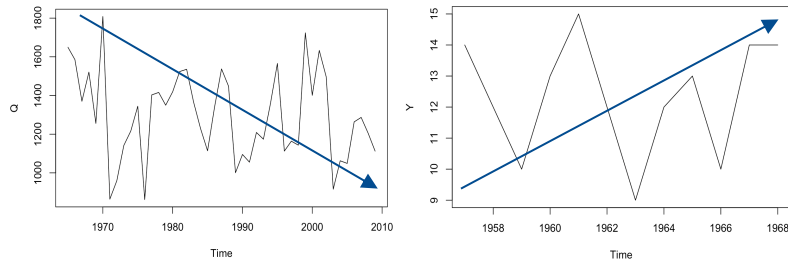


Trend analysis with trend: : CHEAT SHEET

Monotonic Trends

Analyse time series data for monotonic trends (consistently increasing or decreasing trends) and whether the trends are statistically significant



Installation

```
library(trend)
```

Trend Detection

MANN-KENDALL TEST (Detect monotonic trends in series)

```
mk.test(x, alternative = c("two.sided", "greater", "less"),  
continuity = TRUE)
```

SEASONAL MANN-KENDALL TEST (Detect monotonic trend in monthly data and compute scores for each month)

```
smk.test(x, alternative = c("two.sided", "greater", "less"),  
continuity = TRUE) %>%  
summary()
```

CORRELATED SEASONAL MANN-KENDALL TEST (Perform a Seasonal Mann-Kendall test in the presence of correlated seasons or data are correlated with e.g. the preceding months)

```
csmk.test(x, alternative = c("two.sided", "greater", "less"))
```

MULTIVARIATE MANN-KENDALL TEST (Detect global trend between data collected at multiple sites)

```
mult.mk.test(x, alternative = c("two.sided", "greater", "less"))
```

PARTIAL MANN-KENDALL TEST (Test can be conducted in the presence of co-variables)

I. `cor.test(x, y, alternative = c("two.sided", "less", "greater"), method = c("pearson", "kendall", "spearman"), exact = NULL, conf.level = 0.95, continuity = FALSE, ...)` First test to see if variables x and y are correlated ($p < 0.05$)

II. `partial.mk.test(x, y, alternative = c("two.sided", "greater", "less"))` If x and y are correlated, detect trends in x when the covariate (y) is partialled out

PARTIAL CORRELATION TREND TEST (Magnitude of linear trend in x while covariate (y) is partialled out)

```
partial.cor.trend.test(x, z, method = c("pearson", "spearman"))
```

Magnitude of Trend

Calculate the average change in x with time

SEN'S SLOPE

```
sens.slope(x, conf.level = 0.95)
```

SEASONAL SEN'S SLOPE

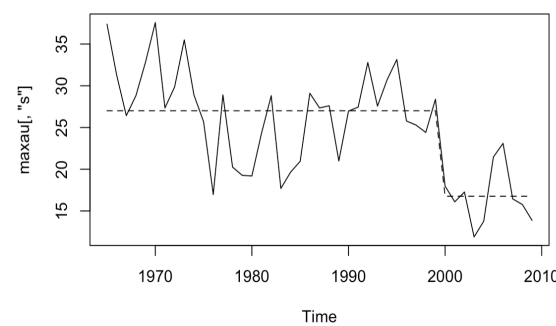
```
sea.sens.slope(x)
```

Change Point Detection

Analyze data for homogeneity and identify points/times where there are changes in the statistical properties of the time series

PETTITT'S TEST (non-parametric method)

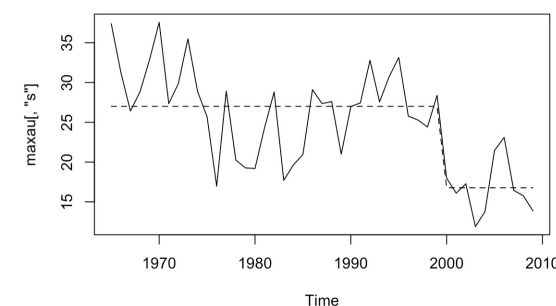
```
data(maxau) ; plot(maxau[, "s"])  
s.res <- pettitt.test(maxau[, "s"])  
n <- s.res$nobs  
i <- s.res$estimate  
s.1 <- mean(maxau[1:i, "s"])  
s.2 <- mean(maxau[(i+1):n, "s"])  
s <- ts(c(rep(s.1, i), rep(s.2, (n-i))))  
tsp(s) <- tsp(maxau[, "s"])  
lines(s, lty=2)
```



Change point at K = 35 (2000) and
change in mean values from 27 to 16

LAZANTE'S TEST (non-parametric method)

```
data(maxau) ; plot(maxau[, "s"])  
s.res <- lanzante.test(maxau[, "s"])  
n <- s.res$nobs  
i <- s.res$estimate  
s.1 <- mean(maxau[1:i, "s"])  
s.2 <- mean(maxau[(i+1):n, "s"])  
s <- ts(c(rep(s.1, i), rep(s.2, (n-i))))  
tsp(s) <- tsp(maxau[, "s"])  
lines(s, lty=2)
```

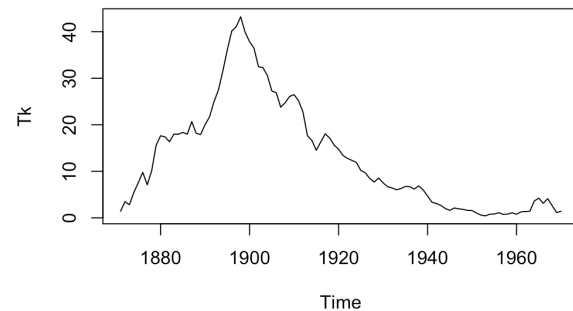


Change point at K = 35 (2000) and
change in mean values from 27 to 16

STANDARD NORMAL HOMOGENIETY TEST (assuming data is normally distributed)

```
data(Nile)  
(out <- snh.test(Nile))  
plot(out)
```

Standard Normal Homogeneity Test (SNHT)

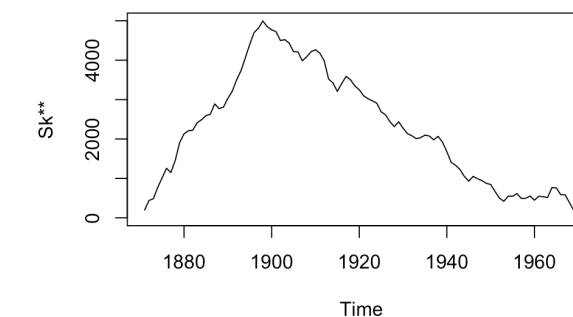


Change point at K = 28 (1899)

BUISHAND RANGE TEST (assuming data is normally distributed)

```
data(Nile)  
(out <- bu.test(Nile))  
plot(out)
```

Buishand U test



Change point at K = 28 (1899)

Randomness

Test series for any recognizable patterns or regularities

WALLIS AND MOORE PHASE FREQUENCY TEST

```
wm.test(x) test for randomness
```

BARTEL'S TEST FOR RANDOMNESS

```
bartels.test(xs) test for randomness
```

WALD-WOLFOWITZ TEST FOR STATIONARITY AND INDEPENDENCE

```
ww.test(x) test for independence and stationarity
```