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ROLL NO: 20P-0149

Section: 2C

Assignment No: 2

Q1 complete the table

Decimal	BCD	HexaDecimal	Octal
98	10011000	(62) ₁₆	(230) ₈
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1487	000101000110011	(5BB) ₁₆	2673
43981	01000011100110000001	ABCD	(125715)

Q2 Multiply

i) 01101010 by 11110001

sol: Taking 2's complement = 00001111

$$11110001 = 00001111$$

106

x 15

1590 ANS

sol:

$$\begin{array}{r} 01101010 \\ 01101111 \\ \hline 01101010 \\ 01101010 \\ \hline 10011110 \\ 01101010 \\ \hline 1011100110 \\ 01101010 \\ \hline 11000110110 \text{ ANS} \end{array}$$

Check:-

$$1024 + 512 + 0 + 0 + 32 + 16 + 0 + 4 + 2 + 0$$

590 - Ans -

ii) 219 by 15

$$219 = (11011011)_2$$

$$15 = (00001111)_2$$

$$\begin{array}{r} 219 \\ \times 15 \\ \hline 3285 \end{array}$$

$$\begin{array}{r} 11011011 \\ 00001111 \\ \hline 11011011 \end{array}$$

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$$110011010101 \text{ Ans -}$$

check

$$2048 + 1024 + 0 + 0 + 128 + 64 + 0 + 16 + 0 + 4$$

3285 Ans

Q3 Divide

i) $10001000 \text{ by } 00100010$

Taking 2^s complement
 $= (11011110)_2$

10001000	Q: 00000000
11011110	$+1$
$1) 01100110$	00000001
11011110	$+1$
$1) 01000100$	00000010
11011110	$+1$
$1) 00100010$	00000011
11011110	$+1$
$1) 00000000$	00000100
	Ans

ii) $-145 \text{ by } 5$

$-145 = 10010001$

$5 = 1111011$ after 2^s complement

10010001	Q:- 00000000
1111011	$+1$
$1) 10001100$	00000001
1111011	$+1$
$1) 10000111$	00000010
1111011	$+1$
$1) 10000010$	00000011
1111011	$+1$
	00000100
	$+1$
	00000101
	$+1$

Q4: Perform and verify

a) $(ABC)_{16} + (1A3)_{16}$

$$= (101010111100)_2 + (000110100011)_2$$

101010111100

000110100011

110001011111

C 5 F

$(C5F)_{16}$ Ans-

Verification-

$$= (A \times 16^2 + B \times 16^1 + C \times 16^0) + (1 \times 16^2 + A \times 16^1 + 3 \times 16^0)$$

$$= (10 \times 256 + 11 \times 16 + 12 \times 1) + (256 + 160 + 3)$$

$$= (2560 + 176 + 12) + (419)$$

$$= 2748 + 419$$

$$= (3167)_{10}$$

change to binary

$(110001011111)_2$

C 5 F

$$= (C5F)_{16} \text{ Ans Verified -}$$

$$b) (F1)_{16} - (A6)_{16}$$

$$\text{sol: } (F1)_{16} = (11110001)_2$$

$$(A6)_{16} = (10100110)_2$$

$$2^s \text{ complement } (A6)_{16} \\ = (01011010)_2$$

$$\begin{array}{r} 11110001 \\ 01011010 \\ \hline 1) 01001011 \text{ ANS} \end{array}$$

$$= (01001011)_2 = 75_{\text{ANS}} \\ (4B)_{16}$$

Verification:

$$(F1)_{16} = 241$$

$$(A6)_{16} = 166$$

75 ANS

$$= (4B)_{16}$$

$$c) (110)_{10} - (84) = (?)_2$$

$$\text{sol: } (110)_{10} = (1101110)_2$$

$$84 = (1010100)_2 = 0101100 \text{ } 2^s \text{ complement}$$

$$\begin{array}{r} 1101110 \\ 0101100 \\ \hline 1) 0011010 \end{array} \Rightarrow (0011010)_2 \\ \Rightarrow 26$$

Verification:

$$\begin{array}{r} 110 \\ -84 \\ \hline 26 \text{ ANS} \end{array}$$

Q5:

Ans

The gray code makes only one bit change at one time when going from one number to an other next number if it is in sequence.

→ Gray Code for $(1111)_2 = 1000$

→ Gray Code for $(0000)_2 = 0000$

It can be shift be proved by a shift shifter example another multiple examples.