

# Fruits Into Baskets III

You are given two arrays of integers, `fruits` and `baskets`, each of length  $n$ , where `fruits[i]` represents the **quantity** of the  $i^{\text{th}}$  type of fruit, and `baskets[j]` represents the **capacity** of the  $j^{\text{th}}$  basket.

From left to right, place the fruits according to these rules:

- Each fruit type must be placed in the **leftmost available basket** with a capacity **greater than or equal** to the quantity of that fruit type.
- Each basket can hold **only one** type of fruit.
- If a fruit type **cannot be placed** in any basket, it remains **unplaced**.

Return the number of fruit types that remain unplaced after all possible allocations are made.

**Example 1:**

**Input:** `fruits = [4,2,5]`, `baskets = [3,5,4]`

**Output:** 1

**Explanation:**

- `fruits[0] = 4` is placed in `baskets[1] = 5`.
- `fruits[1] = 2` is placed in `baskets[0] = 3`.
- `fruits[2] = 5` cannot be placed in `baskets[2] = 4`.

Since one fruit type remains unplaced, we return 1.

**Example 2:**

**Input:** `fruits = [3,6,1]`, `baskets = [6,4,7]`

**Output:** 0

**Explanation:**

- `fruits[0] = 3` is placed in `baskets[0] = 6`.
- `fruits[1] = 6` cannot be placed in `baskets[1] = 4` (insufficient capacity) but can be placed in the next available basket, `baskets[2] = 7`.
- `fruits[2] = 1` is placed in `baskets[1] = 4`.

Since all fruits are successfully placed, we return 0.

**Constraints:**

- $n == \text{fruits.length} == \text{baskets.length}$
- $1 \leq n \leq 10^5$
- $1 \leq \text{fruits}[i], \text{baskets}[i] \leq 10^9$