

# Egg Dropping Puzzle

You are given **N** identical eggs and you have access to a **K**-floored building from **1** to **K**.

There exists a floor **f** where  $0 \leq f \leq K$  such that any egg dropped at a floor higher than **f** will break, and any egg dropped **at or below** floor **f** will **not break**. There are few rules given below.

- An egg that survives a fall can be used again.
- A broken egg must be discarded.
- The effect of a fall is the same for all eggs.
- If the egg doesn't break at a certain floor, it will not break at any floor below.
- If the eggs breaks at a certain floor, it will break at any floor above.

Return the minimum number of moves that you need to determine with certainty what the value of **f** is.

For more description on this problem see [wiki page](#)

## **Example 1:**

### **Input:**

**N** = 1, **K** = 2

**Output:** 2

### **Explanation:**

1. Drop the egg from floor 1. If it breaks, we know that  $f = 0$ .
2. Otherwise, drop the egg from floor 2.  
If it breaks, we know that  $f = 1$ .
3. If it does not break, then we know  $f = 2$ .
4. Hence, we need at minimum 2 moves to determine with certainty what the value of **f** is.

## **Example 2:**

### **Input:**

**N** = 2, **K** = 10

**Output:** 4

### **Your Task:**

Complete the function **eggDrop()** which takes two positive integer **N** and **K** as input parameters and returns the minimum number of attempts you need in order to find the critical floor.

**Expected Time Complexity :**  $O(N \cdot (K^2))$

**Expected Auxiliary Space:**  $O(N \cdot K)$

### **Constraints:**

$1 \leq N \leq 200$

$1 \leq K \leq 200$