

## Approach

The code below simply loops through the array taking an element "x" as the pivot. Using this pivot, we count separately the number of values:

1. **Lower** than "x" to the **left** (lo\_L)
2. **Higher** than "x" to the **left** (hi\_L)
3. **Lower** than "x" to the **right** (lo\_R)
4. **Higher** than "x" to the **right** (hi\_R)

These values are then combined to update our result variable:

- $\text{result} += \text{lo\_L} * \text{hi\_R} + \text{hi\_L} * \text{lo\_R}$

**Detailed explanation of the formula  $\text{lower\_left} * \text{higher\_right} + \text{higher\_left} * \text{lower\_right}$  :**

The formula comes from the fact that we need to create triplets with the form  $a < b < c$  or  $a > b > c$ . Since b can be regarded as the pivotal point dividing the sequence, we notice that we can form triplets by choosing:

1. For  $a < b < c$ , choose any number a (to the left) lower than b, and any number c to the right which is higher. The total number of combinations for this case is  $\text{lower\_left} * \text{higher\_right}$ .
2. For  $a > b > c$ , reverse the previous process. Choose any number a to the left higher than b, and any subsequent number c which is lower. This creates a total number of combinations  $\text{higher\_left} * \text{lower\_right}$ .

As you can see, summing the combinations for both alternatives gives us the formula  $\text{total} = \text{lower\_left} * \text{higher\_right} + \text{higher\_left} * \text{lower\_right}$ . The rest of the code is just book-keeping, and choosing good Data Structures to handle the problem easily.