

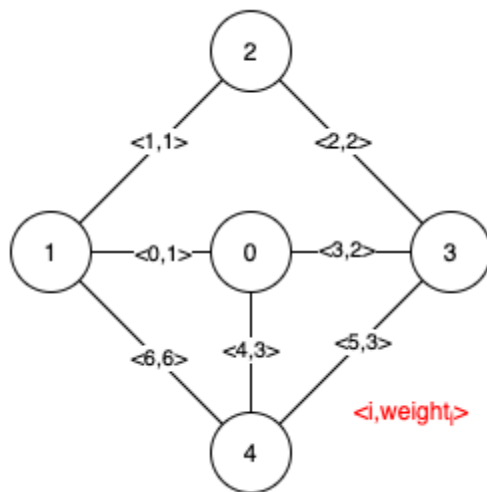
Find Critical and Pseudo-Critical Edges in Minimum Spanning Tree

Given a weighted undirected connected graph with n vertices numbered from 0 to $n - 1$, and an array `edges` where `edges[i] = [ai, bi, weighti]` represents a bidirectional and weighted edge between nodes a_i and b_i . A minimum spanning tree (MST) is a subset of the graph's edges that connects all vertices without cycles and with the minimum possible total edge weight.

Find *all the critical and pseudo-critical edges in the given graph's minimum spanning tree (MST)*. An MST edge whose deletion from the graph would cause the MST weight to increase is called a *critical edge*. On the other hand, a pseudo-critical edge is that which can appear in some MSTs but not all.

Note that you can return the indices of the edges in any order.

Example 1:

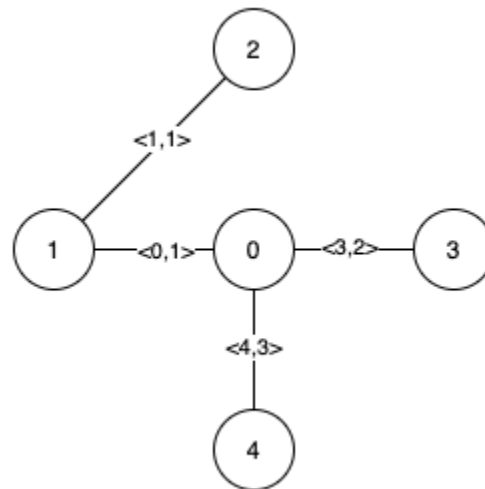
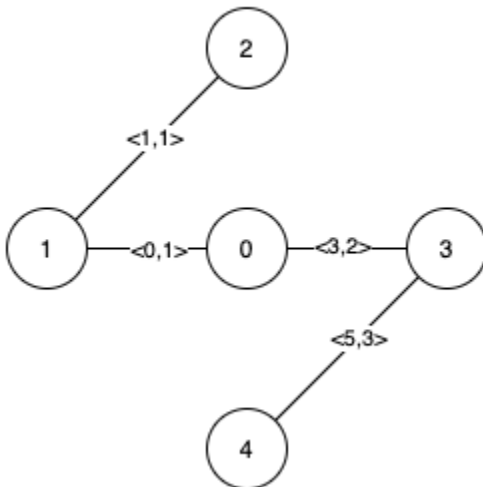
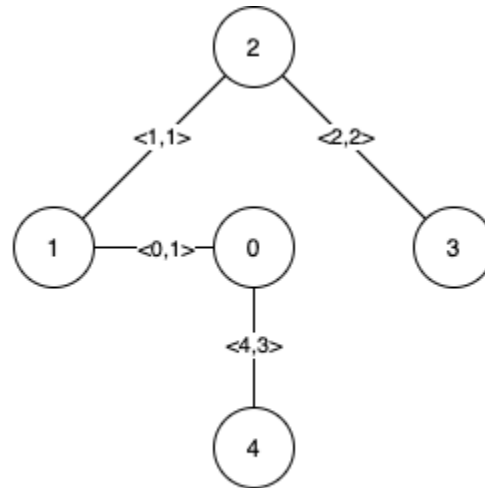
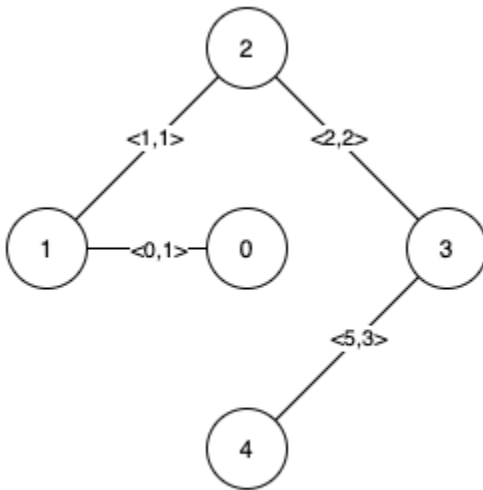


Input: $n = 5$, `edges = [[0,1,1],[1,2,1],[2,3,2],[0,3,2],[0,4,3],[3,4,3],[1,4,6]]`

Output: `[[0,1],[2,3,4,5]]`

Explanation: The figure above describes the graph.

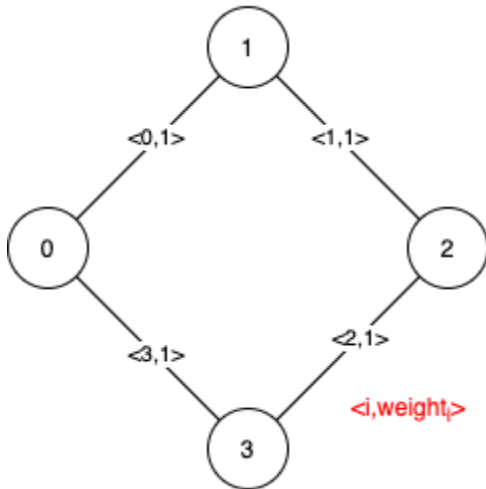
The following figure shows all the possible MSTs:



Notice that the two edges 0 and 1 appear in all MSTs, therefore they are critical edges, so we return them in the first list of the output.

The edges 2, 3, 4, and 5 are only part of some MSTs, therefore they are considered pseudo-critical edges. We add them to the second list of the output.

Example 2:



Input: $n = 4$, edges = $[[0,1,1],[1,2,1],[2,3,1],[0,3,1]]$

Output: $[[[]],[0,1,2,3]]$

Explanation: We can observe that since all 4 edges have equal weight, choosing any 3 edges from the given 4 will yield an MST. Therefore all 4 edges are pseudo-critical.

Constraints:

- $2 \leq n \leq 100$
- $1 \leq \text{edges.length} \leq \min(200, n * (n - 1) / 2)$
- $\text{edges}[i].\text{length} == 3$
- $0 \leq a_i < b_i < n$
- $1 \leq \text{weight}_i \leq 1000$
- All pairs (a_i, b_i) are **distinct**.