

P0:1; P1:t; P2:t^2; P3:t^3; P4:t^4;

Warning: Can set maxima's working directory but cannot change it during the maxi

1

t

t²

t³

t⁴

'integrate((((P0-P1)·sqrt(1-t^2))),t,-1,1)=integrate((((P0-P1)·sqrt(1-t^2))),t,-1,1);

$$\int_{-1}^1 t \sqrt{1-t^2} dt = 0$$

'integrate((((P0-P0)·sqrt(1-t^2))),t,-1,1)=integrate((((P0-P0)·sqrt(1-t^2))),t,-1,1);

$$\int_{-1}^1 \sqrt{1-t^2} dt = \frac{\pi}{2}$$

'integrate((((P2-P1)·sqrt(1-t^2))),t,-1,1)=integrate((((P2-P1)·sqrt(1-t^2))),t,-1,1);

$$\int_{-1}^1 t^3 \sqrt{1-t^2} dt = 0$$

'integrate((((P1-P1)·sqrt(1-t^2))),t,-1,1)=integrate((((P1-P1)·sqrt(1-t^2))),t,-1,1);

$$\int_{-1}^1 t^2 \sqrt{1-t^2} dt = \frac{\pi}{8}$$

'integrate((((P0-P2)·sqrt(1-t^2))),t,-1,1)=integrate((((P0-P2)·sqrt(1-t^2))),t,-1,1);

$$\int_{-1}^1 t^2 \sqrt{1-t^2} dt = \frac{\pi}{8}$$

'integrate((((P3·(t^2-0.25))·sqrt(1-t^2))),t,-1,1)=integrate((((P3·(t^2-0.25))·sqrt(1-t^2))),t,-1,1);

$$\int_{-1}^1 t^3 \sqrt{1-t^2} (t^2 - 0.25) dt = 0$$

'integrate((((t^2-0.25)·(t^2-0.25))·sqrt(1-t^2))),t,-1,1)=integrate((((t^2-0.25)·(t^2-0.25))·sq

rat: replaced -0.25 by -1/4 = -0.25

rat: replaced -0.25 by -1/4 = -0.25

rat: replaced 0.03125 by 1/32 = 0.03125

rat: replaced -0.1666666666666667 by -1/6 = -0.1666666666666667

rat: replaced 0.03125 by 1/32 = 0.03125

rat: replaced 0.03125 by 1/32 = 0.03125

rat: replaced -0.1666666666666667 by -1/6 = -0.1666666666666667

rat: replaced 0.03125 by 1/32 = 0.03125

$$\int_{-1}^1 \sqrt{1-t^2} (t^2 - 0.25)^2 dt = \frac{\pi}{32}$$

'integrate((((P3-P1)·sqrt(1-t^2))),t,-1,1)=integrate((((P3-P1)·sqrt(1-t^2))),t,-1,1);

$$\int_{-1}^1 t^4 \sqrt{1-t^2} dt = \frac{\pi}{16}$$

'integrate((((P4·(P3-0.5·P1))·sqrt(1-t^2)),t,-1,1)=integrate((((P4·(P3-0.5·P1))·sqrt(1-t^2)),t,-1,1);

rat: replaced 0.5 by 1/2 = 0.5

rat: replaced -0.5 by -1/2 = -0.5

$$\int_{-1}^1 t^4 \sqrt{1-t^2} (t^3 - 0.5 t) dt = 0$$

'integrate((((P3-0.5·P1)·(P3-0.5·P1))·sqrt(1-t^2)),t,-1,1)=integrate((((P3-0.5·P1)·(P3-0.5·P1))·sqrt(1-t^2)),t,-1,1);

rat: replaced 0.5 by 1/2 = 0.5

rat: replaced -0.5 by -1/2 = -0.5

rat: replaced -0.5 by -1/2 = -0.5

rat: replaced 0.0078125 by 1/128 = 0.0078125

rat: replaced -0.015625 by -1/64 = -0.015625

rat: replaced 0.06249999999999999 by 1/16 = 0.0625

rat: replaced 0.0078125 by 1/128 = 0.0078125

rat: replaced 0.0078125 by 1/128 = 0.0078125

rat: replaced -0.015625 by -1/64 = -0.015625

rat: replaced 0.06249999999999999 by 1/16 = 0.0625

rat: replaced 0.0078125 by 1/128 = 0.0078125

$$\int_{-1}^1 \sqrt{1-t^2} (t^3 - 0.5 t)^2 dt = \frac{\pi}{128}$$

'integrate((((P4·(t^2-0.25))·sqrt(1-t^2)),t,-1,1)=integrate((((P4·(t^2-0.25))·sqrt(1-t^2)),t,-1,1);

rat: replaced -0.25 by -1/4 = -0.25

rat: replaced -0.25 by -1/4 = -0.25

rat: replaced 0.0234375 by 3/128 = 0.0234375

rat: replaced -0.046875 by -3/64 = -0.046875

rat: replaced -0.0625 by -1/16 = -0.0625

rat: replaced 0.0234375 by 3/128 = 0.0234375

rat: replaced 0.0234375 by 3/128 = 0.0234375

rat: replaced -0.046875 by -3/64 = -0.046875

rat: replaced -0.0625 by -1/16 = -0.0625

rat: replaced 0.0234375 by 3/128 = 0.0234375

$$\int_{-1}^1 t^4 \sqrt{1-t^2} (t^2 - 0.25) dt = \frac{3 \pi}{128}$$

'integrate((((P4·P1)·sqrt(1-t^2)),t,-1,1)=integrate((((P4·P1)·sqrt(1-t^2)),t,-1,1);

$$\int_{-1}^1 t^5 \sqrt{1-t^2} dt = 0$$