## 201600779 김영민

```
In [3]:
# set some inputs
x = 4; y = -3;
f = x * y
dfdx = y
dfdy = x
print('dfdx : ',dfdx)
print('dfdy : ',dfdy)
dfdx : -3
dfdy: 4
In [4]:
# set some inputs
x = 4; y = -3;
f = \chi + y
dfdx = 1
dfdy = 1
print('dfdx : ',dfdx)
print('dfdy : ',dfdy)
dfdx: 1
dfdy: 1
In [6]:
# set some inputs
x = 4; y = -3;
f = max(x,y)
dfdx = 1
dfdy = 1
print('dfdx : ',dfdx)
print('dfdy : ',dfdy)
```

```
dfdx: 1
dfdy: 1
```

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In [9]:
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# perform the forward pass
x = 4; y = -3; z = -4;
q = x + y \# q \text{ becomes } 3
f = q * z # f becomes -12
# perform the backward pass (backpropagation) in reverse order:
# first backprop through f = q * z
dfdz = q \# df/dz = q, so gradient on z becomes 3
dfdq = z \# df/dq = z, so gradient on q becomes -4
dqdx = 1.0
dqdy = 1.0
\# now backprop through q = x + y
dfdx = dfdq * dqdx # The multiplication here is the chain rule!
dfdy = dfdq * dqdy
print('dfdx : ',dfdx)
print('dfdy : ',dfdy)
dfdx : -4.0
```

In [14]:

dfdy : -4.0

```
import math w = [2, -3, -3] # assume some random weights and data x = [-1, -2] # forward pass dot = w[0]*x[0] + w[1]*x[1] + w[2] f = 1.0 / (1 + math.exp(-dot)) # sigmoid function # backward pass through the neuron (backpropagation) ddot = (1 - f) * f # gradient on dot variable, using the sigmoid gradient derivation dx = [w[0] * ddot, w[1] * ddot] # backprop into x dw = [x[0] * ddot, x[1] * ddot, 1.0 * ddot] # backprop into w # we're done! we have the gradients on the inputs to the circuit print('dx : ',dx) print('dw : ',dw)
```

dx : [0.3932238664829637, -0.5898357997244456] dw : [-0.19661193324148185, -0.3932238664829637, 0.19661193324148185]

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