Brief summary of this function.

Detailed explanation of this function.

```
function [] = B747100Values()
```

Declare globals, constants, and conversions

Values from table E.1, for Case 2.

```
E1.Altitude = 20000
                                                % Altitude of 747 in meters
                           * Conv.FtToM;
                                                % Mach number
E1.M
           = 0.5;
E1.Velocity = 518
                           * Conv.FtToM;
                                                % Velocity in [m/s]
                                                % Weight of the 747 in Newtons
E1.Weight = 6.366 * 10^5 * Conv.LbToN;
                           * Conv.SlugFt2ToKgM2; % Moment of Inertia about x axis
           = 1.82 * 10^7
E1.Ix
           = 3.31 * 10^7 * Conv.SlugFt2ToKgM2; % Moment of Inertia about y axis
E1.Iy
         = 4.97 * 10^7 * Conv.SlugFt2ToKgM2; % Moment of Inertia about z axis
E1.Iz
          = 9.70 * 10^5 * Conv.SlugFt2ToKgM2; % Product of Inertia about z and x axes
E1.Izx
           = -6.8
                           * Conv.DegToRad;
                                                % Angle between stability and body frames
E1.Xi
           = 0.040;
                                                % Coefficient of Drag
E1.CD
           = E1.Weight
                           / Constants.g;
                                                % Mass of the 747
E1.m
```

Values from table E.3, longitudinal, all converted to SI units.

```
E3.X.u
           = -4.883 * 10^1 * Conv.LbToN / Conv.FtToM; % [N * s / m]
           = 1.546 * 10^3 * Conv.LbToN / Conv.FtToM; % [N * s / m]
E3.X.w
E3.X.a
           = 0
                           * Conv.LbToN:
                                                       % [N * s / rad]
                           * Conv.LbToN / Conv.FtToM; % [N * s^2 / m]
E3.X.wDot
           = 0
E3.X.deltae = 3.994 * 10^4 * Conv.LbToN;
                                                       % [N / rad]
E3.Z.u
           = -1.342 * 10^3 * Conv.LbToN / Conv.FtToM; % [N * s / m]
E3.Z.w
           = -8.561 * 10<sup>3</sup> * Conv.LbToN / Conv.FtToM; % [N * s / m]
           = -1.263 * 10^5 * Conv.LbToN;
                                                       % [N * s / rad]
E3.Z.q
E3.Z.wDot
           = 3.104 * 10^2 * Conv.LbToN / Conv.FtToM; % [N * s^2 / m]
E3.Z.deltae = -3.341 * 10^5 * Conv.LbToN;
                                                       % [N / rad]
E3.M.u
           = 8.176 * 10<sup>3</sup> * Conv.LbToN;
                                                       % [N * s]
E3.M.w
          = -5.627 * 10^4 * Conv.LbToN;
                                                       % [N * s]
E3.M.q = -1.394 * 10^7 * Conv.LbToN * Conv.FtToM; % [N * m * s / rad]
E3.M.wDot = -4.138 * 10^3 * Conv.LbToN;
                                                       % [N * s^2]
E3.M.deltae = -3.608 * 10^7 * Conv.LbToN * Conv.FtToM; % [N * m / rad]
```

Conversions to stability frame using coordinate rotations in eqn (B.12, 6).

```
StabilityFrame.X.u = E3.X.u * cos(E1.Xi)^2 - (E3.X.w + E3.Z.u) ...
    * sin(E1.Xi) * cos(E1.Xi) + E3.Z.w * sin(E1.Xi)^2;
StabilityFrame.X.w = E3.X.w * cos(E1.Xi)^2 + (E3.X.u - E3.Z.w) ...
    * sin(E1.Xi) * cos(E1.Xi) - E3.Z.u * sin(E1.Xi)^2;
StabilityFrame.X.q = E3.X.q * cos(E1.Xi) - E3.Z.q * sin(E1.Xi);
StabilityFrame.X.uDot = E3.Z.wDot * sin(E1.Xi)^2;
StabilityFrame.X.wDot = -E3.Z.wDot * sin(E1.Xi) * cos(E1.Xi);
StabilityFrame.Z.u = E3.Z.u * cos(E1.Xi)^2 - (E3.Z.w - E3.X.u) ...
    * sin(E1.Xi) * cos(E1.Xi) - E3.X.w * sin(E1.Xi)^2;
StabilityFrame.Z.w = E3.Z.w * cos(E1.Xi)^2 + (E3.Z.u + E3.X.w) ...
    * sin(E1.Xi) * cos(E1.Xi) + E3.X.u * sin(E1.Xi)^2;
StabilityFrame.Z.q = E3.Z.q * cos(E1.Xi) + E3.X.q * sin(E1.Xi);
StabilityFrame.Z.uDot = -E3.Z.wDot * sin(E1.Xi) * cos(E1.Xi);
StabilityFrame.Z.wDot = E3.Z.wDot * cos(E1.Xi)^2;
StabilityFrame.M.u = E3.M.u * cos(E1.Xi) - E3.M.w * sin(E1.Xi);
StabilityFrame.M.w = E3.M.w * cos(E1.Xi) + E3.M.u * sin(E1.Xi);
StabilityFrame.M.q = E3.M.q;
StabilityFrame.M.uDot = -E3.M.wDot * sin(E1.Xi);
StabilityFrame.M.wDot = E3.M.wDot * cos(E1.Xi);
```

Question 3

Using the Stability frames constructed above, the 4x4 A matrix from eqn (4.9,18) for the linearized longitudinal dynamics is created.

```
A = zeros(4,4);
theta0 = 0;
A(1,1) = StabilityFrame.X.u / E1.m;
A(1,2) = StabilityFrame.X.w / E1.m;
A(1,3) = 0;
A(1,4) = -Constants.g * cos(theta0);
A(2,1) = StabilityFrame.Z.u / (E1.m - StabilityFrame.Z.wDot);
A(2,2) = StabilityFrame.Z.w / (E1.m - StabilityFrame.Z.wDot);
A(2,3) = (StabilityFrame.Z.q + E1.m * E1.Velocity) / (E1.m - StabilityFrame.Z.wDot);
A(2,4) = (-E1.Weight * sin(theta0)) / (E1.m - StabilityFrame.Z.wDot);
A(3,1) = E1.Iy ^ (-1) * (StabilityFrame.M.u + ((StabilityFrame.M.wDot * StabilityFrame.Z.u) / (
A(3,2) = E1.Iy ^ (-1) * (StabilityFrame.M.w + ((StabilityFrame.M.wDot * StabilityFrame.Z.w) / (
A(3,3) = E1.Iy ^ (-1) * (StabilityFrame.M.q + (StabilityFrame.M.wDot * (StabilityFrame.Z.q + E1
    / (E1.m - StabilityFrame.Z.wDot)));
A(3,4) = -(StabilityFrame.M.wDot * E1.Weight * sin(theta0)) / (E1.Iy * (E1.m - StabilityFrame.Z)
A(4,1) = 0;
A(4,2) = 0;
A(4,3) = 1;
A(4,4) = 0;
```