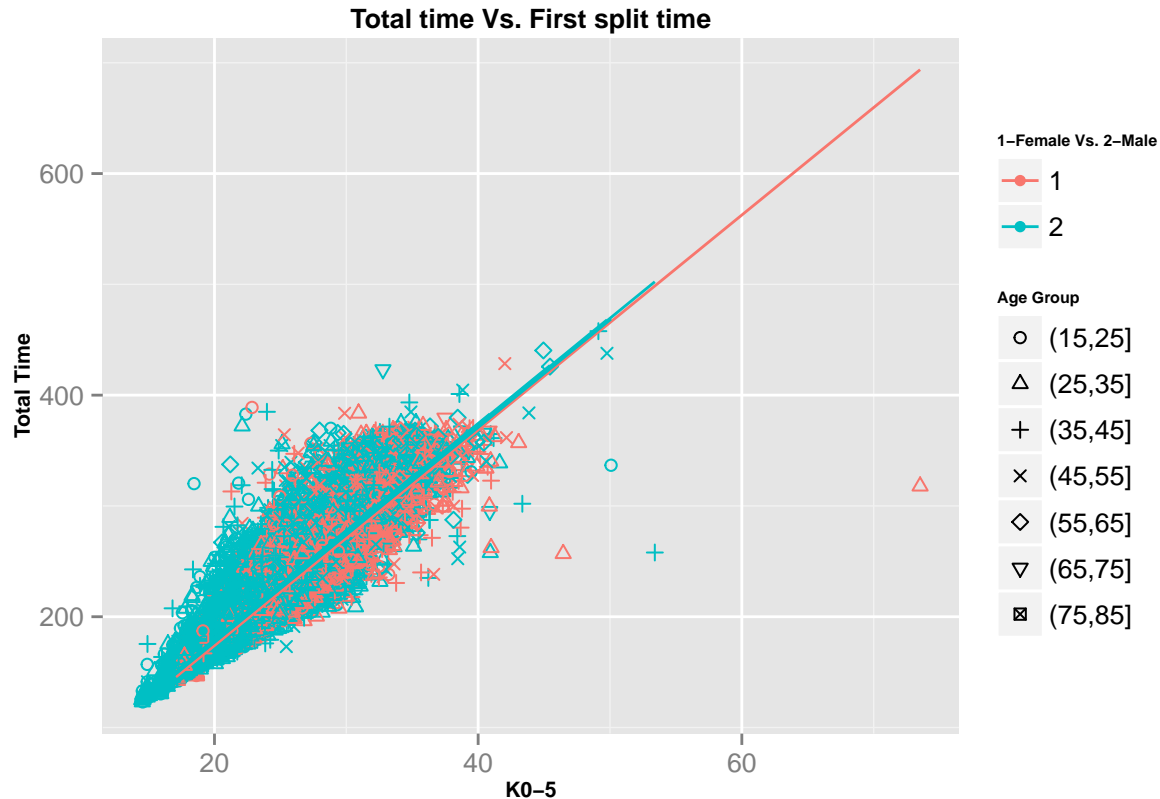


Plot

Using base regression model $\text{lm}(\text{totaltime} \sim \text{Age} + \text{Gender1F2M} + \text{K0.5})$, the equation of the fitted regression line is

```
## [1] "TotalTime = -24.64 + 0.074*AGE + 2.847*Gender1F2M + 9.703*K0-5 "
```

The plot of total time vs. first split time with regression line of the base model is as below



Next we wanted to explore the regression model for total times that are either less than or equal to first quartile or greater than or equal to third quartile.

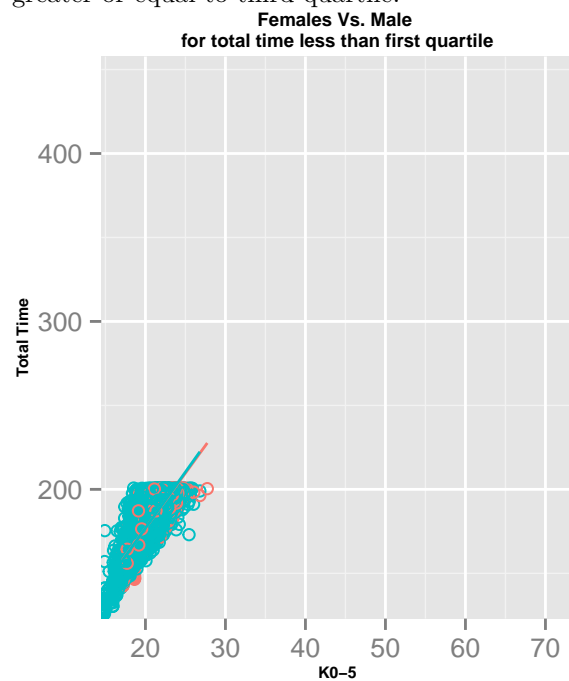
Using the regression model for total time less than or equal to first quartile, $\text{lm}(\text{totaltime.less than.firstQ} \sim \text{Age} + \text{Gender1F2M} + \text{K0.5})$, the equation of the fitted regression line is

```
## [1] "TotalTime less than 1stQ = 43.615 + 0.108*AGE - 0.255*Gender1F2M + 6.533*K0-5 "
```

Using the regression model for total time greater than or equal to third quartile, $\text{lm}(\text{totaltime.greater than.thirdQ} \sim \text{Age} + \text{Gender1F2M} + \text{K0.5})$, the equation of the fitted regression line is

```
## [1] "TotalTime greater than 3rdQ = 62.135 - 0.05*AGE + 6.869*Gender1F2M + 7.088*K0-5 "
```

Next we plot the regression lines for total times that are less than first quartile or greater than third quartile for females and males. We observe slight difference in slope for the females and males when the total time is greater or equal to third quartile.



1-Female Vs. 2-Male

1 2



1-Female Vs. 2-Male

1 2