

Minimum Number of Taps to Open to Water a Garden

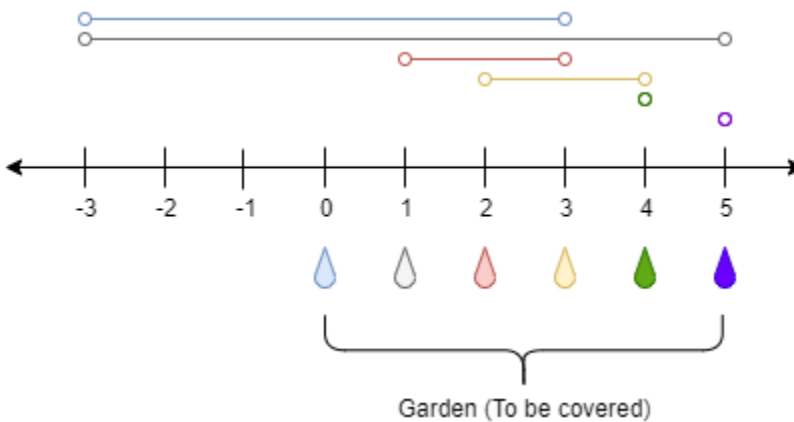
There is a one-dimensional garden on the x-axis. The garden starts at the point 0 and ends at the point n. (i.e The length of the garden is n).

There are $n + 1$ taps located at points $[0, 1, \dots, n]$ in the garden.

Given an integer n and an integer array `ranges` of length $n + 1$ where `ranges[i]` (0-indexed) means the i -th tap can water the area $[i - \text{ranges}[i], i + \text{ranges}[i]]$ if it was open.

Return *the minimum number of taps* that should be open to water the whole garden, If the garden cannot be watered return **-1**.

Example 1:



Input: $n = 5$, `ranges = [3,4,1,1,0,0]`

Output: 1

Explanation: The tap at point 0 can cover the interval $[-3, 3]$

The tap at point 1 can cover the interval $[-3, 5]$

The tap at point 2 can cover the interval $[1, 3]$

The tap at point 3 can cover the interval $[2, 4]$

The tap at point 4 can cover the interval $[4, 4]$

The tap at point 5 can cover the interval $[5, 5]$

Opening Only the second tap will water the whole garden $[0, 5]$

Example 2:

Input: $n = 3$, `ranges = [0,0,0,0]`

Output: -1

Explanation: Even if you activate all the four taps you cannot water the whole garden.

Constraints:

- $1 \leq n \leq 10^4$
- `ranges.length == n + 1`
- $0 \leq \text{ranges}[i] \leq 100$