

In prefix, the operator comes before the operands; infix between; and postfix after. Only infix has parentheses, as the operator will always only have two operands in the other two notations. \uparrow designates an exponent such that e^x in prefix is $\uparrow e$ x. Use asterisks (*) instead of times signs (×) when using prefix or postfix. Convert square and n-th roots $\sqrt[n]{x}$ to, in prefix, $\uparrow x / 1$ n. ACSL will probably not have a problem on their test including a square root.

Questions

1. Translate the following equation into prefix.

$$E = mc^2$$

2. Translate the following equation into postfix.

$$x = \frac{\sqrt{b^2 - 4ac} - b}{2a}$$

3. Translate the following prefix expression into infix.

$$+A-B\uparrow CD$$

4. Evaluate the following postfix expression with A = 10, B = 5, C = 15.

$$A A B + C A B / - + *$$

Answers

1.

$$E = mc^{2} \rightarrow (E = (m \times (c^{2})))$$

$$\rightarrow (E = (m \times (c \uparrow 2)))$$

$$\rightarrow (= E (\times m (\uparrow c 2)))$$

$$\rightarrow = E \times m \uparrow c 2$$

$$\rightarrow = E * m \uparrow c 2$$

2.

$$x = \frac{\sqrt{b^2 - 4ac} - b}{2a} \to \left(x = \left(\frac{\left(\left(\sqrt{((b^2) - (4ac))} \right) - b \right)}{(2a)} \right) \right)$$

$$\to \left(x = \left(\frac{\left((((b \uparrow 2) - (4ac)) \uparrow (1/2)) - b \right)}{(2a)} \right) \right)$$

$$\to (x = (((((b \uparrow 2) - (4ac)) \uparrow (1/2)) - b)/(2a)))$$

$$\to (x = (((((b \uparrow 2) - (4 \times a \times c)) \uparrow (1/2)) - b)/(2 \times a)))$$

$$\to (x (((((b 2 \uparrow) (4 \times a \times c)) \uparrow (1/2)) - b)/(2 \times a)))$$

$$\to (x (((((b 2 \uparrow) (4 \times a \times c)) \uparrow (1/2)) + b)/(2 \times a)))$$

$$\to x \cdot b \cdot 2 \uparrow 4 \cdot a \times c \times -1 \cdot 2 / \uparrow b - 2 \cdot a \times / =$$

$$\to x \cdot b \cdot 2 \uparrow 4 \cdot a \times c \times -1 \cdot 2 / \uparrow b - 2 \cdot a \times / =$$

3.

$$+A - B \uparrow C D \rightarrow (+A (-B (\uparrow C D)))$$

 $\rightarrow (A + (B - (C \uparrow D)))$
 $\rightarrow A + B - C^{D}$

4.

$$\begin{array}{c} A\ A\ B + C\ A\ B\ / - + \ * \to (A\ ((A\ B\ +)\ (C\ (A\ B\ /)\ -)\ +)\ *)\\ & \to (10\ ((10\ 5\ +)\ (15\ (10\ 5\ /)\ -)\ +)\ *)\\ & \to (10\ (15\ (15\ 2\ -)\ +)\ *)\\ & \to (10\ (15\ 13\ +)\ *)\\ & \to (10\ 28\ *)\\ & \to 280 \end{array}$$