Minimum Cost Path

Given a square **grid** of size **N**, each cell of which contains an integer cost that represents a cost to traverse through that cell, we need to find a **path** from the **top left** cell to the **bottom right** cell by which the total cost incurred is **minimum**.
From the cell (i,j) we can go (i,j-1), (i, j+1), (i-1, j), (i+1, j).

Examples :

Input: grid = {{9,4,9,9},{6,7,6,4},{8,3,3,7},{7,4,9,10}}
Output: 43
Explanation: The grid is-
9 4 9 9
6 7 6 4
8 3 3 7
7 4 9 10
The minimum cost is-
9 + 4 + 7 + 3 + 3 + 7 + 10 = 43.

Input: grid = {{4,4},{3,7}}
Output: 14
Explanation: The grid is-
4 4
3 7
The minimum cost is- 4 + 3 + 7 = 14.
Expected Time Complexity: $O(n^2*\log(n))$
Expected Auxiliary Space: $O(n^2)$
Constraints:
$1 \le n \le 500$
$1 \le$ cost of cells ≤ 500