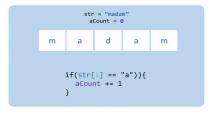
#### problem solving patterns

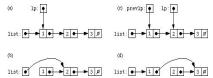
-- divide and conquer - divide in half, initialize a min max then move the pointer until the result is found.



-- **frequency counter** - making object counters then compare them. i.e. anagrams ->  $\{a: 0, n: 0, g: 0, r: 0, m: 0, s: 1\}$ 

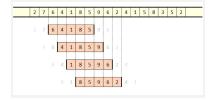


-- multiple pointers - move multiple pointers. arr[i], arr[j]



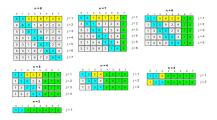
-- sliding windows - create temporary variable then update it according to logic. i.e. temp\_var = max\_var or

a, b = a, b+a

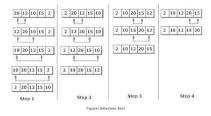


#### search algo

bubble sort -- brute force, comparing current and next element linearly

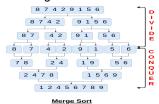


**selection sort** - compare current element to next then move the pointer to the next then compare again and so on..

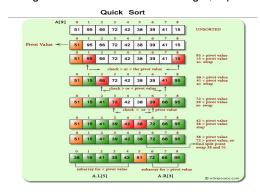


#### Advanced sorting:

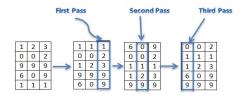
*merge sort* - divide array in half until there's one element per array then compare the next array element then merge them



**quick sort** - pick any element(use pivot helper) then find all element that are less than it, put it to the left then greater than elements to the right, repeat. Pivot helper --where the rest of the sorted element will depend



radix sort - looking at the digit from the right then group them in every element bucket and



```
singly linked list - object consists of head and tail node with next attribute node and a tail that has a
next attribute of null.
```

```
-- SinglyLinkedList {head: Node { val: 100, next: Node { val: 201, next: [Node] } },
                      tail: Node { val: 999, next: null }, length: 5}
```

doubly linked list - object consist of head and tail node with next and prev attribute node and a tail that has a next attribute of null

```
-- DoublyLinkedList { head: Node { val: 'Harry', next: Node { val: 'Ron', next: [Node], prev: [Circular] },
prev: null },
                            tail: Node (val: 'Hermione', next: null, prev: Node (val: 'Ron', next: [Circular],
prev: [Node] } },
                            length: 3 }
stacks - FILO
-- Stack {
 first: Node { value: 3, next: Node { value: 2, next: [Node] } },
 last: Node { value: 1, next: null },
 size: 3}
queues - FIFO
-- Queue {
 first: Node { value: 1, next: Node { value: 2, next: [Node] } },
 last: Node { value: 3, next: null },
 size: 3}
```

binary search tree - parents nodes are greater than children, left child is always less than th parent and right are greater than the parent

```
-- BinarySearchTree {
 root: Node {
  value: 10,
  left: Node { value: 5, left: [Node], right: [Node] },
  right: Node { value: 13, left: [Node], right: [Node] }
 }
}
```

tree traversal bfs - searching the tree per each row, from left to right

```
--data [ 10, 6, 15, 3, 8, 20 ]
BinarySearchTree {
 root: Node {
  value: 10,
  left: Node { value: 6, left: [Node], right: [Node] },
   right: Node { value: 15, left: null, right: [Node] }
 }
}
```

**tree traversal dfs preorder -** traverse from root to the deepest child then its parent then the deepest child and so on.

```
data [ 10, 6, 15, 3, 8, 20 ]
BinarySearchTree {
  root: Node {
    value: 10,
    left: Node { value: 6, left: [Node], right: [Node] },
    right: Node { value: 15, left: null, right: [Node] }
  }
}
```

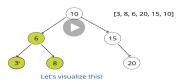
# DFS - PreOrder



**tree traversal dfs postorder -** traverse from the deepest child then its parent then the deepest child and so on

```
data [ 3, 8, 6, 20, 15, 10 ]
BinarySearchTree {
  root: Node {
    value: 10,
    left: Node { value: 6, left: [Node], right: [Node] },
    right: Node { value: 15, left: null, right: [Node] }
  }
}
```

# DFS - PostOrder



tree traversal dfs preorder - traverse the deepest child, sibling then its parent then the child and so on

```
data [ 3, 6, 8, 10, 15, 20 ]
BinarySearchTree {
  root: Node {
    value: 10,
    left: Node { value: 6, left: [Node], right: [Node] },
    right: Node { value: 15, left: null, right: [Node] }
  }
}
data [ 3, 8, 6, 20, 15, 10 ]
BinarySearchTree {
  root: Node {
```

```
value: 10,
left: Node { value: 6, left: [Node], right: [Node] },
right: Node { value: 15, left: null, right: [Node] }
}

DFS - InOrder

[3, 6, 8, 10, 15, 20]
```

**binary heaps -** maxbh-> parents > children, minbh -> parents < children, no order for children MaxBinaryHeap { values: [

```
55, 39, 41, 18,
27, 12, 33
] }
Heap Data Structure
```

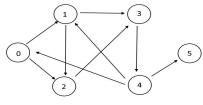
hash table/maps - used to store key value pairs

```
HashTable {
 keyMap: [
  [['plum', '#DDA0DD']],
  <2 empty items>,
  [['salmon', '#FA8072']],
  [['violet', '#DDA0DD']],
  <2 empty items>,
  [['purple', '#DDA0DD']],
  [['maroon', '#800000'], ['yellow', '#FFFF00']],
  <1 empty item>,
  [['olive', '#808000']],
  <2 empty items>,
  [['lightcoral', '#F08080']],
  <2 empty items>,
  [['mediumvioletred', '#C71585']]
}
```



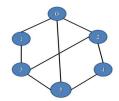
```
graph - consists of vertices(nodes) and edges
let g = new Graph();
g.addVertex("Dallas");
g.addVertex("Tokyo");
g.addVertex("Aspen");
g.addVertex("Los Angeles");
g.addVertex("Hong Kong");
g.addEdge("Dallas", "Tokyo");
g.addEdge("Dallas", "Aspen");
g.addEdge("Hong Kong", "Tokyo");
g.addEdge("Hong Kong", "Dallas");
g.addEdge("Los Angeles", "Hong Kong");
g.addEdge("Los Angeles", "Aspen");
Graph {
 adjacencyList: {
  Dallas: ['Tokyo', 'Aspen', 'Hong Kong'],
  Tokyo: ['Dallas', 'Hong Kong'],
  Aspen: [ 'Dallas', 'Los Angeles' ],
  'Los Angeles': [ 'Hong Kong', 'Aspen' ],
  'Hong Kong': [ 'Tokyo', 'Dallas', 'Los Angeles' ]
 }
}
     Vertices
```

graph dfs - traverse through the deepest line then again on the next child



Depth First Traversal - 0 1 3 4 5 2

graph bfs - traverse through all children then the children of the next children



#### djikstra - shortest way to travel from a path to another

### Dijkstra's Pseudocode y to the priority queue, except the starting vertex, which should have a e another object called previous "wa set each key to be every vertex in injacency list with a value of null cooping as long as there is anything in the priority queue looping as long as the same as the ending vertex - we are done! that vertex is the same as the ending vertex - we are done! herwise loop through each value in the adjacency list at that vertex Calculate the distance to that vertex from the starting vertex calculate the distance to that vertex from the starting vertex what is currently stored in our distances object. update the distances object with new lower distance update the previous object to contain that vertex enqueue the vertex with the total distance from the st WeightedGraph { adjacencyList: { A: [ { node: 'B', weight: 4 }, { node: 'C', weight: 2 } ], B: [ { node: 'A', weight: 4 }, { node: 'E', weight: 3 } ], C: [ { node: 'A', weight: 2 }, { node: 'D', weight: 2 }, { node: 'F', weight: 4 } ], D: [ { node: 'C', weight: 2 }, { node: 'E', weight: 3 }, { node: 'F', weight: 1 } ], E: [ { node: 'B', weight: 3 }, { node: 'D', weight: 3 }, { node: 'F', weight: 1 } ], F: [ { node: 'C', weight: 4 }, { node: 'D', weight: 1 }, { node: 'E', weight: 1 } ] } [ 'A', 'C', 'D', 'F', 'E' ] Step1: - pick the smallest FIND THE SHORTEST PATH FROM A TO E



			visited:	
ex	Shortest Dist From A	[]		
	0		Previous:	
	Infinity	{		
	Infinity		A: null, B: null,	
	Infinity		C: null, D: null,	
	Infinity		E: null, F: null	
	Infinity	}		

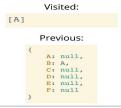
Step 2 - look at each of its neighbors then repeat on all its children



# FIND THE SHORTEST PATH

FROM A TO E

Pick The SmallestA						
Vertex	Vertex Shortest Dist From 4					
Α	0					
В	Infinity,4 Infinity					
C						
D	Infinity					
E	E Infinity					
E Infinity						



Step 3 - look at the distance in the end



# FIND THE SHORTEST PATH FROM $\stackrel{\ }{A}$ to $\stackrel{\ }{E}$

Pick The Smal	lestl	Ē
---------------	-------	---

Vertex	ertex Shortest Dist From 4				
A	0				
B	Infinity,4				
€	Infinity,2				
Ð	Infinity,4				
Е	<del>Infinity</del> , <del>7</del> ,6				
F	F Infinity,5				

