

AI Intro Homework #1

NCTU Spring 2018

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1. performance measures

- (a) speed, fuel consumption
- (b) false non-filtered rate, false filtered rate, filter speed
- (c) click rate, correlation (with target)

2. graph search BFS (L->B)

Frontier:{L}, Explored:{}
L

-> Frontier:{M, T}, Explored:{L}

-> Frontier:{T, D}, Explored:{L, M}

-> Frontier:{D, A}, Explored:{L, M, T}

-> Frontier:{A, C}, Explored:{L, M, T, C}

-> Frontier:{C, S, Z}, Explored:{L, M, T, C, A}

-> Frontier:{S, Z, P, R}, Explored:{L, M, T, C, A, C}

-> Frontier:{Z, P, R, F}, Explored:{L, M, T, C, A, C, F}

-> Frontier:{P, R, F, O}, Explored:{L, M, T, C, A, C, F, Z}

-> Frontier:{R, F, O, B}, Explored:{L, M, T, C, A, C, F, Z, P}

solution: L -> M -> D -> C -> P -> B

3. A* search, $f(n) = g(n) + h(n)$

Frontier: {L(244=0+244)}, Explored: {}

-> Frontier: {M(311=70+241), T(450=111+329)}, Explored: {L}

-> Frontier: {D(387=145+242), T(450=111+329)}, Explored: {L, M}

-> Frontier: {C(425=265+160), T(450=111+329)}, Explored: {L, M, D}

-> Frontier: {T(450=111+329), P(501+403+98), R(604=411+193)},

Explored: {L, M, D, C}

-> Frontier: {P(501+403+98), A(595=229+366), R(604=411+193)},

Explored: {L, M, D, C, T}

-> Frontier: {B(504=504+0), A(595=229+366), R(604=411+193)},

Explored: {L, M, D, C, T, P}

-> Frontier: {A(595=229+366), R(604=411+193)},

Explored: {L, M, D, C, T, P, B}

solution: L -> M -> D -> C -> P -> B

4. chessboard

(a) $b = 7 + 7 = 14$

(b) shortest path: draw a rectangle with point A & B on the diagonal vertices

Heuristic = the # of axis that does not match B(x, y) + 1 if ->

-> if the minimum path to B(x, y) is blocked by x on the next step

the constraint x block is removed

the minimum cost between A and B is # of axis that match B(x, y)

but if one of the axis matches with x block between the square and b,

one or more move is needed

(addition cost) \geq (1), if the shortest path is blocked

So,

(minimum cost + addition cost) \geq (my heuristic)

=> admissible

(the cost between any 2 square C, D) \geq (the shortest path between C, D)

$h(C) \geq c(D, a, C) + h(D)$

=> consistent

(c) step 0: 1

step 1: 8

step:2: 29

-> $1+8+29 = 38$ nodes

solution depth = 3

(d) step 0: 1

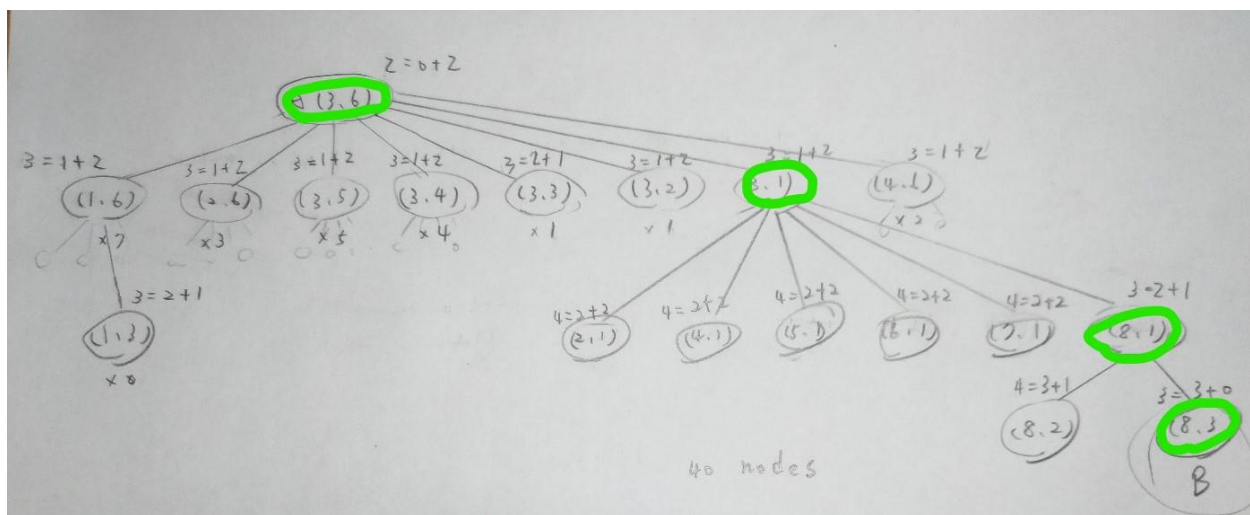
step 1: 9

step 2: 38

-> $1+9+38 = 48$ nodes

solution depth = 3

(e) $A^*: f(n) = h(n) + g(n)$



-> 4 nodes