bar{x}$$

Definition of giving a comparison addition soft. Q  
Ans to the que: NO - 11

Two binary form are given for comparison addition soft. Q  
Let us consider the two binary numbers A and B are expanded in terms of bits in descending order.

as,

$$A = A_4 A_3 A_2 A_1$$

$$B = B_4 B_3 B_2 B_1$$

Where each subscripted letter represents one of the digits in the numbers. It is observed from the bit contents of the two numbers that  $A=B$  when

$$A_4 = B_4, A_3 = B_3, A_2 = B_2, A_1 = B_1$$

| $A_i$ | $B_i$ | $X_i$ |
|-------|-------|-------|
| 0     | 0     | 1     |
| 0     | 1     | 0     |
| 1     | 0     | 0     |
| 1     | 1     | 1     |

So, the equality relation of each pair can be expressed logically by the equivalence function as,

$$X_i = A_i B_i + \bar{A}_i \bar{B}_i$$

$$X_i = (A_i \oplus B_i) \text{ for } i=1,2,3,4$$

To determine the relative magnitude of two numbers A and

B, the relative magnitudes of pairs of significant bits are inspected from the most significant position. If the two digits of the most significant position are equal, the next significant pair of digits are compared. The comparison process is continued until a pair of unequal digits is found. It may be concluded that  $A > B$ , if the corresponding digit of A is 1 and B is 0.

Therefore we can derive the logical expression of the function  $F(A > B)$  as

$$F(A > B) = A_4 \bar{B}_4 + X_4 A_3 \bar{B}_3 + X_4 X_3 A_2 \bar{B}_2 + X_4 X_3 X_2 A_1 \bar{B}_1$$

For  $A > B$

| $A_4$ | $X_4$ | $A_3$ | $X_3$ | $A_2$ | $X_2$ | $A_1$ | $X_1$ | $B_4$ | $B_3$ | $B_2$ | $B_1$ |
|-------|-------|-------|-------|-------|-------|-------|-------|-------|-------|-------|-------|
| 1     |       | 1     |       | 0     |       | 0     |       | 0     |       | 0     |       |
| 0     |       | 0     |       | 0     |       | 0     |       | 0     |       | 0     |       |
| 0     |       | 0     |       | 1     |       | 1     |       | 0     |       | 0     |       |
| 0     |       | 0     |       | 0     |       | 1     |       | 1     |       | 0     |       |

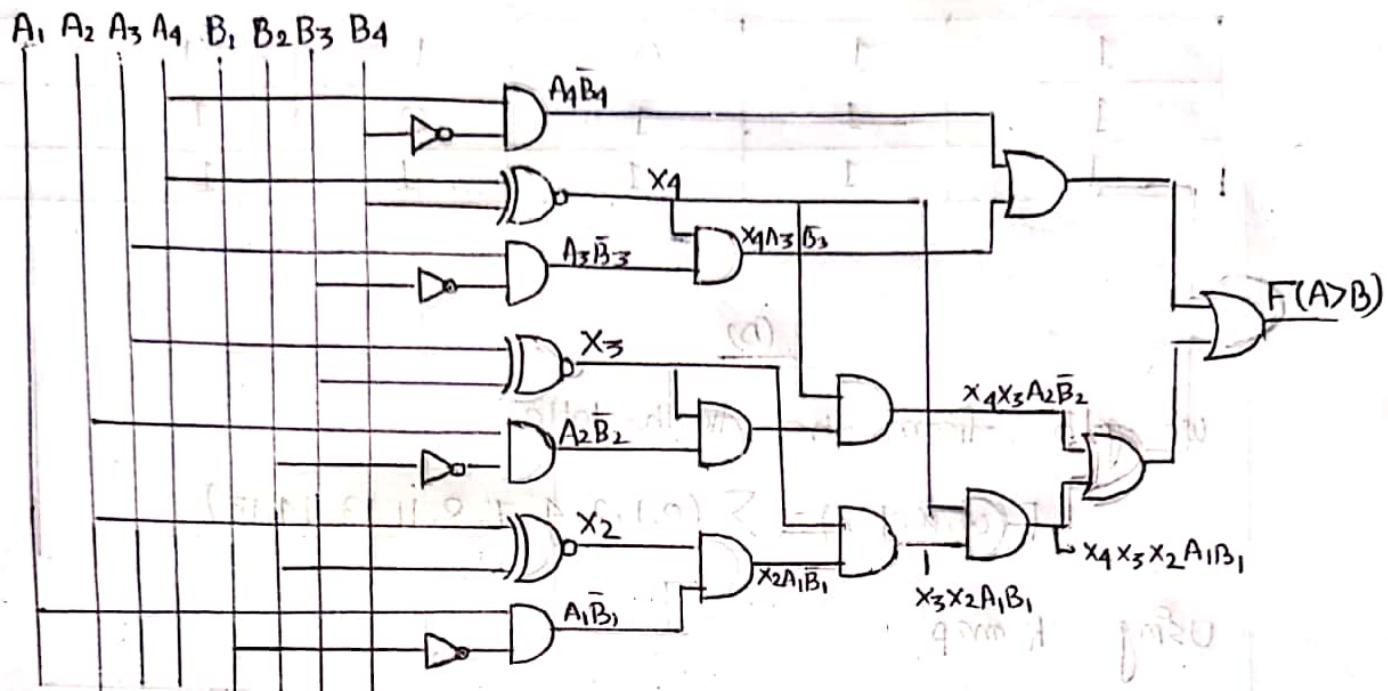
1)  $A_4 > B_4$

2)  $A_4 = B_4 \& A_3 > B_3$

3)  $A_3 = B_3, A_2 > B_2$

4)  $A_2 = B_2, A_3 = B_3, A_4 = B_4 \& A_1 > B_1$

The logic circuit that will turn on a LED only if 4 bit binary number B is less than a 4 bit binary number A is shown here:



Ans: to the que' No - 12

(a)

|   | X | Y | Z | output |
|---|---|---|---|--------|
| 0 | 0 | 0 | 0 | 1      |
| 0 | 0 | 0 | 1 | 1      |
| 0 | 0 | 1 | 0 | 1      |
| 0 | 0 | 1 | 1 | 0      |
| 0 | 1 | 0 | 0 | 1      |
| 0 | 1 | 0 | 1 | 0      |
| 0 | 1 | 1 | 1 | 1      |
| 1 | 0 | 0 | 0 | 0      |
| 1 | 0 | 0 | 1 | 1      |
| 1 | 0 | 1 | 0 | 0      |
| 1 | 0 | 1 | 1 | 1      |
| 1 | 1 | 0 | 0 | 0      |

|   |   |   |   |   |
|---|---|---|---|---|
| 1 | 1 | 0 | 1 | 1 |
| 1 | 1 | 1 | 0 | 1 |
| 1 | 1 | 1 | 1 | 1 |

(b)

we get from the truth-table

$$F(w, x, y, z) = \sum(0, 1, 2, 4, 7, 8, 11, 13, 14, 15)$$

Using k-map:

|                  | $\bar{y}\bar{z}$ | $\bar{y}z$ | $y\bar{z}$ | $yz$ |
|------------------|------------------|------------|------------|------|
| $\bar{w}\bar{x}$ | 1                | 1          | 0          | 1    |
| $\bar{w}x$       | 1                | 0          | 1          | 0    |
| $w\bar{x}$       | 0                | 1          | 1          | 1    |
| $wx$             | 1                | 0          | 1          | 0    |

$$\therefore F = \bar{w}\bar{x}\bar{z} + \bar{w}\bar{x}\bar{y} + \bar{w}y\bar{z} + \bar{x}y\bar{z} + xyz + wxz + wyz + wxy$$

(c)

Let's simplify the function using k-map.

|                  | $\bar{y}\bar{z}$ | $\bar{y}z$ | $y\bar{z}$ | $yz$ |
|------------------|------------------|------------|------------|------|
| $\bar{w}\bar{x}$ | 1                | 1          | 0          | 1    |
| $\bar{w}x$       | 1                | 0          | 1          | 0    |
| $w\bar{x}$       | 0                | 1          | 1          | 1    |
| $wx$             | 1                | 0          | 1          | 0    |

$$F = (w+x+\bar{y}+\bar{z}) \cdot (w+\bar{x}+y+\bar{z}) \cdot (w+\bar{x}+y+z) \cdot (\bar{w}+x+y+\bar{z}) \cdot (\bar{w}+x+\bar{y}+z)$$

Ans to the ques No: 13

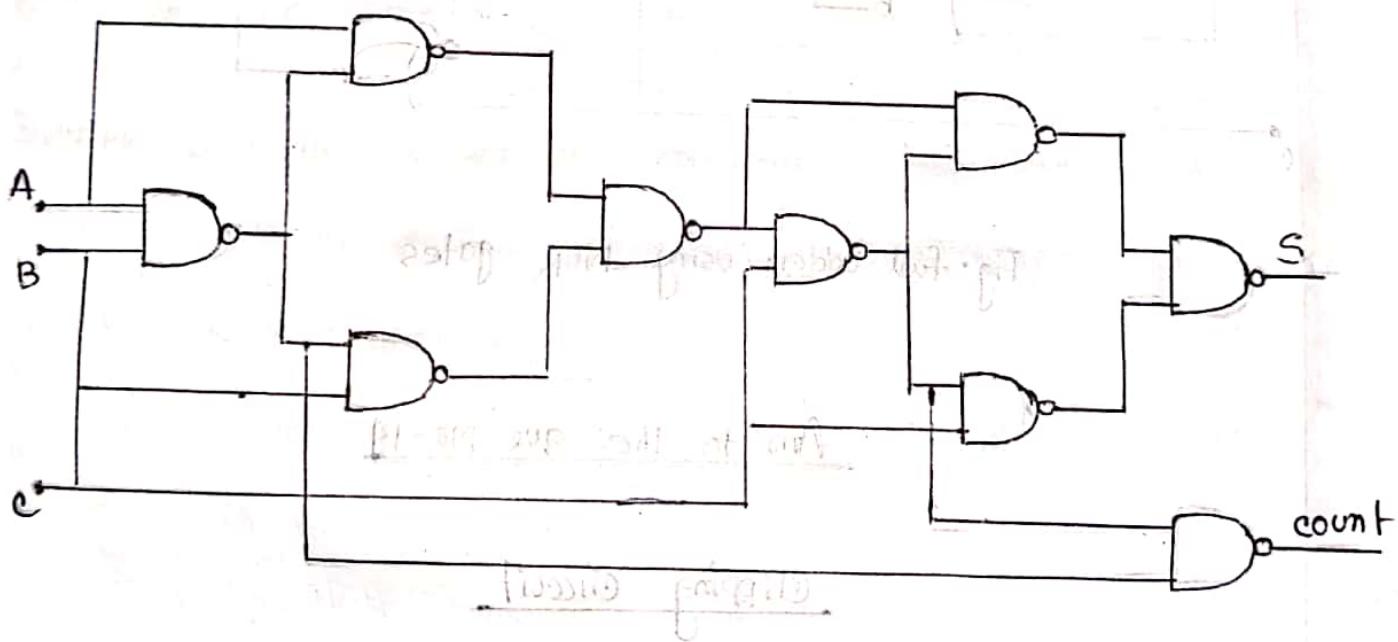


Fig: Full adder using NAND gates.

base of how figure full adder based on NAND gates

below add for writing, so you can convert it into

base 10 binary add for binary adder of 3 bits at now

you can convert it into base 10 binary adder of 3 bits at now

Now add in figure 3 digits base same 3 bits 3 bits

as its similar case And if figure will convert 3 bits

(b)

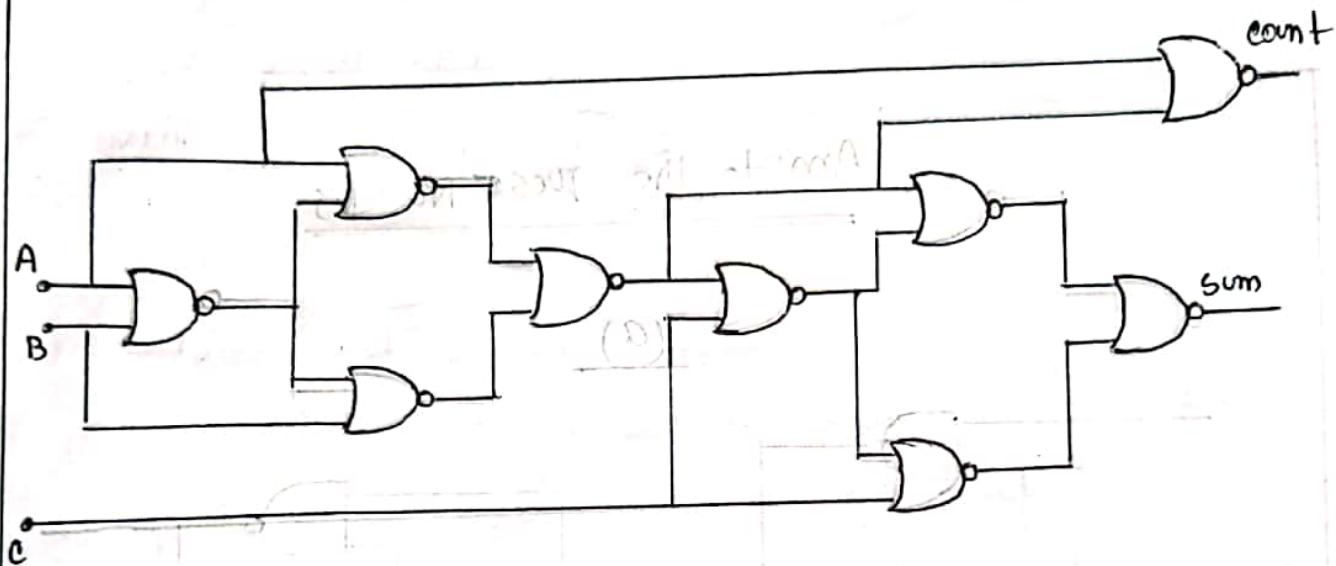


Fig: full adder using NOR gates

Ans to the que: NO-19clipping circuit

Clipping circuit is a wave-shaping circuit, and is used to either remove or clip a portion of the applied wave in order to control the shape of the output waveform.

One of the most basic clipping circuit is the half-wave rectification circuit. A half wave rectifier clips

either the negative half cycle or the positive half cycle of an alternating wave form. and allows to pass only one half cycle.

Clipping circuits are also referred to as voltage limiters, amplitude selectors or slicers.

Clippers are used to eliminate amplitude noise or to fabricate new wave forms from an existing signal.

Clipping circuits consist of non-linear and linear devices.

The non-linear devices generally used for clipping are diodes and transistors.

According to the non-linear devices used, clippers may be classified as:

- Diode clippers
- Transistor clippers

According to the devices used, clippers are classified as:

- Unbiased clippers
- Biased clippers

According to level of clipping, the clippers may be:

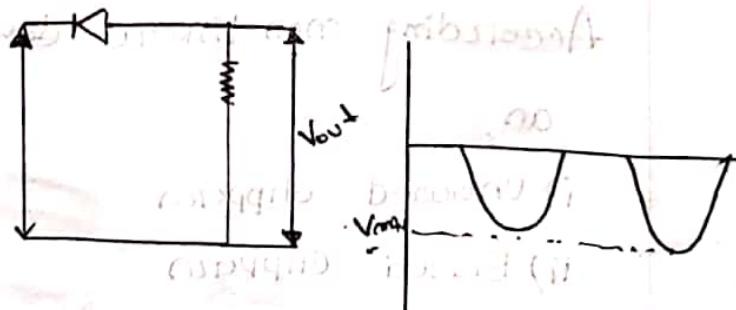
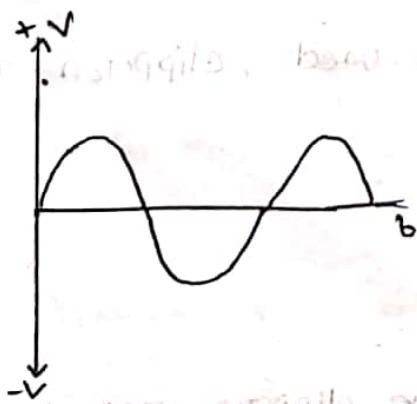
- i) Positive clipper
- ii) Negative clipper
- iii) Biased clipper
- iv) Combination clipper

There are two categories of clippers.

### Series and parallel (or shunt)

The series configuration is defined as one where diode is in series with the load, while the shunt (parallel) clipper has the diode in a branch parallel to the load.

Depending on the features of the diode, the positive or negative region of the input signal is "clipped" off and according the diode clipper may be positive or negative.



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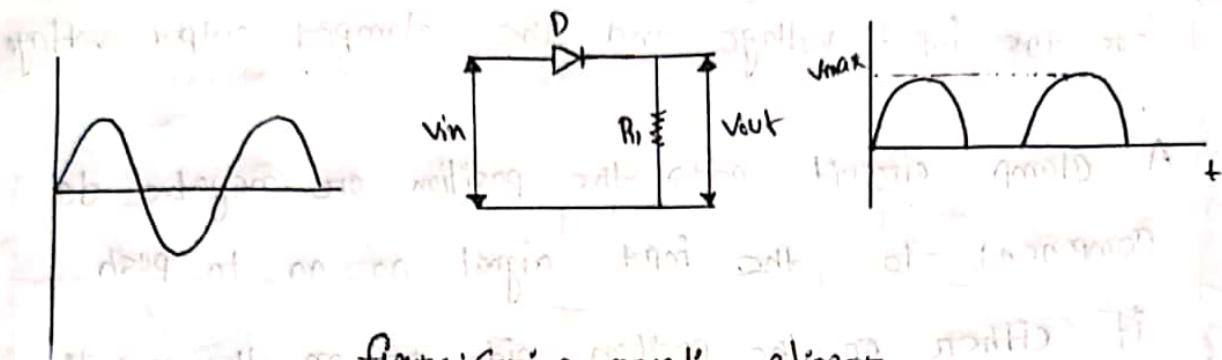


figure: Series negative clipper

### Clamping circuit

A clamping circuit is used to place either the positive or negative peak of a signal at a desired level. The dc component is simply added or subtracted to/from the input signal. The clammer is also referred to as an IC tracer or ac signal level shifter.

The shape of the waveform will be the same, but its level is shifted either upward or downward. There will be no change in the peak-to-peak or rms value of the waveform due to the clamping circuit. Thus, the input waveform and output waveform will have the same peak-to-peak value that is  $2V_{max}$ . It must also be noted that same reading will be obtained in the ac voltmeter across any section with an ac signal with no regard of

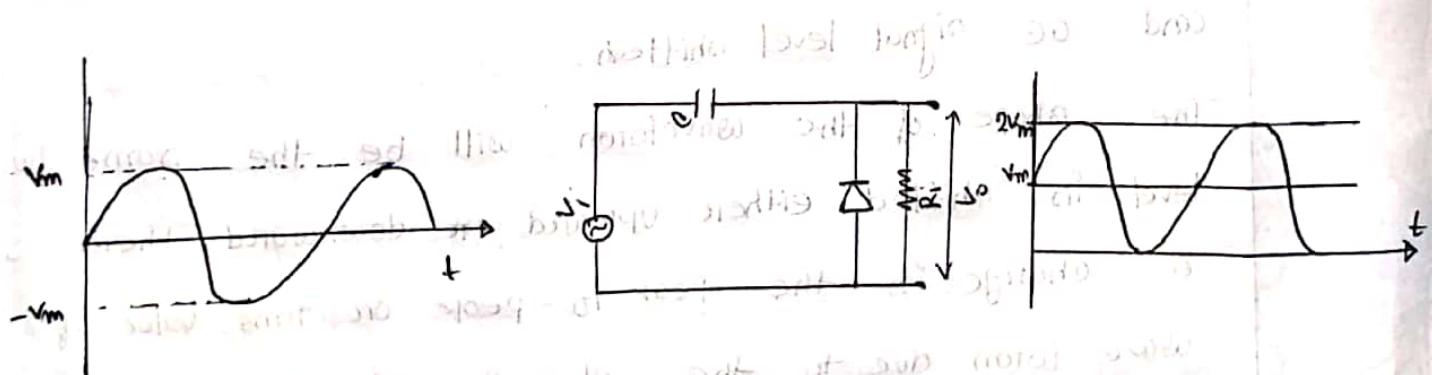
for the input voltage and the clamped output voltage.

A clamp circuit adds the position or negative dc component to the input signal so as to push it either on the positive side, or on the negative side.

Generally there are two types of circuit -

### i) positive clamps:

The circuit will be called Positive clamps, when the signal is pushed upward by the circuit, when the signal moves upward, the negative peak of the signal coincides with the zero level.



### ii) Negative clamp:

The circuit will be called a negative clamp, when the signal is pushed downward by the circuit, when the signal is pushed on the negative side, on the positive peak.

of the input signal can coincides with the zero level.

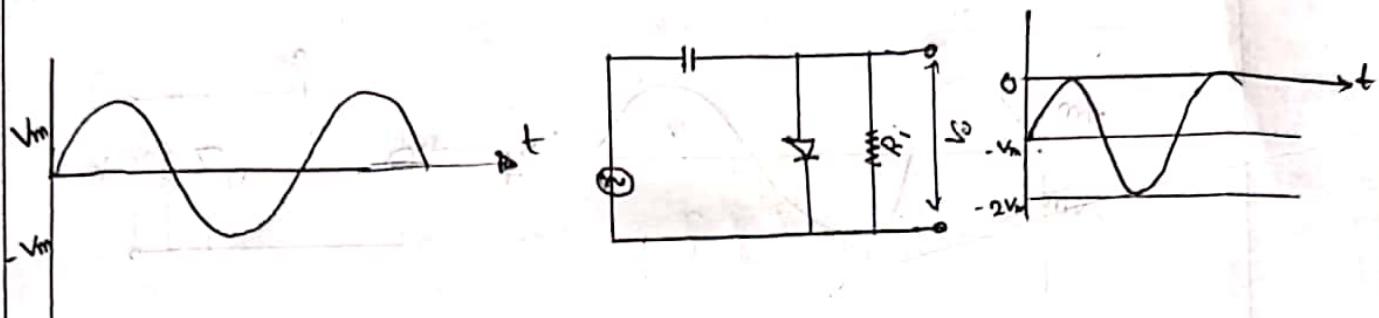


Figure: Negative clamping circuit

## Part - II

Ans : to the Q. No-1

### Clipping Circuit

Clipping circuit is a wave-shaping circuit, and is used to either remove or clip a portion of the applied wave in order to control the shape of the output waveform.

one of the most basic clipping circuit is the

half wave rectification circuit. A half wave rectifier clips

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According to the non-linear devices used, clippers may be

classified as:

- i) Diode clippers
- ii) Transistor clippers

According to the devices used, clippers may be classified as,

i) Unbiased

ii) Biased

According to level of clipping, the clippers may be,

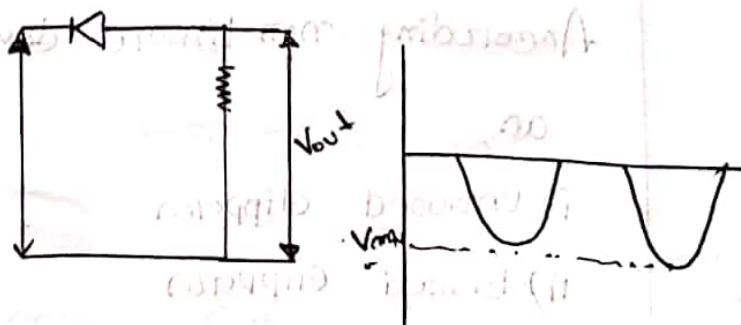
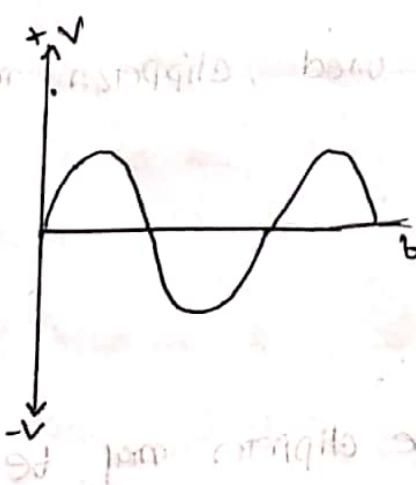
- i) Positive clipper
- ii) Negative clipper
- iii) Biased clipper
- iv) Combination clipper

There are two categories of clippers.

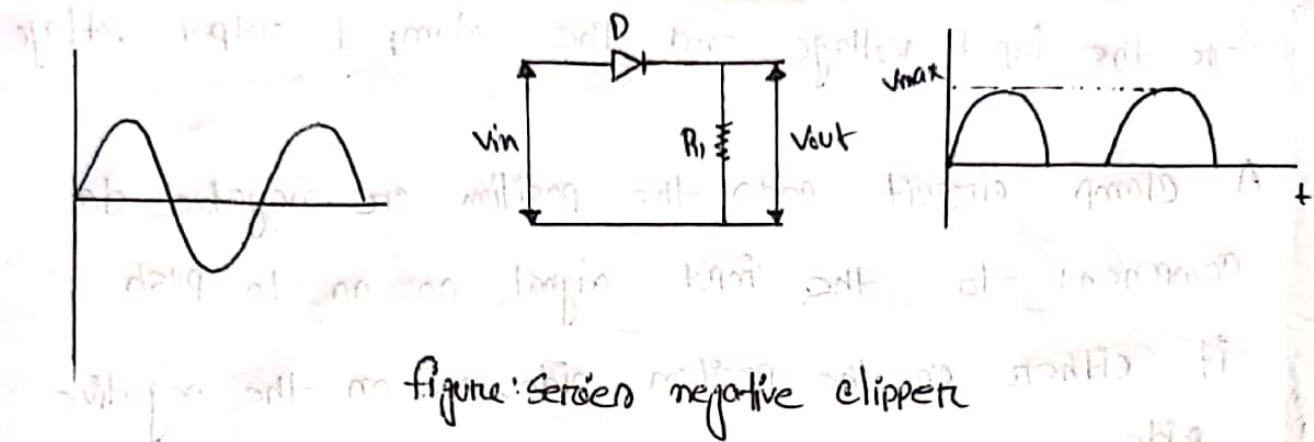
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### Clamping circuit

A clamping circuit is used to place either the positive or negative peak of a signal at a desired level. The dc component is simply added or subtracted to/from the input signal. The clammer is also referred to as an IC tracer or ac signal level shifter.

The shape of the waveform will be the same, but its level is shifted either upward or downward. There will be no change in the peak-to-peak or rms value of the wave-form due to the clamping circuit. Thus, the input wave-form and output wave-form will have the same peak-to-peak value that is  $2v_{max}$ . It must also be noted that same reading will be obtained in the ac voltmeter.

A.C. CIRCUITS

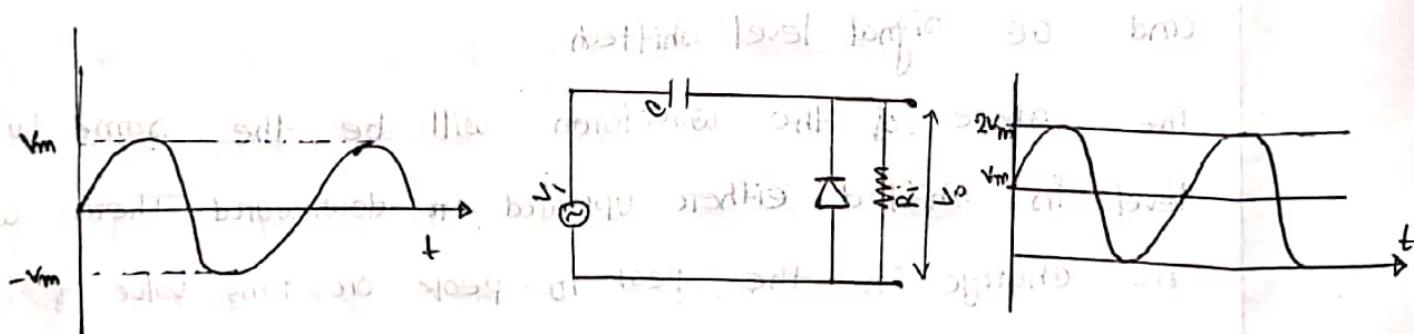
for the input voltage and the clamped output voltage.

A clamp circuit adds the position or negative dc component to the input signal so as to push it either on the positive side, or on the negative side.

Generally there are two types of circuit -

i) positive clamps:

The circuit will be called Positive clamps when the signal is pushed upward by the circuit, when the signal moves upward, the negative peak of the signal coincides with the zero level.



ii) Negative clamp:

The circuit will be called a negative clamp, when the signal is pushed downward by the circuit. When the signal is pushed on the negative side, on the positive peak

of the input signal coincides with the zero lead.

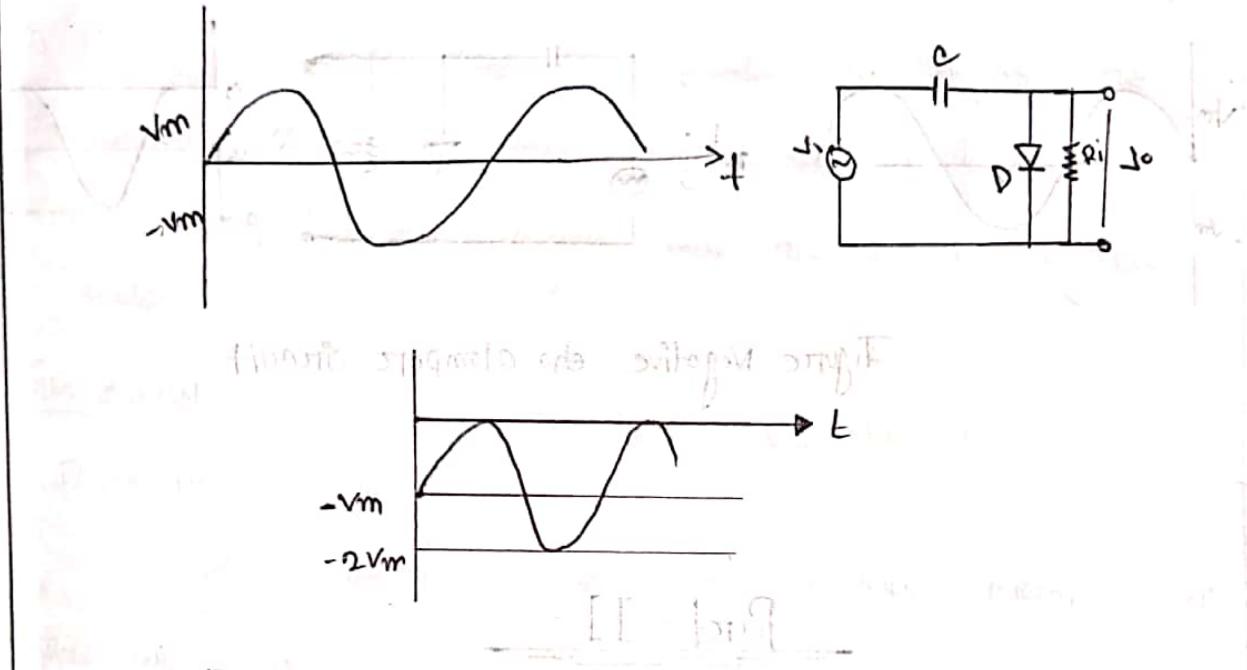


Figure: Negative clamping circuit.

### Ans: To the question No - 2

We know there is a net transfer of power over a full cycle because power is delivered to the load at each instant of the applied voltage or current (except when either in crossing the axis) no matter what the direction is of the current or polarity of the voltage.

The power delivered at each instant of time -

$$P = VI = V_{\max} \sin \omega t \cdot I_{\max} \sin(\omega t + \phi)$$

We know,

$$w = \int_0^T P dt$$

$$= \int_0^T \frac{E_{rms}}{\sqrt{2}} \cdot \frac{I_{rms}}{\sqrt{2}} \cdot 2 \sin \omega t \cdot \sin(\omega t + \phi) dt$$

$$= E_{rms} \cdot I_{rms} \int_0^T \{ \cos \phi - \cos(2\omega t + \phi) \} dt$$

$$= E_{rms} \cdot I_{rms} \left[ \int \cos \phi - \frac{\sin(2\omega t + \phi)}{2\omega} \right]_0^T$$

$$= E_{rms} \cdot I_{rms} \cdot \left[ T \cos \phi - \sin \left( \frac{\frac{2\pi}{T} \times 2\omega T + \phi}{2\omega} \right) + \sin \frac{\phi}{2\omega} \right]$$

$$w = E_{rms} \cdot I_{rms} \cdot T \cos \phi$$

$$\therefore P = \frac{w}{T}$$

$$\therefore P = E_{rms} \cdot I_{rms} \cos \phi$$

If the phase difference  $\phi = 0^\circ$ , then,

$$P = E_{rms} \cdot I_{rms}$$

If resistor  $R$  is given,

$$\text{Then, } I_{rms}^2 = \frac{V_{rms}^2}{R}$$

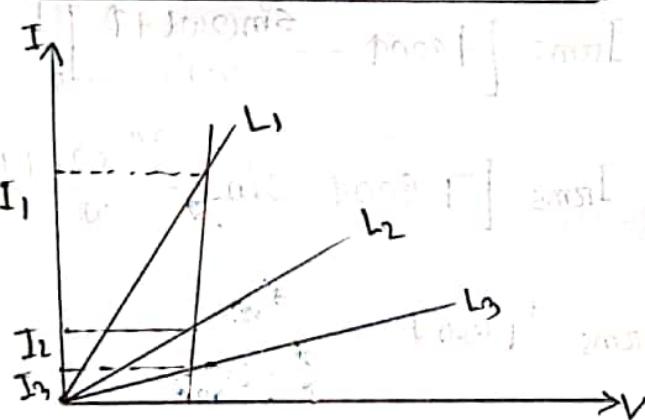
$$P = \frac{V_{rms}^2}{R} = I_{rms}^2 R$$

Hence, we see power change with phase difference.

$$\text{Power factor} = F_p = \cos \theta$$

$$\therefore F_p = \cos \theta = \frac{P}{\text{I rms} \cdot \text{E rms}}$$

Ans. to the que: No - 3



Let the three lines be  $L_1, L_2, L_3$ . We draw a straight line parallel to the  $I$ -axis. This straight line intersects each of the three lines. At the intersecting point, voltage for each line are equal.

We know,

$$R \propto \frac{1}{I} \quad [\text{when } V \text{ is constant}]$$

$$\Rightarrow \frac{1}{I_1} < \frac{1}{I_2} < \frac{1}{I_3}$$

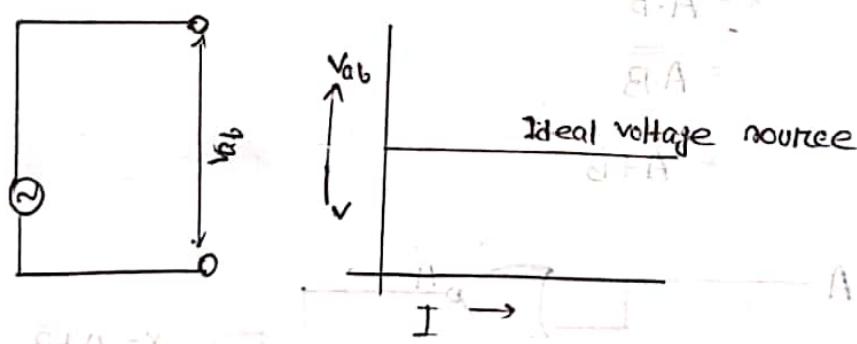
$$\Rightarrow R_1 < R_2 < R_3$$

So, the  $L_3$  indicates -the higher resistance.

### Ans:- to -the que: No -4

#### Ideal voltage Source

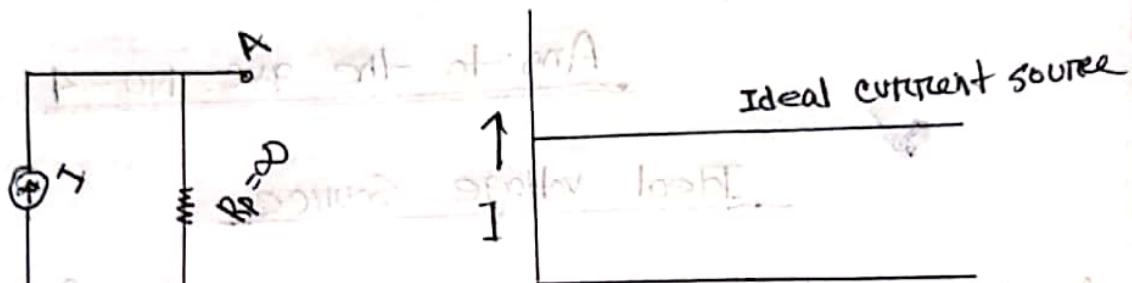
An ideal voltage source is a two-terminal element with the property that the voltage across the terminals is specified at every instant in time. This voltage doesn't depend on the current in any direction could possibly will be determined solely by the circuit elements connected to this source.



#### Ideal current Source

An ideal current source is a two-terminal circuit element which supplies the same current to any load resistance connected across the terminals. The current supplied by the voltage of source terminals. If

infinite resistance



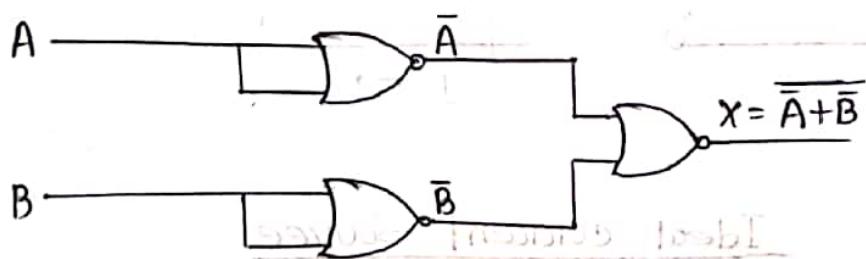
Converting an AND network for two inputs to an all NOR

Let the two input are  $A$  &  $B$ , and output  $X$ .

$$X = A \cdot B$$

$$= \overline{\overline{A} \cdot \overline{B}}$$

$$= \overline{\overline{A} + \overline{B}}$$



Converting an OR network for two inputs to an all NOR

let the input  $A, B$  and output  $Y$ .

$$Y = A + B = \overline{\overline{A} + \overline{B}}$$

