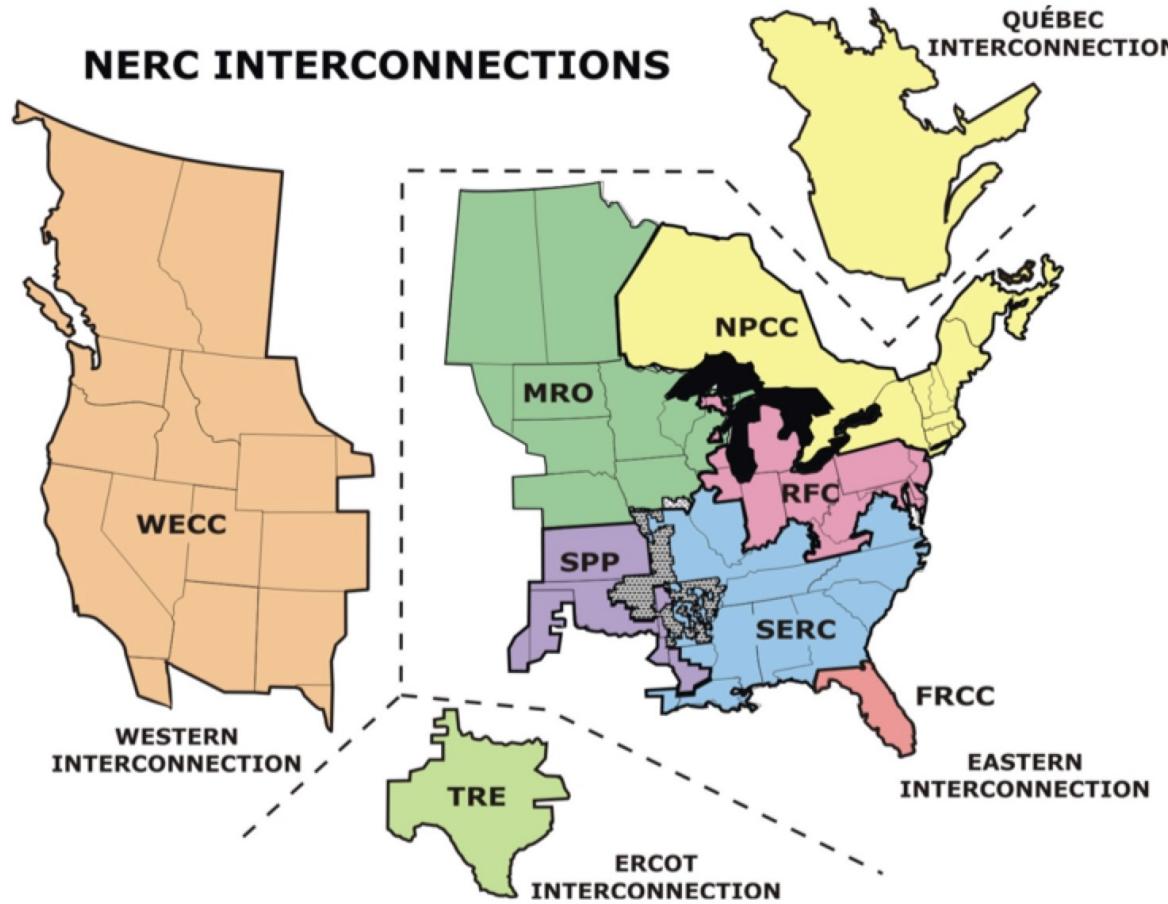


ECE 530: Contemporary Energy Applications

Microgrids

Interconnects and Regional Reliability Coordinators



Different Frequencies

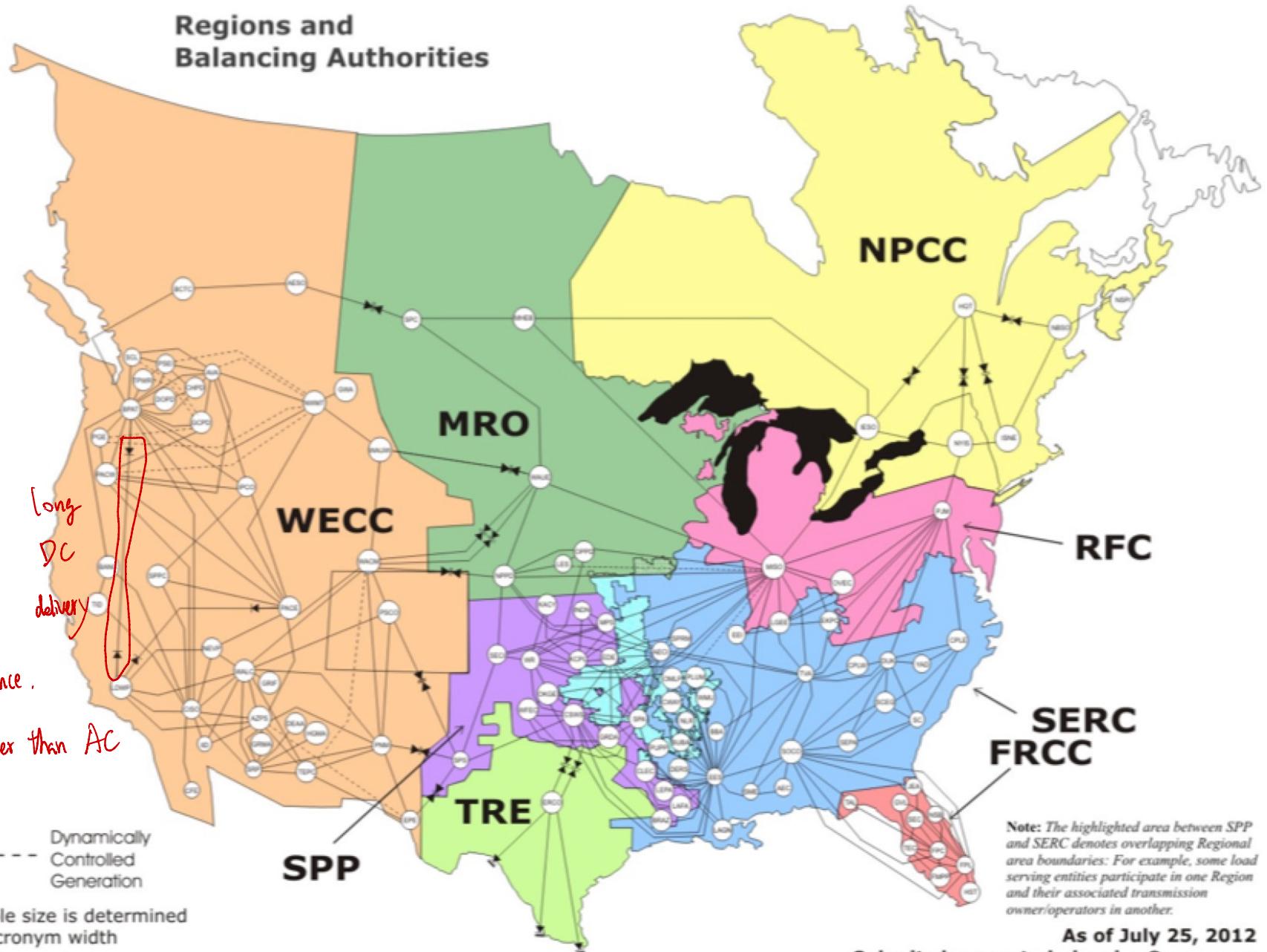
- Florida Reliability Coordinating Council (FRCC)
- Midwest Reliability Organization (MRO)
- Northeast Power Coordinating Council (NPCC)
- Reliability First Corporation (RFC)
- SERC Reliability Corporation (SERC)
- Southwest Power Pool (SPP)
- Texas Reliability Entity (TRE)
- Western Electricity Coordinating Council (WECC)

Connect two AC grid with different freq

you have to $AC_{f_1} \rightarrow DC \rightarrow AC_{f_2}$

Balancing Areas

Regions and Balancing Authorities

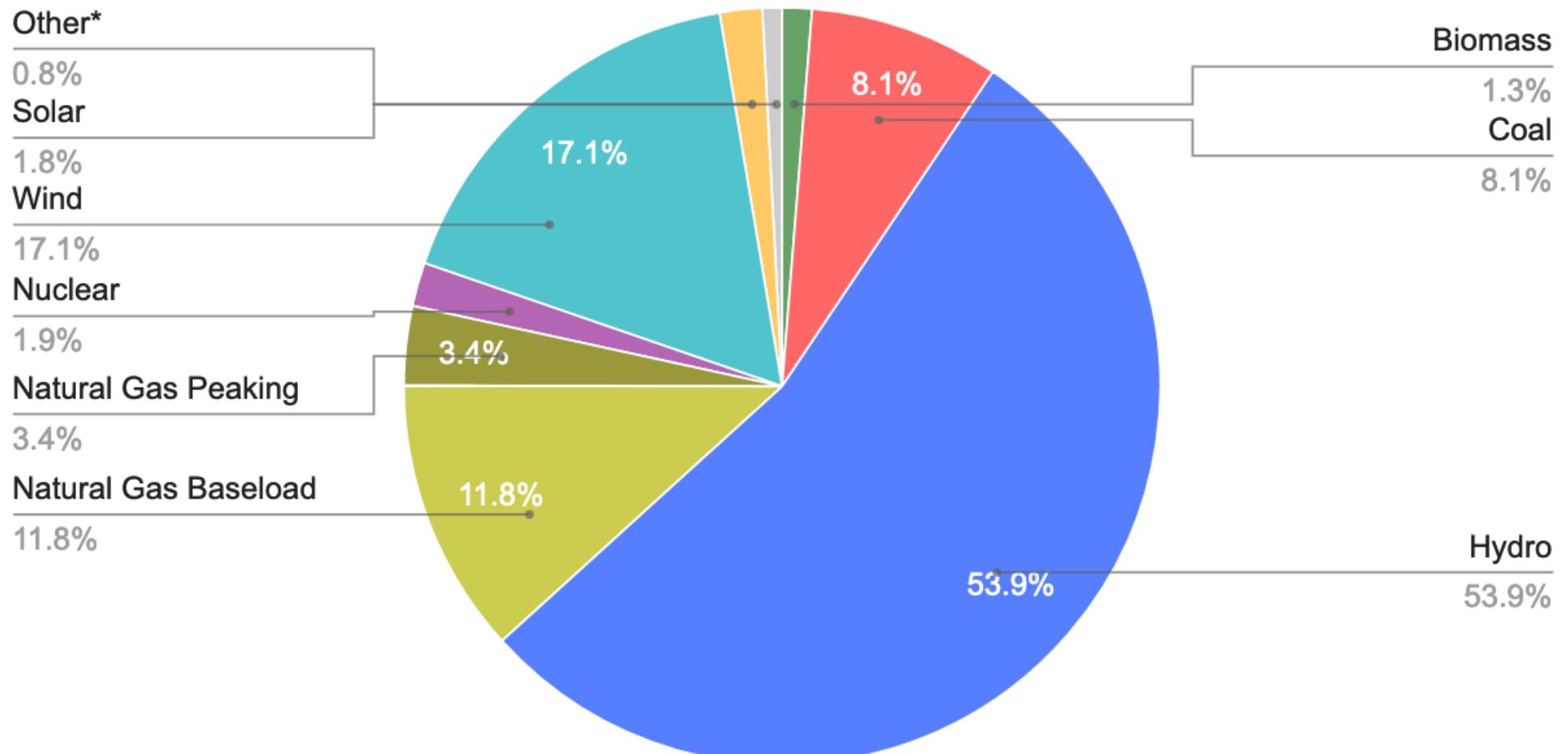


As of July 25, 2012

Submit changes to balancing@nerc.com

PNW Generation Capacity, 2020

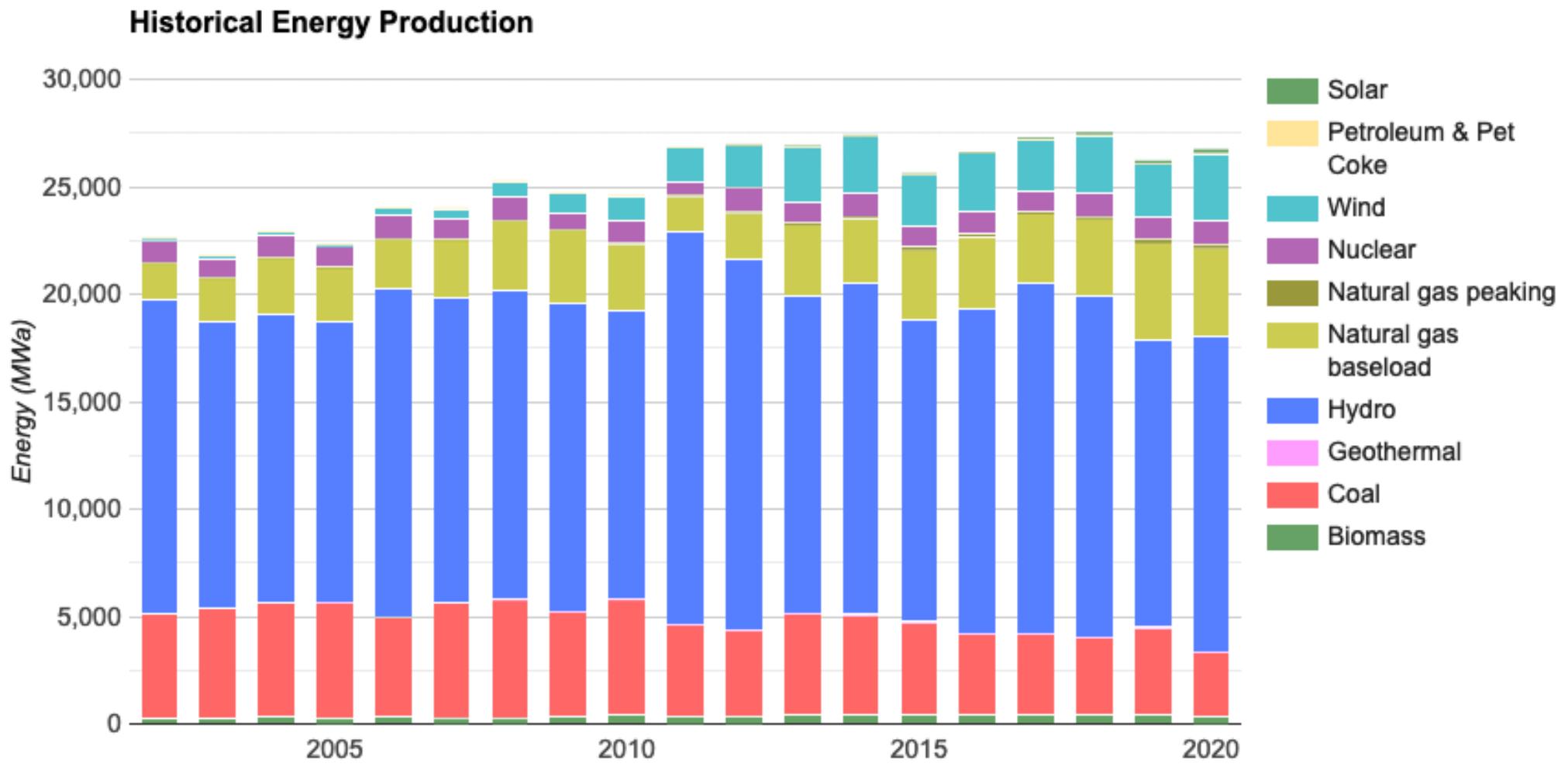
Pacific Northwest Generating Capacity: 64,340 mw*



Capacity is essentially the 'horsepower' rating of power plants, or how much they are designed to produce at full load operation. Download chart as PNG

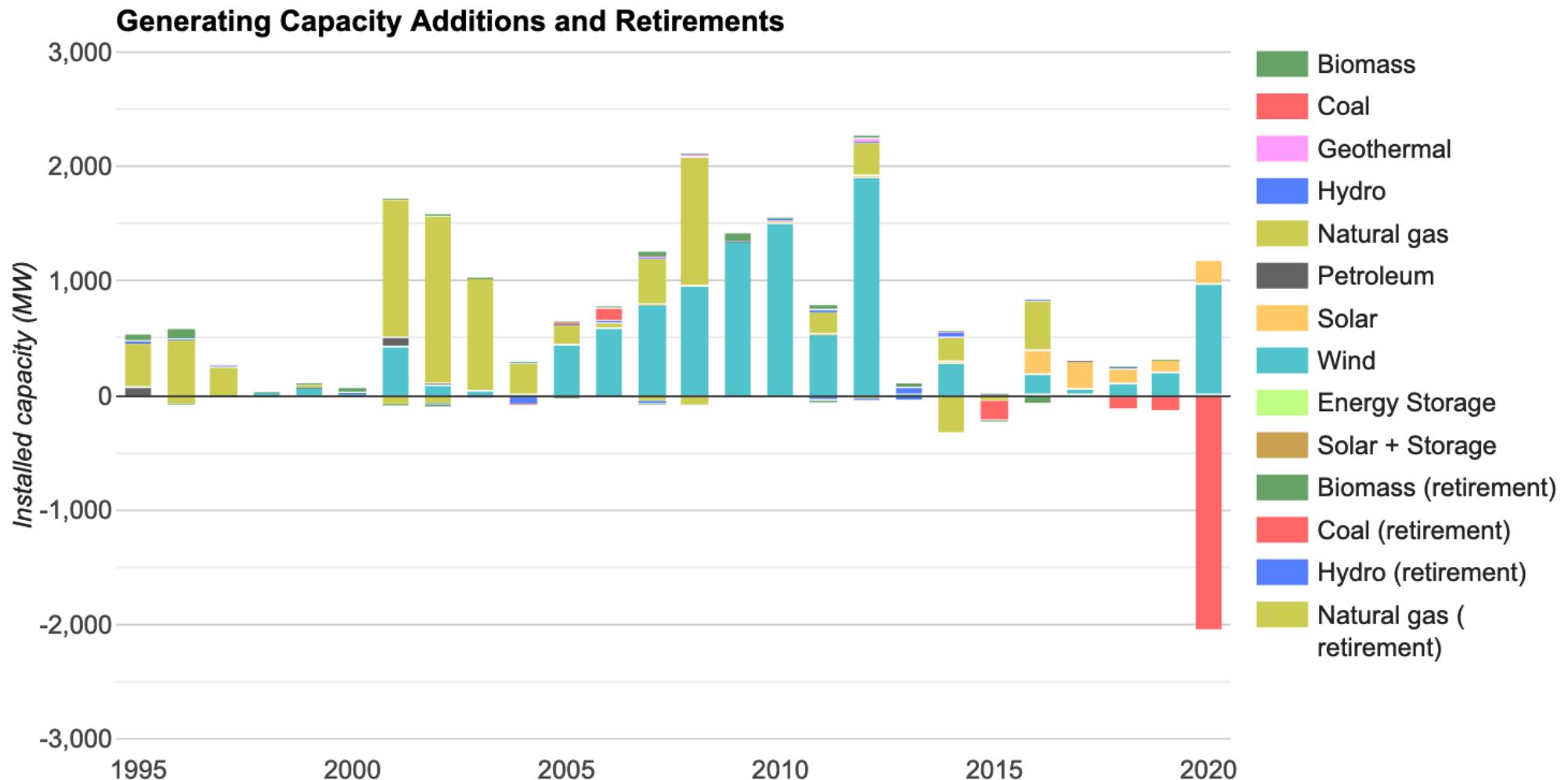
* Other includes geothermal, petroleum, and solar

PNW Production, 2020



[Northwest Power and Conservation Council]

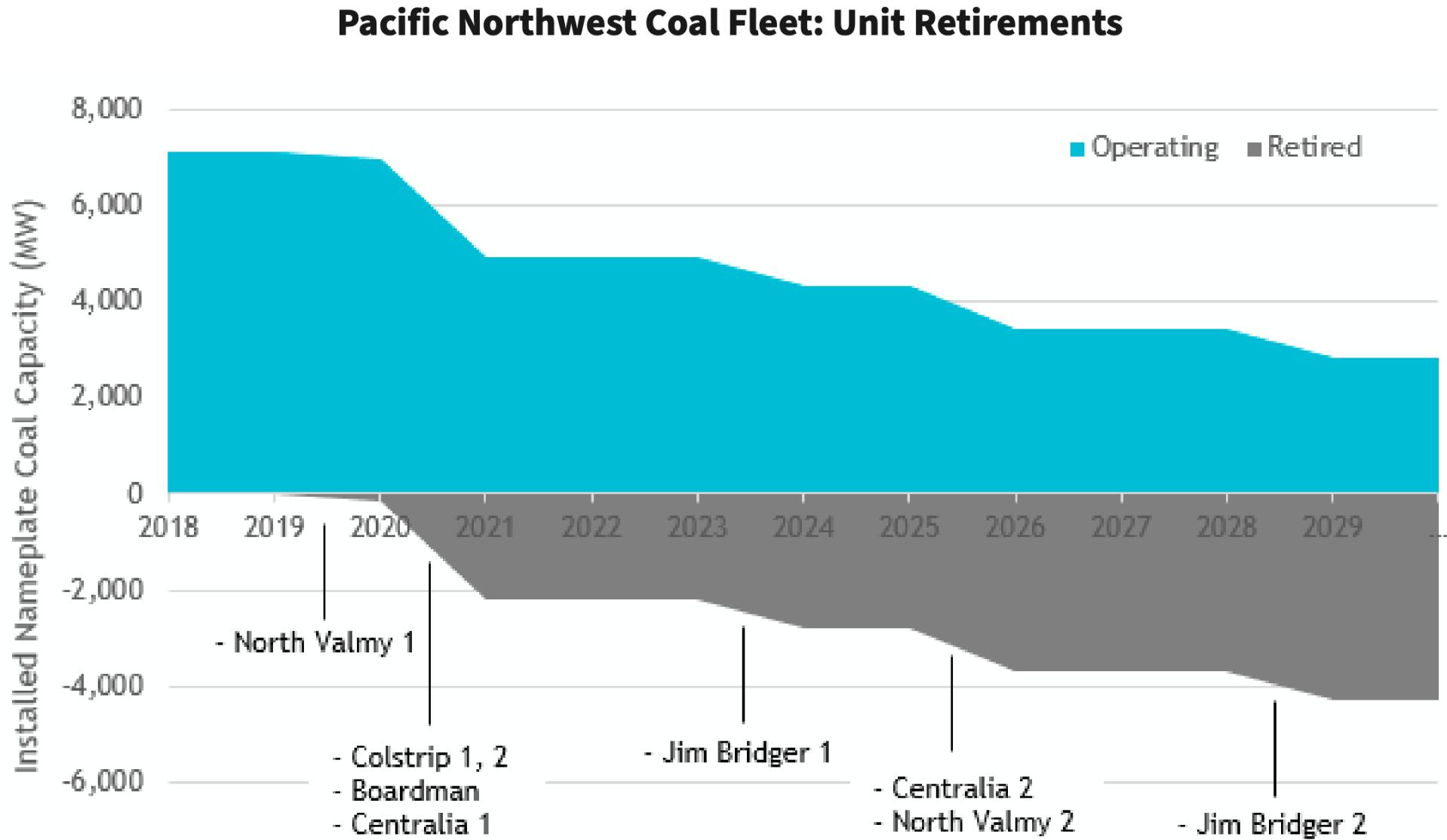
PNW Retirements, 2020



Energy brought online or retired each year (new plant construction, etc.). Download chart as PNG

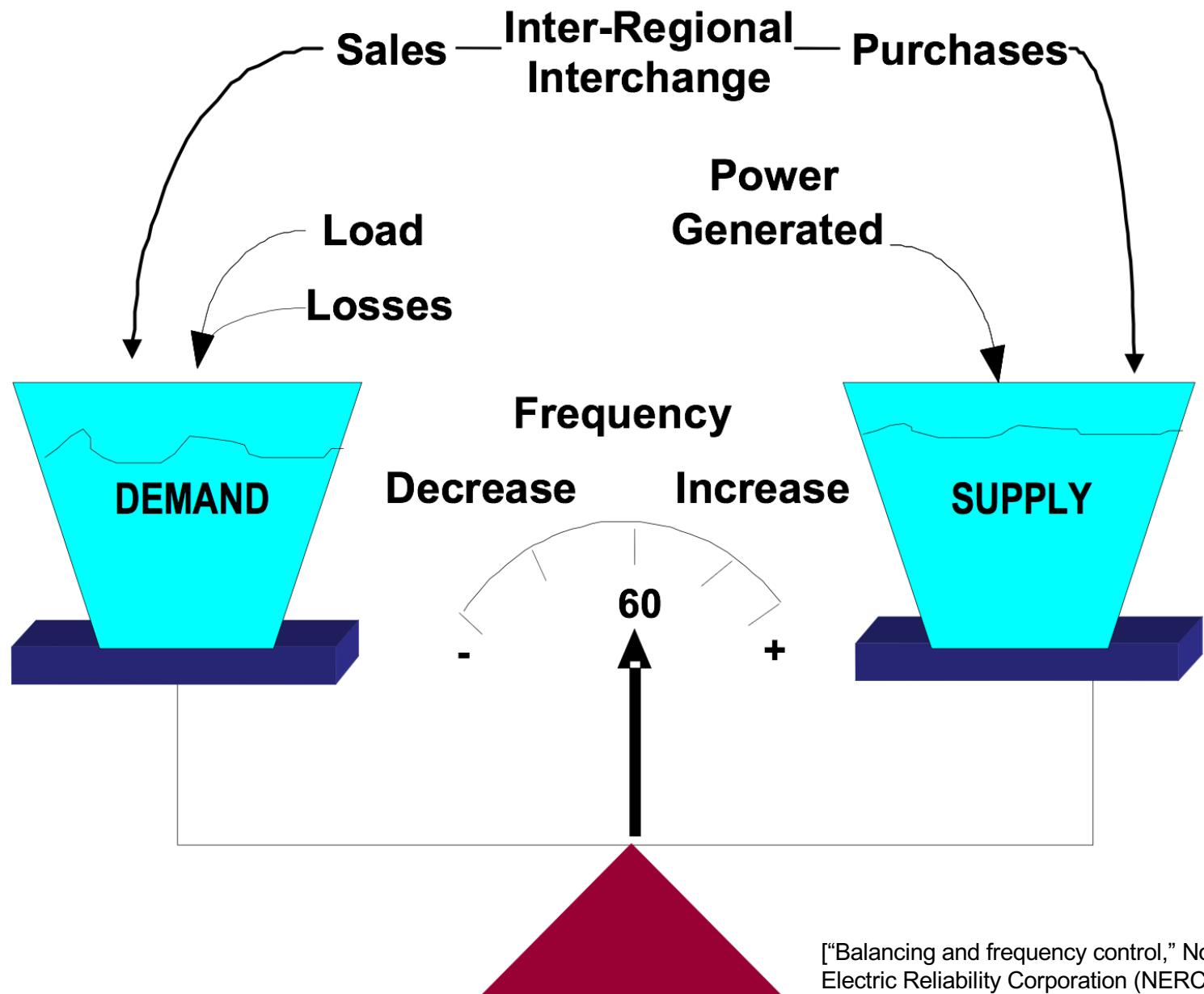
[Northwest Power and Conservation Council]

Coal Retirements

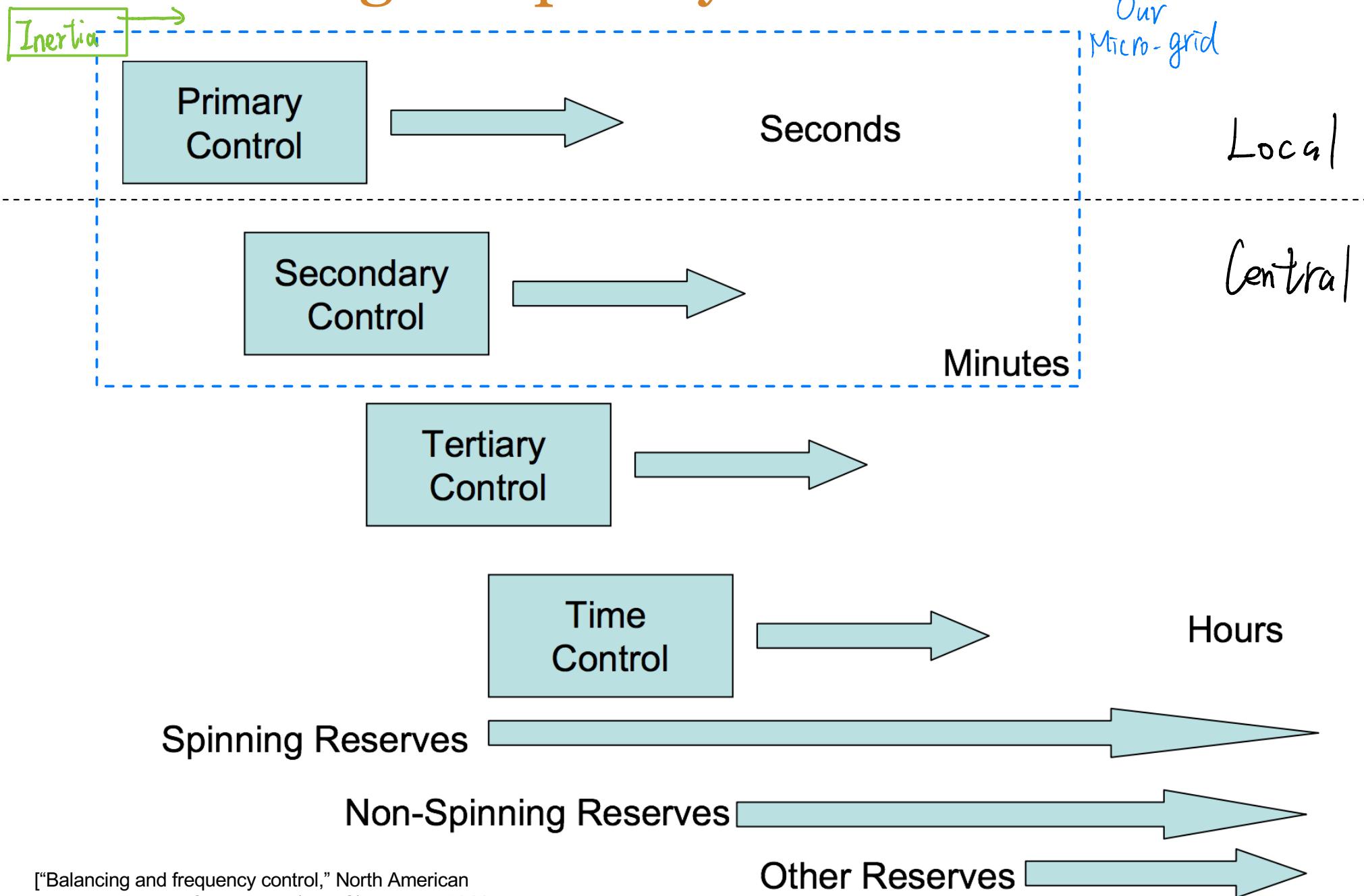


[“The 2021 Northwest Power Plan,” Northwest Power and Conservation Council]

Interconnect Frequency



Controlling Frequency



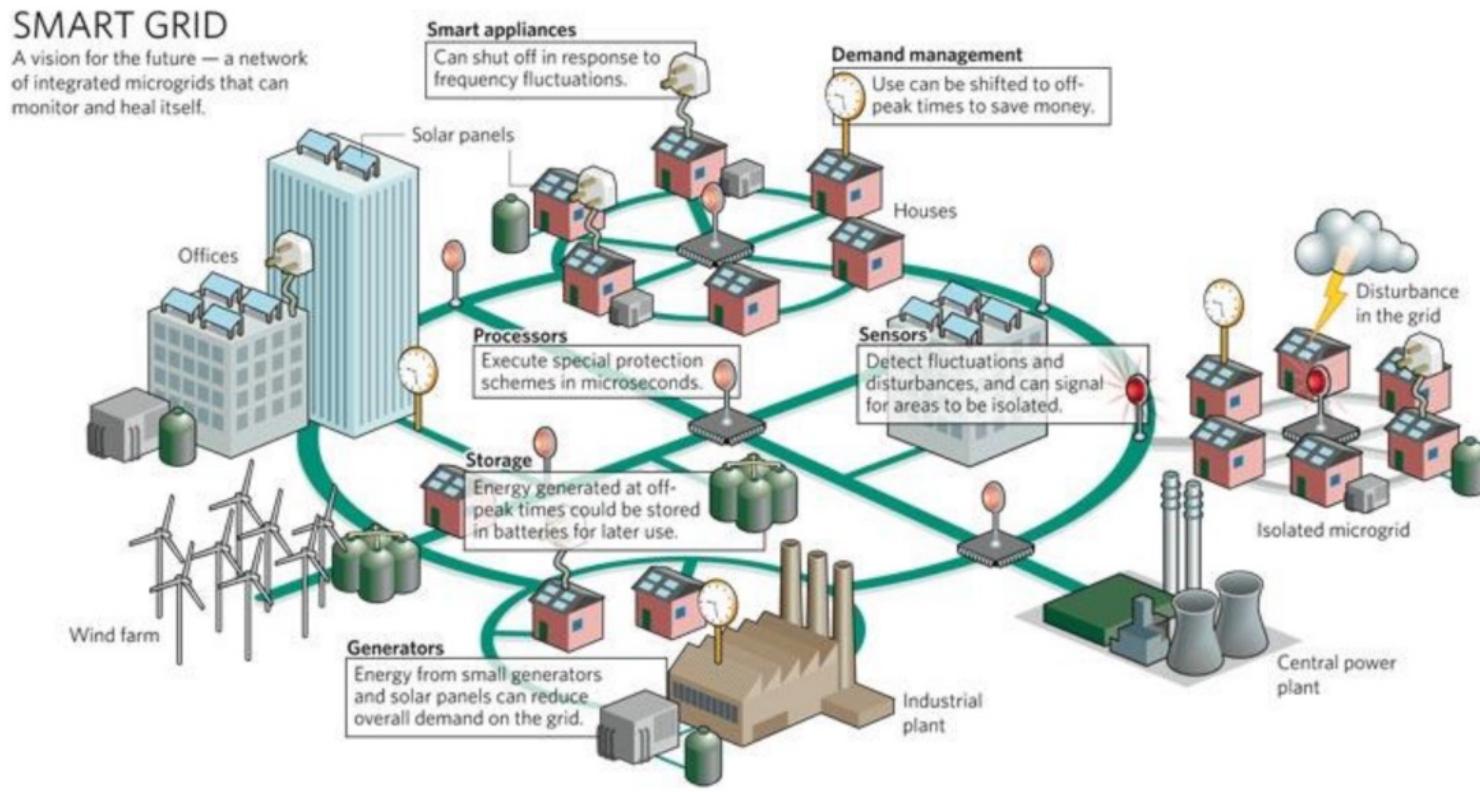
[“Balancing and frequency control,” North American Electric Reliability Corporation (NERC), January 2011]

Inertia

- Intrinsic energy storage in all rotating machinery connected to the grid.
- Increasing frequency means increasing rotational speed of grid-connected machines, which means **energy put into rotational kinetic energy of machines**.
- Decreasing grid frequency means decreasing rotational speed of grid-connected machines, which means energy removed from rotational kinetic energy of machines.
- $E = 0.5 J\omega^2$
- $P = dE/dt = J\omega \frac{d\omega}{dt}$

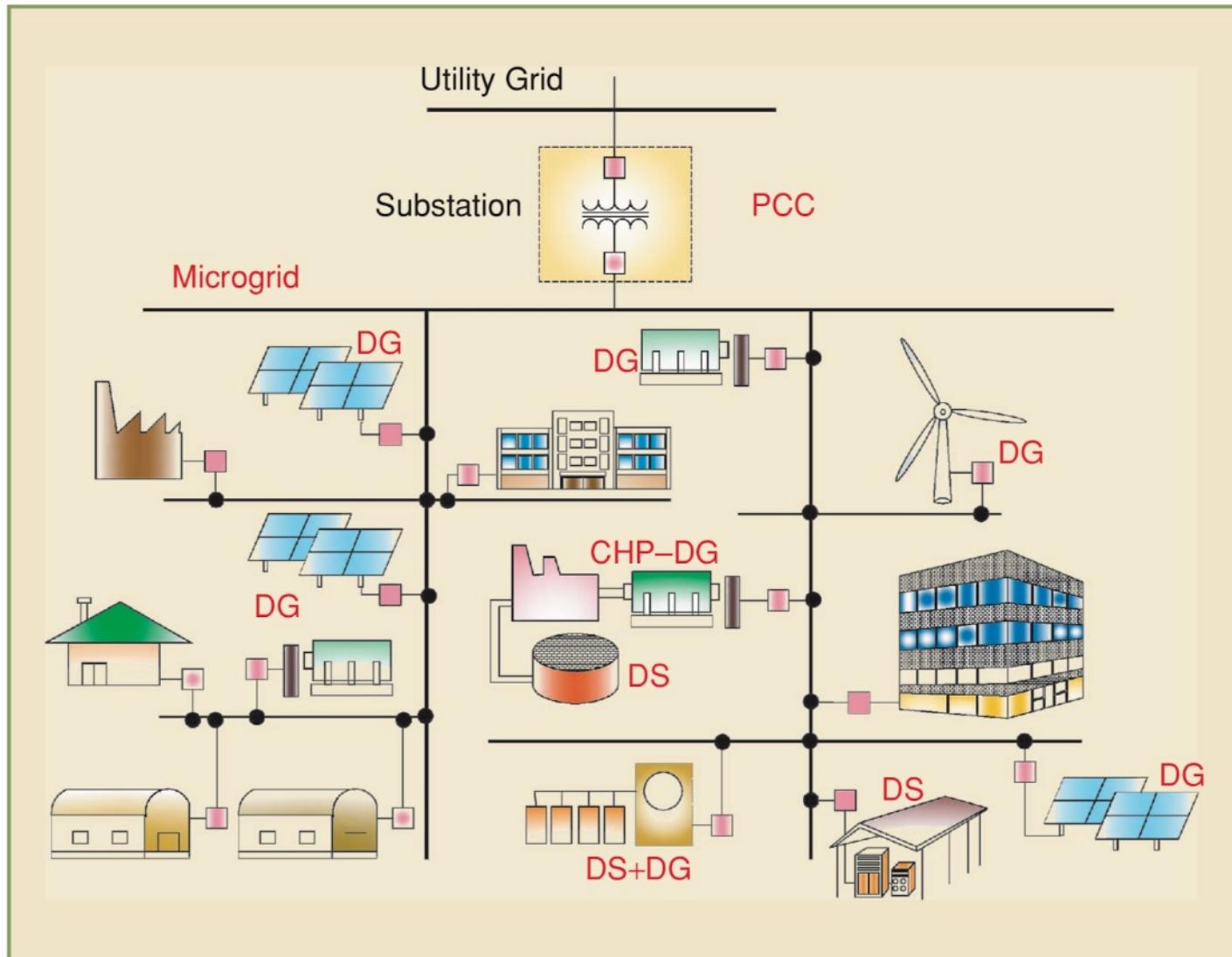
$$\begin{matrix} \text{freq} & & \omega \\ \uparrow & \downarrow & \downarrow & \uparrow \end{matrix}$$

Smart Grid



- Dispatchable generation (e.g., coal, diesel, etc.)
- Loads with demand response
- Non-dispatchable renewable generation
- Energy storage (stand alone, thermostatic, V2G)
- Synchrophasors for real-time grid monitoring and smart meters for real-time load monitoring
- Automated control of relays, protection schemes Islanding, microgrids

Microgrid



- Some microgrids can operate islanded or grid-connected

Microgrid

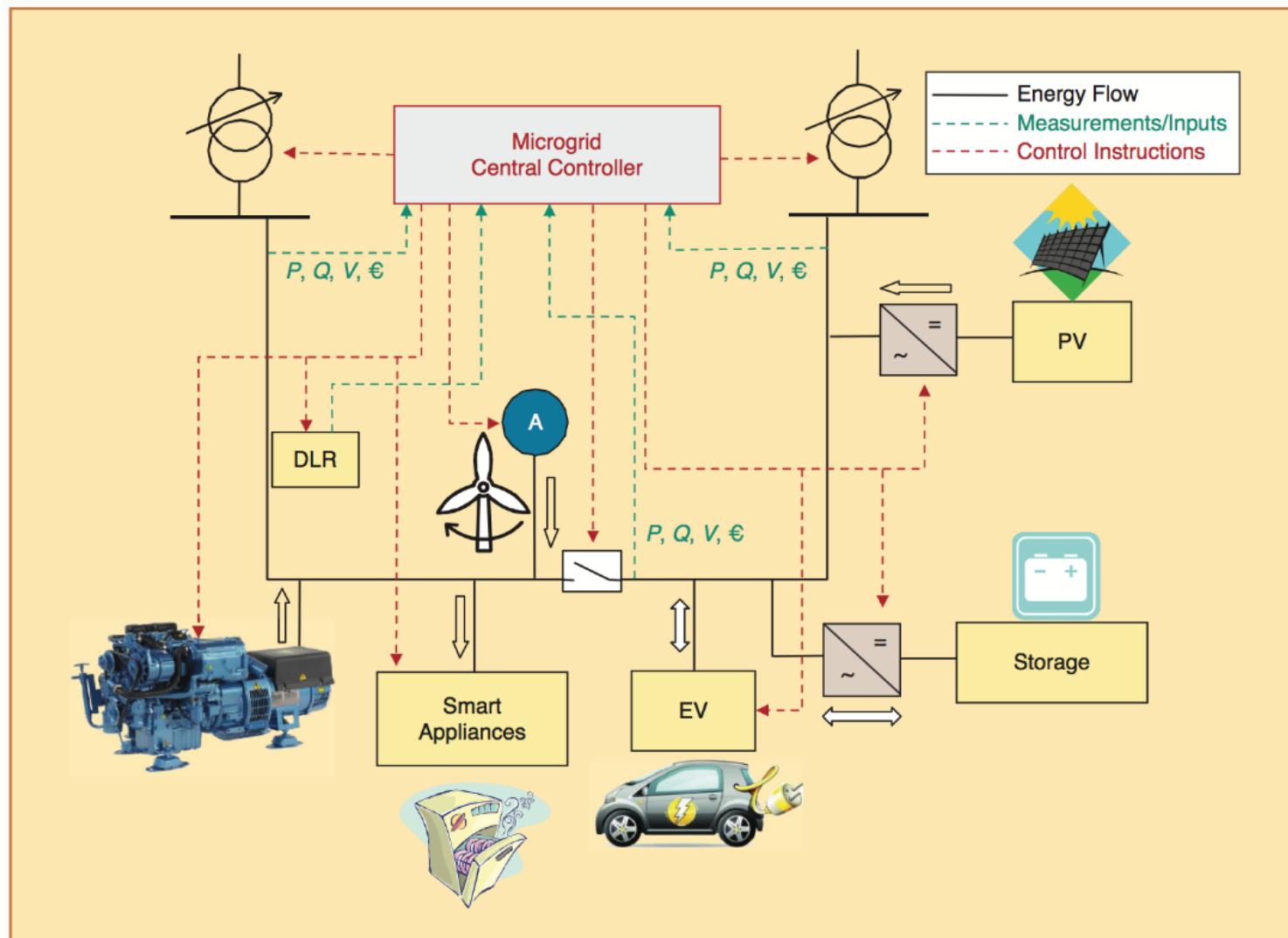


figure 3. An overview of a microgrid physical architecture.

- Local control can be used for voltage and frequency control.
- Centralized control can be used for energy dispatch and other stability functions.

Sendai Hills Microgrid Performance

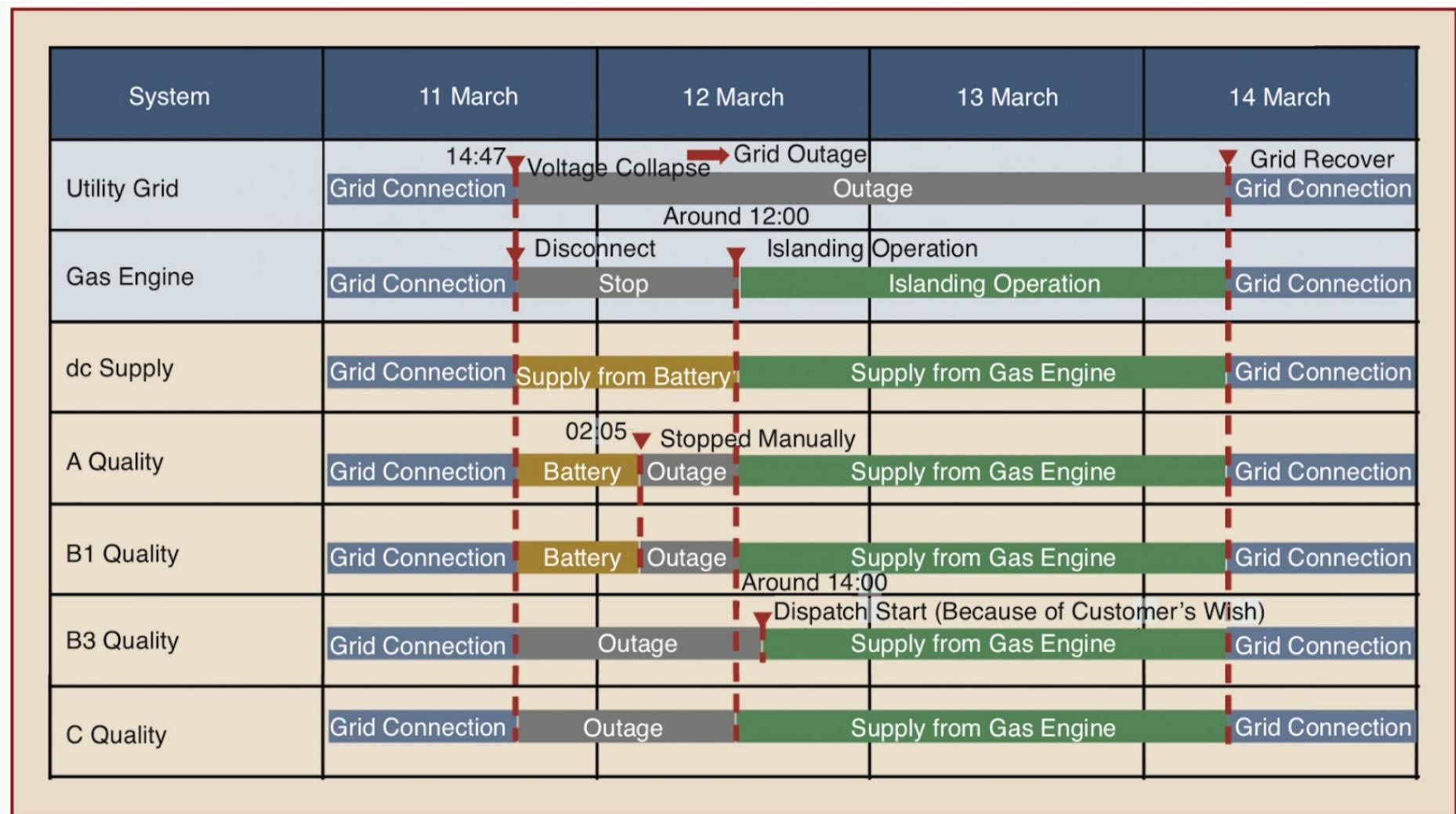


figure 13. The operation of the SM during the GEJE. (Source: NTT Facilities.)

C. Marnay, et al, "Japan's Pivot to Resilience," *IEEE Power and Energy Magazine*, May/June 2015

Inertia Modeling

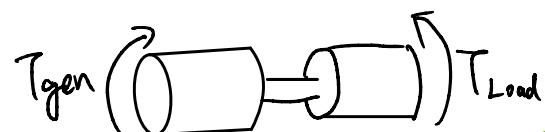
- H is the seconds amount of power stored in the rotating mass at the rated power.

$$E = \frac{1}{2} JW^2$$

hard to get / measure

$$\frac{\frac{1}{2} JW^2}{P_{\text{rated}}} \left[\frac{J}{W} \right] = H \left[\frac{s}{W} \right] = \frac{\frac{1}{2} J W_{\text{base}}^2}{P_{\text{base}}}$$

The base of per unit



$$P = T \cdot W \rightarrow \frac{P_{\text{base}}}{W_{\text{base}}} = T_{\text{base}}$$

$$T_g - T_L = J \frac{\partial W}{\partial t} = 2 \cdot \frac{P_{\text{base}}}{W_{\text{base}}^2} \cdot H \cdot \frac{\partial W}{\partial t} = 2 \cdot \frac{T_{\text{base}}}{W_{\text{base}}} \cdot H \cdot \frac{\partial W}{\partial t}$$

$$\rightarrow \frac{T_g - T_L}{T_{\text{base}}} = T_{g,\text{pu}} - T_{L,\text{pu}} = \underbrace{2H}_{M} \cdot \frac{\partial W_{\text{pu}}}{\partial t}$$

e.g. $P_{\text{base}} = 1 \text{ MW}$

$P_{\text{gen}} = 750 \text{ kW}$

$P_{\text{gen,pu}} = \frac{750 \text{ kW}}{1 \text{ MW}} = 0.75 \text{ pu}$

Inertia, Power, and Frequency

- We need to model frequency in terms of power balance (generation and load).

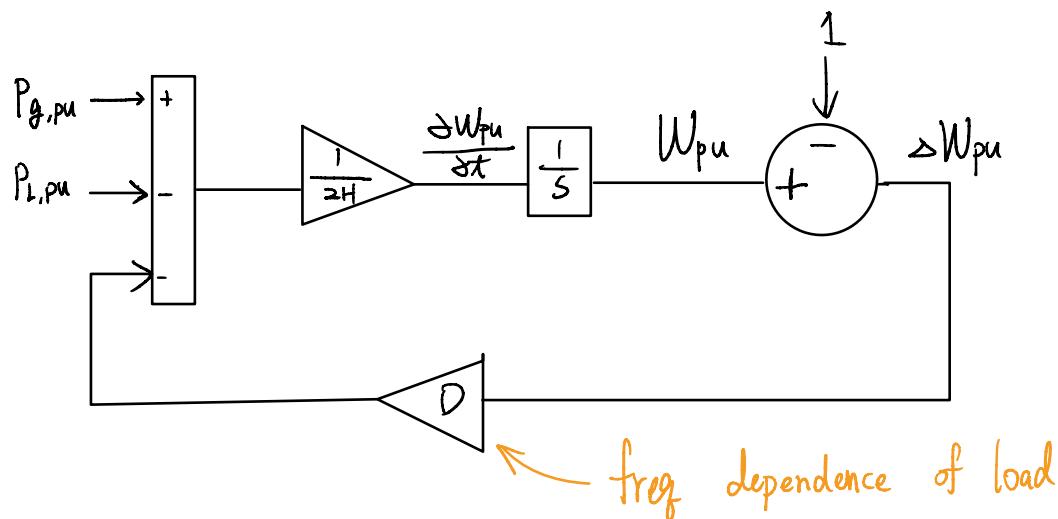
$$\frac{2 \cdot H \cdot \frac{\partial W_{pu}}{\partial t}}{\times W_{pu}} = \frac{T_{g,pu} - T_{L,pu}}{\times W_{pu}}$$

tricky

$$\approx 2 \cdot H \cdot \frac{\partial W_{pu}}{\partial t} = P_{g,pu} - P_{L,pu}$$

$$\rightarrow \frac{\partial W_{pu}}{\partial t} = \frac{1}{2H} (P_{g,pu} - P_{L,pu})$$

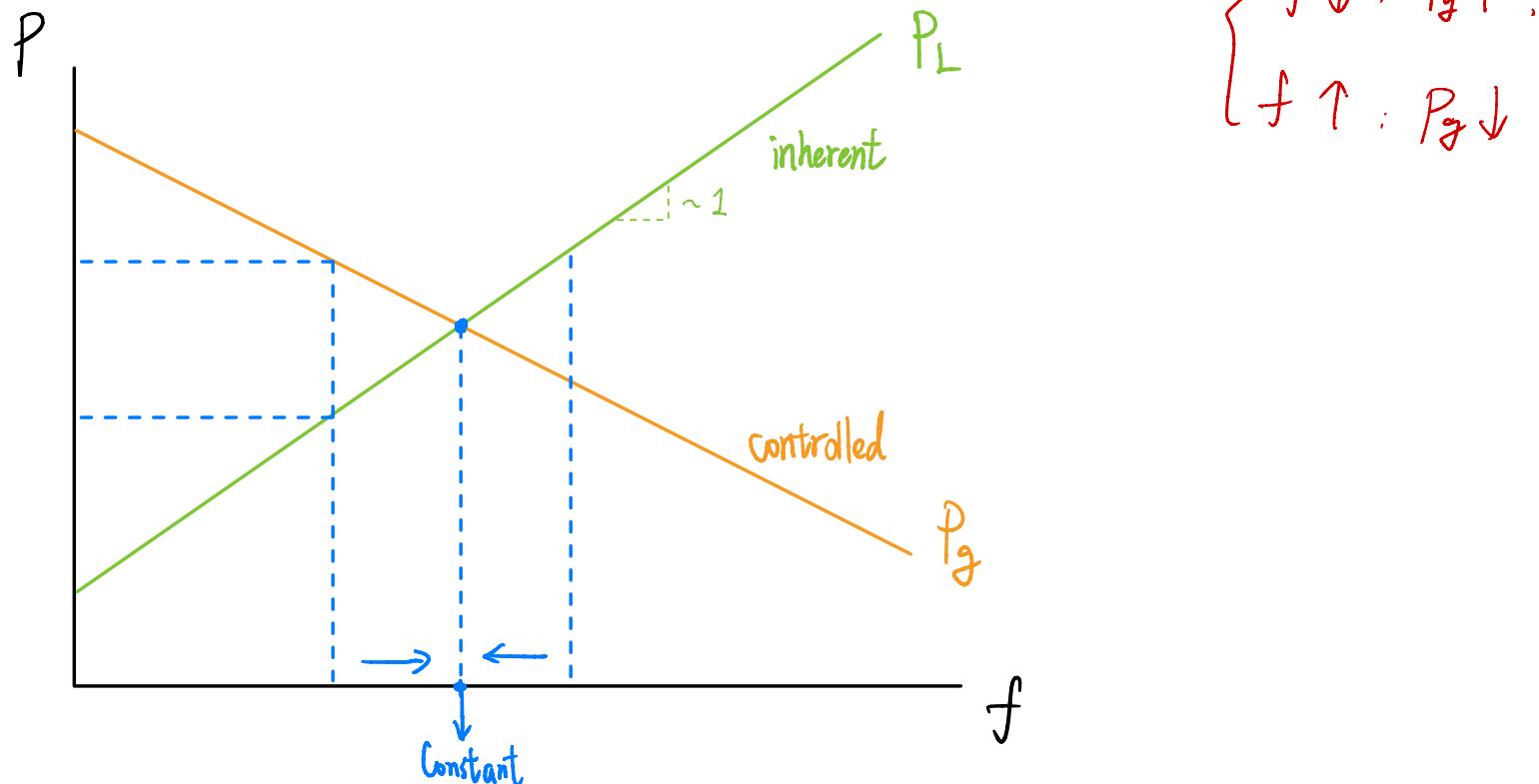
Wind turbine \rightarrow Inertia \rightarrow
 Not direct connection AC
 to grid
 Grid \leftarrow DC \leftarrow



Frequency Stability

inherent

- The motor component of the aggregate load has a positive frequency dependence. In general, if the frequency decreases, the load decreases, and vice versa.
- Generation is generally controlled to have the complimentary frequency dependence: when the frequency decreases, the generation increases. This is not an inherent characteristic of the generation, it is actively controlled.
- These two behaviors combined tend to stabilize the grid frequency.



Primary and Secondary Control

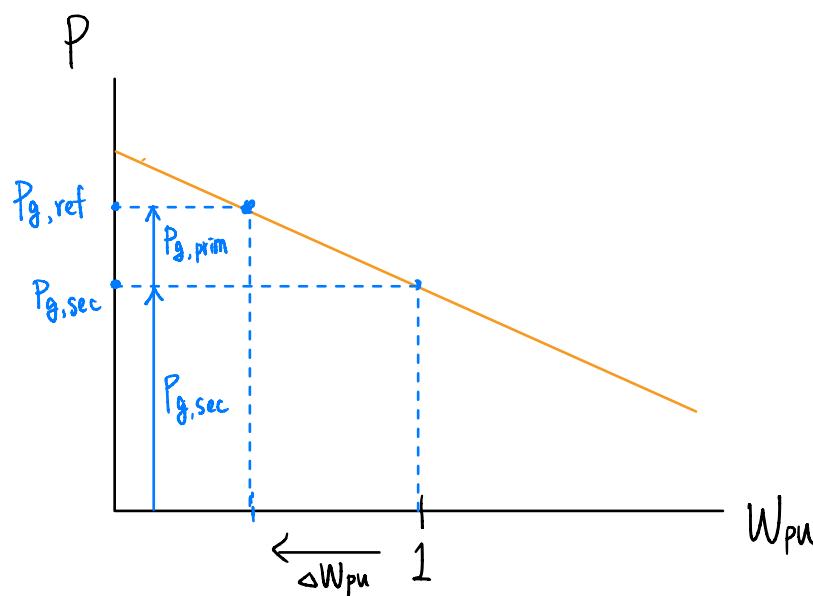
2nd + 1st

- The generator control reference is the sum of a secondary signal and a primary signal.
- The secondary signal is dispatched to the generator from a centralized controller.
- The primary signal is frequency dependent and is locally generated. It causes the generator to produce more or less power than dispatched, in response to the frequency.
- Speaking simply, all loads and generators see the same frequency within a grid.

Primary Control : Local

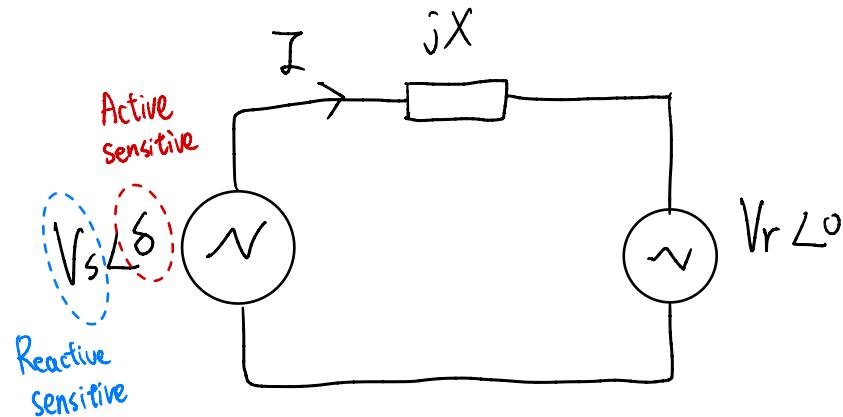
Secondary Control : Centralized

$$P_{g,\text{ref}} = P_{g,\text{prim}} + P_{g,\text{sec}} = \underbrace{-K_{g,\text{prim}} \cdot \Delta W}_{\substack{\parallel \\ 20}} + P_{g,\text{sec}}$$



Two Bus Power Flow

- Active power flow (and thus frequency) has a strong relationship to voltage angle.
- Reactive power flow has a strong relationship to voltage magnitude.



$$I = \frac{V_s \angle \delta - V_r \angle 0}{jX}$$

$$S_s = P_s + jQ_s = (V_s \angle \delta) \cdot I^* \quad \begin{matrix} \text{Reactive Power} \\ [\text{W}] \quad [\text{VAR}] \end{matrix}$$

$$V_s \angle \delta = V_s e^{j\delta}$$

$$= (V_s \angle \delta) \left(\frac{j \cdot V_s \angle \delta - j \cdot V_s}{X} \right)$$

$$= \frac{j \cdot V_s^2 \angle 0 - j \cdot V_r V_s [\cos(\delta) + \sin(\delta)]}{X}$$

$$= \underbrace{\frac{V_r \cdot V_s \cdot \sin(\delta)}{X}}_W + j \cdot \underbrace{\frac{V_s^2 - V_r V_s \cdot \cos(\delta)}{X}}_Q$$

$$e^{j\theta} = \cos(\theta) + j \cdot \sin(\theta)$$

$$e^{j\theta} + 1 = 0$$

Microgrid Control

- A power dispatch control algorithm sets the generation power set point (secondary command). The setpoint power is further adjusted by primary control (which is done **locally**).
- Reactive power is controlled based on the voltage magnitude at the point of generator coupling.

