

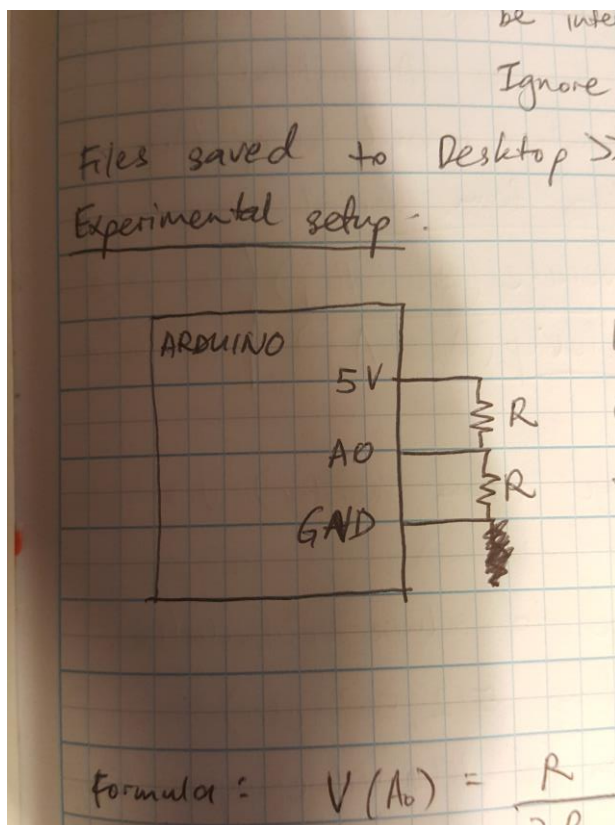
ESI

## Workshop 1

### Introduction

- Usage of Arduino and voltage dividers
- Download program from Arduino.cc
- Start program. Select Tools >> Board >> Select Board
- Arduino Uno was used
- Connect device to PC . Select Tools >> Serial Port >> Tick option
- File >> Example to test
- After opening file, upload file to Arduino. Use serial monitor to observe progress
- For exporting data, copy (ctrl A, ctrl C) and paste in Microsoft Excel (ctrl V). (MATLAB can be used)
- Problems encountered: Not able to copy data using ctrl A, ctrl C
- First row contains characters that cannot be interpreted by desired program. Ignore unrecognisable characters

### Experimental Setup:



Wires connect the 2 resistors (of almost equal values) to a breadboard with the appropriate ports of the Arduino. The data generated by the program is giving the voltage received at port A0

Formula:

$$V(A0) = VR/2R = V/2 \text{ (theoretically)}$$

Questions:

1. What is the sample rate?
2. How can we change it?
3. How much noise is there?
4. Is the noise Gaussian?
5. How does it depend on the resistor values?
6. Does the voltage source make a difference?

Procedure:

1. Built circuit as per experimental setup on previous page
2. Use resistor values of  $R = 200\text{kohms}$  and  $R = 100\text{ kohms}$ . Repeated using resistor values of  $R = 300\text{ kohms}$ ,  $560\text{kohms}$ ,  $30\text{ kohms}$ ,  $20\text{ kohms}$ . (To increase amount of data) [range not big enough] Include  $R = 150\text{ ohms}$ ,  $1\text{Mohms}$ ,  $1.5\text{ Mohms}$ , and  $2.2\text{Mohms}$ . Took data over more than 350 samples each.
3. Code used was a template from Examples (AnalogRead). Code was uploaded and serial monitor opened every time  $R$  was changed. Measurements taken from serial monitor.
4. Used Microsoft Excel's  $=\text{average}(B_i:B_j)$  to find mean of data and
5.  $=\text{stdev.p}(A_i:A_j)$  to find standard deviation (s.d.)
6. Plotted mean (bits representing voltage across resistor) vs value of resistance ( $R$ ).
7. Used bit value rather than voltage to reduce calculation errors introduced via rounding (i.e. 512, 513 etc)
8. Also, plotted standard deviation (of bit values representing voltage) against value of resistance.

Analysis (General comments)

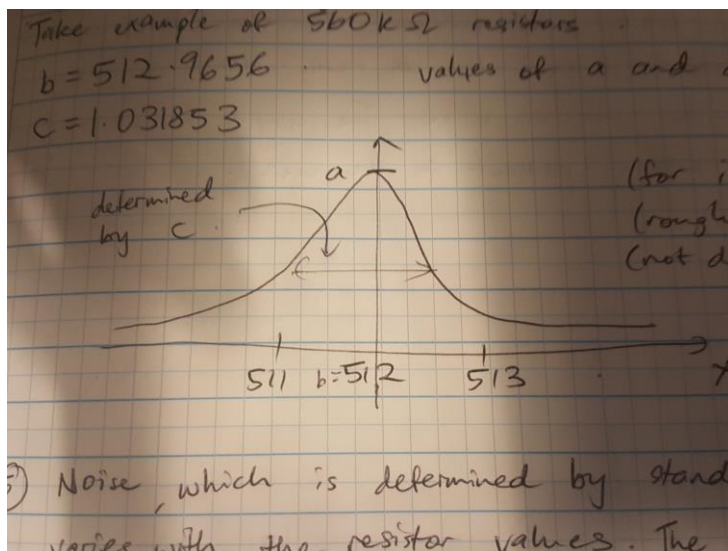
- When two  $560\text{kohms}$  resistors are connected to the ports, we first recorded a mean of 512.97 with s.d. of 1.03. However, upon switching the two resistors, a mean of 509.85 with s.d. of 1.13 is recorded. The difference in mean value recorded is attributed to the difference in actual resistance of the resistors. Hence, the voltage divider does not equally "divide" the

voltage (not exactly in half). We observe similar patterns when the experiment was repeated using a range of resistor values (560 kohms, 1 Mohms, 1.5 Mohms, 2.2 Mohms).

- From the plotted graph, we found that the mean voltage recorded is slightly correlated to the resistance. However, the s.d. has a strong correlation to the value of resistance. In other words, s.d. increases as the resistance value increases (e.g. some tolerance but gets bigger when resistor value is bigger)
- Generic phenomenon: When two resistors are interchanged, the mean will increase to above 512, if the value is less than 512 (i.e. 508 -> 513) and vice versa. This is consistent with the actual resistance not being exactly that of its specifications. However, the s.d. remains within the stated degree of tolerance.

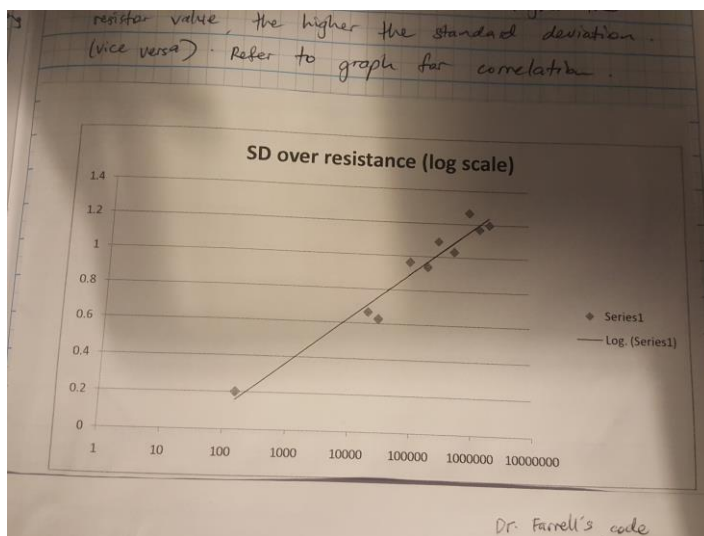
### Analysis (Answers)

1. Baud rate is 9600 bps. Baud rate is the maximum bits per second on the wire.
2. Sample rate recorded = 195.83 (max)
3. Sample rate can be adjusted by manipulating delay in code (i.e. `delay(1);` or `delay(1000);`). (Sample rate recorded = 20.47 when delay = 500). The higher the delay, the lower the sample rate.
4. Sample rate also increased when “`Serial.println`” was removed from code.
5. Assume that noise is the standard deviation in this case. Standard deviation ranges from 0.202812% to 1.288424%. The “noise” or standard deviation falls within (or close to) the tolerance level of the resistors of 1%.
6. Gaussian function is given as:
7.  $F(x) = a \exp(-(x-b)^2/2c^2)+d$
8. Where a = height of peak
9. B = position of center
10. C = standard deviation
11. D = value that function asymptotically approaches far from peak
12. From observation, yes, the noise is Gaussian. Take example of 560 kohms resistors.
13.  $B = 512.9656$ ,  $c = 1.031853$
14. Values of a and d are unknown
15. Gaussian distribution
16. Noise, which is determined by standard deviation, varies with the resistor values. The higher the resistor value, the higher the standard deviation (vice versa). Refer to graph for correlation. (GRAPH AND CODE)
17. Mean (bit values) might seem to have a correlation with resistor value BUT from analysis, remember that switching two resistors changes the mean. Mean is not correlated with resistor value. (GRAPH OF MEAN OVER RESISTANCE)
18. We were given a 5V voltage source on the Arduino . (Expected) Using a lower 3V voltage might give less sensitive bit values. But this is only a conjecture, it is inconclusive. Noise mainly depends on tolerance of resistors. So, no, voltage source does not affect results (based on data we have).



DISCUSS SIGNAL TO NOISE RATIO – REFER TO POZAR

(SCREENSHOT + CODE)



```

/*
  ESI WS1 code2
  AnalogReadSerial
  Reads an analog input on pin 0, prints the result to the serial monitor.
  Attach the center pin of a potentiometer to pin A0, and the outside pins to
  +5V and ground.

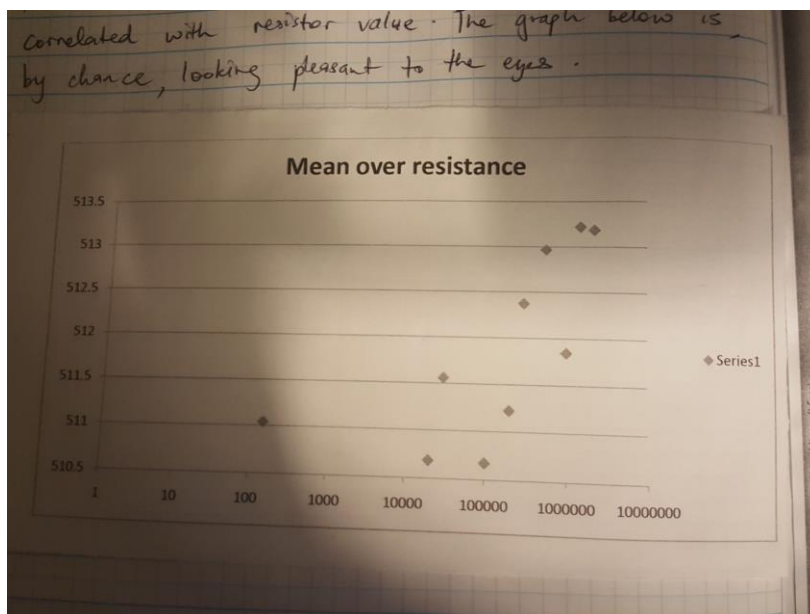
  This example code is in the public domain.
*/

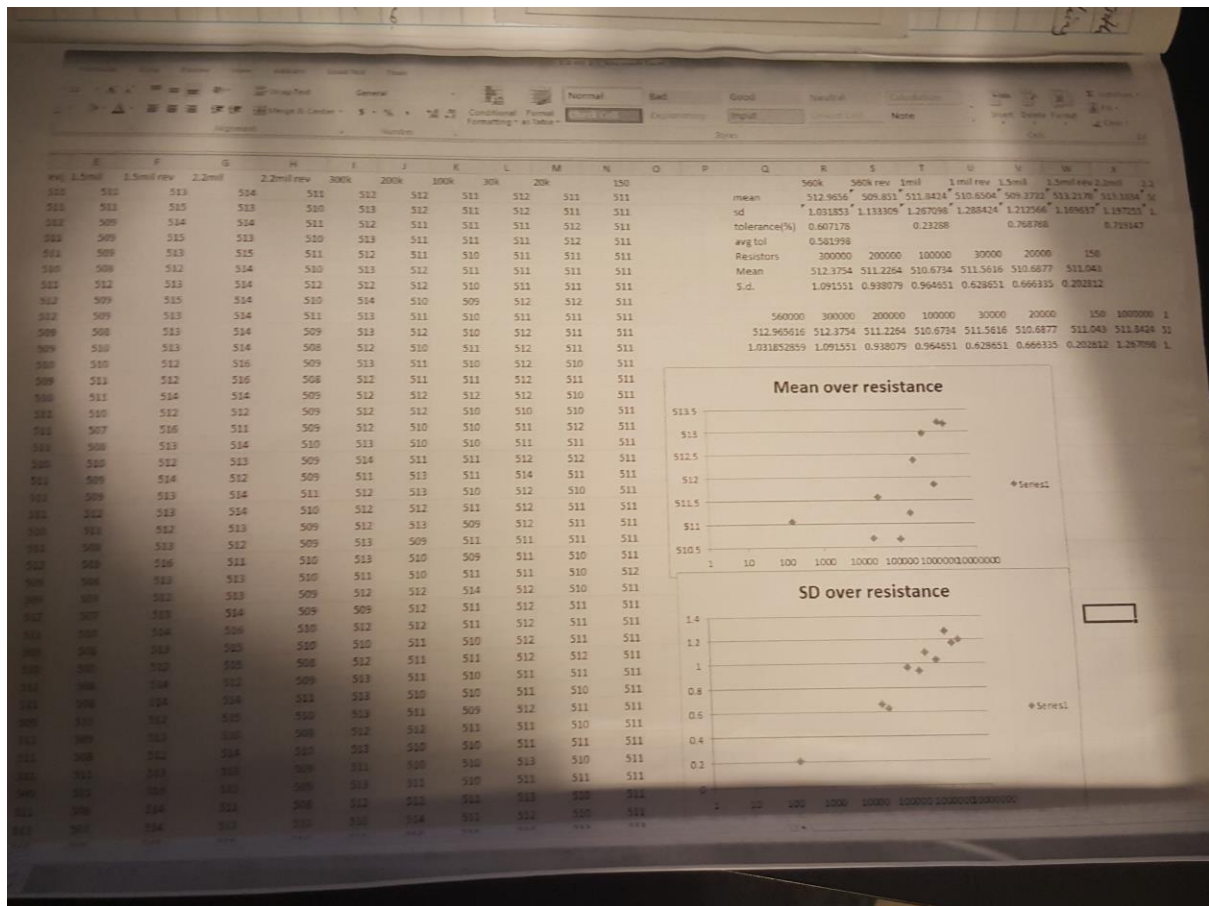
// the setup routine runs once when you press reset:
float mn=511;
double sd=0;
void setup() {
  // initialize serial communication at 9600 bits per second:
  Serial.begin(9600);
}

// the loop routine runs over and over again forever:
void loop() {
  long int t=millis();
  for(int i=0;i<10000;i++){
    // read the input on analog pin 0:
    int sensorValue = analogRead(A0);
    // print out the value you read:
    //Serial.println(sensorValue);
    mn=(1-0.1)*mn+sensorValue*0.1;

    sd=(1-0.1)*sd+(sqrt(((float(sensorValue)-mn)*(float(sensorValue)-mn))-sd))*0.1;
    delay(0.1); // delay in between reads for stability
  }
  t=millis()-t;
  float fs=1.0e6/t;
  //sd=sqrt(sd);
  Serial.println(fs);
  Serial.println(mn);
  Serial.println(sd);
  while(1){};
}

```



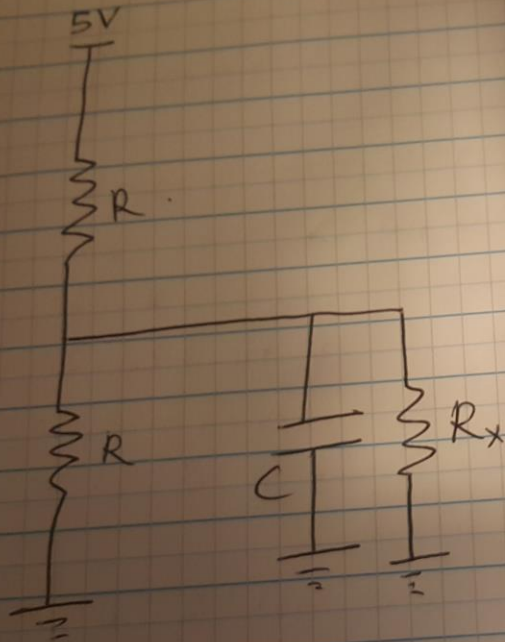


Extras

Our model for this lab is not accurate. Amore likely model is as follows:



Our model is as follows:



This is to account for the unexact actual resistance of  $R$ .

(Manufacturers of  $R$  are responsible. Not my fault that resistors differ in resistance from their specifications).

In terms of voltage, we expect to see 2.5 V

#### ESI WS1 code

```

/*
  AnalogReadSerial
  Reads an analog input on pin 0, prints the result to the serial monitor.
  Attach the center pin of a potentiometer to pin A0, and the outside pins to
  +5V and ground.

  This example code is in the public domain.
  */

// the setup routine runs once when you press reset:
void setup() {
  // initialize serial communication at 9600 bits per second:
  Serial.begin(9600);
}

// the loop routine runs over and over again forever:
void loop() {
  long int t=millis();
  for(int i=0;i<1000;i++){
    // read the input on analog pin 0:
    int sensorValue = analogRead(A0);
    // print out the value you read:
    Serial.println(sensorValue);
    delay(1);        // delay in between reads for stability
  }
  t=millis()-t;
  float fs=1.0e6/t;
  Serial.println(fs);
  while(1){};
}

```

This is to account for the inexact actual resistance of R.

Differs from manufacturers specifications.

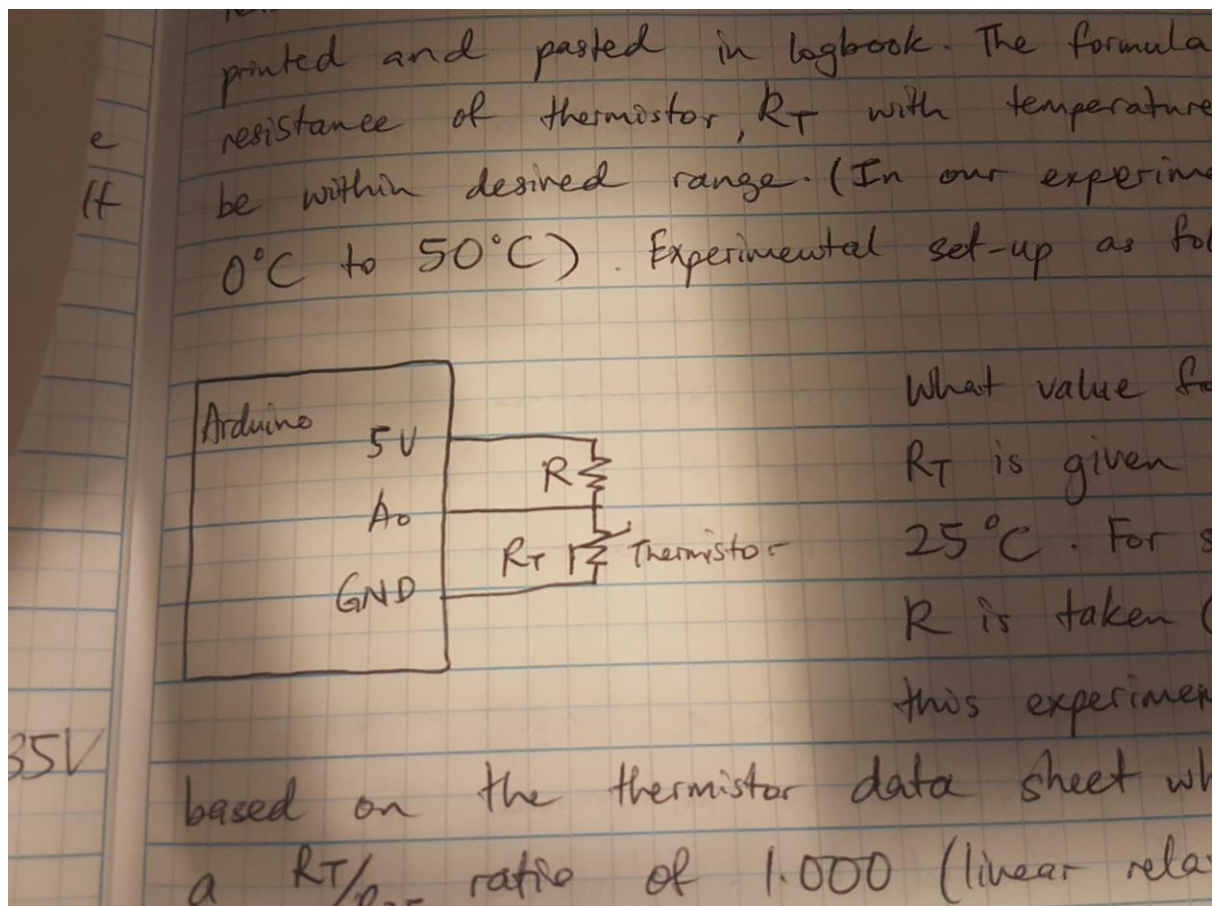
In terms of the voltage, we expect to see 2.5V but due to the different values of resistance, we get values ranging from  $509(2.5)/512 = 2.48535 \text{ V}$  to  $515(2.5)/512 = 2.51465 \text{ V}$ .

The voltage ranges from 2.48V to 2.52V. Arduino code is attached for reference.

## Workshop 2

Aim: Design a circuit to read the ambient temperature.



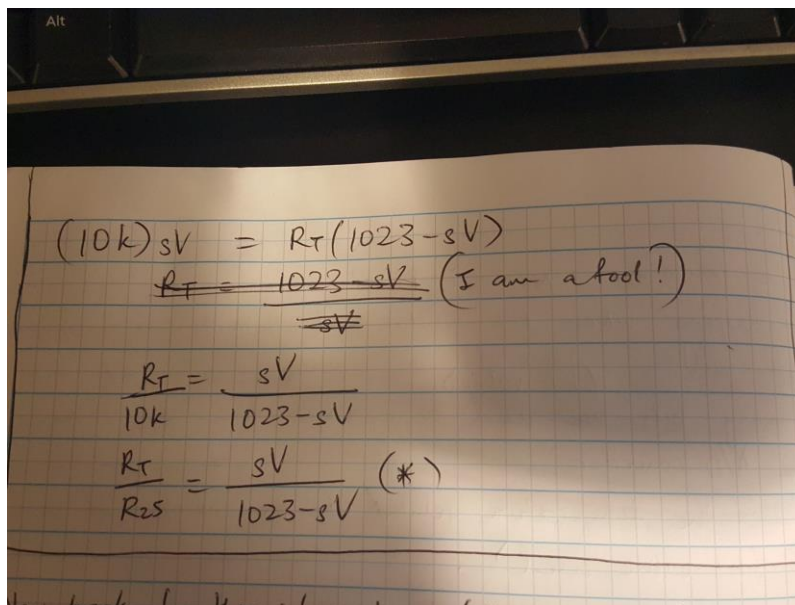


#### Introduction:

- Introduction to usage of thermistor (temperature dependent resistor)
- Will need to encode formulae for temperature calculation into Arduino.
- Use similar circuit to that in Workshop 1. Replace one of the resistors with thermistor. Also, thermistor data sheet is printed and pasted into logbook. The formula relates to resistance of thermistor,  $R_T$  with temperature and must be within desired range. (In our experiment, choose 0 degrees to 50 degrees). Experimental setup is as follows:
- PCITUREREEEEEEEEEEEEEEEE
- What value for  $R$ ?  $R_T$  is given as 10kohms at 25 degrees. For simple calculations,  $R$  is taken at 10 kohms for this experiment. This is based on the thermistor datasheet where 25 degrees gives a  $R_T/R_{25}$  ratio of 1.000 (linear relation with a 1 to 1 relationship). Also, we are only interested in temperatures in the range of 5 degrees to 45 degrees.
- From thermistor datasheet, we may use two formula:
- $R_T/R_{25} = \exp(A+B/T+C/T^2+D/T^3)$  where  $T$  = temperature in K and  $K$  = degrees +273.15
- The desired temperature range conveniently falls into 0 degrees to 50 degrees so:
- $A = -1.4141963E+01$
- $B = 4.4307830E+03$
- $C = -3.40789983E+04$
- $D = -8.8941929E+06$
- $1/T = a+b(\ln R_T/R_{25})+c(\ln R_T/R_{25})^2+d(\ln R_T/R_{25})^3$
- Again use  $A, B, C, D$  for 0 to 50 degrees

- $A = 3.3540154E-03$
- $B = 2.5627725E-04$
- $C = 2.0829210E-06$
- $D = 7.3003206E-08$
- $R_T/R_{25}$  range: 3.274 to 0.36036
- Use formula 2 for temperature calculation in Arduino. We know the  $R_T/R_{25}$  ratio based on the data obtained from the reading of A0 in the Arduino.

Since we are interested only in a range between 5 degrees and 45 degrees, there is a minimum and maximum that  $R_T$  should be. Calculate once thermistor type (NTC or PTC) is determined.



Handwritten notes on a grid-lined notebook showing the derivation of the thermistor resistance ratio formula:

$$(10k)_{sV} = R_T(1023 - sV)$$

$$\cancel{R_T = \frac{1023 - sV}{sV}} \quad (\text{I am a fool!})$$

$$R_T = \frac{sV}{1023 - sV}$$

$$\frac{R_T}{R_{25}} = \frac{sV}{1023 - sV} \quad (*)$$

From Q1, the thermistor is NTC.

$$R_5 = R_T \text{ at } 5 \text{ degrees} = 735 / (1023 - 735)(10K) = 25520.83 \text{ ohms}$$

$$R_{45} = R_T \text{ at } 45 \text{ degrees} = 312 / (1023 - 312)(10K) = 4388.19 \text{ ohms}$$

Where  $sV = 735$  at 5 degrees and  $sV = 312$  at 45 degrees



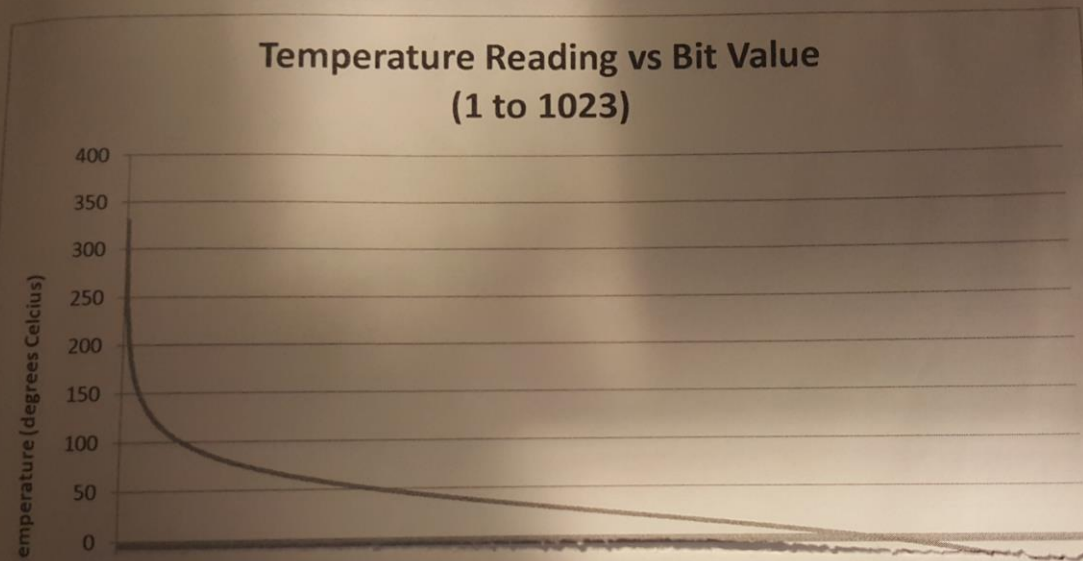




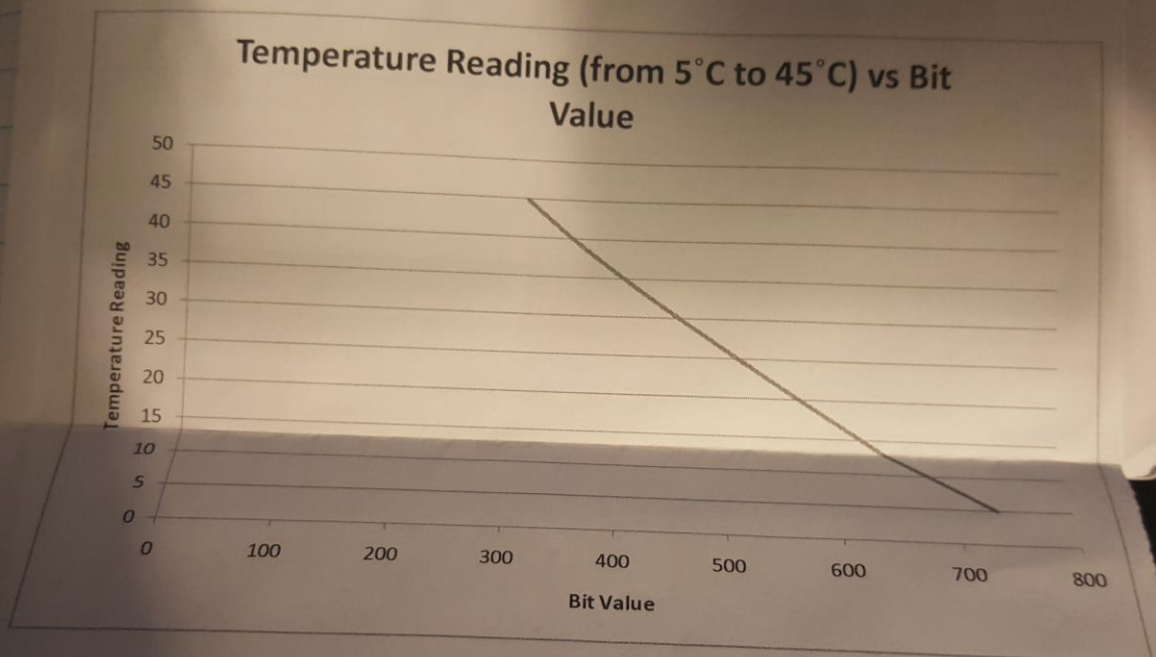
[illegible]



used is non-linear.



Within 5°C and 45°C, the <sup>values</sup> bit values that represent





Hence, the sensitivity is given by the biggest possible change in temperature (i.e. 0.12). The change in 1 bit (increase or decrease) causes a change of 0.12 degrees in temperature (increase or decrease).

⑤ We are given that:

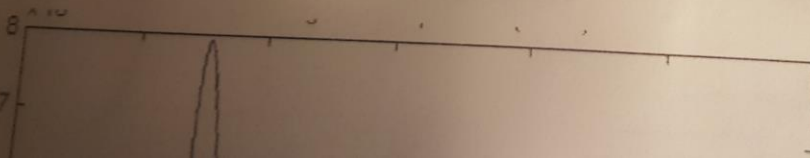
$$\frac{R_T}{R_{25}} = \exp\left(A + \frac{B}{T} + \frac{C}{T^2} + \frac{D}{T^3}\right)$$

$$\frac{d(R_T/R_{25})}{dT} = -\left(\frac{B}{T^2} + \frac{2C}{T^3} + \frac{3D}{T^4}\right) \exp\left(A + \frac{B}{T} + \frac{C}{T^2} + \frac{D}{T^3}\right)$$

$$\frac{dR}{dT} \approx \frac{\Delta R}{\Delta T}$$

Plotting these two equations in MATLAB, we obtain:

$R_T/R_{25}$  against Temperature.

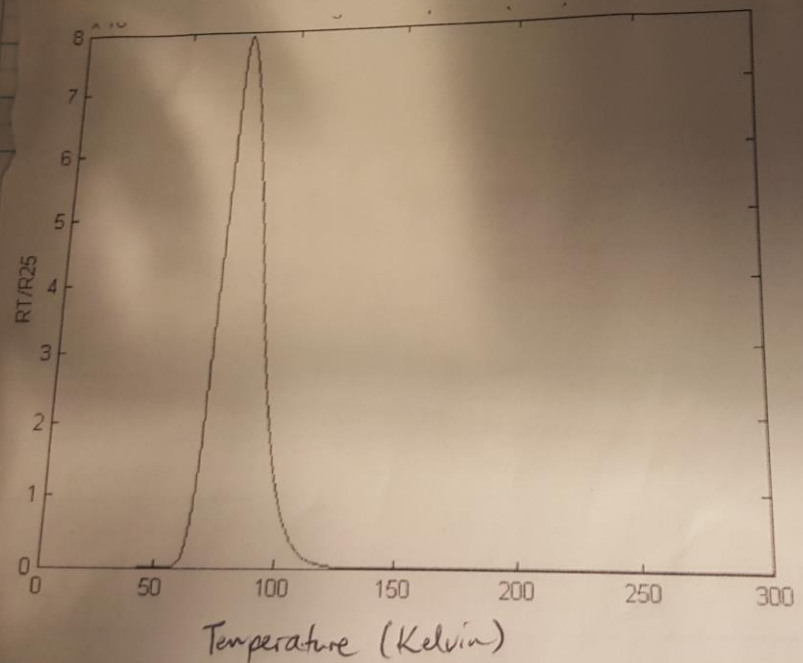


$$\frac{d(RT/R_{25})}{dT} = \left( \frac{1}{T^2} + \frac{1}{T^3} + \frac{1}{T^4} \right)$$

$$\frac{dR}{dT} \approx \frac{\Delta R}{\Delta T}$$

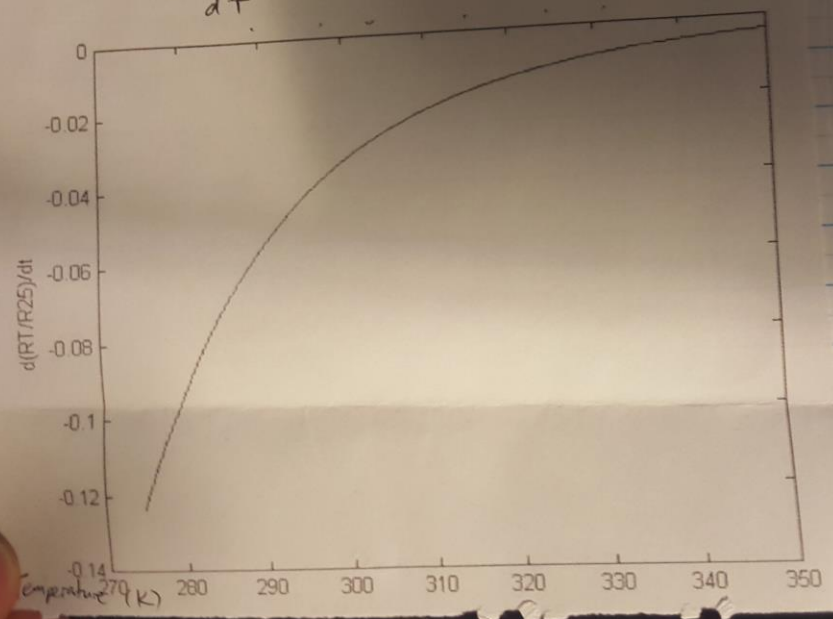
Plotting these two equations in MATLAB, we obtain

$RT/R_{25}$  against Temperature.



Temperature (Kelvin)

$\frac{d(RT/R_{25})}{dT}$  against  $T(K)$ .



From the plot below, the difference in temperatures represented by adjacent bit values is between 0.08 to 0.12. (for 5°C to 45°C).

The plot shows the difference in temperatures represented by adjacent bit values. The x-axis represents the Bit Value (0 to 800), and the y-axis represents the Difference (0 to 0.14). The data points are horizontal bars with error bars, indicating the range of differences for specific bit values. The differences are generally between 0.08 and 0.12, with some variation in the range of bit values covered.

Bit Value Range	Difference Range
300 - 350	0.11 - 0.12
350 - 400	0.10 - 0.11
400 - 450	0.09 - 0.10
450 - 500	0.08 - 0.09
500 - 650	0.08 - 0.09
650 - 700	0.10 - 0.11



## Workshop 4: Phase Shift Oscillator

### Introduction: