

Integrating Heterogeneous OO Schemas

Yangjun Chen

IPSI Institute, GMD GmbH
64293 Darmstadt, Germany
yangjun@ darmstadt.gmd.de

Wolfgang Benn

Department of Computer Science
TU Chemnitz, 09107 Chemnitz, Germany
benn@informatik.tu-chemnitz.de

To eliminate semantic conflicts among the heterogeneous databases involved in a cooperation, a set of correspondence assertions for declaring their semantic relationships have to be constructed by DBAs or by users. Normally, four set relationships between object classes: equivalence, inclusion, intersection, and exclusion will be defined to provide knowledge about correspondences that exist among the local schemas [1].

In this paper, we would like to introduce a new assertion, the so-called *derivation* assertion, to accommodate more heterogeneities, which can not be treated by the existing methodologies. As an example, consider two local object-oriented schemas: S_1 and S_2 and assume that S_1 contains two classes: *parent* and *brother*, and S_2 contains a class: *uncle*. A derivation assertion of the form: $S_1(\text{parent}, \text{brother}) \rightarrow S_2(\text{uncle})$ can specify their corresponding semantic relationship clearly, which can not be established otherwise. We claim that this kind of assertions is necessary for the following reason. Imagine a query concerning *uncle*, submitted to the integrated schema from S_1 and S_2 . If the above assertion is not specified, the query evaluation will not take schema S_1 into account and thus the answers to the query can not be correctly computed in the sense of cooperations. Some more complicated examples will be given in a full paper to show that derivation assertions can always be used to handle intricate semantic relationships.

In the following definition, C represents a set of classes constituting a schema. The type of a class C in C is denoted by $\text{type}(C)$.

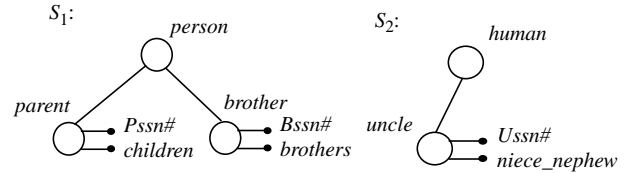
Definition A *path* w.r.t. a class C is a sequence of the form: $C \bullet a_i \bullet a_{ij} \bullet a_{ijk} \dots \bullet b$, where a_i is an attribute name of C , a_{ij} is an attribute name of $\text{type}(a_i)$ (if $\text{type}(a_i) \in \text{type}(C)$, i.e., a_i itself is a class), ..., $a_{ij\dots hl}$ is an attribute name of $\text{type}(a_{ij\dots h})$ (if $\text{type}(a_{ij\dots h}) \in \text{type}(C)$), ... and b is of the form $a_{ij\dots hl\dots s}$ or " $a_{ij\dots hl\dots s}$ ". If the path is of the form $C \bullet a_i \bullet a_{ij} \bullet a_{ijk} \dots \bullet a_{ij\dots hl\dots s}$, then the attribute values (or the aggregation function's range) of $C \bullet a_i \bullet a_{ij} \bullet a_{ijk} \dots \bullet a_{ij\dots hl\dots s}$ are represented. Otherwise, the path is of the form: $C \bullet a_i \bullet a_{ij} \bullet a_{ijk} \dots \bullet a_{ij\dots hl\dots s}$, used to refer to the attribute name (or the aggregation function name) $a_{ij\dots hl\dots s}$ itself.

In terms of the above concept, a correspondence assertion can be generally described as follows.

$$\begin{aligned} & S_1(A_1, A_2, \dots, A_n) \theta S_2 \bullet B \\ & \quad \text{value correspondence of attributes in } S_1: \\ & \quad \quad \dots \dots \\ & \quad \quad \text{path}_{ik} \delta \text{path}_{jl} \\ & \quad \quad \dots \dots \\ & \quad \text{value correspondence of attributes in } S_2: \\ & \quad \quad \dots \dots \\ & \quad \text{attribute correspondence:} \\ & \quad \quad \dots \dots \\ & \quad \quad S_1 \bullet \text{path}_{ms} \gamma S_2 \bullet \text{path}_{Bt} \text{ with } P_1, \dots, P_g \\ & \quad \quad \dots \dots \\ & \quad \text{agg_function correspondence:} \\ & \quad \quad \dots \dots \\ & \quad \quad S_1 \bullet \text{path}_{uv} \lambda S_2 \bullet \text{path}_{Bw} \\ & \quad \quad \dots \dots \end{aligned}$$

where θ is a correspondence assertion, $\delta ::= = | \neq | \in | \supseteq | \emptyset | \cap$,
 $\gamma ::= \alpha | \beta | \equiv | \supseteq | \emptyset | \cap$, $\lambda ::= \& | \equiv | \supseteq | \emptyset | \cap$,
 P_j ($j = 1, \dots, g$) are the predicates.

Below are two schemas for the genealogical applications.



The correspondence between them can be specified as follows:

$$\begin{aligned} & S_1(\text{parent}, \text{brother}) \rightarrow S_2 \bullet \text{uncle} \\ & \quad \text{value correspondence of attributes in } S_1: \\ & \quad \quad \text{parent} \bullet \text{Pssn\#} \in \text{brother} \bullet \text{brothers} \\ & \quad \text{value correspondence of attributes in } S_2: \text{ no constraints} \\ & \quad \text{attribute correspondence:} \\ & \quad \quad S_1 \bullet \text{brother} \bullet \text{Bssn\#} \equiv S_2 \bullet \text{uncle} \bullet \text{Ussn\#} \\ & \quad \quad S_1 \bullet \text{parent} \bullet \text{children} \supseteq S_2 \bullet \text{uncle} \bullet \text{niece_nephew} \end{aligned}$$

References

- [1] P. Scheuermann and E.I. Chong, "Role-based query processing in multidatabase systems", in: *Proc. of 4th Int. Conf. on Extending Database Technology*, Cambridge, United Kingdom, March 1994, pp. 95 - 108.