# Differentiable Inductive Logic Programming (& ILP) for Fraud Detection

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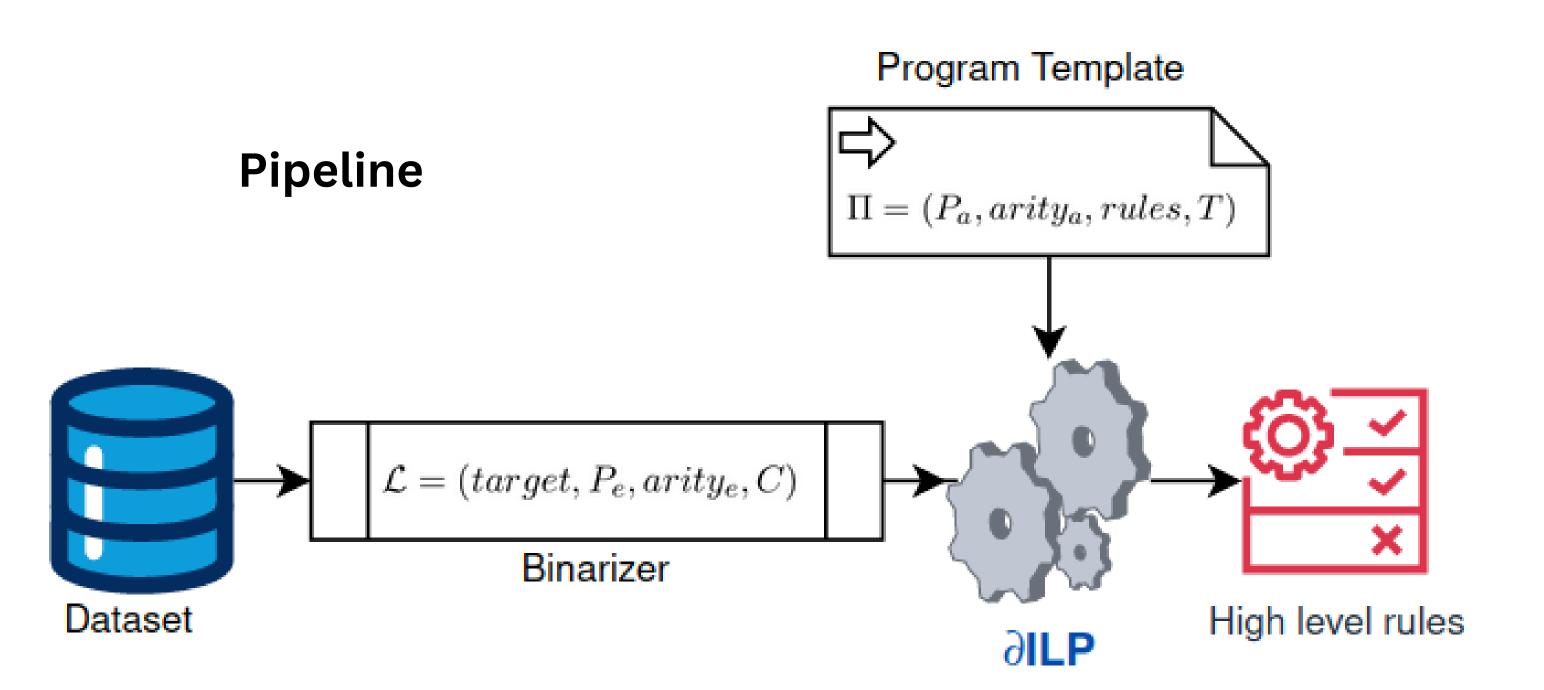
- "Learning Explanatory Rules from Noisy Data", Richard Evans, **Edward Grefenstette**
- Learns set of rules  $\alpha \leftarrow \alpha_1, ..., \alpha_m$
- Required input: Positive, Negative examples and a set of facts
- Neurosymbolic AI Deep NN + Symbolic Reasoning

#### **Objectives:**

- Compare performance to classical rule generation methods: Deep Symbolic Regression, Decision Tree
- Test Recursive Structures for the fraudulent relationships detection

#### Contributions

- Pipeline for converting tabular dataset to required input format

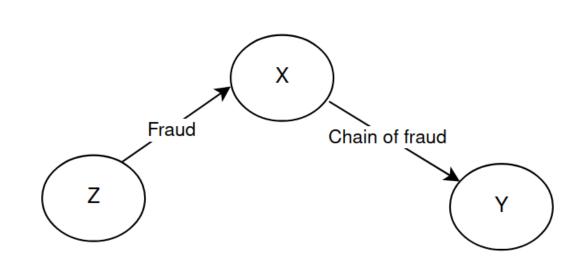


- Set of templates for different programs

# Examples

#### **Chain of fraud**

- Transaction(X,Y) X sends transaction to Y
- Transaction from Z to X is Fraud(Z,X) Fraud
- Fraud\_Chain(X,Y) X and Y are in a chain of a fraud event
- Template  $\tau_{target}^1 = (n_{\exists} = 1, int = 0)$
- Rule  $Fraud\_Chain(X, Y) \leftarrow Fraud(Z, X), Transaction(X, Y)$



	orig	destination	Fraud_chainorigdestination
0	16058	16066	False
1	16065	16052	False
2	16036	16067	False
3	16086	16014	True
4	16043	16004	False
5	16011	16067	True
6	16002	16011	False
7	16051	16086	False
8	16080	16077	False

# Fraud Relationship

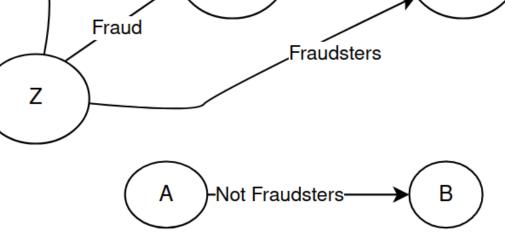
- Fraudsters(X,Y) X and Y are Fraudsters
- Fraud(X,Y) Transaction from X to Y is Fraud
- Template

$$\tau_{target}^1 = (n_{\exists} = 0, int = 1)$$

$$\tau_{target}^2 = (n_{\exists} = 1, int = 1)$$

 $Fraudsters(X, Y) \leftarrow Fraud(X, Y)$ Rule  $Fraudsters(X, Y) \leftarrow Fraud(Z, Y),$ 

Fraudsters(Z,X)



## X Y Fraudsters--X--Y Fraud--X--Y 1 2 3 **2** 3 4 **3** 2 1 4 1 3 5 1 4 7 2 4 8 2 2 False

# **PaySim Dataset**

- Binarised Columns from Decision Trees Thresholds
- X transaction id
- Template

$$\tau_{target}^{1} = (n_{\exists} = 0, int = 1)$$
 $\tau_{target}^{2} = (n_{\exists} = 0, int = 1)$ 
 $\tau_{p1}^{1} = (n_{\exists} = 0, int = 1)$ 
 $\tau_{p1}^{2} = None$ 
 $\tau_{p2}^{1} = (n_{\exists} = 0, int = 0)$ 

 $\tau_{p2}^2 = None$ Rule  $isFraud(X_0) \leftarrow NOT\{oldbalanceDest > -0.007\}(X_0), pred2(X_0)$  $isFraud(X_0) \leftarrow pred2(X_0), amount > 1.297(X_0)$  $pred1(X_0) \leftarrow NOT\{oldbalanceDest > -0.007\}(X_0), pred2(X_0)$  $pred2(X_0) \leftarrow external\_dest(X_0), type\_TRANSFER(X_0)$ 

DSC Performance 0.999Accuracy Precision 0.984Recal 0.501 0.803 0.702

### **Program Template**

- Rules  $(\tau_p^1, \tau_p^2)$  define predicate p template
- $\tau = (n_{\exists}, int)$  defines the range of clauses C to generate, each clause consists of two atoms
- Number of existential predicates
- A flag to use an intensional (auxiliary) predicate in generated clauses
- rules are defined for each predicate P
- arity  $\alpha$  The arity of an auxiliary predicate  $P_{\alpha}$
- Generates a set of clauses:

### Induction as Satisfiability

For each  $P_{O}$ ,  $\partial ILP$  learns a weight matrix  $W_{D}$ , to find a set of clauses best explaining Positive, Negative instances of a Target predicate

## Inference Steps

 $\mathsf{connected}(X,Y) \leftarrow \mathsf{edge}(X,Y)$ edge(a, b) $\mathsf{connected}(X,Y) \leftarrow \mathsf{edge}(X,Z), \mathsf{connected}(Z,Y)$  $\mathsf{edge}(b,c)$  $\mathsf{edge}(c,a)$  $\{\mathsf{edge}(a,b),\mathsf{edge}(b,c),\mathsf{edge}(c,a)\}$  $C_{R,2} = C_{R,1} \cup \{\mathsf{connected}(a,b), \mathsf{connected}(b,c), \mathsf{connected}(c,a)\}$  $C_{R,3} = C_{R,2} \cup \{\mathsf{connected}(a,c), \mathsf{connected}(b,a), \mathsf{connected}(c,b)\}$  $C_{R,4} = C_{R,3} \cup \{\mathsf{connected}(a,a), \mathsf{connected}(b,b), \mathsf{connected}(c,c)\}$ 

- **ILP** can generalize from a small amount of data; not datahungry
- Creates recursion predicates
- Provides shorter explainable rules than Decision Tree

#### Cons:

- Hard to scale
- Did not outperform other techniques
- Required to define Program Template, and to convert dataset to binary dataset



