

Assignment No.9

AIM:

Implement Operator Precedence Parser

THEORY:

The grammars which have the property that no production right side is epsilon or has two adjacent non-terminals is called an operator grammar.

The following grammar for expressions

$$E \rightarrow EAE \mid (E) \mid -E \mid \text{id}$$

$$A \rightarrow + \mid - \mid * \mid / \mid \uparrow$$

is not an operator grammar, because the right side EAE has two (in fact three) consecutive nonterminal. However, if we substitute for A each of its alternatives, we obtain the following operator grammar;

$$E \rightarrow E+E \mid E-E \mid E * E \mid E/E \mid E \uparrow E \mid (E) \mid -E \mid \text{id}$$

This parser relies on the following three precedence relations: \lessdot , \doteq , \gtrdot

$a \lessdot b$ This means a “yields precedence to” b.

$a \gtrdot b$ This means a “takes precedence over” b.

$a \doteq b$ This means a “has precedence as” b.

	id	+	*	\$
id		\gtrdot	\gtrdot	\gtrdot
+	\lessdot		\lessdot	\gtrdot
*	\lessdot	\gtrdot		\gtrdot
\$	\lessdot	\lessdot	\lessdot	

Figure 1. Operator precedence relation table for grammar $E \rightarrow E+E/E * E/\text{id}$

There is not given any relation between id and id as id will not be compared and two variables cannot come side by side. There is also a disadvantage of this table as if we have n operators than size of table will be $n*n$ and complexity will be $O(n^2)$. In order to increase the size of table, use **operator function table**.

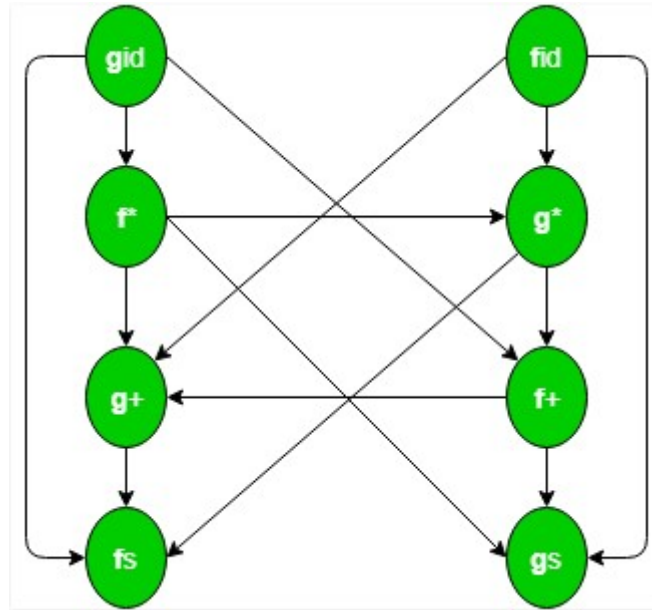
The operator precedence parsers usually do not store the precedence table with the relations; rather they are implemented in a special way. Operator precedence parsers use **precedence functions** that map terminal symbols to integers, and so the precedence relations between the symbols are implemented by numerical comparison. The parsing table can be encoded by two precedence functions **f** and **g** that map terminal symbols to integers. We select **f** and **g** such that:

1. $f(a) < g(b)$ whenever a is precedence to b
2. $f(a) = g(b)$ whenever a and b having precedence
3. $f(a) > g(b)$ whenever a takes precedence over b

Example – Consider the following grammar:

$E \rightarrow E + E / E * E (E) id$

The directed graph representing the precedence function:



Since there is not any cycle in the graph so we can make function table:

	id	+	*	\$
f	4	2	4	0
g	5	1	3	0

PROGRAM:

INPUT AND OUTPUT:

Operator precedence parser

=====

Enter the string(Use i for an identifier) $i*(i+i)-i/(i^i)$

\$ $i*(i+i)-i/(i^i)$ \$

\$i $*(i+i)-i/(i^i)$ \$

\$E $*(i+i)-i/(i^i)$ \$

$\$E^*$	$(i+i)-i/(i^i)\$$
$\$E^*($	$i+i)-i/(i^i)\$$
$\$E^*(i$	$+i)-i/(i^i)\$$
$\$E^*(E$	$+i)-i/(i^i)\$$
$\$E^*(E+$	$i)-i/(i^i)\$$
$\$E^*(E+i$	$)-i/(i^i)\$$
$\$E^*(E+E$	$)-i/(i^i)\$$
$\$E^*(E$	$)-i/(i^i)\$$
$\$E^*E$	$-i/(i^i)\$$
$\$E$	$-i/(i^i)\$$
$\$E-$	$i/(i^i)\$$
$\$E-i$	$/(i^i)\$$
$\$E-E$	$/(i^i)\$$
$\$E-E/$	$(i^i)\$$
$\$E-E/($	$i^i)\$$
$\$E-E/(i$	$^i)\$$
$\$E-E/(E$	$^i)\$$
$\$E-E/(E^$	$i)\$$
$\$E-E/(E^i$	$)\$$
$\$E-E/(E^E$	$)\$$
$\$E-E/(E$	$)\$$
$\$E-E/E$	$\$$
$\$E-E$	$\$$
$\$E$	$\$$

Accepted

CONCLUSION:

Operator Precedence Parser which have the property that no production right side is epsilon or has two adjacent non-terminals is implemented.

REFERENCES:

- Compilers - Principles, Techniques and Tools - A.V. Aho, R. Shethi and J. D. Ullman (Pearson Education)
- <https://www.geeksforgeeks.org/theory-computation-operator-grammar-precedence-parser/>