b)
$$\frac{x_k}{y_k} = \frac{-7}{16185} = \frac{-4}{10116} = \frac{-2}{6070} = \frac{0}{2024} = \frac{1}{10116} = \frac{5}{10206} = \frac{10}{10116} = \frac{10}{1$$

Morry 8 niewiodonych, będzie uktod frownon:

$$S'(x) = \begin{cases} S_{1}(x) = 3 & \text{A} \times^{2} + 2B \times + C & \text{X \in L-1,07} \\ S_{2}'(x) = 3 & \text{E} \times^{2} + 2f \times + G & \text{X \in L0,27} \end{cases}$$

$$S''(x) = \begin{cases} S''(x) = G(x + 2B) & xe^{2f_{1}(0)} \\ S''(x) = G(x + 2F) & xe^{2f_{1}(0)} \\ S''(x) = G(x + 2F)$$

Troche biedów obliczeniowych) &

A wige rozwigzoniem będzie

$$S(x) = \int_{S_{1}(x)}^{S_{1}(x)} = 34 x^{3} + 102x^{2} - 52x - 72$$

$$S(x) = \int_{S_{2}(x)}^{S_{1}(x)} = 34 x^{3} + 102x^{2} - 52x - 72$$

1=34 B=102 C=-52 D=-72 E=-17 F=102 6=-52 H=-92

 $S(X) = \begin{cases} 3(X) = 4X^{2} + Bx^{2} + Cx^{2} \\ 3(X) = 4X^{3} + Bx^{2} + Cx^{2} \\ 3(X) = 5x(0) = 5x(0) = C = 6 \\ (z \text{ eigensial positions of a positions of a position of$ $S'(x) = \int_{S_{1}(x)}^{S_{1}(x)} \frac{1}{3} \int_{S_{1}(x)}^{S_{1}($

| B = F | 6A = 2B => B = 3 A => A = 3B F | 6A = 2B => B = -6E == 2F | 12E = -2F => F = -6E == 2F | 12E = -2F => F = -6E == 2F | 12E = -2F => F = -6E == 2F | 12E = -2F => F = -6E == 2F | 12E = -2F => F = -6E == 2F | 12E = -2F => F = -6E == 2F | 12E = -2F => F = -6E == 2F | 12E = -2F => F = -6E == 2F | 12E = -2F => F = -6E == 2F | 12E = -2F => F = -6E == 2F | 12E = -2F => F = -6E == 2F | 12E = -2F => F = -6E == 2F | 12E = -2F => F = -6E == 2F | 12E = -2F => F = -6E == 2F | 12E = -2F => F = -6E == 2F | 12E = -2F => F = -6E == 2F | 12E = -2F => 2F = -6E == 2F | 12E = -2F => 2F == -6E == 2F | 12E = -2F == 2F == 2F | 12E = -2F == 2F == 2F == 2F | 12E = -2F == 2F == 2F == 2F == 2F | 12E = -2F == 2F = 8E+4F+26=16R => -8F+4F+26=16R => 16 F+26=16R