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COMP 5660 Fall 2020 Assignment 2c

Methodology

In this Competitive Coevolution Search, there were two separate GP controllers evolved. The first was a controller for Pac-Man, and the second was a controller shared by the three ghosts. The two controllers were evolved in separate populations that were in competition with each other.

The Pac-Man controller was evolved using five terminal inputs: G, P, W, F, and #.#. Here, G represented the distance to the nearest ghost, P represented the distance to the nearest pill, W represented the number of surrounding walls, F represented the distance to the nearest fruit, and #.# represented a static random number between -10 and 10. A custom caveat for F was that if there was no fruit on the board, then a configurable number was put in its place instead. All distances were measured using Manhattan Distance.

The Ghost controller was evolved using three terminal inputs: M, G, and #.#. Here, M represented the distance to Pac-Man, G represented the distance to the nearest Ghost excluding itself, and #.# again represented a static random number between -10 and 10.

Both controllers had access to the following five operations: add, subtract, multiply, divide, and random. One custom note is that if there was an attempted division by zero, then the program would instead multiply the numerator by a large number, specifically 9e10. This was chosen because it would imitate nearing positive infinity or negative infinity, depending on the sign of the numerator.

Both controllers were represented in the Python programming language as a TreeNode class with variables: left, right, and val. These variables are used in the typical fashion of Trees in computer science. During mutation and recombination however, the controllers switch from using the TreeNode class to manipulating a string version of the TreeNode. This was done mostly out of trouble with copying Python classes and passing Python classes by reference. These are issues that likely could have been resolved given more time and pressure to do so, but the string manipulation performs the part well without a noticeable performance hit.

Both controllers approach recombination in the __add__ methods of their respective classes. The recombination itself, after going through the switch from TreeNode to string and back, simply takes a random subtree from one parent and replaces it with a random subtree

with the second parent. The second parent does the same. This results in two offspring children to be added to the new population.

Mutation for both classes is done by choosing a random node in the Tree and replacing it with a random choice of the same type as the original node. For example, a multiplication node could be changed to a subtraction node. This creates one new child to be added to the new population.

Both controllers were created in their own custom classes. When the time came for them to compete, it was done in a simple while loop. While there was at least one controller in either population that had not yet competed, there was a game instance where a Pac-Man controller faced off with a Ghost controller. The program chose a controller that had not competed if there was one available, and if there were none, then it chose a random member of the population and took the average of all of the scores given to it.

Each controller also used the same idea when it came to parsimony. If the tree that had been evolved was over a configurable number of nodes, then the score was demerited by the number of nodes over the threshold times the configurable parsimony for each class. To imitate a traditional parsimony where every tree is punished by some amount, a threshold of one could be put in place. This would punish each controller by a value proportional to the number of nodes it contained.

Experimental Setup

In the informal experiments run, it was clear that a change in lambda had an impact on the outcome of Pac-Man's final local best fitness. This is the variable that was chosen to be formally experimented on. Lambda for both Pac-Man and the Ghosts was tried at 100, 250, and 475. These numbers were chosen because they offered large enough changes in the informal experiments to possibly provide interesting results. They were all run with mu of 100 to give a reasonable size of the beginning population.

They were also run with the following evolutionary parameters: Parent Selection of Over-Selection, Survival Selection of Truncation, max depth of three, parsimony of five. These parameters were chosen because they provided reasonable outputs in all of the informal experiments. They could each be tuned in their own way, but they were kept the same in the experiments below in order to capture the effect of changing lambdas only.

The rest of the parameters are as follows: Over-Selection Percentage of 0.75, node threshold of forty, and fruit constant of one hundred. These again were chosen because of their

steady performance in the informal experiments run, and kept the same to monitor only the lambdas.

The configuration files can be seen in the configs subdirectory as trial1.json, trial2.json, and trial3.json. They contain lambdas of 100, 250, and 475 respectively. Solution, world, and log files can be found in similarly named fashion in each of their subdirectories. Results of the experiments run can be found below.

Results

Below are the statistical analysis results of the experiments as described above. Each analysis compares the final local best Pac-Man fitness in each population of each run. First is comparing lambda=100 against lambda=250.

lambda=100	lambda=250			
118	128	F-Test Two-Sample for Variances		
114	153			
117	152		lambda=100	lambda=250
107	113	Mean	137.5666667	141.9
174	136	Variance	726.116092	561.4034483
180	145	Observations	30	30
157	135	df	29	29
179	129	F	1.293394428	
161	137	P(F<=f) one-tail	0.246406748	
112	163	F Critical one-tail	1.860811434	
135	131			
145	197	mean(Variable 1) < mean(Variable 2)		
159	176	F < F Critical		
150	102	Assume Unequal Variances		
99	138			
172	126	T Test: Two-Sample Assuming Unequal Va	riances	
131	184			
168	127		lambda=100	lambda=250
100				
128	122	Mean	137.5666667	141.9
		Mean Variance	137.5666667 726.116092	V-1000000000
128	146			V-1000000000
128 121	146	Variance	726.116092	561.4034483
128 121 144	146 121	Variance Observations	726.116092 30	561.4034483
128 121 144 132	146 121 191	Variance Observations Hypothesized Mean Difference	726.116092 30 0	561.4034483
128 121 144 132 85	146 121 191 174 155	Variance Observations Hypothesized Mean Difference df	726.116092 30 0 57	561.4034483
128 121 144 132 85 161	146 121 191 174 155	Variance Observations Hypothesized Mean Difference df t Stat	726.116092 30 0 57 -0.661463387	561.4034483
128 121 144 132 85 161	146 121 191 174 155	Variance Observations Hypothesized Mean Difference df t Stat P(T<=t) one-tail	726.116092 30 0 57 -0.661463387 0.255490159	561.4034483
128 121 144 132 85 161 119	146 121 191 174 155 149	Variance Observations Hypothesized Mean Difference df t Stat P(T<=t) one-tail t Critical one-tail	726.116092 30 0 57 -0.661463387 0.255490159 1.67202883	561.4034483
128 121 144 132 85 161 119 155	146 121 191 174 155 149 136	Variance Observations Hypothesized Mean Difference df t Stat P(T<=t) one-tail t Critical one-tail P(T<=t) two-tail	726.116092 30 0 57 -0.661463387 0.255490159 1.67202883 0.510980318	561.4034483
128 121 144 132 85 161 119 155 119	146 121 191 174 155 149 136 118	Variance Observations Hypothesized Mean Difference df t Stat P(T<=t) one-tail t Critical one-tail P(T<=t) two-tail	726.116092 30 0 57 -0.661463387 0.255490159 1.67202883 0.510980318	561.4034483
128 121 144 132 85 161 119 155 119 119 171	146 121 191 174 155 149 136 118 127 117	Variance Observations Hypothesized Mean Difference df t Stat P(T<=t) one-tail t Critical one-tail P(T<=t) two-tail t Critical two-tail Thus lambda of 250 is not statistically bett	726.116092 30 0 57 -0.661463387 0.255490159 1.67202883 0.510980318 2.002465403	561.4034483 30 of 100,
128 121 144 132 85 161 119 155 119 119 171 95	146 121 191 174 155 149 136 118 127 117	Variance Observations Hypothesized Mean Difference df t Stat P(T<=t) one-tail t Critical one-tail P(T<=t) two-tail t Critical two-tail	726.116092 30 0 57 -0.661463387 0.255490159 1.67202883 0.510980318 2.002465403	561.4034483 30 of 100,

These results show that, although the mean is higher, lambda=250 is not statistically better than lambda=100. These findings are interesting considering that the lambda is fairly larger, but not directly better because of it. Next the lambda=100 is compared to lambda=475.

lambda=100	lambda=475			
118	169	F-Test Two-Sample for Variances		
114	123			
117	168		lambda=100	lambda=475
107	157	Mean	137.5666667	156.1666667
174	155	Variance	726.116092	470.4195402
180	171	Observations	30	30
157	184	df	29	29
179	122	F	1.543550023	
161	151	P(F<=f) one-tail	0.12418512	
112	156	F Critical one-tail	1.860811434	
135	167			
145	127	mean(Variable 1) < mean(Variable 2)		
159	179	F < F Critical		
150	200	Assume Unequal Variances		
99	182			
172	136	T Test: Two-Sample Assuming Unequal Va	riances	
131	138			
168	170		lambda=100	lambda=475
128	159	Mean	137.5666667	156.1666667
			726 116002	
121	181	Variance	/26.116092	470.4195402
121 144	181 154	Variance Observations	30	470.4195402 30
				1 1000000
144	154	Observations	30	1 1000000
144 132	154 153	Observations Hypothesized Mean Difference	30 0	1 1000000
144 132 85	154 153 148	Observations Hypothesized Mean Difference df	30 0 55	1 1000000
144 132 85 161	154 153 148 128	Observations Hypothesized Mean Difference df t Stat	30 0 55 -2.945172614	1 1000000
144 132 85 161 119	154 153 148 128 124	Observations Hypothesized Mean Difference df t Stat P(T<=t) one-tail	30 0 55 -2.945172614 0.002361694	1 1000000
144 132 85 161 119 155	154 153 148 128 124 168	Observations Hypothesized Mean Difference df t Stat P(T<=t) one-tail t Critical one-tail	30 0 55 -2.945172614 0.002361694 1.673033907	1 1000000
144 132 85 161 119 155	154 153 148 128 124 168 135	Observations Hypothesized Mean Difference df t Stat P(T<=t) one-tail t Critical one-tail P(T<=t) two-tail	30 0 55 -2.945172614 0.002361694 1.673033907 0.004723388	1 1000000
144 132 85 161 119 155 119	154 153 148 128 124 168 135	Observations Hypothesized Mean Difference df t Stat P(T<=t) one-tail t Critical one-tail P(T<=t) two-tail	30 0 55 -2.945172614 0.002361694 1.673033907 0.004723388	1 1000000
144 132 85 161 119 155 119 119	154 153 148 128 124 168 135 131	Observations Hypothesized Mean Difference df t Stat P(T<=t) one-tail t Critical one-tail P(T<=t) two-tail t Critical two-tail	30 0 55 -2.945172614 0.002361694 1.673033907 0.004723388 2.004044732	1 1000000
144 132 85 161 119 155 119 119	154 153 148 128 124 168 135 131 157	Observations Hypothesized Mean Difference df t Stat P(T<=t) one-tail t Critical one-tail P(T<=t) two-tail t Critical two-tail	30 0 55 -2.945172614 0.002361694 1.673033907 0.004723388 2.004044732	1 1000000

These results show that lambda=475 actually is statistically better than lambda=100. This suggests that increasing the lambda does have a positive effect on the local best fitness at the end of each run. Next is the comparison between lambda=250 and lambda=475.

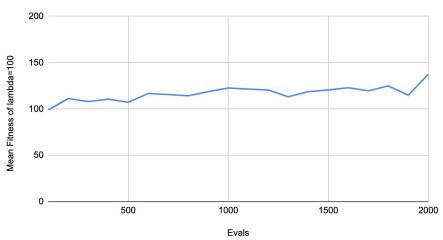
lambda=250	lambda=475			
128	169	F-Test Two-Sample for Variances		
153	123			
152	168		lambda=250	lambda=475
113	157	Mean	141.9	156.1666667
136	155	Variance	561.4034483	470.4195402
145	171	Observations	30	30
135	184	df	29	29
129	122	F	1.193410138	
137	151	P(F<=f) one-tail	0.318570952	
163	156	F Critical one-tail	1.860811434	
131	167			
197	127	mean(Variable 1) < mean(Variable	e 2)	
176	179	F < F Critical		
102	200	Assume Unequal Variances		
138	182			
126	136	T Test: Two-Sample Assuming Une	equal Variances	
184	138			
184 127			lambda=250	lambda=475
	170	Mean	lambda=250 141.9	extra transference and the state of the state of
127	170 159	Mean Variance	00110000100000	156.1666667
127 122	170 159 181		141.9	156.1666667
127 122 146	170 159 181 154	Variance	141.9 561.4034483	156.1666667 470.4195402
127 122 146 121	170 159 181 154 153	Variance Observations	141.9 561.4034483 30	156.1666667 470.4195402
127 122 146 121 191	170 159 181 154 153 148	Variance Observations Hypothesized Mean Difference	141.9 561.4034483 30 0	156.1666667 470.4195402
127 122 146 121 191 174	170 159 181 154 153 148 128	Variance Observations Hypothesized Mean Difference df	141.9 561.4034483 30 0 57	156.1666667 470.4195402
127 122 146 121 191 174	170 159 181 154 153 148 128 124	Variance Observations Hypothesized Mean Difference df t Stat	141.9 561.4034483 30 0 57 -2.432655114	156.1666667 470.4195402
127 122 146 121 191 174 155	170 159 181 154 153 148 128 124 168	Variance Observations Hypothesized Mean Difference df t Stat P(T<=t) one-tail	141.9 561.4034483 30 0 57 -2.432655114 0.009075155	156.1666667 470.4195402
127 122 146 121 191 174 155 149	170 159 181 154 153 148 128 124 168 135	Variance Observations Hypothesized Mean Difference df t Stat P(T<=t) one-tail t Critical one-tail	141.9 561.4034483 30 0 57 -2.432655114 0.009075155 1.67202883	156.1666667 470.4195402
127 122 146 121 191 174 155 149 136	170 159 181 154 153 148 128 124 168 135 131	Variance Observations Hypothesized Mean Difference df t Stat P(T<=t) one-tail t Critical one-tail P(T<=t) two-tail	141.9 561.4034483 30 0 57 -2.432655114 0.009075155 1.67202883 0.01815031	156.1666667 470.4195402
127 122 146 121 191 174 155 149 136 118	170 159 181 154 153 148 128 124 168 135 131	Variance Observations Hypothesized Mean Difference df t Stat P(T<=t) one-tail t Critical one-tail P(T<=t) two-tail	141.9 561.4034483 30 0 57 -2.432655114 0.009075155 1.67202883 0.01815031	156.1666667 470.4195402
127 122 146 121 191 174 155 149 136 118 127	170 159 181 154 153 148 128 124 168 135 131	Variance Observations Hypothesized Mean Difference df t Stat P(T<=t) one-tail t Critical one-tail P(T<=t) two-tail t Critical two-tail	141.9 561.4034483 30 0 57 -2.432655114 0.009075155 1.67202883 0.01815031 2.002465403	156.1666667 470.4195402

These results show that lambda=475 is also statistically better than lambda=250. This could be predicted because lambda=475 beat lambda=100 which is statistically similar to lambda=250. Still, the experiment proves it to be true.

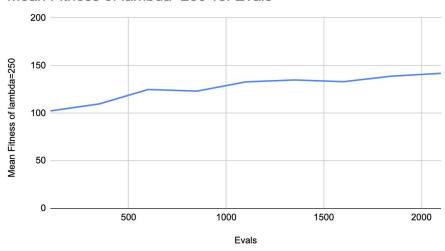
23.69395383 21.6891572

The next section of the results show the plots of evaluations versus population mean fitness averaged over the 30 runs. The plots are below and titled accordingly.

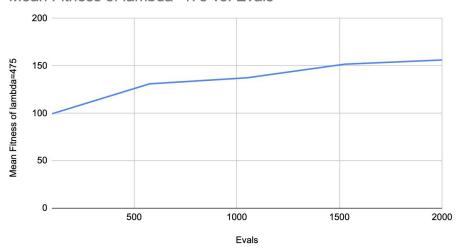
Mean Fitness of lambda=100 vs. Evals



Mean Fitness of lambda=250 vs. Evals



Mean Fitness of lambda=475 vs. Evals



These results are quite interesting as they show that a larger lambda results in a more steady growth in mean fitness per generation. This will be discussed further in the Discussion section below.

Discussion

The findings for the experiments testing the different values of lambda show that a lambda of 475 is statistically better than both lambda of 250 and lambda of 100. Interestingly though, a lambda of 250 is not statistically better than a lambda of 100. This suggests that a lambda has to be significantly bigger to increase performance when it comes to the Pac-Man final local best fitness. There is likely a situation where the lambda could be too large though, but more formal experiments would have to be run to find such a threshold.

These experiments were run with only 2000 fitness evaluations, but the plots of average fitness per evaluation show that increasing the number of fitness evaluations could yield interesting results. This for a few reasons, first being that lambda of 100 does not show a constant shift upwards. There are enough peaks and valleys to suggest that increasing the number of evaluations per run might not result in a continually increasing average fitness. Secondly there appears to be a more steady increase in average fitness per evaluation in both lambda of 250 and lambda of 475. This could suggest that increasing the number of fitness evaluations could result in even more increases in average fitness. Increasing fitness evaluations might even be enough to make lambda of 250 statistically better than lambda of 100, but this still would have to be formally tested.

Conclusion

Overall, the results show that lambda of 475 is the best of the three. More experiments with an increased number of fitness evaluations would be a logical next set of experiments based on the results of the experiments done in this report. Another set of experiments could be gauging how changing only the lambda of one population affects the final outcome, as the experiments in this report kept both lambdas the same. Lessons learned include that lots could be done to tweak and optimize this EA. With each configurable parameter added there is more that could be done to optimize, but each formal experiment run takes lots of time and computational power.

Bibliography

N/A

Appendices

N/A