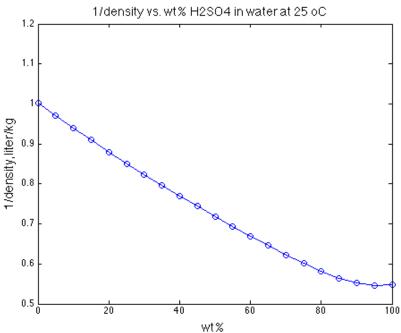
CBE 20255

HW5 sotluion

1 Looking for ideal solution..



1. Matlab script is attached in the end of solution.

2. Average molar weight of the mixture

$$\overline{MW} = \frac{1}{\underbrace{wt\% \ of \ H2SO4}_{MW_{H2SO4}} + \underbrace{wt\% \ of \ water}_{MW_{H2O}}}$$

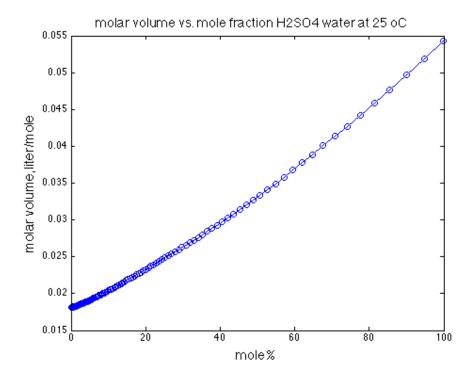
Mole fraction of H₂SO₄

$$mol\% = \frac{wt\% \text{ of } H2SO4}{MW_{H2SO4}} \overline{MW}$$

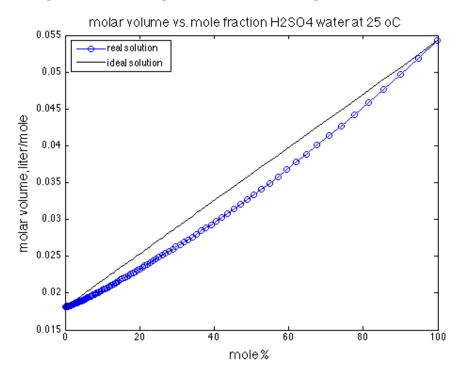
Molar volume

$$MV = \frac{1}{density/\overline{MW}}$$

After processing the data, we can plot



3. Properties of ideal solution should be linear combinations of two different liquids. For example, in this problem, the molar volume of ideal solution can be expressed as a straight line between pure sulfuric acid and pure water.



By comparison, we can see the real solution lies below the ideal solution, suggesting

that the real solution is not ideal and it deviates negatively from ideality.

2. According to ideal gas law
$$PV = NRT$$

$$m_0|_{av} \ v_0|_{me} = \frac{V}{n} = \frac{RT}{P}$$

$$= \frac{0.082.08L \ \text{atm} \ \text{k}^{-1} \ \text{mol}^{-1} \ . \ (90t.273.15)K}{2.00 \ \text{atm}}$$

3. Standard conditions:

$$P = 1 \text{ bar} = 94692 \text{ atm}$$

$$P' = 1 \text{ atm}$$

$$T'' = 273 \text{ 15 K}$$

for different conditions, numbers of mole are the same,

$$So = \frac{PV_1}{RT} = \frac{P^{\circ}V_2}{RT^{\circ}} \implies V_2 = \frac{P}{P^{\circ}} \frac{T^{\circ}}{T^{\circ}} V_1$$

$$= \frac{2atm}{1atm} \frac{275.15k}{363.15k} \cdot 100L$$

$$= 150L = 0.15 SCM$$

4.
$$N = \frac{PV}{RT} = \frac{2 \text{ atm} \cdot 10^{\circ} \text{ L}}{0.08208 \text{ L. atm } \text{K}^{1} \text{ mol}^{-1} \cdot (90+273.15) \text{ K}}$$

3 NO, NO and still NO!

1. For an isothermal batch reactor, T and V are constant.

If reactants one products one all ideal gas,

$$M_0$$
, total = $\frac{P_0 V}{RT}$

$$Mt$$
, total = $\frac{P_{+}V}{RT}$

$$M_{2}, O_{2} = \frac{P_{0}V \cdot 80.0^{\circ}/_{0} \cdot 21^{\circ}/_{0}}{RT}$$

$$NO(9) + \frac{1}{2}O_2(9) \rightleftharpoons NO_2(9)$$

$$N_{t}, total = \frac{0.0200P_{0}V}{RT} + \frac{0.078P_{0}V}{RT} + \frac{0.180P_{0}V}{RT} + \frac{0.632P_{0}V}{RT} = \frac{0.91P_{0}V}{RT}$$

$$\int \chi_{N0} = \frac{0.02}{0.91} = 2.2^{\circ}/_{0}$$

$$\chi_{02} = \frac{0.078}{0.91} = 8.6\%$$

X inert = 69.5%

2. From Tent 1, we know

$$\frac{P_{i}V}{RT} = \frac{e_{i}q_{i}p_{i}V}{RT}$$

$$\Rightarrow P_{i} = 0, q_{i}p_{i}$$

$$= 0 q_{i} \cdot 380 \text{ kPa} = 346 \text{ kPa}$$

$$= 0 q_{i} \cdot 380 \text{ kPa} = 346 \text{ kPa}$$
3. Asome continuo of $N0 = X$ at equilibrium,

$$\frac{358PP_{i}}{RT} = \frac{358PP_{i}}{380PP_{i}} = \frac{358PP_{i}V}{RT} = \frac{358PP_{i}V}{RT} \times \frac{200PP_{i}V}{RT} \times \frac{405228V}{RT}$$

$$= \frac{P_{i}V}{RT} - \frac{c_{i}p_{i}p_{i}V}{RT} \times \frac{368PV}{8T} = \frac{360}{380} \frac{P_{i}V}{RT}$$

$$= \frac{P_{i}V}{RT} - \frac{c_{i}p_{i}p_{i}V}{RT} \times \frac{368PV}{8T} \times \frac{360}{380} \frac{P_{i}V}{RT}$$

$$= \frac{368PV}{RT} \times \frac{368PV}{RT} \times \frac{368PV}{RT} \times \frac{368PV}{RT} \times \frac{368PV}{RT}$$

$$= \frac{368PV}{RT} \times \frac{368PV}{RT} \times \frac{368PV}{RT} \times \frac{368PV}{RT} \times \frac{368PV}{RT} \times \frac{368PV}{RT}$$

$$= \frac{368PV}{RT} \times \frac{3$$

4.
$$k_p = \frac{p_{No2}}{p_{No}p_{oa}^{0.5}} = \frac{4 \circ k_p^2}{36k_p^2 \circ k_p^2} = 0.168 (k_p^2)^{-0.5}$$

5.
$$NO(9) + \frac{1}{2}O_{2}(9) \rightleftharpoons NO_{2}(9)$$
Initial $0.5P_{0}V$
 RT

Reaction:
$$-\frac{0.5P_0V}{RT}X$$
 $-\frac{0.5P_0V}{RT}X$

Final:
$$\frac{0.5P \cdot V}{RT} (1-x) = \frac{0.5P \cdot V}{RT} (1-\frac{1}{2}X) = \frac{0.5P \cdot V}{RT} X$$

$$N_{t}$$
, total = $\frac{P_{o}V}{RT} (1 - 0.25 \times X)$

$$P_{t,N_{02}} = \frac{0.5 \times 10^{-5} \times 10^{-5}}{1-0.25 \times 10^{-5}}$$

$$P_{t}, o_{z} = \frac{o.5(1-\frac{1}{2}X)}{1-0.25X} P_{o}$$

$$P_{t}, No = \frac{0.5(1-X)}{1-0.25X} P_{o}$$

$$k_{p} = \frac{P_{+,No_{2}}}{P_{+,No_{2}}P_{+,o_{2}}} = \frac{0.5 \times (1-0.25 \times 1)^{\frac{1}{2}}}{(0.5(1-x)\cdot[0.5(1-\frac{1}{2}x)]^{\circ 5}P_{o}} (1-0.25 \times 1)^{\frac{1}{2}}$$

$$\rightarrow$$
 $\chi = 0.674$

4 Don't be so critical. Critical point Pc(MPa) Vc(m3/kmol) $T_{c}(k)$ 4.64 0.0993 191. Methane 4.48 0.1480 305.5 Etherne 4.26 0.1998 370 Propone 3.80 0.2547 425.2 Butane

To and Ve increase as carbon chain length increases
while Pe decreases as carbon chain length increases

2. Methane is most "ideal".

Reasons:

① Methane is the smallest molecule among them and therefore occupies least volume, which is better consistent with therefore assumption that gas molecules occupy no volume, ideal gas assumption that gas molecules occupy no volume.

3 Methane is the smallest molecule so that van der waals interaction between molecules is weakest, which is better consistent with ideal gas assumption that gas molecules. In not interact with each other.

1.
$$N = \frac{PV}{RT} = \frac{M}{MW}$$
$$= \frac{75.0 \text{ kg}}{44.19/\text{mol}}$$

$$P = \frac{MRT}{V} = \frac{1.70 \times 10^{3} \, \text{mol} \cdot 8.314 \, \text{mm} \, \text{m}^{3} \, \text{Pak}^{-1} \, \text{mol}^{-1}, \, (2s + 27s.15) \, \text{K}}{5.0 \, \text{m}^{3}}$$

$$(P + \alpha n^2/V^2)/(V - nb) = nRT$$

By solving the equation,
$$P = 7.6 \text{ bar}$$

$$\Delta = (1 + (0.480 + 1.57 + W - 0.176 W^{2}) (1 - T_{r}^{0.5}))^{2}$$

$$\alpha = 0.42748 \frac{R^2 Tc^2}{Pc}$$

Sit
$$T = 0.298.15k$$
, $T_r = \frac{298.15}{370} = 0.806$

$$X = (1+(0.480+1.574.0.152-0.176.0.152^2)(1-0.806^{0.5}))^2$$

$$\alpha = 0.42748 \frac{(8.314 \times 10^{-5})^2 (370 \text{ K})^2 \text{ m³ bar k' mol}^4}{42.6 \text{ bar}} = 9.496 \times 10^{-6} \text{ km³ mol}^{-1}$$

$$b = 0.08664 \frac{8.314 \times 10^{-5} \, \text{m}^3 \, \text{bor} \, \text{k}^{-1} \, \text{mol}^{-1} \cdot 370 \, \text{k}}{42.6 \, \text{bar}} = 6.2563 \, \text{X/o}^{-5} \, \text{m}^3 \, \text{mol}^{-1}$$

$$V_m = \frac{5.0 \, \text{m}^3}{1700 \, \text{mol}} = 2.90 \, \text{X} \, 10^{-3} \, \text{m}^3 / \text{mol}$$

plug in all readue,
$$P = 7.3 \text{ bar}$$

$$4. Tr = \frac{T}{Tc} = \frac{298.15k}{370k} = 0.806$$

$$V_r = \frac{VPc}{RTc} = \frac{2.9 \times 10^{-3} \text{ m}^3/\text{m} \cdot \text{l} \cdot 42.6 \text{ bar}}{8.314 \times 10^{-5} \text{ m}^3 \text{ bar } k^{-1} \text{ m} \cdot \text{l}^{-1} \cdot 370 \text{ k}}$$

5. From the generalized compressibility chart, it can be found that
$$P_r \sim 0.175$$
, $Z \sim 0.86$

```
Matlab script for problem 1
clear
A1=importdata('/problem_1.txt');
wt = A1(:,1);
density=A1(:,6);
inverse_density=1./density
for i=1:21
  position=i-1
  collect wt(i)=wt(position*5+1);
   collect inverse density(i)=inverse density(position*5+1);
end
average_MW=100./(wt/99.08+(100-wt)/18.02);
mol_vol=1./(density.*1000./average_MW);
mol_frac=100*wt./99.08./(wt/99.08+(100-wt)/18.02);
plot(collect_wt,collect_inverse_density,'-o')
title('1/density vs. wt% H2SO4 in water at 25 oC', 'FontSize', 14)
xlabel('wt%','FontSize',14)
ylabel('1/density,liter/kg','FontSize',14)
ideal=(mol\_vol(101)-mol\_vol(1))/100*mol\_frac+mol\_vol(1);
plot(mol_frac,mol_vol,'-o')
hold on
plot(mol_frac,ideal,'-k')
title('molar volume vs. mole fraction H2SO4 water at 25 oC','FontSize',14)
xlabel('mole%','FontSize',14)
ylabel('molar volume,liter/mole','FontSize',14)
legend('real solution','ideal solution','Location','northwest')
```