## Introduction to WENO method.

These results come from  $^1$ . This figure come from  $^1$ . These results come from  $^2$ . This figure come from  $^2$ . These results come from  $^3$ . This figure come from  $^3$ .

 $<sup>^1</sup>$ Dinshaw S Balsara and Chi-Wang Shu. "Monotonicity preserving weighted essentially non-oscillatory schemes with increasingly high order of accuracy". 2000

<sup>&</sup>lt;sup>2</sup>Guang-Shan Jiang and Chi-Wang Shu. "Efficient implementation of weighted ENO schemes". 1996

<sup>&</sup>lt;sup>3</sup>F Ducros et al. "High-order fluxes for conservative skew-symmetric-like schemes in structured meshes: application to compressible flows". 2000 ← □ ▶ ← □

## Introduction to WENO<sup>2</sup> method.

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## The References

- [1] Dinshaw S Balsara and Chi-Wang Shu. "Monotonicity preserving weighted essentially non-oscillatory schemes with increasingly high order of accuracy". 2000.
- [2] Guang-Shan Jiang and Chi-Wang Shu. "Efficient implementation of weighted ENO schemes". 1996.
- [3] F Ducros et al. "High-order fluxes for conservative skew-symmetric-like schemes in structured meshes: application to compressible flows". 2000.