BITS

1 2 3

	2	3
10 ²	10 ¹	10 ⁰
100	10	1

$$= 1 \times 10^{2} + 2 \times 10^{1} + 3 \times 10^{0}$$

$$= 1 \times 100 + 2 \times 10 + 3 \times 1$$

= 123

4 1 2 3

10¹

10⁰

10²

$$= 4 \times 10^{3} + 1 \times 10^{2} + 2 \times 10^{1} + 3 \times 10^{0}$$

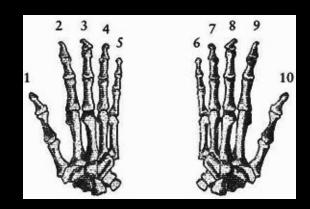
$$= 4 \times 10^{3} + 1 \times 10^{2} + 2 \times 10^{1} + 3 \times 10^{0}$$

$$= 4 \times 1000 + 1 \times 100 + 2 \times 10 + 3 \times 1$$

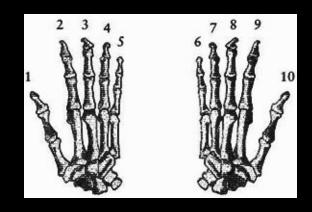
$$= 4 \times 10^{3} + 1 \times 10^{2} + 2 \times 10^{1} + 3 \times 10^{0}$$

$$= 4 \times 1000 + 1 \times 100 + 2 \times 10 + 3 \times 1$$

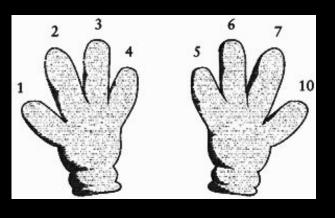
$$= 4123$$



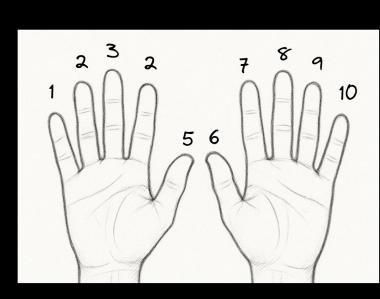
human hand



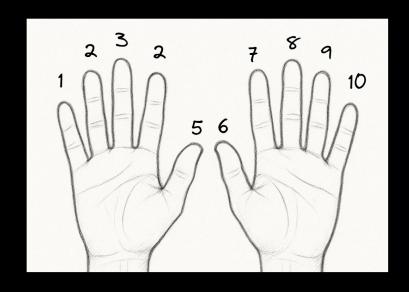
human hand

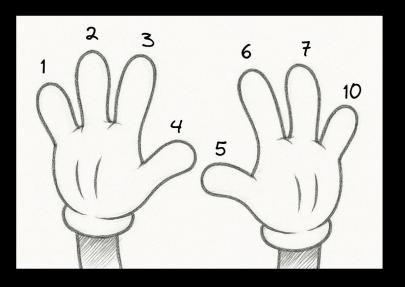


cartoon character's hand



human hand





human hand

cartoon character's hand

2 3 (octal)

2 3 (octal) 8² 8¹ 8⁰
 1
 2
 3

 8²
 8¹
 8⁰

(octal)

 $= 1 \times 8^{2} + 2 \times 8^{1} + 3 \times 8^{0}$

1 2 3

(octal)

80

$$= 1 \times 8^{2} + 2 \times 8^{1} + 3 \times 8^{0}$$

 $= 1 \times 64 + 2 \times 8 + 3 \times 1$

8¹

8²

 1
 2
 3

 8²
 8¹
 8⁰

(octal)

 $= 1 \times 8^{2} + 2 \times 8^{1} + 3 \times 8^{0}$

 $= 1 \times 64 + 2 \times 8 + 3 \times 1$

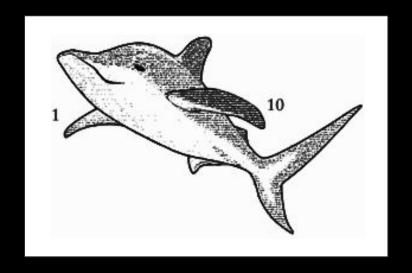
= 83 (decimal)

decimal octal 8

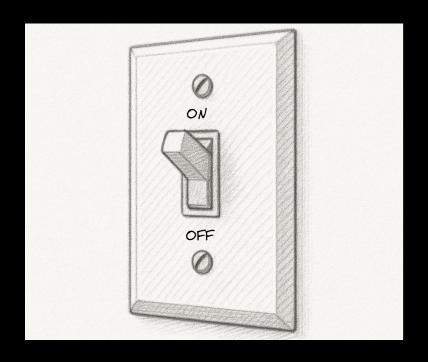
decimal octal

decimal octal 16 ?

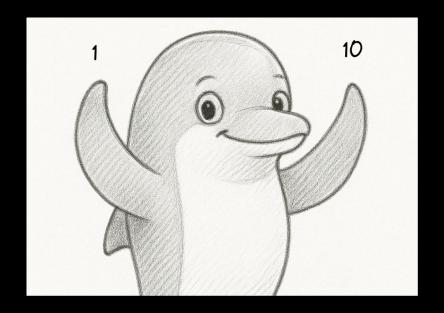
decimal octal ? 100



what now?



a binary number is like a switch



what now?

0, 1, ...

0, 1, 10, ...

0, 1, 10, 11, ...

0, 1, 10, 11, 100, ...

0, 1, 10, 11, 100, 101, ...

0, 1, 10, 11, 100, 101, 110

(binary)





$$= 1 \times 2^{2} + 1 \times 2^{1} + 0 \times 2^{0}$$

 $\frac{1}{2^2}$ $\frac{1}{2^1}$ $\frac{0}{2^0}$

(binary)

$$= 1 \times 2^{2} + 1 \times 2^{1} + 0 \times 2^{0}$$

 $= 1 \times 4 + 1 \times 2 + 0 \times 1$

1 1 0

(binary)

$$= 1 \times 2^{2} + 1 \times 2^{1} + 0 \times 2^{0}$$

 $= 1 \times 4 + 1 \times 2 + 0 \times 1$

= 6 (decimal)

2 3 4 5 6

0, 1, 10, 11, 100, 101, 110

place value systems

$$N = d_n * R^{n-1} + ... + d_2 * R^1 + d_1 *$$

$$d \in \{0, 1, ... R-1\}$$

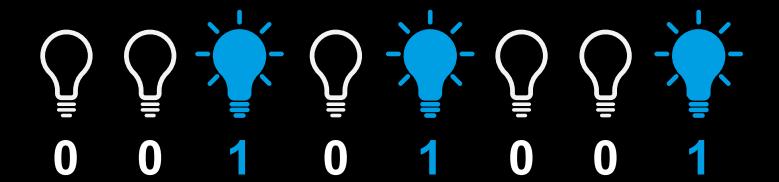
R ≥ 2

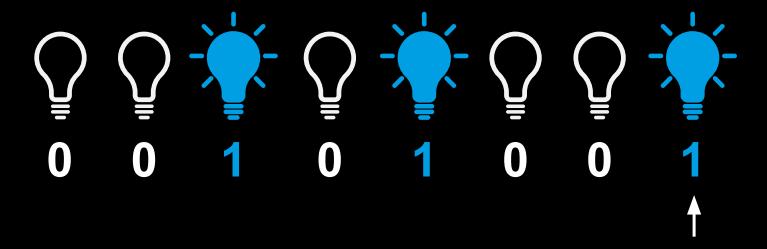
bits

why do computers think binary?

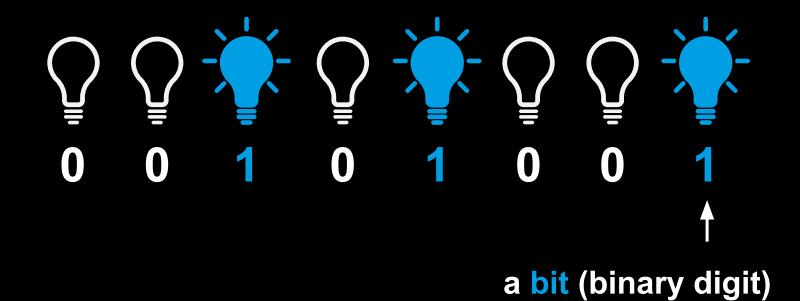




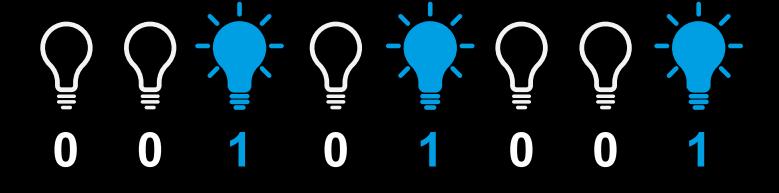




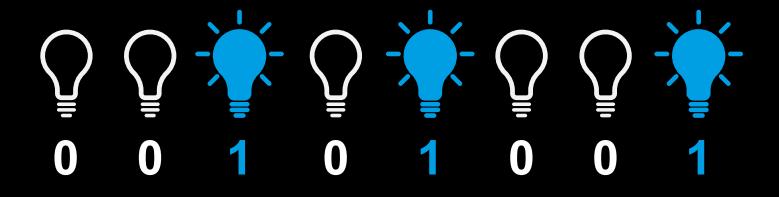
a bit (binary digit)



a byte (8 bits)



2⁷ 2⁶ 2⁵ 2⁴ 2³ 2² 2¹ 2⁰



2⁷

128

2⁶

64

2⁵

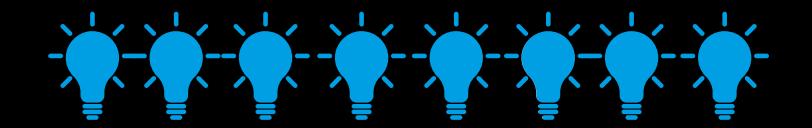
32

16

23

8

2²



what can we store in one byte?

what comes after the byte?

2^{10} bytes = 1.024 bytes = 1 Kibibyte (KiB)

2²⁰ bytes = 1.048.576 bytes = 1 Mebibyte (MiB)

 2^{30} bytes = 1.073.741.824 bytes = 1 Gibibyte (GiB)

```
10<sup>3</sup> bytes = 1.000 bytes = 1 Kilobyte (KB)

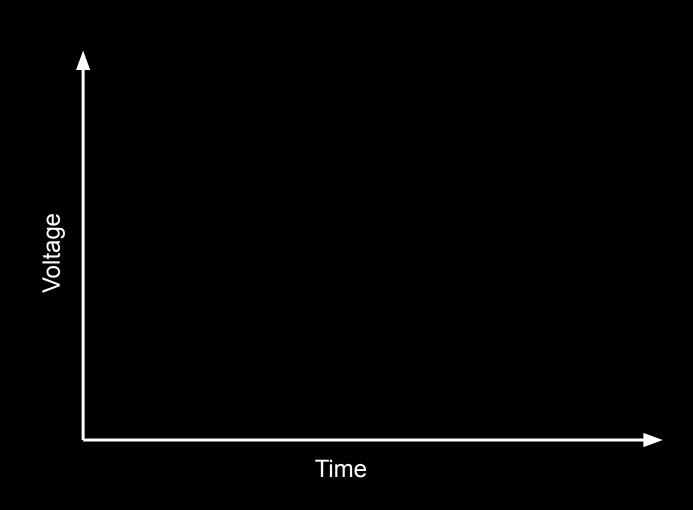
10<sup>6</sup> bytes = 1.000.000 bytes = 1 Megabyte (MB)

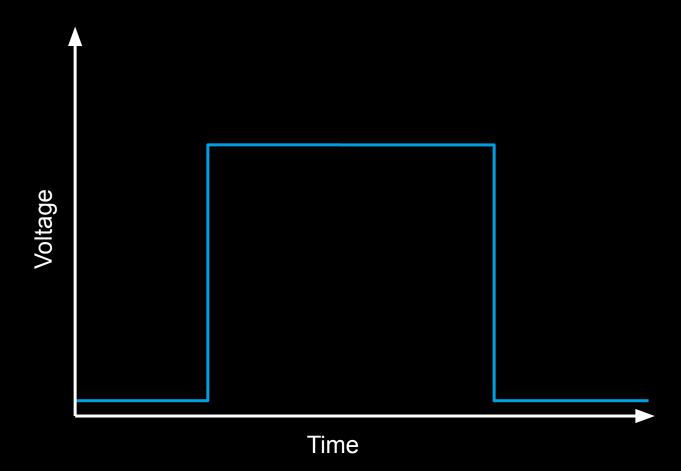
10<sup>9</sup> bytes = 1.000.000.000 bytes = 1 Gigabyte (GB)

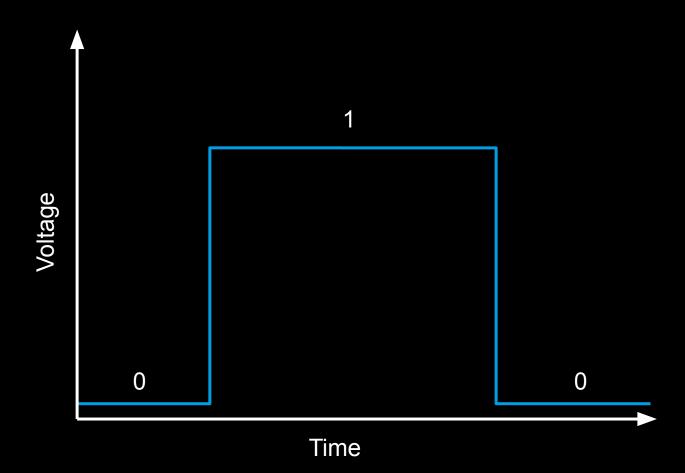
10<sup>12</sup> bytes = ?
```

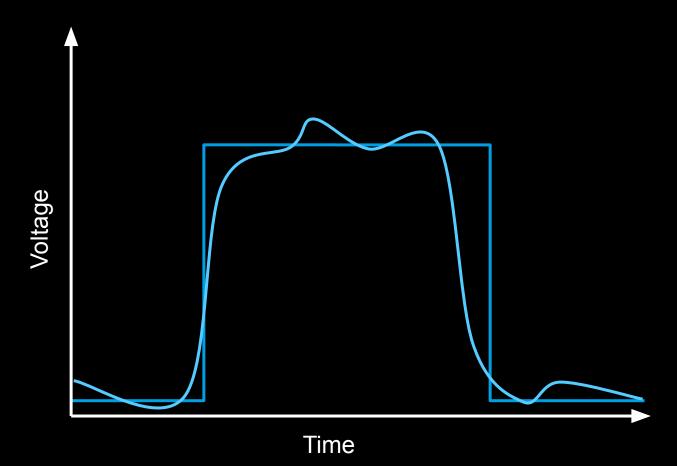
how many bits are on a DVD with 4.7 GB capacity?

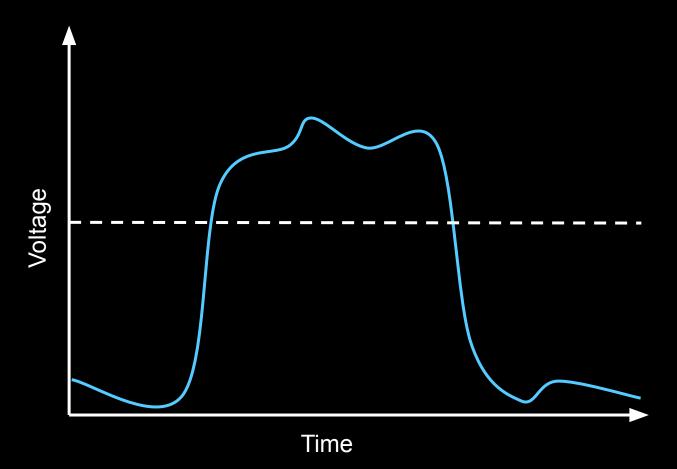
are we stuck with binary?

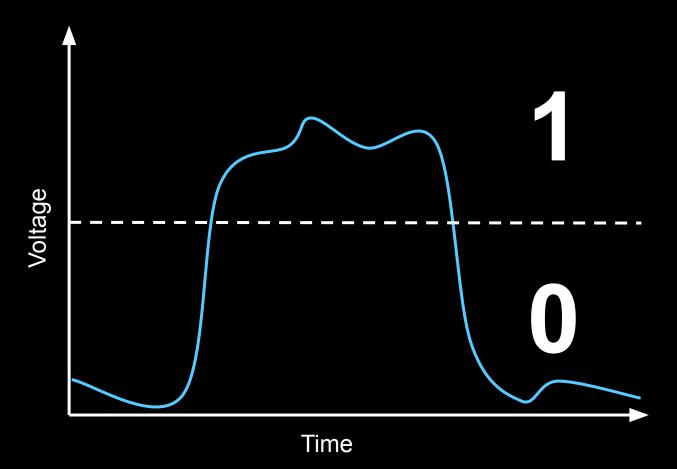


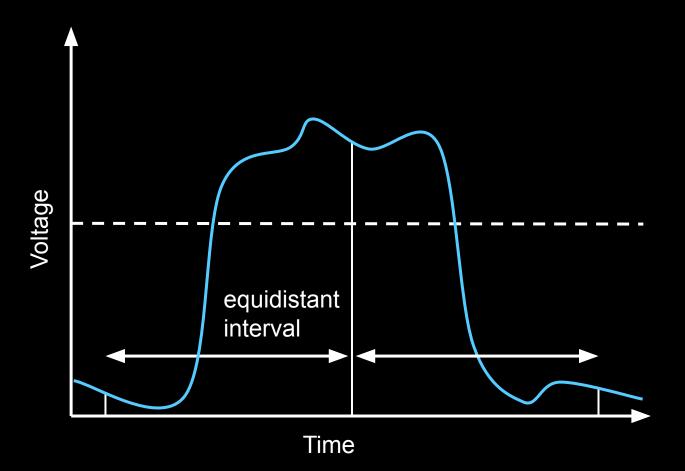


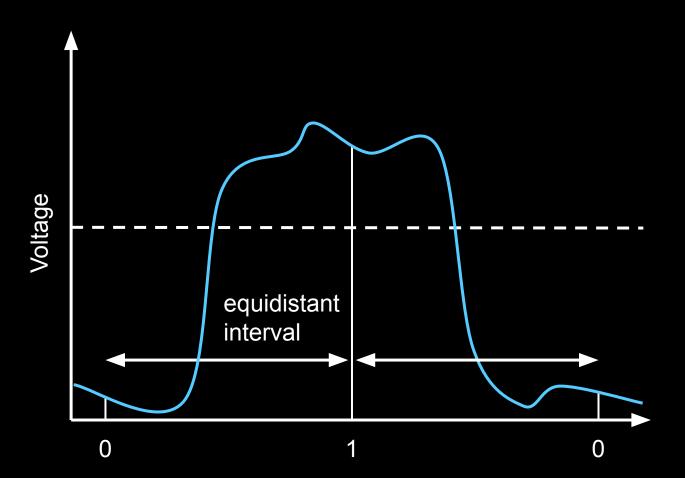


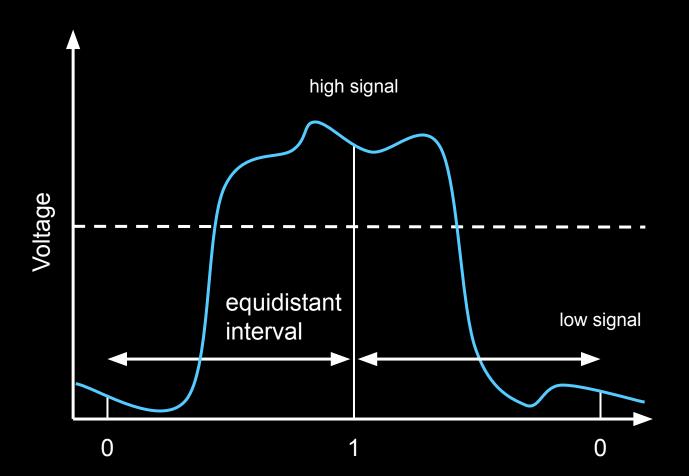




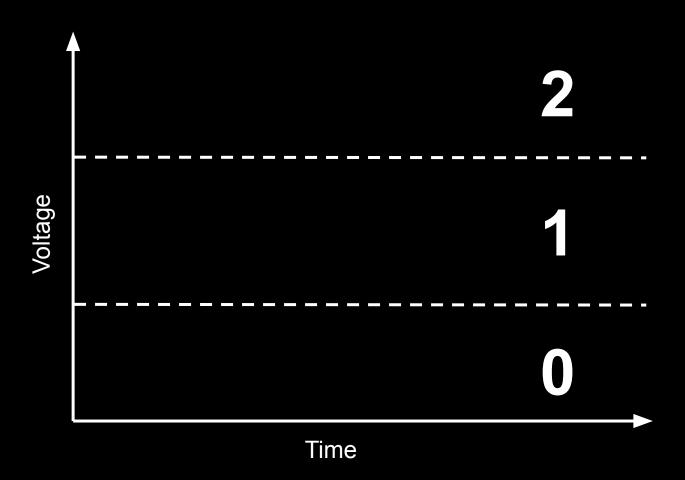


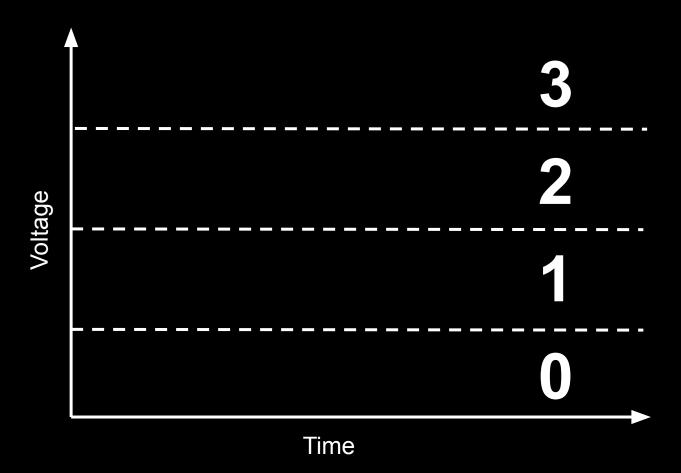


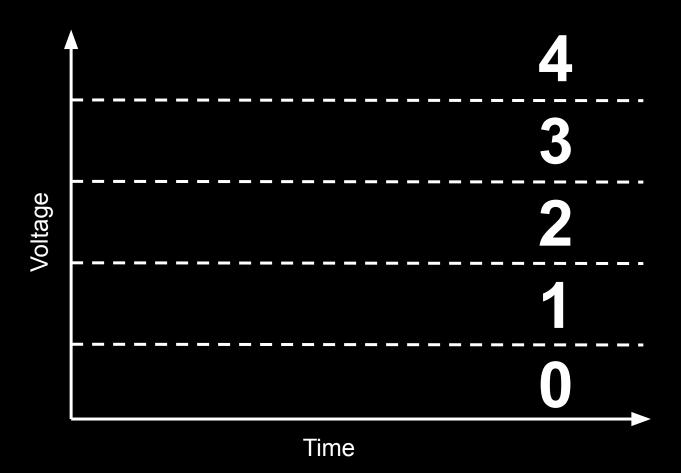


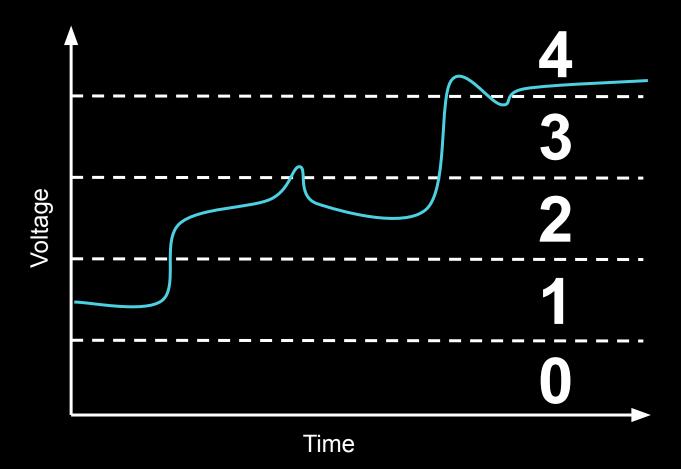


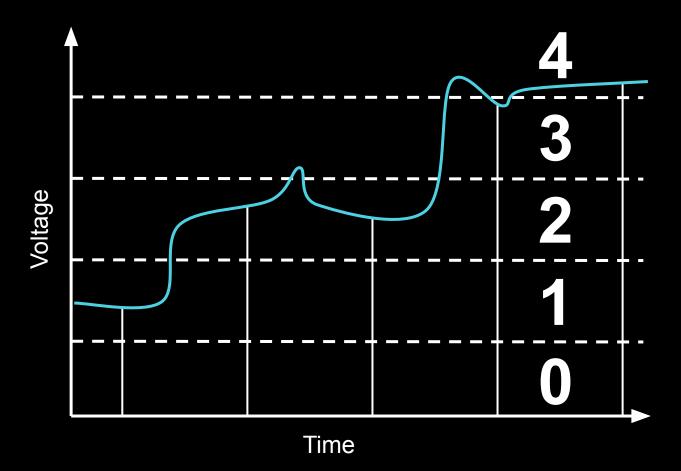
what about R > 2?

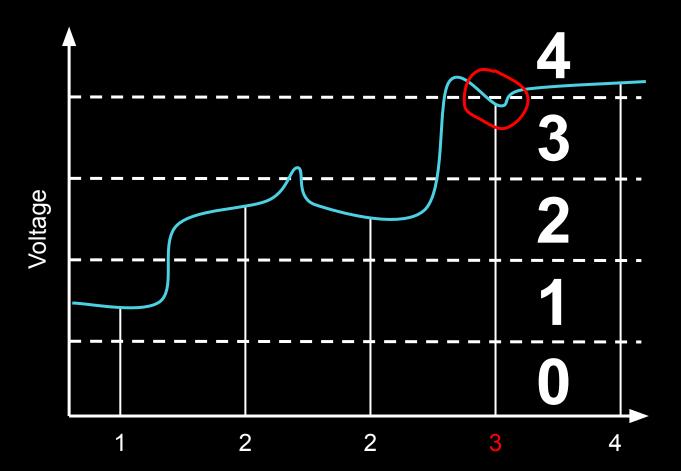












a higher base means less hardware

but more complex devices

a higher base means less hardware

a higher base means less hardware

but more complex devices

and more errors