

# Semantic Frame Induction

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# Overview

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# Semantic Frames

- Frame semantics – Charles J. Fillmore (1976).
- A semantic frame is “a description of a type of event, relation, or entity and the participants in it.” (Framenet)
- There is no mapping between frames and verbs.

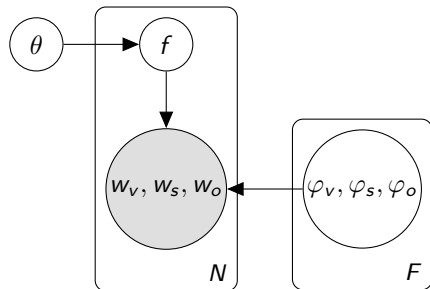
An example:

<i>predicate:</i>	Transaction
<i>role 1:</i>	baker
<i>role 2:</i>	Alice
<i>role 3:</i>	bread

- Alice buys a bread from the baker
- The baker sells Alice a bread

- A syntactic-ngram is a  $k$ -word rooted subtree for some sentence.
- Google ngrams come from a corpus of 3.5 million English books.
- We trimmed the “verb args” dataset to consider only subject-verb-object triples (VSO's).
- The dataset contains 1,629,120 unique VSO's with a total of 96,245,401 by count.
- In our final results we may only use the most common %20 of these...

# Model 0 - EM



- $N$  number of data points
- $F$  number of frames
- $\theta$  distribution over frames
- $\varphi_a$  distributions (for each frame) over vocabulary of argument  $a$
- $w_a$  datapoint (verb, subject, object)

E-Step:

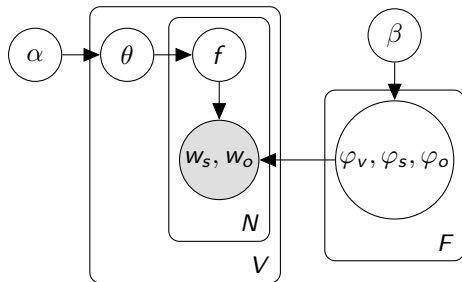
$$P(f|w_i) = \frac{\prod_a^{\{v,s,o\}} P(w_i^a | \varphi_f^a) P(f|\theta)}{\sum_{f'}^F \prod_a^{\{v,s,o\}} P(w_i^a | \varphi_{f'}^a)}$$

M-Step:

$$P(f|\theta) = \frac{\sum_{i=1}^N \mu_i(f)}{\sum_{f'=1}^F \sum_{i=1}^N \mu_i(f')}$$

$$P(w|\varphi_f^a) = \frac{\sum_{i=1}^N \mu_i(f) C(w, a)}{\sum_{w'=1}^{V^a} \sum_{i=1}^N \mu_i(f) C(w', a)}$$

# Model 1 - Gibbs Sampling



- $N$  number of data points
- $F$  number of frames
- $V$  number of documents (= verb vocabulary)
- $\theta$  distribution over frames
- $\varphi_a$  distributions (for each frame) over vocabulary of argument  $a$
- $w_a$  datapoint (verb, subject, object)
- $\beta$  hyperprior for  $\varphi$  (for each argument)
- $\alpha$  hyperprior for  $\theta$

Gibbs:

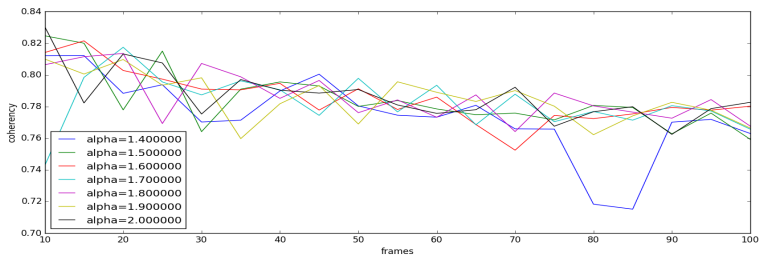
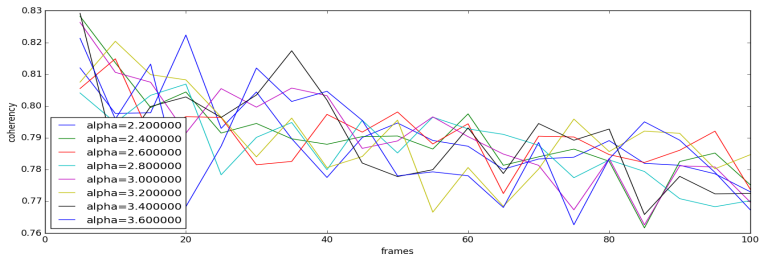
$$P(z_{ij} = f | \mathbf{f}_{-ij}, \alpha, \beta, \mathbf{w}) \propto \prod_a^{\{v,s,o\}} \frac{\beta^a + \tilde{C}(f, w_{ij})}{V^a + \tilde{C}(f)} \cdot \frac{\alpha + \tilde{C}(i, f)}{F\alpha + \tilde{C}(i)}$$

- $\tilde{C}(f, w_{ij})$  count times  $w_{ij}$  is assigned to frame  $f$
- $\tilde{C}(f)$  count total data points assigned to  $f$
- $\tilde{C}(i, f)$  count sentences in document  $i$  assigned to  $f$
- $\tilde{C}(i)$  count sentences in document  $i$

- Frame coherency: for a datapoint  $(v, s, o)$  and a tuple  $(v^r, s, o)$  where  $v^r$  is a random chosen verb:  $P(v \mid s, o) \geq P(v^r \mid s, o)$
- Frame correctness: for the top 25 most probable verbs per frame  $TV$  and framenet classes of verbs  $FN$ :

$$\frac{2|TV \cap FN|}{|TV| + |FN|}$$

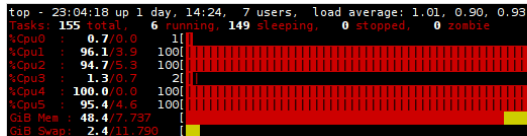
# Results EM - model 0





# Results Gibbs sampling - model 1

```
top - 23:04:18 up 1 day, 14:24, 7 users, load average: 1.01, 0.90, 0.93
Tasks: 155 total, 6 running, 149 sleeping, 0 stopped, 0 zombie
%Cpu0  :  0.7/0.0   1[
%Cpu1  : 96.1/3.9  100[
%Cpu2  : 94.7/5.3  100[
%Cpu3  :  1.3/0.7   2[
%Cpu4  : 100.0/0.0 100[
%Cpu5  : 95.4/4.6  100[
GiB Mem : 48.4/7.737
GiB Swap : 2.4/11.790
```



- [1] Yoav Goldberg and Jon Orwant. A dataset of syntactic-ngrams over time from a very large corpus of english books. In *Second Joint Conference on Lexical and Computational Semantics (\* SEM)*, volume 1, pages 241–247, 2013.
- [2] Brendan O'Connor. Learning frames from text with an unsupervised latent variable model. 2013.
- [3] Mats Rooth, Stefan Riezler, Detlef Prescher, Glenn Carroll, and Franz Beil. Inducing a semantically annotated lexicon via em-based clustering. In *Proceedings of the 37th annual meeting of the Association for Computational Linguistics on Computational Linguistics*, pages 104–111. Association for Computational Linguistics, 1999.