

# Single-Stage Multi-Person Pose Machines

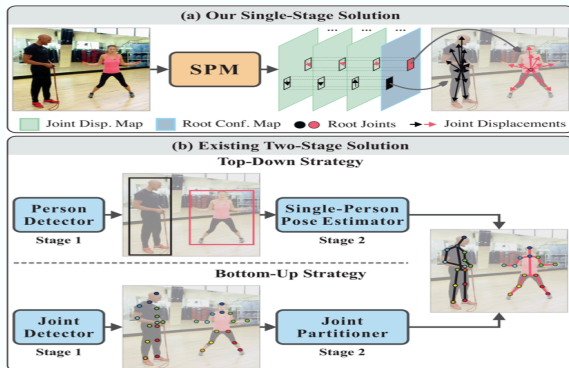
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# Outline

- 1 Introduction
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# Introduction



**Figure:** Comparison between (a) our single-stage solution and (b) existing two-stage solution to multi-person pose estimation. The proposed SPM model directly predicts structured poses of multiple persons in a single stage, offering a more compact pipeline and attractive efficiency advantages over two-stage based top-down or bottom-up strategies. See more details in the main text.

# Introduction

Multi-person pose estimation from a single monocular RGB image aims to simultaneously isolate and locate body joints of multiple person instances. It is a fundamental yet challenging task with broad applications in action recognition, person Re-ID, pedestrian tracking, etc.

# Introduction

Multi-person pose estimation from a single monocular RGB image aims to simultaneously isolate and locate body joints of multiple person instances. It is a fundamental yet challenging task with broad applications in action recognition, person Re-ID, pedestrian tracking, etc.

Existing methods typically adopt two-stage solutions. As shown in Figure 1 (b), they either follow the top-down strategy that employs off-the-shelf detectors to localize person instances at first and then locates their joints individually; or the bottom-up strategy that locates all the body joints at first and then assigns them to the corresponding person.

# Block and Alert

hdhth theorem

$$a^2 + b^2 = c^2$$

where  $c$  represents the length of the hypotenuse and  $a$  and  $b$  the lengths of the triangle's other two sides.

Remark

- the environment above is **block**
- the environment here is **alertblock**

# Proof

Pythagorean theorem

$$a^2 + b^2 = c^2$$

Proof.

$$3^2 + 4^2 = 5^2$$

$$5^2 + 12^2 = 13^2$$



# Algorithm

**Data:** this text

**Result:** how to write algorithm with  $\text{\LaTeX}$ 2e  
initialization;

```
while not at end of this document do
|   read current;
|   if understand then
|   |   go to next section;
|   |   current section becomes this one;
|   else
|   |   go back to the beginning of current section;
|   end
end
```

**Algorithm 1:** How to write algorithms (copied from here)



# An Algorithm For Finding Primes Numbers.

```
int main (void)
{
    std::vector<bool> is_prime (100, true);
    for (int i = 2; i < 100; i++)
        if (is_prime[i])
        {
            std::cout << i << " ";
            for (int j = i; j < 100; is_prime [j] = false, j+=i);
        }
    return 0;
}
```

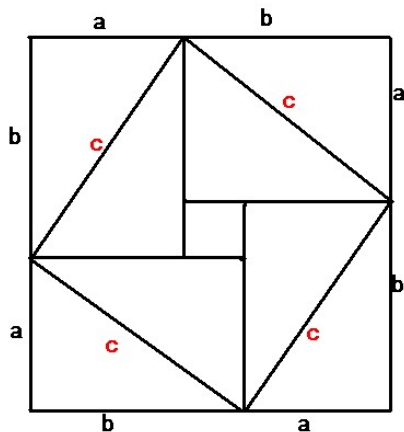
Note the use of \alert.

# More

More environments such as

- Definition
- lemma
- corollary
- example

# Minipage



- ① item
- ② another
- ③ more
  - first
  - second
  - third

# Columns

This is a text in first column.

$$E = mc^2$$

- First item
- Second item

first block

columns achieves splitting the screen

second block

stack block in columns

# Create Tables

first	second	third
1	2	3
4	5	6
7	8	9

# Equation1

A matrix in text must be set smaller:  $\begin{pmatrix} a & b \\ c & d \end{pmatrix}$  to not increase leading in a portion of text.

$$f(n) = \begin{cases} n/2 & \text{if } n \text{ is even} \\ -(n+1)/2 & \text{if } n \text{ is odd} \end{cases}$$

$$50apples \times 100apples = lotsofapples^2$$

## Equation2

$$\sum_{\substack{0 \leq i < m \\ 0 \leq j < n}} P(i,j) = \int_a^b \prod P(i,j)$$

$$P\left(A=2\left|\frac{A^2}{B}>4\right.\right)$$

$$(a), [b], \{c\}, |d|, \|e\|, \langle f \rangle, \lfloor g \rfloor, Experiments[h], \lceil i \rceil$$

# Equation3

$$Q(\alpha) = \alpha_i \alpha_j y_i y_j (x_i \cdot x_j)$$

$$Q(\alpha) = \alpha^i \alpha^j y^{(i)} y^{(j)} (x^i \cdot x^j)$$

$$\Gamma = \beta + \alpha + \gamma + \rho$$



# End

The last page.