Assignment 17

Automata & Theory of Computation

Student ID: 2 6/8008216 Name: 2/5/3

1. Construct a Turing machine that accepts the language $L = L(\underline{aaaa}^*b^*)$.

$$\delta(\mathcal{Z}_{3}, \alpha) = \delta(\mathcal{Z}_{1}, \alpha, R)$$

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