CS4533 Lecture 4 Slides/Notes

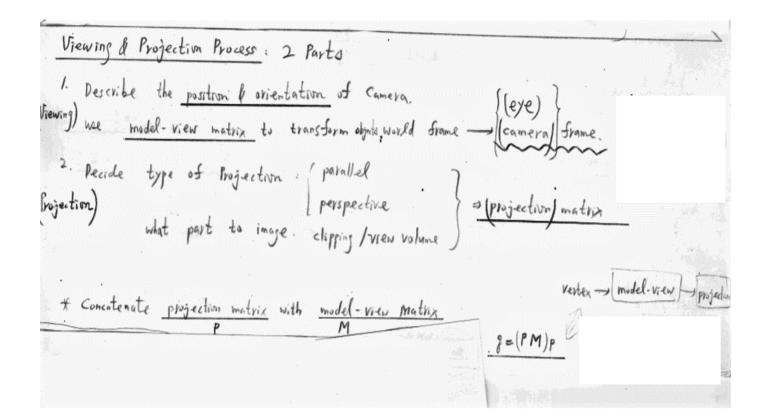
Viewing and Projection (Ch 5, 10, 11, 12.1, Notes)

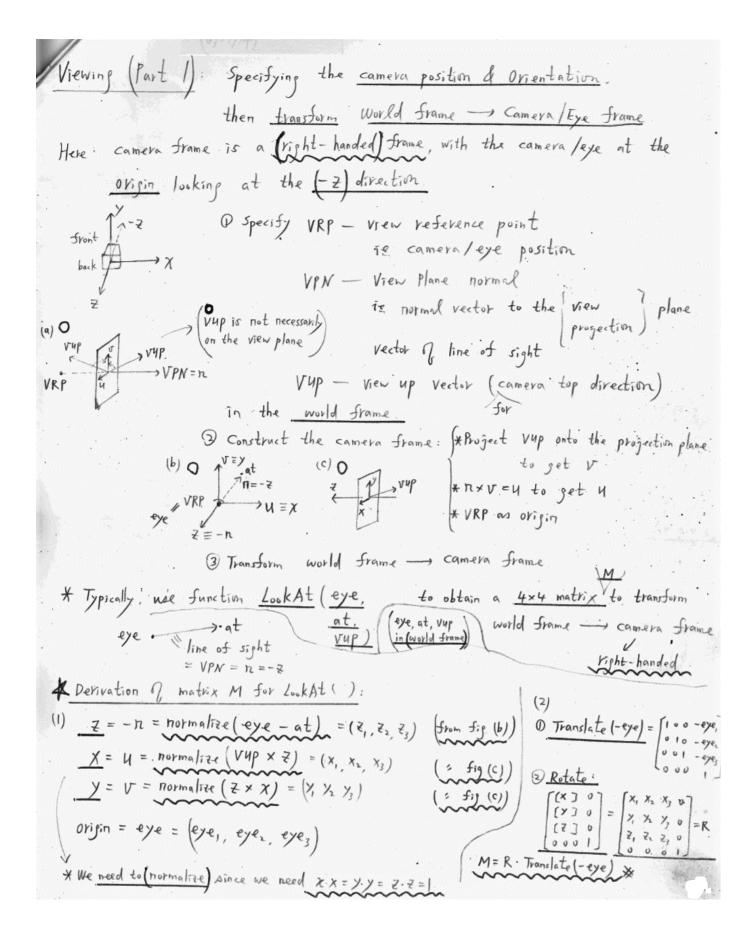
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Viewing & Projection

* Coordinate Systems & Transformations 2 (World) Coordinate system 0 (object) coordinate systems @ Viewer (camera) 4. (clip) 5 Wormalized 3 (Eye) Perspective coord 3D Z. perpendicular to the paper Division if Perspective Note: Mention lest-handed Projection Frame historically (Viewport) Transt. (right-handed frame) thru-out 6 (Window) coord for consistency Rasterization fragments/ Z-buffering fixels fragment (20/30) (XW, XW, ZW) 20, but still processing etc retain Z-values for hidden-surface removal (Z-buffering) Cf. [World coord: (x, y, Z) world = (X world Yworld Zworld Note: [Modeling Transf : Rotation Translation Scaling] Same types Viewing : Coord system change.
(Using Translation & Rotation) matrix) 2. Projection Different type = use a separate (Projection matrix)

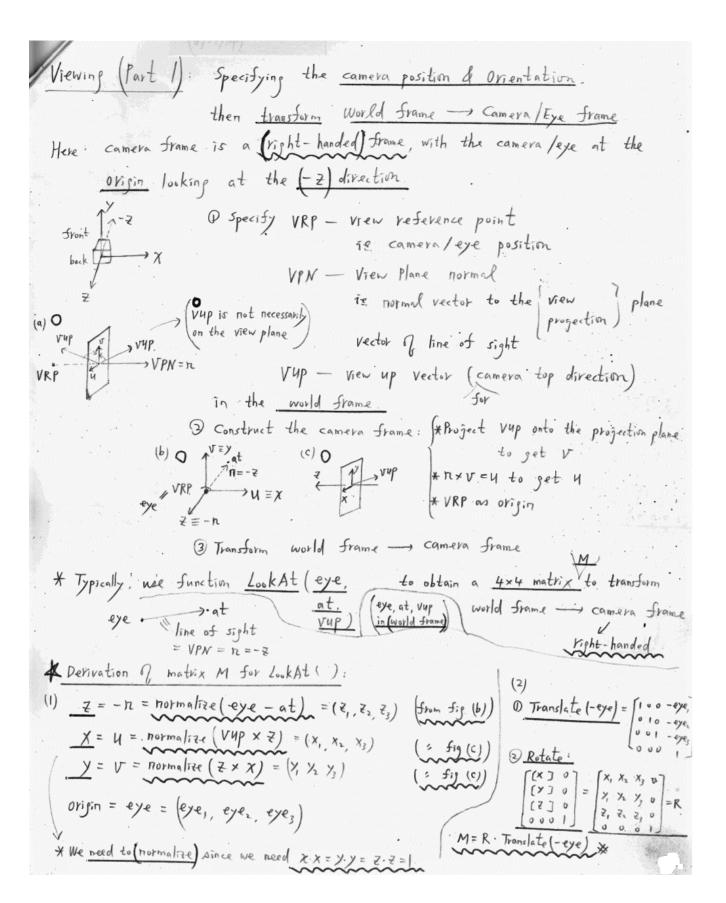




VUP VPN View plane * Note: Vup can be anywhere
in the direction range vup projecting
aince in this range vup projecting
anto the view plane results in the
to direction, which indicates the
top of the camera

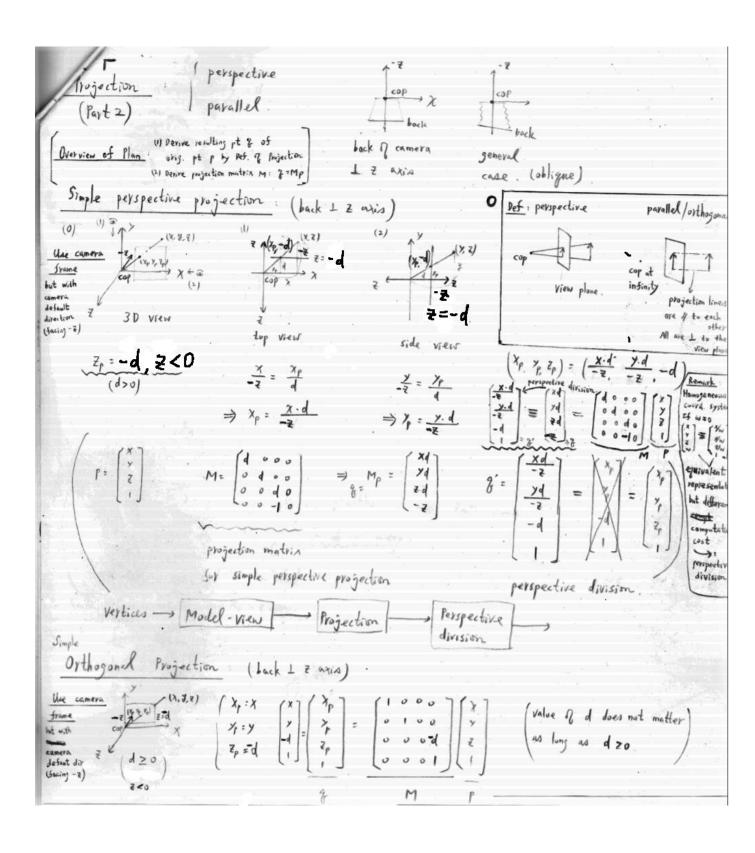
Any direction below early

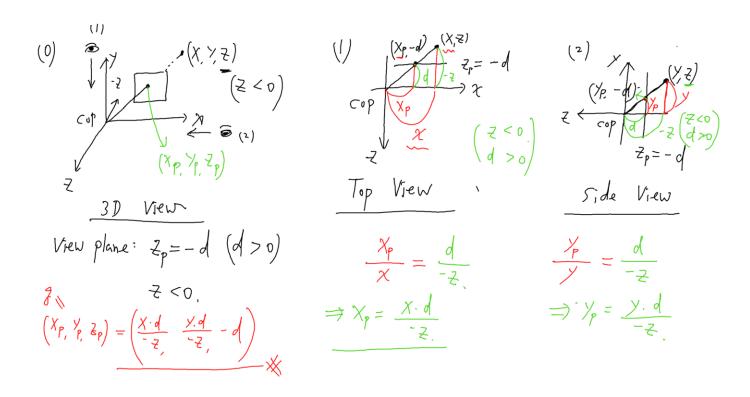
Vyp, is wrong, since its projection onto
the view plane is in the -v direction.



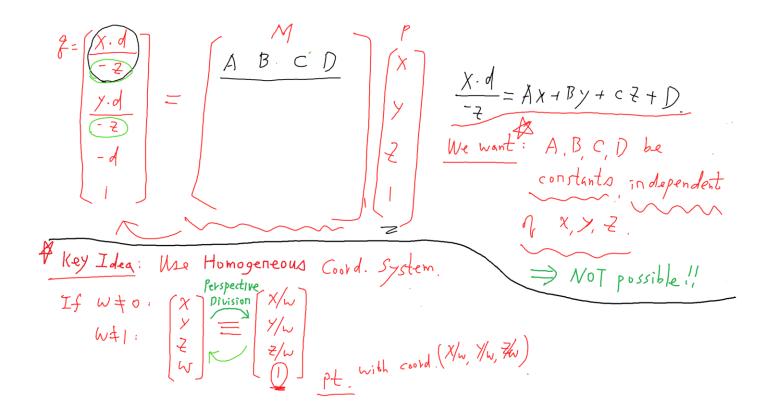
Verification for M [eye]_{world} = (origin)_{eye} ?

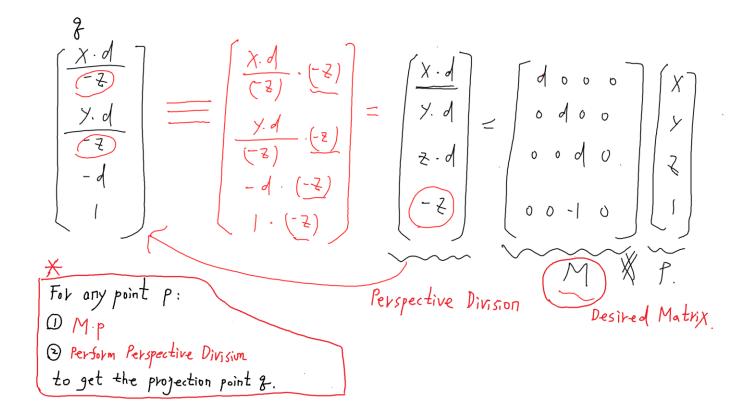
$$M = R \cdot \text{Translata} \left(-\frac{e}{e}\right) = R \cdot \begin{bmatrix} 1 & 0 & 0 & -\frac{e}{e}\right) \\ 0 & 1 & 0 & -\frac{e}{e}\right) \\ 0 & 0 & 1 & -\frac{e}{e}\right) \\ = M \cdot \begin{bmatrix} \frac{e}{e}\right) \\ \frac{e}{e}\right) = R \cdot \underbrace{\begin{bmatrix} 1 & 0 & 0 & -\frac{e}{e}\right)}_{0 & 1} \\ 0 & 1 & 0 & -\frac{e}{e}\right)}_{0 & 1} \cdot \underbrace{\begin{bmatrix} \frac{e}{e}\right)}_{0 & 1} \\ \frac{e}{e}\right)}_{0 & 1} = R \cdot \underbrace{\begin{bmatrix} \frac{e}{e}\right)}_{0 & 1} \cdot \underbrace{\begin{bmatrix} \frac{e}{e}\right)}_{0 & 1} \\ 0 & 1 & -\frac{e}{e}\right)}_{0 & 1} \cdot \underbrace{\begin{bmatrix} \frac{e}{e}\right)}_{0 & 1} \\ \frac{e}{e}\right)}_{0 & 1} \cdot \underbrace{\begin{bmatrix} \frac{e}{e}\right)}_{0 & 1} \cdot \underbrace{\begin{bmatrix} \frac{e}{e}\right)}_{0 & 1} \\ \frac{e}{e}\right)}_{0 & 1} \cdot \underbrace{\begin{bmatrix} \frac{e}{e}\right)}_{0 & 1} \cdot \underbrace{\begin{bmatrix} \frac{e}{e}\right)}_{0 & 1} \\ \frac{e}{e}\right)}_{0 & 1} \cdot \underbrace{\begin{bmatrix} \frac{e}{e}\right)}_{0 & 1} \cdot \underbrace{\begin{bmatrix} \frac{e}{e}\right)}_{0 & 1} \\ \frac{e}{e}\right)}_{0 & 1} \cdot \underbrace{\begin{bmatrix} \frac{e}{e}\right)}_{0 & 1} \cdot \underbrace{\begin{bmatrix} \frac{e}{e}\right)}_{0 & 1} \\ \frac{e}{e}\right)}_{0 & 1} \cdot \underbrace{\begin{bmatrix} \frac{e}{e}\right)}_{0 & 1} \cdot \underbrace{\begin{bmatrix} \frac{e}{e}\right)}_{0 & 1} \cdot \underbrace{\begin{bmatrix} \frac{e}{e}\right)}_{0 & 1} \\ \frac{e}{e}\right)}_{0 & 1} \cdot \underbrace{\begin{bmatrix} \frac{e}{e}\right)}_{0 & 1} \cdot \underbrace{\begin{bmatrix} \frac{e}{e}\right)}_{0 & 1} \cdot \underbrace{\begin{bmatrix} \frac{e}{e}\right)}_{0 & 1} \\ \frac{e}{e}\right)}_{0 & 1} \cdot \underbrace{\begin{bmatrix} \frac{e}{e}\right)}_{0 & 1} \cdot \underbrace{\begin{bmatrix} \frac{e}{e}\right)}_{0 & 1} \cdot \underbrace{\begin{bmatrix} \frac{e}{e}\right)}_{0 & 1} \\ \frac{e}{e}\right)}_{0 & 1} \cdot \underbrace{\begin{bmatrix} \frac{e}{e}\right)}_{0 & 1} \\ \frac{e}{e}\right)}_{0 & 1} \cdot \underbrace{\begin{bmatrix} \frac{e}{e}\right)}_{0 & 1} \cdot$$



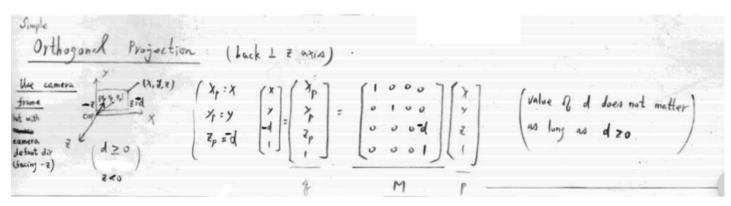


Now Express Perspective Projection by Matrix Multiplication:



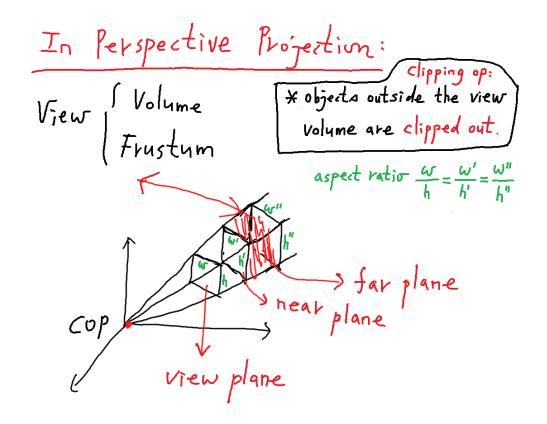


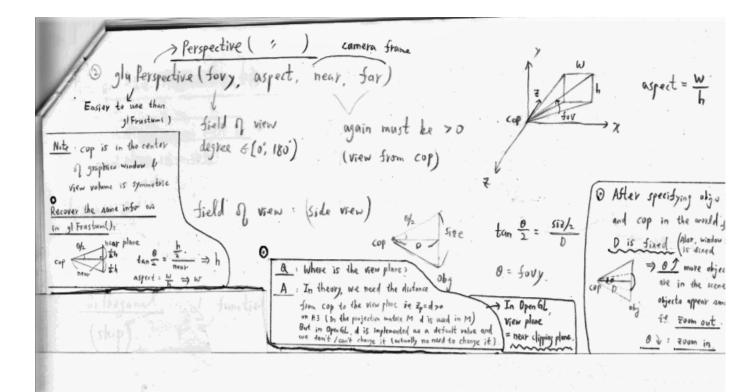
Next, we look at Orthogonal Projection:



Note: There is no division involved.

(Therefore, we call the division in the perspective projection perspective division.)





Perspective (fory, aspect, near, far)

When fory increases, more objects enter the fixed-sized graphics window.

The property objects appear smaller appear amaller objects appear bigger

Similarly, when fory it is objects appear bigger

The fixed-sized graphics window.

The property of the fixed-sized graphics grap

