

# EE360T/382V Software Testing

khurshid@ece.utexas.edu

March 7, 2018

# Overview

## Today

- Continue Chapter 5: Syntax-based testing

## Next class – continue Chapter 5

Read: Sections 5.4 – 5.5

## Homework– Problem Set 3 due (originally): 3/9

- You can submit until 3/19 11:59am with no penalty

## Exam 2 – March 26, in-class

- Closed book, no cheat-sheet

# EE360T/382V Software Testing

khurshid@ece.utexas.edu

Syntax-based testing (Chapter 5)\*

\*Introduction to Software Testing by Ammann and Offutt

# Chapter 5: Outline

## Syntax-based coverage criteria

- Using a grammar (or regular expression) to specify test inputs
- Basics of mutation

## Program-based grammars

## Integration and object-oriented testing

## Specification-based grammars

## Input space grammars

# Background (1)\*

**Language** – set of strings

**String** – finite sequence of *symbols* (taken from a finite *alphabet*)

Examples:

- Java language – set of all strings that are valid Java programs
- Language of primes – set of all decimal-digit strings that are prime numbers
- Language of Java keywords – {“abstract”, “assert”, “boolean”, “break”, ... }

*\*Appel: Modern Compiler Implementation in Java*

# Background (2)\*

**Regular expression** – defines a language using a sequence of

- Basic symbols, e.g.,  $\mathbf{a} = \{ \text{"a"} \}$
- Alternation ( $|$ ), e.g.,  $\mathbf{a | b} = \{ \text{"a"}, \text{"b"} \}$
- Concatenation ( $.$ ), e.g.,  $\mathbf{(a | b) . a} = \{ \text{"aa"}, \text{"ba"} \}$
- Epsilon ( $\epsilon$ ) – the language  $\{ \text{""} \}$ 
  - $\mathbf{(a . b) | \epsilon} = \{ \text{""}, \text{"ab"} \}$
- Repetition ( $*$ ) – intuitively, 0+ repetitions
  - $\mathbf{a^*} = \{ \text{""}, \text{"a"}, \text{"aa"}, \text{"aaa"}, \dots \}$
  - $\mathbf{((a | b) . a)^*} = \{ \text{""}, \text{"aa"}, \text{"ba"}, \text{"aaaa"}, \text{"aaba"}, \text{"baaa"}, \text{"baba"}, \text{"aaaaaa"}, \dots \}$

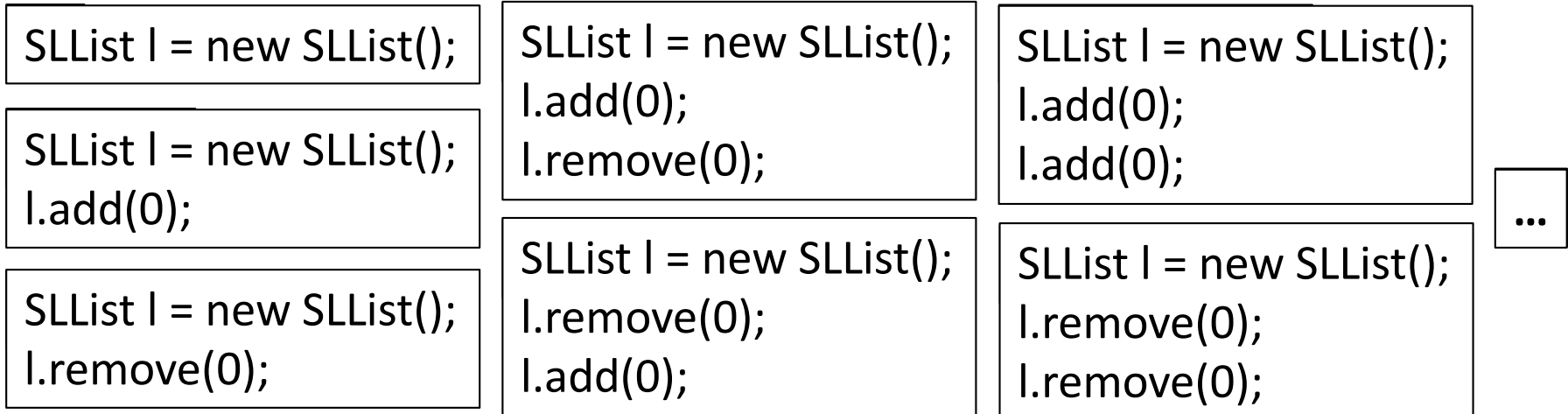
*\*Appel: Modern Compiler Implementation in Java*

# Example suite – regular expression

Consider testing a container class, say SLList

- Default constructor
- add(int x)
- remove(int x)

Regular expression **((add . 0) | (remove . 0))\*** gives an *abstract* representation of a (very large) test suite



# Background (3)\*

**Context-free grammar** (BNF) – defines a language using a set of *productions* of the form  $sym_0 \rightarrow sym_1 \dots sym_k$

- $sym_0$  is a **non-terminal**
- Each  $sym_1, \dots, sym_k$  is **terminal** (i.e., a basic symbol) or non-terminal
- One symbol is distinguished as the **start symbol**
- ‘|’ indicates choice
- $sym^*$  – 0 or more repetitions of  $sym$
- $sym^+$  – 1 or more repetitions
- $sym^k$  – exactly  $k$  repetitions
- $sym^{m-n}$  – at least  $m$  and at most  $n$  repetitions

\*Appel: *Modern Compiler Implementation in Java*



# Example grammar

$S \rightarrow M$

$M \rightarrow I N$

$I \rightarrow \text{add} \mid \text{remove}$

$N \rightarrow D^{1-3}$

$D \rightarrow 0 \mid 1 \mid 2 \mid 3 \mid 4 \mid 5 \mid 6 \mid 7 \mid 8 \mid 9$

Example string in the language: “add 0”

Example strings not in the language

- “add -1”
- “add 1 add 1”

# Two basic uses of grammars

**Recognizers** – decide if the given string is in the language

- Classical use, e.g., in parsing

**Generators** – create strings that are in the language

- A use in testing is test input generation
- Example generation (*derivation*)

$S \rightarrow M$	// begin with the start symbol;
$\rightarrow I N$	// repeatedly replace a non-
$\rightarrow \text{add } N$	// terminal with its RHS;
$\rightarrow \text{add } D^{1-3}$	// end when only terminals are
$\rightarrow \text{add } D$	// left
$\rightarrow \text{add } 0$	

# BNF Coverage criteria

**Terminal symbol coverage (TSC)** – TR contains each terminal in the grammar

- $\#tests \leq \#terminals$ , e.g., 12 for our example

**Production coverage (PDC)** – TR contains each production in the grammar

- $\#tests \leq \#productions$ , e.g., 17 for our example
- PDC subsumes TSC

**Derivation coverage (DC)** – TR contains every string that can be derived from the grammar

- Typically, DC is impractical to use
- $2 * (10 + 100 + 1000)$  tests for our example

# Mutation to generate invalid inputs

Using a grammar as a generator allows generating strings that are in the language, i.e., *valid* inputs

Sometimes *invalid* inputs are needed, e.g., to check exception handling behavior or observe failures

Invalid inputs can be created using **mutation**, i.e., (syntactic) modification – the focus of this chapter

Two simple ways to create mutants (valid or invalid):

- Mutate symbols in a ground string
  - E.g., “**add** 0” → “**remove** 0”
- Mutate grammar and derive ground strings
  - E.g., “/ → add | **remove**” → “/ → add | **delete**”

# Basics of mutation

Assume grammar  $G$  defines language  $L$

**Ground string** – string in  $L$

**Mutation operator** – rule that specifies (syntactic) variations of strings generated from a grammar

**Mutant** – result of one application of a mut. operator

- Mutant may be in  $L$  (*valid*) or not in  $L$  (*invalid*)

Mutation can be used in various ways, e.g.:

- Mutate inputs to programs
  - Check program behaviors on invalid inputs
- Mutate programs themselves – **mutation testing**
  - Evaluate quality of test suites

## 5.2 Program-based grammars

Grammars that represent programming languages

BNF coverage criteria have been used to generate programs to test compilers

- Specialized application (not discussed here)

Mutation testing has been applied in the context of several languages

- Applying it to Java is a focus of this chapter
  - Ground string – program
  - Mutation operators, e.g., replace '+' → '-', create programs that compile, i.e., are valid strings
  - **Mutation-adequate** test suite distinguishes a program from its mutants
    - Such suites likely find (real) program faults

# 6 example mutants

```
static int min(int a, int b) {  
    int minVal;  
    minVal = a;  
    if (b < a)  
    {  
        minVal = b;  
    }  
    return minVal;  
}
```

```
static int min(int a, int b) {  
    int minVal;  
    minVal = a;  
    Δ1 minVal = b;  
    if (b < a)  
    Δ2 if (b > a)  
    Δ3 if (b < minVal)  
    {  
        minVal = b;  
    Δ4 fail();  
    Δ5 minVal = a;  
    Δ6 minVal = failOnZero(b);  
    }  
    return minVal;  
}
```

# 6 example mutants

```
static int min(int a, int b) {  
    int minVal;  
    minVal = a;  
    if (b < a)  
    {  
        minVal = b;  
    }  
    return minVal;  
}
```

**Δ1, Δ3, Δ5: variable replacement**

**Δ2: relational op. replacement**

**Δ4: unconditional failure**

**Δ6: conditional failure**

```
static int min(int a, int b) {  
    int minVal;  
    minVal = a;  
    Δ1 minVal = b;  
    if (b < a)  
    Δ2 if (b > a)  
    Δ3 if (b < minVal)  
    {  
        minVal = b;  
        Δ4 fail();  
        Δ5 minVal = a;  
        Δ6 minVal = failOnZero(b);  
    }  
    return minVal;  
}
```



# Distinguishing a program from a mutant

Recall the reachability-infection-propagation (RIP) model for failure from Chapter 1:

- Reachability: the test case executes the fault
- Infection: the execution of the fault leads to an erroneous program state
- Propagation: the erroneous state leads to incorrect output

View the mutant  $m$  as a (injected) fault in program  $p$

RIP model: to show a behavioral difference between  $p$  and  $m$ , the test must satisfy reachability and infection, and may also satisfy propagation

# Mutant killing

*Definition:* **strongly killing mutants** – given a mutant  $m$  for a program  $p$  and a test  $t$ ,  $t$  is said to *strongly kill*  $m$  if and only if the output of  $t$  on  $p$  is different from the output of  $t$  on  $m$

*Definition:* **weakly killing mutants** – given a mutant  $m$  that modifies a location  $l$  in a program  $p$ , and a test  $t$ ,  $t$  is said to *weakly kill*  $m$  if and only if the state of the execution of  $p$  on  $t$  is different from the state of the execution of  $m$  on  $t$  immediately after location  $l$

# Coverage criteria – mutation testing

Let  $M$  be the set of mutants of program  $p$

**Strong mutation coverage (SMC)** – for each  $m$  in  $M$ ,  $TR$  contains exactly one requirement, to strongly kill  $m$

**Weak mutation coverage (WMC)** – for each  $m$  in  $M$ ,  $TR$  contains exactly one requirement, to weakly kill  $m$

$$\text{mutation score} = \frac{\# \text{ mutants killed}}{\# \text{ mutants}}$$

- Consider non-equivalent mutants only (if possible)

# Weak mutation example

```
static int min(int a, int b) {  
    int minVal;  
    minVal = a;  
    Δ1 minVal = b;  
    if (b < a)  
    {  
        minVal = b;  
    }  
    return minVal;  
}
```

Reachability: true

Infection:  $a \neq b$

Propagation:  $b < a$  is false  
// skip the next assignment

Full test specification to kill  
Mutant 1

- $true \wedge a \neq b \wedge \neg(b < a)$ ,  
i.e.,  $a \neq b \wedge b \geq a$ ,  
i.e.,  $b > a$

$(a = 5, b = 3)$  will weakly (but  
not strongly) kill Mutant 1

# Equivalent mutant example

```
static int min(int a, int b) {  
    int minVal;  
    minVal = a;  
    if (b < a)  
Δ3  if (b < minVal)  
    {  
        minVal = b;  
    }  
    return minVal;  
}
```

Infection:

$(b < a) \neq (b < \text{minVal})$

But the previous statement  
assigns a to *minVal*

Substituting, we get  
 $(b < a) \neq (b < a)$ , i.e., a  
contradiction

Thus, no input can kill this  
mutant

# Testing programs with mutation

**Insight:** in practice, if the software contains a fault, there will usually be a set of mutants that can only be killed by a test case that also detects the fault

**Approach:** given a program  $p$

1. Create mutants of  $p$
2. Remove redundant mutants (if feasible)
3. Generate a test suite for  $p$
4. Run each test on  $p$  and its mutants to check mutant killing
5. Compute the mutation score for the test suite
6. Check  $p$ 's outputs for tests that kill some mutant(s)

# Designing mutation operators

Two common strategies for operator design:

- Mimic developer mistakes, e.g., ' $<$ '  $\rightarrow$  ' $>$ '
- Follow common heuristics, e.g., *failOnZero(...)* uses the heuristic “evaluate expression to 0”

Having more mutation operators means more mutants

Two common ways to control number of mutants

- Randomly sample from total mutants
- Only use *effective* mutation operators
  - Subset  $E$  of mutation operators  $O$  is **effective** if tests that kill mutants created by  $E$  also kill mutants created by  $O - E$  with high probability

# Mutation operators for Java (1)

*ABS* – absolute value insertion

- *abs()*, *negAbs()*, *failOnZero()*

*AOR* – arithmetic operator replacement

- *+*, *-*, *\**, */*, *%*, remove an operand/operator

*ROR* – relational operator replacement

- *>*, *>=*, *<*, *<=*, *==*, *!=*; *false*, *true*

*COR* – conditional operator replacement

- *&&*, *||*, *&*, *|*, *^*; *false*, *true*

*SOR* – shift operator replacement

*LOR* – logical operator replacement



# Mutation operators for Java (2)

*ASR* – assignment operator replacement

- $a = b$ ,  $a += b$ ,  $a -= b$ ,  $a *= b$ ,  $a /= b$ ,  $a \% = b$ ,  $a << = b$ ,  $a >> = b$ ,  $a >>> = b$ ,  $a \& = b$ ,  $a |= b$ , or  $a \wedge = b$

*UOI* – unary operator insertion

- Arithmetic '+', '-', conditional '!', logical '~'

*UOD* – unary operator deletion

*SVR* – scalar variable replacement

- " $x = a * b$ "  $\rightarrow$   
" $x = a * a$ ", " $a = a * b$ ", " $x = x * b$ ", " $x = a * x$ ",  
" $x = b * b$ ", or " $b = a * b$ "

*FSR* – failure statement replacement

?/!