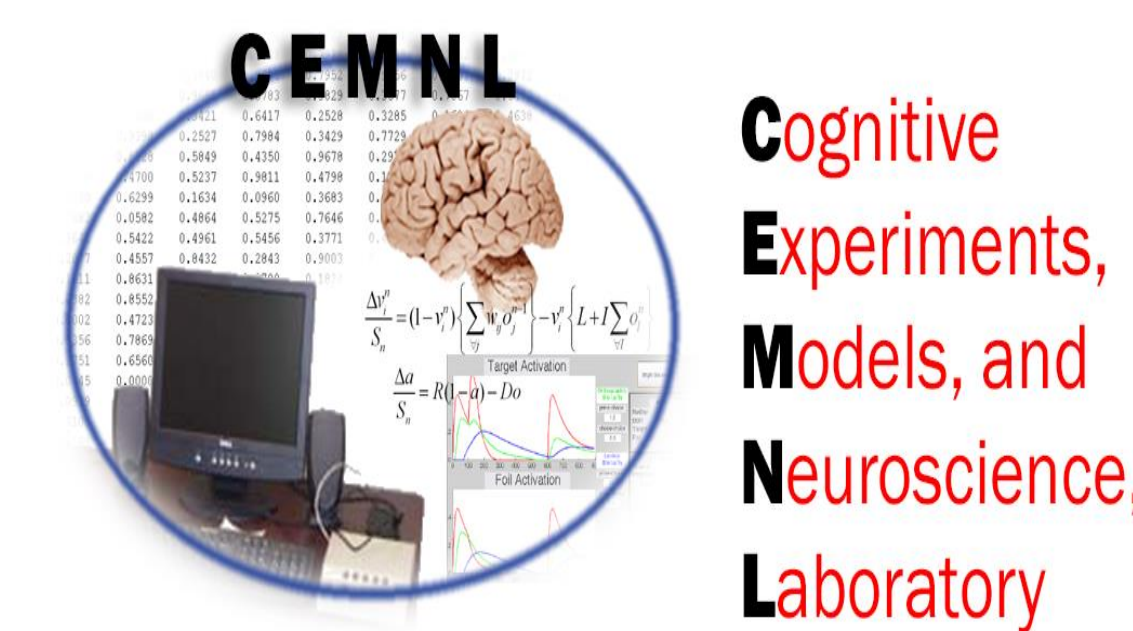




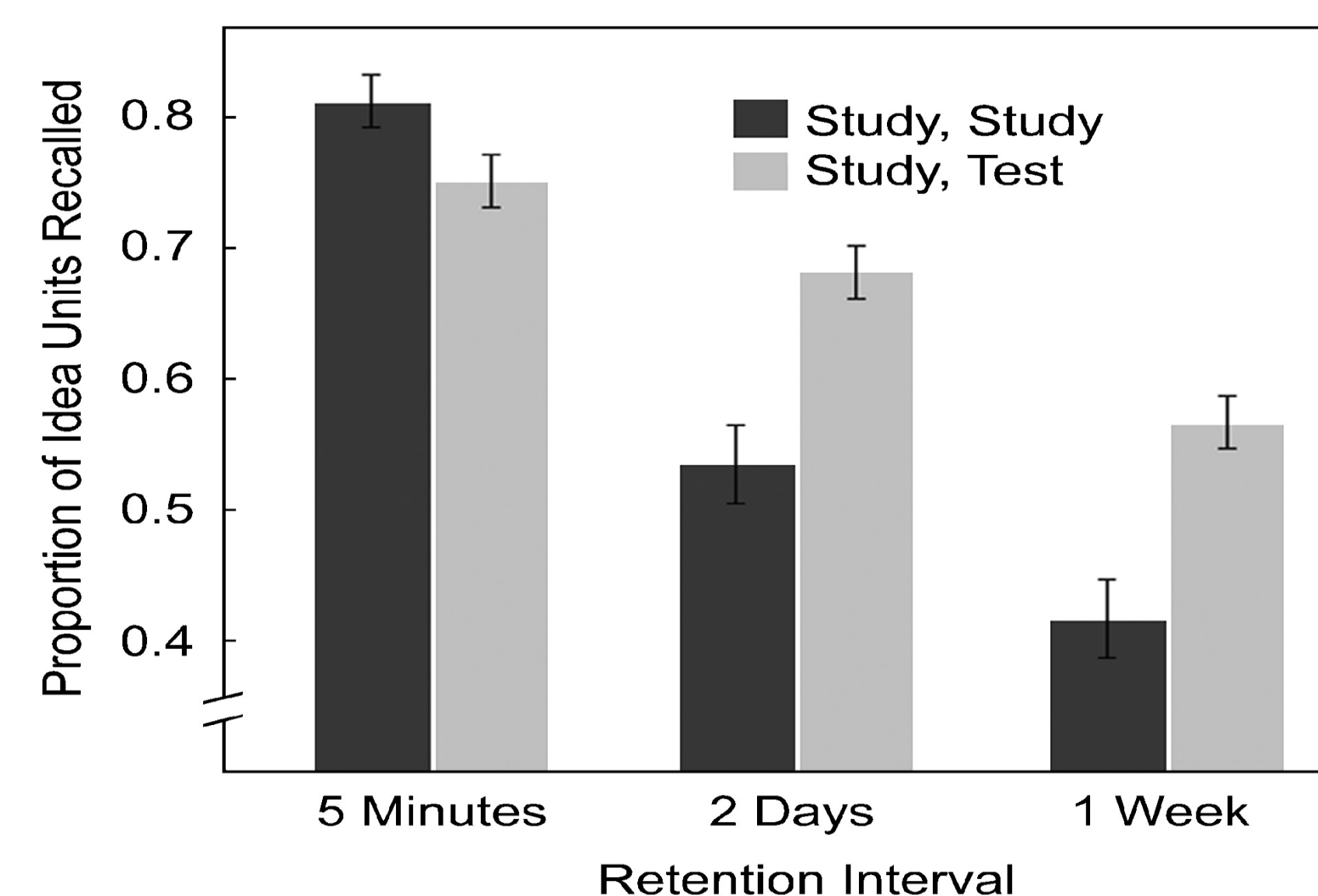
A Recovery Learning Account of the Testing Effect

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The Testing Effect

- Testing yourself can be more beneficial than restudying (E.g. Flash Cards > Re-reading)
- This advantage is not immediate, but appears as the retention interval between study and test grows (Roediger & Karpicke, 2006b).



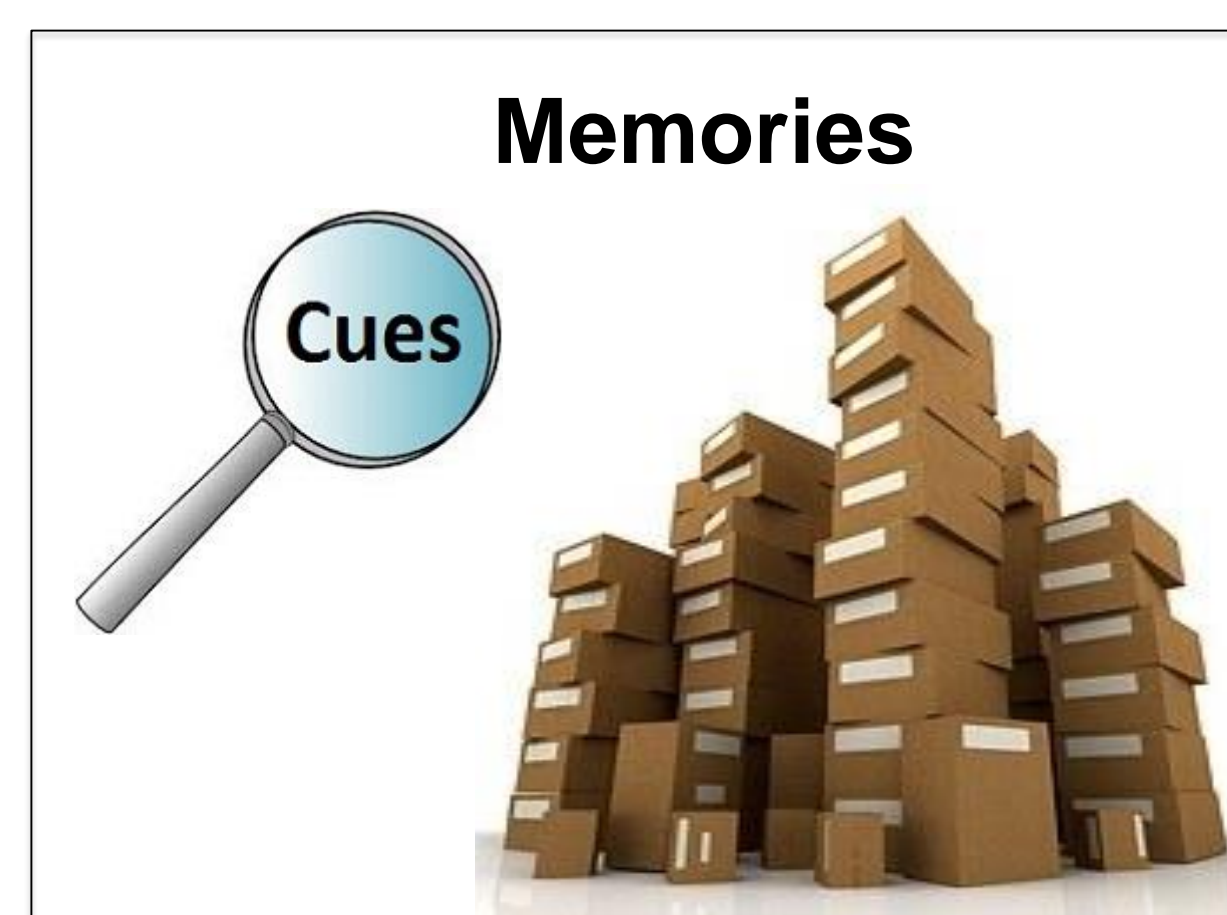
- Test practice involving recall produces the most robust difference in forgetting rates (Dempster, 1996; Carpenter & DeLosh, 2006).

SAM, A Global Matching Model of Memory

- We sought to model this effect using a modified version of the Search of Associative Memory Model (a.k.a. SAM) (Raaijmakers & Shiffrin, 1981).

1. Stage 1 – Sampling

Entire contents of memory is searched using retrieval cues



2. Stage 2 – Recovery

After a single memory image is selected, attempt to recover item-specific details



3. If both sampling and recovery are successful, you are able to recall



SAM-Recovery Learning

- We believed that the testing effect might stem from an increase in the ability to recover item specific information, due to recall practice
- In the original SAM model, the same parameters that determined the probability of sampling a memory, $p(S)$, also determined the probability of recovering, the details of that item, $p(R)$.
- We have removed this assumption, and allow for separate learning in sampling and recovery, depending on the type of intervening practice

$$p(S) = \frac{S1}{\sum_1^n S1_i + O} \quad p(R) = \frac{R1}{R1 + O}$$

- Additional studying allows for increases in the probability of sampling, but not recovery

$$p(S) = \frac{S2}{\sum_1^n S2_i + O} \quad p(R) = \frac{R1}{\sum_1^n R1_i + O}$$

- Correct recall on a practice test allows for increases in both sampling and recovery probabilities

$$p(S) = \frac{S2}{\sum_1^n S2_i + O} \quad p(R) = \frac{R2}{\sum_1^n R2_i + O}$$

- Incorrect recall on a practice test does not allow for any increases in either sampling or recovery probabilities

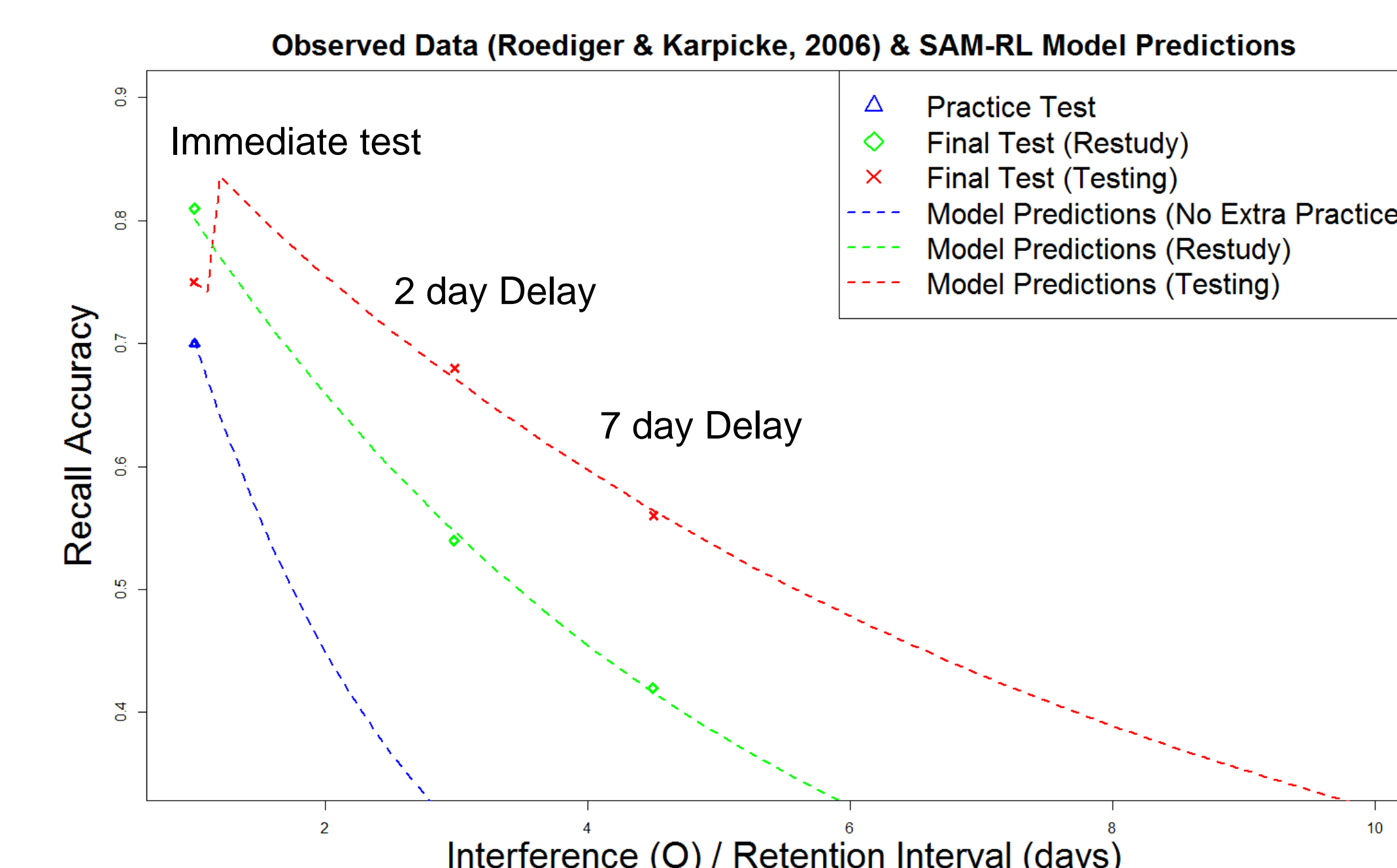
- O represent interference from competing memories and recoveries. It is a scaling parameter fixed at 1 for the initial study/test, and increases with the retention interval.
- Recall accuracy is calculated by allowing k independent sampling attempts for each item, but recovery attempts are not independent

$$p(\text{Recall}) = 1 - (1 - P(S))^k \times p(R)$$

Modeling Results

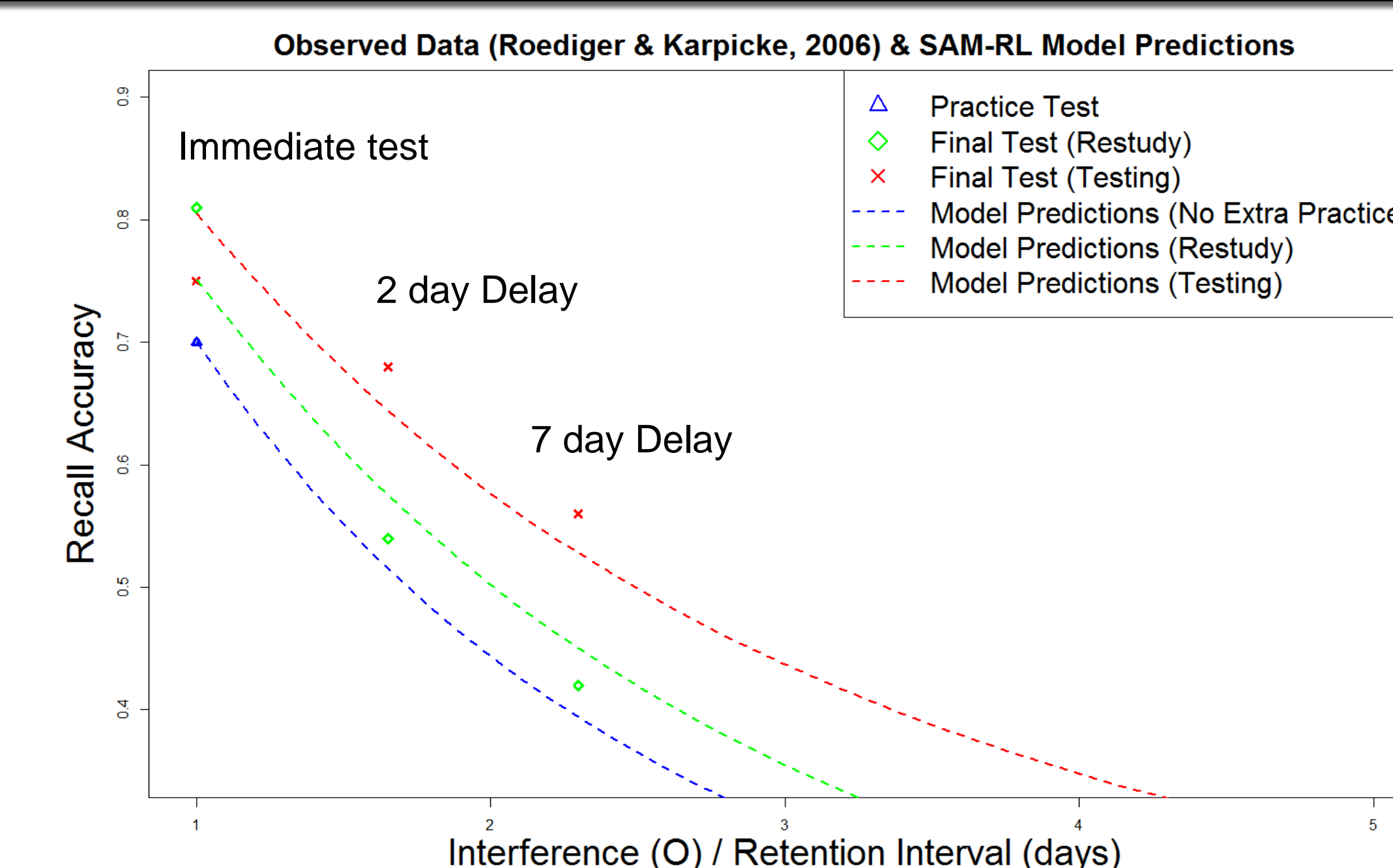
- If an item is sampled but not recovered during test practice, that item cannot be recovered during the immediate final test
- The 'loss' of these items persists until a new set of search cues is utilized
- The only items missed on the practice test that can be recalled at a final test immediately after are those that were never sampled
- Under this assumption, SAM-RL produces the an immediate advantage for restudying, and a delayed advantage for testing.

"One Shot" Model Predictions $\chi^2(1) = .17, p = .68$



- If unrecovered items are allowed a 'second chance' on all tests, SAM-RL predicts an advantage for test at all time points, and equal forgetting rates for study and test practice.

"Second Chance" Model Predictions $\chi^2(1) = 6.85, p = .01$



References

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