

Question Review

All



'needle' is transcribed as:

☒ /'ni:dəl/

☐ /'needəl/

☐ /'ne:dəl/

☐ /'nɪ:dəl/

EXPLANATIONS

Report

32 % were correct!



A place where offerings to god are made

☐ alter

☐ dais

☐ mound

☒ altar



Wine tends to lose \_\_\_\_\_flavour when it has not been properly sealed.

☐ it's

☐ their

☐ it

☒ its



The word “public” can be used as\_\_\_

☐ noun

☐ verb

☐ adjective

☒ both a and c

She has \_\_\_\_ Bible at home.

☒ a

☐ an

☐ the

☐ none

It's only I who ----- this work.

☒ do

☐ does

☐ did d. has done

☐ has done

He came up with a good idea.

☐ opposed

☐ investigated

☒ initiated

☐ demanded

She has a zeal ..... working hard.

☒ for

☐ by

☐ at

☐ with

\_\_\_\_\_ television is a scientific marvel.

☐ A

☐ An

☒ The

☐ None

Either he or us \_\_\_\_\_ responsible.

☐ has

☐ was

☒ are

☐ is

We have ..... the matter.

☐ set

☒ settled

☐ sat

☐ seated

The teacher seemed -----.

☒ relaxed

☐ happiness

☐ quickly

☐ bore



Range of the function  $f(x) = 9 - 7 \sin x$  is

☐ (2,16)

☒ [2,16]

☐ [-1.1]

☐ (2,16]

EXPLANATIONS

[Report](#)

74 % were correct!

Since  $\sin x \in [-1, 1]$ ,  $f(x) \in [2, 16]$



If  $\log_{10}x = y$  then  $\log_{10} x^2$  equals =

☒  $\frac{2}{3}y$

☐  $\frac{1}{2}y$

☐  $\frac{3}{2}y$

☐  $3y$



If a, b, c are in H.P., then

☐  $a^2 + b^2 > b^2$

☐  $a^2 + c^2 > (2b)^2$

☒  $a^2 + c^2 > 2b^2$

☐ none

The number of ways in which 1, 2, 3, 4, 5, 6 can be arranged so that odd numbers lie in odd places and even number lie in the even place is:

☒ 36☐ 30☐ 40☐ 56

The sum of the series

$$1 + \frac{1+a}{2!} + \frac{1+a+a^2}{3!} + \frac{1+a+a^2+a^3}{4!} + \dots + \infty =$$

☐  $\frac{e^a}{a}$

☒  $\frac{e^a - e}{a - 1}$

☐  $\frac{e^{a+1}}{a+1}$

☐  $\frac{e^a - e^{-a}}{a - 1}$

If p and q are the roots of the equation  $x^2 + px + q = 0$  then the values of p and q are

☐ 1, -1☐ 1, 0☒ 1, -2☐ -1, 0



The equation  $\sin^2 x = \frac{1}{4}$  has the general solution

- ☒  $n\pi + \frac{\pi}{6}$
- ☐  $2n\pi + \frac{\pi}{6}$
- ☐  $n\pi + (-1)^n \frac{\pi}{6}$
- ☐  $n\pi + (-1)^n \frac{\pi}{3}$



In  $\triangle ABC$ ,  $AB = 1$ ,  $AC = 2$  and  $A = 60^\circ$  then its largest angle is equal to

- ☐  $60^\circ$
- ☒  $90^\circ$
- ☐  $75^\circ$
- ☐  $135^\circ$