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engineering_math_worked_problems_with_Mathematica
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Exercises from the final edition of a popular engineering math text. A collection of 1358 mostly odd-numbered exercises. Worked at a mediocre skill level in Mathematica 10. Browse PDFs at the website link provided in the Code

tab, or download notebooks from branches.

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