1.

$$\begin{split} (CPUTime)_{A} &= (Instruction\ count)_{A}*(CPI)_{A}*(Clock\ cycle\ Time)_{A}\\ &= (100,000)*(1.3)/(600*10^{6})\ ns\\ (CPUTime)_{B} &= (Instruction\ count)_{B}*(CPI)_{B}*(Clock\ cycle\ Time)_{B}\\ &= (I)_{B}*(2.5)/(750*10^{6})\ ns\\ Since\quad (CPUTime)_{A} &= (CPUTime)_{B}, \end{split}$$

we have to solve for (I)B and get 65000

Or you can solve it that way:

$$\begin{cases} \mathit{CPI}_A = 1.3 \\ \mathit{Instruction\ Number}_A = 10^5 \rightarrow \mathit{Execution\ time\ for\ } A = \frac{\mathit{CPI}_A * \mathit{Instruction\ Number}_A}{\mathit{F}_A} = \frac{13}{6} * 10^{-4} \\ \mathit{Ferequency}_A = 600\ \mathit{MHz} \end{cases}$$

Execution Time
$$A = Execution Time B \rightarrow \frac{CPI_B * Instruction Number_B}{F_B} = \frac{13}{6} * 10^{-4}$$

$$\rightarrow \frac{2.5*nstruction\ Number_{B}}{750*10^{6}} = \frac{13}{6}*10^{-4} \rightarrow Instruction\ Number_{B} = 65000$$

2.

For running program with efficient divide time will be:

Execution Time_{Divide} =
$$\frac{0.2 * T_{Total}}{3} + 0.8 * T_{Total} = 0.8\overline{6} * T_{Total} \rightarrow 1.15x$$
 faster

For running program with efficient multiply time will be:

Execution Time_{Multiply} =
$$\frac{0.5 * T_{Total}}{8} + 0.5 * T_{Total} = 0.5625 * T_{Total} \rightarrow 1.\overline{7}x$$
 faster

We cannot meet management's goal with only one improvement.

Another way that we will assume it is correct:

Assuming initially that the floating point multiply, floating point divide and the other instructions had the same CPI,

Execution time after Improvement with Divide = (20)/3 + (50 + 30) = 86.67

Execution time after Improvement with Multiply = (50)/8 + (20 + 30) = 56.67

The management's goal can't be met by making the improvement with Multiply alone.