# Stat 5309 Lab 6

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## 1

```
bit_sizes <- c("1/16","1/8")
speeds <- c("40","90")
treatments <- expand.grid(bit_size=rep(bit_sizes,4),speed=speeds)</pre>
treatments
##
      bit_size speed
## 1
          1/16
## 2
           1/8
                  40
## 3
          1/16
                  40
          1/8
## 4
                  40
## 5
          1/16
                  40
## 6
          1/8
                  40
## 7
          1/16
                  40
## 8
          1/8
                  40
## 9
          1/16
                  90
## 10
          1/8
                  90
## 11
          1/16
                  90
## 12
          1/8
                  90
## 13
          1/16
                  90
## 14
          1/8
                  90
## 15
          1/16
                  90
## 16
           1/8
                  90
circuit_data <- data.frame(treatments,</pre>
                            vibration =c(18.2,18.9,12.9,14.4,
                                         27.2,24.0,22.4,22.5,
                                          15.9,14.5,14.1,14.2,
                                          41.0,43.9,36.3,39.9
                                          )
                            )
circuit_data %>% kable()
```

bit_size	speed	vibration
1/16	40	18.2
1/8	40	18.9
1/16	40	12.9
1/8	40	14.4
1/16	40	27.2
1/8	40	24.0
1/16	40	22.4
1/8	40	22.5
1/16	90	15.9
1/8	90	14.5
1/16	90	14.1

bit_size	speed	vibration
1/8	90	14.2
1/16	90	41.0
1/8	90	43.9
1/16	90	36.3
1/8	90	39.9

#### $\mathbf{a}$

analyze the data from this experiment.

## b

construct a normal probability plot of the residuals, and plot the residuals versus the predicted vibration level. Interpret these plots.

#### $\mathbf{c}$

Draw the AB interaction plot. What levels of bit size and speed would you recommend for routine operation?

# $\mathbf{2}$

```
cutting_speeds <- c("-","+")</pre>
tool_geometries <- c("-","+")
cutting_angles <- c("-","+")
machine_trts <- expand.grid(cutting_speed=rep(cutting_speeds,3),</pre>
                              tool_geometry=tool_geometries,
                              cutting_angle=cutting_angles)
machine_data <- data.frame(machine_trts,</pre>
                             lifetime = c(22,31,25,
                                           32,43,29,
                                           35,34,50,
                                           55,47,46,
                                           44,45,38,
                                           40,37,36,
                                           60,50,54,
                                           39,41,47
machine_data %>% kable()
```

cutting_speed	tool_geometry	$cutting\_angle$	lifetime
-	-	-	22
+	-	-	31
-	-	-	25
+	-	-	32
-	-	-	43

cutting_speed	tool_geometry	cutting_angle	lifetime
+	-	-	29
-	+	-	35
+	+	-	34
-	+	-	50
+	+	-	55
-	+	-	47
+	+	-	46
-	-	+	44
+	-	+	45
-	-	+	38
+	-	+	40
-	-	+	37
+	-	+	36
-	+	+	60
+	+	+	50
-	+	+	54
+	+	+	39
-	+	+	41
+	+	+	47

#### $\mathbf{a}$

Estimate the factor effects. Which effect appears to be large?

## b

Use the analysis of variance to confirm your conclusions for part a.

## $\mathbf{c}$

Write down a regression model for predicting tool life (in hours) based on the results of this experiment.

## $\mathbf{d}$

Analyze the residuals. Are there any obvious problems?

#### e

based on an analysis of main effect and interaction plots, what levels of A, B, and C would you recommend using?

## 3

An experiment was performed to improve the yield of a chemical process. Four factors were selectd, and two replicates of a completely randomized experiment were run. The results are shown in the following table.

#### $\mathbf{a}$

Estimate the factor effects.

### b

Prepare an analysis of variance table and determine which factors are important in explaining yield.

#### $\mathbf{c}$

Write down a regression model for predicting yield, assuming that all four factors were varied over the range from -1 to +1.

## $\mathbf{d}$

Plot the residuals versus the predicted yield and on a normal probability scale. Does the residual analysis appear satisfactory?

#### $\mathbf{e}$

Two three-factor interactions, ABC and ABD, apparently have large effects. Draw a cube plot in th factors A, B, and C with the average yields shown at each corner. Repeat using the factors A, B, and D. Do these two plots aid in a data interpretation? Where would you recommend that the process be run with respect to the four variables?