Citations	From References: 0	From Reviews: 0

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Carraro, A. [**Carraro, Alberto**] (F-PARIS7-PPS);
Salibra, A. [**Salibra, Antonino**] (I-VENE-AIS)
Ordered models of the lambda calculus. (English summary)
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The introduction of this paper is a masterful overview of ordered lambda models and related problems. The technical contribution is also outstanding. Among other results, a question asked by Honsell and Plotkin in 2009 is answered.

The authors show their ability to solve deep problems and to tailor proof techniques to their needs at will. *Mariangiola Dezani-Ciancaglini*

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Note: This list reflects references listed in the original paper as accurately as possible with no attempt to correct errors.