

Zen-NAS: A Zero-Shot NAS for High-Performance Image Recognition

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1. Highlights

2. Zen-score

3. Zen-NAS

4. Experiments

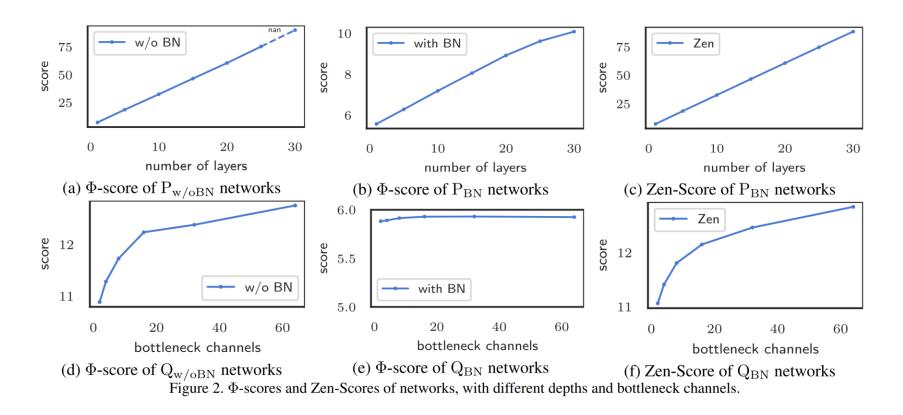
5. Conclusion and further research



- 1. Why did they develop this?
 - Gaussian complexity(pi-score) has numerical overflow problem to be used as a metric for a network's expressivity.
- 2. What are contributions of this paper?
 - They have shown a novel metric to measure a neural network architecture.
 - They have shown that this metric is faster than previous metric and can achieve higher accuracy compared to other NAS methods
 - They have achieved 83.5% of accuracy with NAS on ImageNet dataset within half of a GPU day.
- 3. What are possible improvements?



Difference between pi-Score and Zen-Score



When it comes to bottleneck channels, previous metric score (Gaussian complexity) incurs numerical overflow



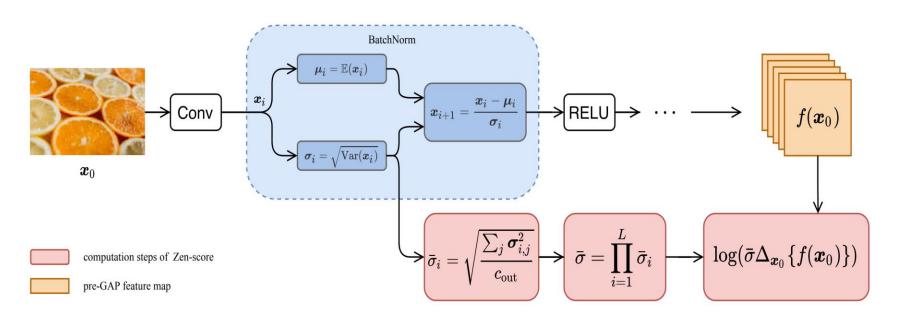


Figure 3. Zen-Score computational graph. x_0 is one mini-batch of input images. For each BN layer, we extract its mini-batch deviation parameter σ_i . $\Delta_{x_0}\{f(x_0)\}$ is the differential of pre-GAP feature map $f(x_0)$ with respect to x_0 .



Algorithm 1 Zen-Score

Require: Network $\mathcal{F}(\cdot)$ with pre-GAP feature map $f(\cdot)$; $\alpha = 0.01$.

Ensure: Zen-Score Zen(\mathcal{F}).

- 1: Remove all residual links in \mathcal{F} .
- 2: Initialize all neurons in \mathcal{F} by $\mathcal{N}(0,1)$.
- 3: Sample $\boldsymbol{x}, \boldsymbol{\epsilon} \sim \mathcal{N}(0, 1)$.
- 4: Compute $\Delta \triangleq \mathbb{E}_{\boldsymbol{x},\boldsymbol{\epsilon}} \| f(\boldsymbol{x}) f(\boldsymbol{x} + \alpha \boldsymbol{\epsilon}) \|_F$.
- 5: For the *i*-th BN layer with m output channels, compute $\bar{\sigma}_i = \sqrt{\sum_j \sigma_{i,j}^2/m}$ where $\sigma_{i,j}$ is the mini-batch standard deviation statistic of the j-th channel in BN.
- 6: $\operatorname{Zen}(F) \triangleq \log(\Delta) + \sum_{i} \log(\bar{\sigma}_i)$.
- All residual links are removed as pre-processing
- Sample input vector and perturb with Gaussian noise
- Δ: Perturbation (replaces gradient of x)
- The Zen-Score of network with BN layers approximates the Φ-score of the same network without BN layers





Algorithm 2 Zen-NAS

Require: Search space S, inference budget B, maximal depth L, total number of iterations T, evolutionary population size N, initial structure F_0 .

Ensure: NAS-designed ZenNet F^* .

- 1: Initialize population $\mathcal{P} = \{F_0\}$.
- 2: **for** $t = 1, 2, \dots, T$ **do**
- 3: Randomly select $F_t \in \mathcal{P}$.
- 4: Mutate $\hat{F}_t = \text{MUTATE}(F_t, \mathcal{S})$
- 5: **if** \hat{F}_t exceeds inference budget or has more than L layers **then**
- 6: Do nothing.
- 7: **else**
- 8: Get Zen-Score $z = \text{Zen}(\hat{F}_t)$.
- 9: Append \hat{F}_t to \mathcal{P} .
- 10: **end if**
- 11: Remove network of the smallest Zen-Score if the size of \mathcal{P} exceeds B.
- 12: end for
- 13: Return F^* , the network of the highest Zen-Score in \mathcal{P} .
 - Inference cost < Budget
 - Maximal depth < L
 - Remove lowest Zen-Score individuals

Algorithm 3 MUTATE

Require: Structure F_t , search space S.

Ensure: Randomly mutated structure \hat{F}_t .

- 1: Uniformly select a block h in F_t .
- 2: Uniformly alternate the block type, kernel size, width and depth of *h* within some range.
- 3: Return the mutated structure \hat{F}_t .



4. Experiments

Neural Architecture Search on ImageNet

NAS	Method	Top-1 (%)	GPU Day
AmoebaNet-A [41]	EA	74.5	3150†
EcoNAS [69]	EA	74.8	8
CARS-I [62]	EA	75.2	0.4
GeNet [57]	EA	72.1	17
DARTS [26]	GD	73.1	4
SNAS [59]	GD	72.7	1.5
PC-DARTS [61]	GD	75.8	3.8
ProxylessNAS [6]	GD	75.1	8.3
GDAS [66]	GD	74	0.8
FBNetV2-L1 [54]	GD	77.2	25
NASNet-A [70]	RL	74	1800
Mnasnet-A [49]	RL	75.2	-
MetaQNN [3]	RL	77.4	96
PNAS [25]	SMBO	74.2	224
SemiNAS [29]	SSL	76.5	4
TE-NAS [7]	ZS	74.1	0.2
OFANet [5]	PS	80.1	51.6
EfficientNet-B7 [50]	Scaling	84.4	3800‡
Zen-NAS	ZS	83.6	0.5



- 1. They have a new metric (Zen-Score) from previous studies (Zero-Shot proxy).
- 2. By using Zen-Score, they have achieved State-Of-The-Art (SOTA) in ImageNet dataset.
- 3. According to them, RL based method can be implemented with Zen-Score.
- 4. In the algorithm, they do not keep the elite. By keeping the elite, it can have higher accuracy.



- Zen-NAS: A Zero-Shot NAS for High-Performance Deep Image Recognition https://paperswithcode.com/paper/zen-nas-a-zero-shot-nas-for-high-performance
- Zero-Cost Proxies for Lightweight NAS https://arxiv.org/abs/2101.08134
- EfficientNet: Rethinking Model Scaling for Convolutional Neural Networks https://arxiv.org/abs/1905.11946
- Neural Architecture Search on ImageNet in Four GPU Hours: A Theoretically Inspired Perspective (TE-NAS) https://arxiv.org/abs/2102.11535



Thank you Q & A



4. Experiments

Zen-Score with other metrics

proxy	CIFAR-10	CIFAR-100
Zen-Score	96.2%	80.1%
FLOPs	93.1%	64.7%
grad	92.8%	65.4%
synflow	95.1%	75.9%
TE-Score	96.1%	77.2%
NASWOT	96.0%	77.5%
Random	93.5±0.7%	71.1±3.1%

Table 1. Top-1 accuracies on CIFAR-10/CIFAR-100 for five zeroshot proxies. Budget: model size $N \leq 1\,\mathrm{M}$. 'Random': average accuracy \pm std for random search.



Theorem 1. Let $\bar{f}(\mathbf{x}_0) = \bar{\mathbf{x}}_L$ be an L-layer vanilla network without BN layers. $f(\mathbf{x}_0) = \mathbf{x}_L$ is its sister network with BN layers. For some constants $0 < \delta < 1$, $K_0 \leq \mathcal{O}[\sqrt{\log(1/\delta)}]$, when $BHW \geq \mathcal{O}[(LK_0)^2]$ is large enough, with probability at least $1 - \delta$, we have

$$(1 - L\epsilon)^2 \le \frac{(\prod_{t=1}^L \bar{\sigma}_t^2) \mathbb{E}_{\theta} \{ \| \boldsymbol{x}_L \|^2 \}}{\mathbb{E}_{\theta} \| \bar{\boldsymbol{x}}_L \|^2} \le (1 + L\epsilon)^2 \quad (4)$$

where $\epsilon \triangleq \mathcal{O}(2K_0/\sqrt{BHW})$.

Informally speaking, Theorem 1 says that to compute $\|\bar{f}(\cdot)\|$, we only need to compute $\|f(\cdot)\|$ then re-scale with $\prod_{t=1}^L \bar{\sigma}_t$. The approximation error is bounded by $L\epsilon$. By taking gradient of x on both $\bar{f}(\cdot)$ and $f(\cdot)$, we obtain the desired relationship between Zen-Score and Φ -score.

Zen-Score of a network approximates pi-score



4. Experiments

Zen-Score with other Zero-Shot Proxies

proxy	model	N	time	speed-up
TE-Score	ResNet-18	16	0.34	1/28x
	ResNet-50	16	0.77	1/20x
NASWOT†	ResNet-18	16	0.040	1/3.3x
	ResNet-50	16	0.059	1/1.6x
Zen-Score	ResNet-18	16	0.012	1.0
	ResNet-50	16	0.037	1.0

Table 2. Time cost (in seconds) of computing Zen/TE-Score for ResNet-18/50 at resolution 224x224. The statistical error is within 5%. 'time': time for computing Zen/TE-score for N images, measured in seconds, averaged over 100 trials. 'speed-up': speed-up rate of TE-Score v.s. Zen-Score.

†: The official implementation outputs Inf score for ResNet-18/50.



Comparison with the limit of FLOPs

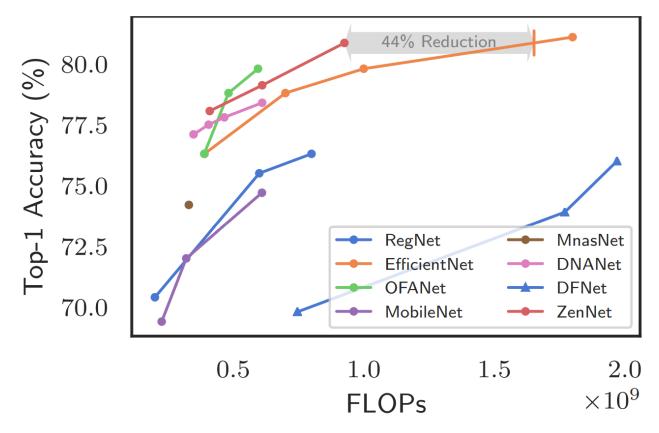


Figure 4. ZenNets optimized for FLOPs.



Comparison with other NAS algorithms

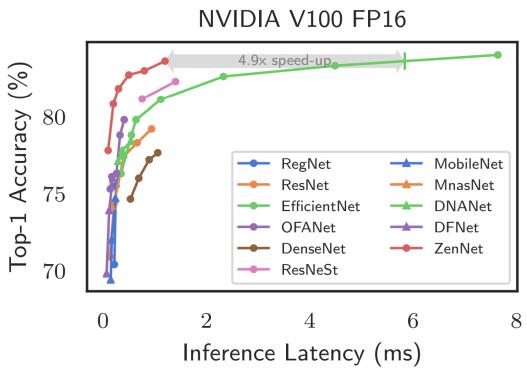


Figure 1. ZenNets top-1 accuracy v.s. inference latency (milliseconds per image) on ImageNet. Benchmarked on NVIDIA V100 GPU, half precision (FP16), batch size 64, searching cost 0.5 GPU day.