## **<u>Difference of Number of Distinct Values on Diagonals</u>**

Given a **0-indexed** 2D grid of size  $m \times n$ , you should find the matrix answer of size  $m \times n$ .

The value of each cell (r, c) of the matrix answer is calculated in the following way:

- Let topLeft[r][c] be the number of distinct values in the top-left diagonal of the cell (r, c) in the matrix grid.
- Let bottomRight[r][c] be the number of **distinct** values in the bottom-right diagonal of the cell (r, c) in the matrix grid.

Then answer[r][c] = |topLeft[r][c] - bottomRight[r][c]|.

Return the matrix answer.

A **matrix diagonal** is a diagonal line of cells starting from some cell in either the topmost row or leftmost column and going in the bottom-right direction until reaching the matrix's end.

A cell  $(r_1, c_1)$  belongs to the top-left diagonal of the cell (r, c), if both belong to the same diagonal and  $r_1 < r$ . Similarly is defined bottom-right diagonal.

## **Example 1:**

1	2	3
3	1	5
3	2	1

1	2	3
3	1	5
3	2	1

1	2	3
3	1	5
3	2	1

1	2	3
3	1	5
3	2	1

Input: grid = [[1,2,3],[3,1,5],[3,2,1]]

Output: [[1,1,0],[1,0,1],[0,1,1]]

Explanation: The 1st diagram denotes the initial grid.

The  $2^{nd}$  diagram denotes a grid for cell (0,0), where blue-colored cells are cells on its bottom-right diagonal.

The  $3^{\text{rd}}$  diagram denotes a grid for cell (1,2), where red-colored cells are cells on its top-left diagonal.

The  $4^{\text{th}}$  diagram denotes a grid for cell (1,1), where blue-colored cells are cells on its bottom-right diagonal and red-colored cells are cells on its top-left diagonal.

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- The cell (0,0) contains [1,1] on its bottom-right diagonal and [] on its top-le ft diagonal. The answer is |1 - 0| = 1.
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- The cell (1,2) contains [] on its bottom-right diagonal and [2] on its top-left diagonal. The answer is |0-1|=1.
- The cell (1,1) contains [1] on its bottom-right diagonal and [1] on its top-lef t diagonal. The answer is |1-1|=0.

The answers of other cells are similarly calculated.

## Example 2:

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Input: grid = [[1]]
Output: [[0]]

Explanation: - The cell (0,0) contains [] on its bottom-right diagonal and [] on its top-left diagonal. The answer is |0 - 0| = 0.
```

## **Constraints:**

```
    m == grid.length
    n == grid[i].length
    1 <= m, n, grid[i][j] <= 50</li>
```