Date: November 03, 2024

Best solutions have been checked with the solution checker

## Summary Report for w4\_candidate\_moves

Based on methods from our github project

## **Problem description**

We are given three columns of integers with a row for each node. The first two columns contain x and y coordinates of the node positions in a plane. The third column contains node costs. The goal is to select exactly 50% of the nodes (if the number of nodes is odd we round the number of nodes to be selected up) and form a Hamiltonian cycle (closed path) through this set of nodes such that the sum of the total length of the path plus the total cost of the selected nodes is minimized.

The distances between nodes are calculated as Euclidean distances rounded mathematically to integer values. The distance matrix should be calculated just after reading an instance, and then only the distance matrix (no nodes coordinates) should be accessed by optimization methods to allow instances defined only by distance matrices.

## Pseudocode of implemented algorithms

#### • Steepest 2 edges Candidate Moves

Generate a starting solution randomly shuffling the nodes and selecting the first half. for node in all nodes:

increase = distanceMatrix[node1][node2] distanceMatrix[node1][before i] +
distanceMatrix[before i][before j] distanceMatrix[before j][node2]

#### if increase<br/>bestDelta:

reverse order between smaller+1 & larger id save as bestSolutionFound

## repeat for reversing between smaller and larger -1

else:

prev = previous node to i
prev2 = node previous to prev
oldF = distanceMatrix[node1][prev] +
distanceMatrix[prev][prev2] + cost(prev)
newF = distanceMatrix[node1][node2] +
distanceMatrix[node2][prev2] + cost(node2)
increase = newF-oldF

if increase<br/>bestDelta:

swap prev with node2 save as bestSolutionFound

## repeat for switching of node2 with node after node1

if besDelta<0:

current solution = bestSolutionFound

else:

flag = False

return current solution

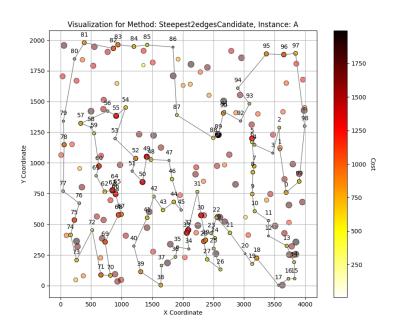
# Summary performance of each method

Summary for Execution Time (ms) Method A B		
Greedy2edgesGreedy	24.405 (13 - 85)	31.63 (15 - 88)
Greedy2edgesRandom	64.61 (41 - 110)	68.43 (46 - 120)
Greedy2nodesGreedy	26.305 (14 - 89)	28.47 (18 - 100)
Greedy2nodesRandom	72.44 (42 - 154)	75.935 (45 - 147)
Steepest2edgesGreedy	34.535 (31 - 96)	72.675 (67 - 156)
Steepest2edgesRandom	999.27 (871 - 1240)	983.275 (868 - 1148)
Steepest2nodesGreedy	57.395 (52 - 124)	78.475 (72 - 144)
Steepest2nodesRandom	1038.67 (822 - 1496)	1046.83 (765 - 1594)
Steepest2edgesCandidate	15.01 (12 - 49)	15.67 (13 - 48)
Summary for Objective Function Value		
Method	A	В
Greedy2edgesGreedy	71798.75 (71612 - 71910)	51770.925 (50579 - 51955)
Greedy2edgesRandom	75071.865 (72146 - 78848)	49265.74 (46899 - 51687)
Greedy2nodesGreedy	71643.38 (71624 - 71675)	51822.39 (51728 - 51931)
Greedy2nodesRandom	85784.375 (79581 - 94992)	60971.66 (53818 - 70256)
Steepest2edgesGreedy	71865.0 (71865 - 71865)	51790.0 (51790 - 51790)
Steepest2edgesRandom	75305.065 (73122 - 79322)	49511.875 (46569 - 53465)
Steepest2nodesGreedy	71624.0 (71624 - 71624)	51865.0 (51865 - 51865)
Steepest2nodesRandom	88075.565 (81006 - 99501)	63187.48 (54443 - 71877)

## 2D visualisations of best solutions

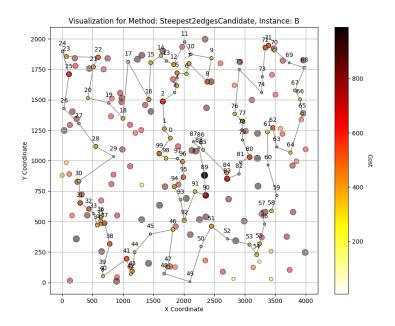
Instance: A

## Method: Steepest2edgesCandidate with score=74540



## Instance: B

## Method: Steepest2edgesCandidate with score=46036



### **Best solutions, indices**

#### Instance: A

### Method: Steepest2edgesCandidate

Lowest Objective Function Value (f\_val): 74540

#### Solution:

196, 40, 165, 185, 106, 3, 178, 52, 55, 57, 92, 145, 78, 31, 113, 175, 171, 16, 25, 44, 120, 2, 152, 97, 1, 101, 75, 86, 100, 26, 189, 94, 182, 136, 53, 180, 154, 135, 70, 127, 123, 162, 151, 133, 79, 63, 80, 176, 51, 109, 72, 59, 118, 115, 46, 198, 139, 159, 193, 41, 5, 42, 43, 105, 116, 65, 47, 149, 131, 35, 112, 4, 184, 177, 54, 48, 160, 34, 146, 22, 18, 108, 140, 93, 117, 143, 183, 137, 148, 33, 9, 62, 49, 14, 144, 21, 7, 164, 90, 81

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#### **Instance: B**

#### Method: Steepest2edgesCandidate

Lowest Objective Function Value (f\_val): 46036

#### Solution:

11, 139, 43, 168, 195, 13, 145, 15, 189, 155, 3, 70, 132, 169, 188, 6, 134, 147, 51, 90, 122, 133, 10, 107, 40, 100, 63, 135, 131, 121, 1, 156, 198, 117, 193, 31, 54, 73, 136, 190, 80, 45, 175, 78, 5, 177, 21, 61, 36, 141, 77, 81, 153, 163, 89, 103, 113, 176, 194, 166, 86, 95, 130, 185, 179, 94, 47, 148, 60, 20, 28, 149, 4, 140, 183, 152, 34, 55, 18, 62, 128, 124, 106, 159, 143, 35, 109, 29, 0, 37, 41, 111, 82, 8, 104, 144, 160, 33, 138, 182

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#### **Conclusions**

Overall 2 edges swap provided better solutions than 2 nodes swap. the same goes for comparison between Greedy and random starting solutions, greedy start provided better results on average. However while considering the candidate moves together with previous methods, it provides results on the better end of the spectrum. For instance A it achieved worse results than most steepest local search methods, but still better than 2 nodes random method. However for instance B it achieved better results than all the previous weeks' methods. But what can not be omitted is the significant difference in computation time. It is nearly 2 times faster than the fastest methods from before, acquiring 15 and 16 millisecond time on average. Moreover, random starting method produced runs with exponentially longer computation time, which makes the candidate edge algorithm even more satisfactory. This algorithm provided very good results considering the computation time savings.