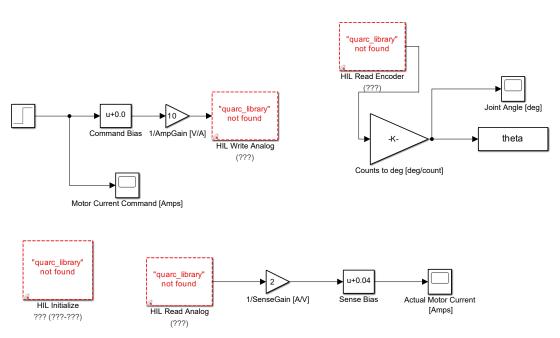
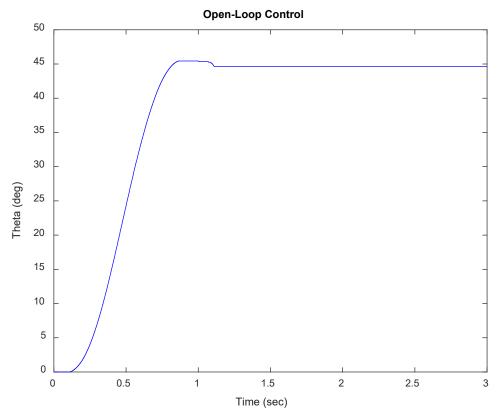
Note: I had to take screenshots outside of lab, and I don't' have access to the Quanser quarc_library license. The titles are easy to read, so the thing still makes sense.

1. Open-Loop Control: Following the procedure in the QUARC tutorial, set up a Simulink model to measure the open-loop step response of the SRV02. Use this to test the functionality of your analog output and counter inputs. Use the correct gain to convert the encoder counts to degrees. The encoders have 1024 counts per revolution, and the decoders have a 4x multiplication factor. Rotate the link 360 degrees with your hand and verify that you used the correct magnitude of encoder gain. Also verify that a positive step in motor voltage results in a positive step in encoder angle. Show a plot of the open-loop step response.

Simulink Model:



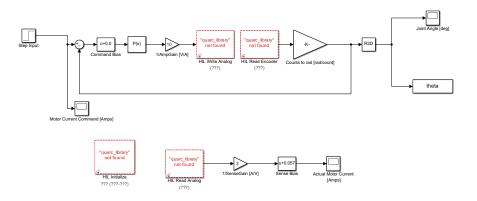
Open Loop Step Response



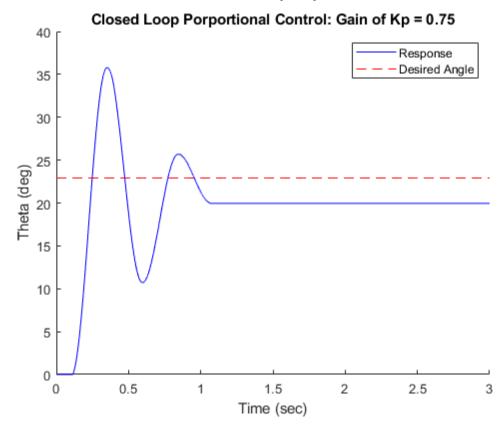
• Encoder counts were verified to be positive in the step response direction. If they weren't the following questions wouldn't have worked

2. Proportional Control: Set up a feedback loop in your Simulink model to implement closed-loop proportional control. Start out with a low gain and feel the virtual stiffness of the link as you increase the gain. Provide plots of the step response at a couple different levels of gain. What gain would you choose to optimize the response? What is the settling time and % overshoot at this gain?

Simulink Model



P = 0.75 Plots and Step Response Info

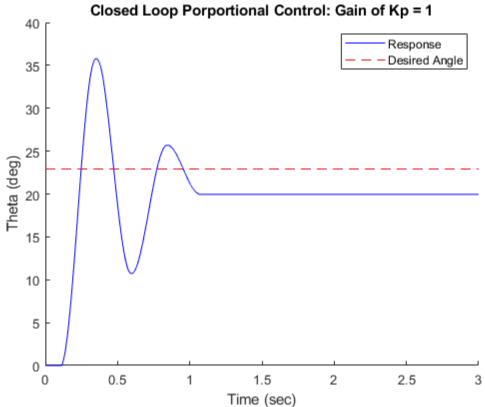


RiseTime: 0.1041 TransientTime: 0.8946 SettlingTime: 0.8946 SettlingMin: 12.9199 SettlingMax: 31.2891 Overshoot: 62.5571

Undershoot: 0

Peak: 31.2891 PeakTime: 0.3820

P = 1 Plots and Step Response Info

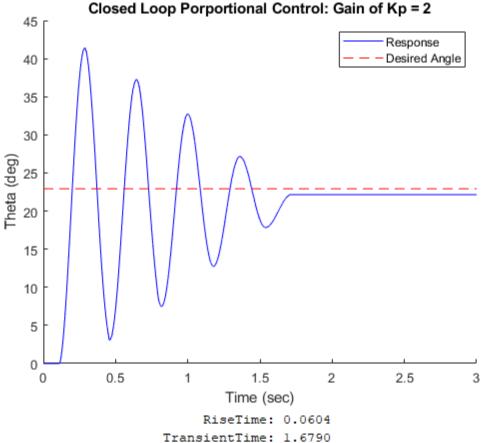


RiseTime: 0.0854 TransientTime: 1.0355 SettlingTime: 1.0355 SettlingMin: 10.7227 SettlingMax: 35.7715 Overshoot: 79.2952

Undershoot: 0

Peak: 35.7715 PeakTime: 0.3450

P = 2 Plots and Step Response Info



SettlingTime: 1.6790 SettlingMin: 3.0762

SettlingMax: 41.3965 Overshoot: 86.9048

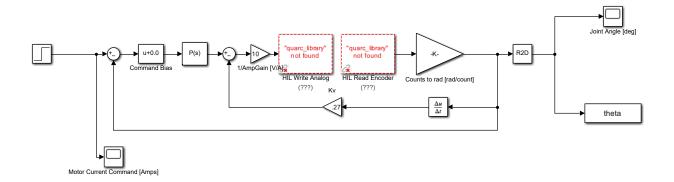
Undershoot: 0

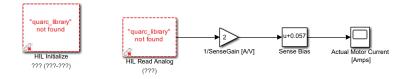
Peak: 41.3965 PeakTime: 0.2850

- What would I choose to optimize the response?
 - I'd choose the Kp = 0.75 response, as it does the best job of balancing a relatively low oscillation response with a low steady state error. If settling time is our main concern, then I'd choose Kp = 0.75. If steady state error is our primary concern then I'd choose a higher Kp.
 - Steady state error and step response is shown below each plot.

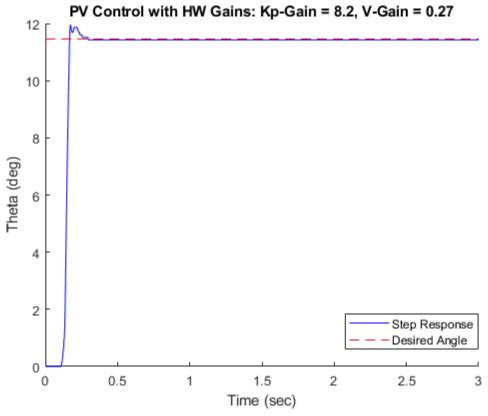
3. PV Control: Add velocity feedback to your proportional control. First set the proportional gain very low and turn up the velocity gain to feel the virtual damping effect. Now turn up both the P and V gains together to see how fast you can make the settling time while maintaining a reasonable amount of overshoot. If you increase them too much, the system will eventually become unstable. As you increase the gains, you may also need to decrease the magnitude of your step in order to avoid saturating the amp. Find a favorable set of gains and provide a plot of the step response. What is the smallest settling time you can achieve without risking instability? Try the set of PV gains you designed in PS#4 and compare the performance of your experimental response to your simulated response. Note: be mindful of your units when trying your gains from PS#4 (e.g. you may need to convert between A/radian and A/degree).

Simulink Model





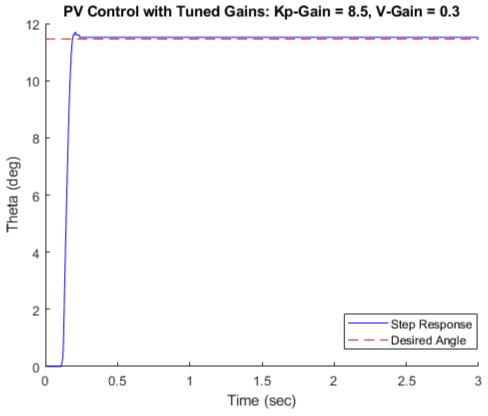
PV Control with HW Gains Kp = 8.2 V = 0.27



RiseTime: 0.0303
TransientTime: 0.2384
SettlingTime: 0.2384
SettlingMin: 10.4590
SettlingMax: 11.9531
Overshoot: 4.6154

Undershoot: 0 Peak: 11.9531 PeakTime: 0.1730

PV Control with Tuned Gains Kp = 8.5 V = 0.3



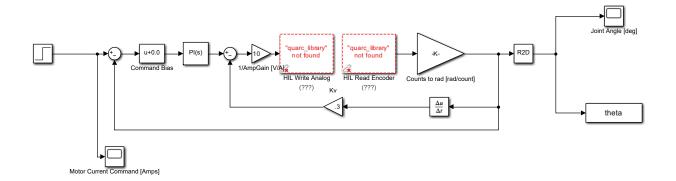
RiseTime: 0.0469
TransientTime: 0.1854
SettlingTime: 0.1854
SettlingMin: 10.3711
SettlingMax: 11.6895
Overshoot: 1.5267
Undershoot: 0

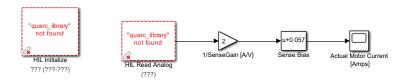
Peak: 11.6895

PeakTime: 0.2020

4. PIV Control: Now add integral control. Start with a low set of PV gains (such the step response exhibits significant steady-state error). Then turn on the integral control, beginning with a very small integral gain. Note how the steady-state error goes away faster as you continue to increase the integral gain. Also, use your hand to apply disturbance forces to the link, and notice how the disturbance rejection is improved as the integral gain is increased. Provide plots of the step response at a couple different levels of integral gain. Try the set of PIV gains you designed in PS#4 and compare the performance of your experimental response to your simulated response. Note: be mindful of your units when trying your gains from PS#4 (e.g. you may need to convert between A/radian and A/degree).

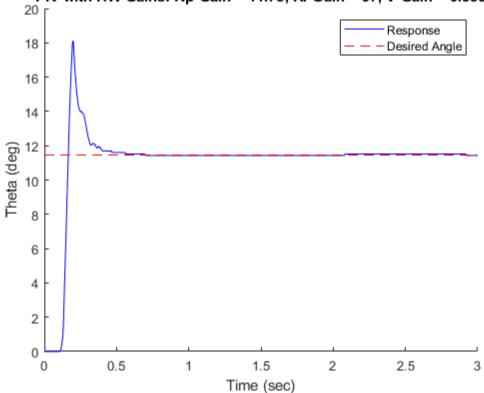
Simulink Model





<u>PIV Control HW Gains Kp = 11.75, Ki = 97, V = 0.356</u>



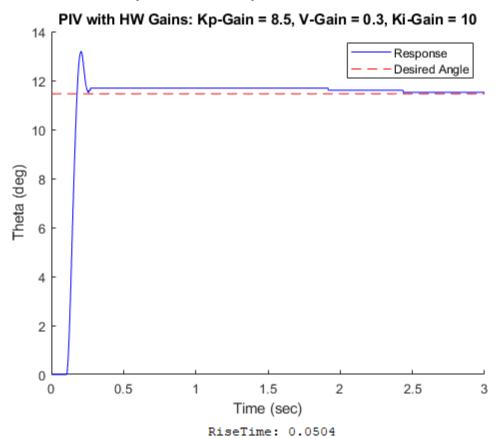


RiseTime: 0.0318
TransientTime: 0.4664
SettlingTime: 0.4664
SettlingMin: 10.3711
SettlingMax: 18.1055
Overshoot: 58.4615

Undershoot: 0

Peak: 18.1055 PeakTime: 0.1960

Experimental Gains Kp = 8.5 Kv = 0.3 Ki = 10



TransientTime: 0.2424
SettlingTime: 0.2424

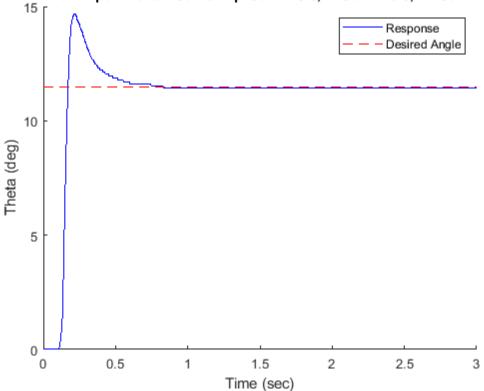
SettlingMin: 10.4590 SettlingMax: 13.1836 Overshoot: 14.5038

Undershoot: 0

Peak: 13.1836 PeakTime: 0.2030

Experimental Gains Kp = 8.5 Kv = 0.3 Ki = 50

PIV with Experimental Gains: Kp-Gain = 8.5, V-Gain = 0.3, Ki-Gain = 50



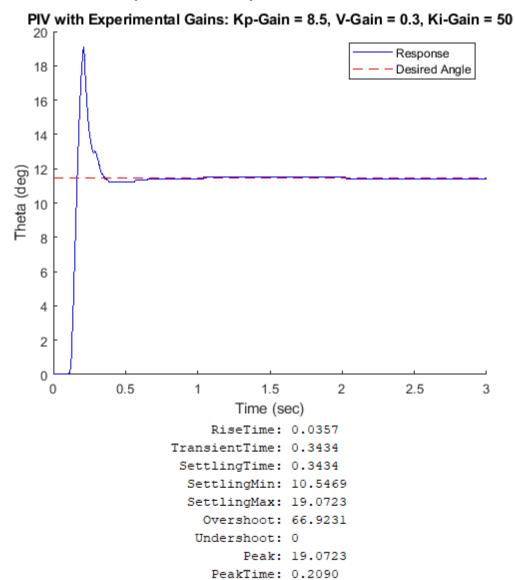
RiseTime: 0.0347
TransientTime: 0.5984
SettlingTime: 0.5984
SettlingMin: 10.3711

SettlingMax: 14.6777 Overshoot: 28.4615

Undershoot: 0

Peak: 14.6777 PeakTime: 0.2110

Experimental Gains Kp = 8.5 Kv = 0.3 Ki = 100



Comparing

Clearly, the homework gains were by far better than the experimental gains we used. The higher our integral gain the higher our settling time and overshoot became, but we also achieved lower steady state errors. Interestingly our settling min didn't seem to be affected much by higher or lower integral gains. That said, the overshoot was very different.