

# Generalized Symmetries

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### 1 Introduction

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### 2 Higher-form symmetry

#### 2.1 Symmetries as topological operators

In classical field theory, a symmetry is a transformation of the fields that preserves the action. At quantum level, in the absence of anomalies, it is a transformation under which the correlation functions are invariant.

Considering the infinitesimal global transformation:  $\phi \rightarrow \phi' = \phi + \epsilon_a \delta_a \phi$ ,  $\delta S = S[\phi'] - S[\phi] = 0$

#### 2.2 Examples

##### 2.2.1 Maxwell theory

##### 2.2.2 $SU(N)$ gauge theory

### 3 Spontaneous symmetry breaking

#### 3.1 Normal symmetry

#### 3.2 Higher-form symmetry

## References

- [1] D. Gaiotto, A. Kapustin, N. Seiberg and B. Willett, *Generalized Global Symmetries*, [JHEP 02 \(2015\) 172](#) [[1412.5148](#)].