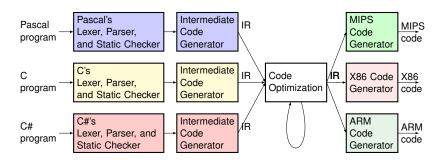
# **Code Generation**

## Modern Compiler Project



#### Multiple IRs

- Modern compilers use multiple IRs at different stages of code generation
- High-Level IR
  - Examples: Abstract Syntax Tree, Parse Tree
  - Essentially a tree syntax and semantics of program
  - > Need a high-level IR for each language
  - Purpose
    - Semantic analysis of program
    - Language-specific optimizations (e.g. inlining)
- Low-Level IR
  - Examples: Three address code, Static Single Assignment
  - Essentially an instruction set for an abstract machine
  - Tries to be language and machine independent
  - > Purpose: Language / machine independent optimizations

## Multiple IRs

- Machine-Level IR
  - Examples: x86 IR, ARM IR, MIPS IR
  - Actual instructions for a concrete machine ISA
  - Need a machine-level IR for each machine ISA
  - > Purpose
    - Machine-specific optimizations (e.g. strength reduction)
    - Register allocation / code generation
- But could just use one IR (high-level IR) some simple compilers do this
- Why multiple IRs?

## Multiple IRs

- Machine-Level IR
  - Examples: x86 IR, ARM IR, MIPS IR
  - Actual instructions for a concrete machine ISA
  - Need a machine-level IR for each machine ISA
  - Purpose
    - Machine-specific optimizations (e.g. strength reduction)
    - Register allocation / code generation
- But could just use one IR (high-level IR) some simple compilers do this
- Why multiple IRs?
  - > Better to have an appropriate IR for the task at hand
  - > Machine / language independent IRs enable reuse of code
    - Low-level IR optimizations reused regardless of language / machine
    - Machine IR code generation reused regardless of language

#### Three Address Code

Generic form is X = Y op Z

where X, Y, Z can be variables, constants, or compiler-generated temporaries holding intermediate values

- Characteristics
  - Assembly code for an 'abstract machine'
  - Long expressions are converted to multiple instructions
  - > Control flow statements are converted to jumps
  - Machine independent
    - Operations are generic (not tailored to specific machine)
    - Function calls represented as generic call nodes
    - Uses symbolic names rather than register names (Actual locations of symbols are yet to be determined)
- Why this form?
  - Allows all operations to be handled in a uniform way
  - Modifications to IR can be done much more easily (Optimizations don't worry about syntactic structure)



## Example

#### An example:

```
x * y + z / w
is translated to
t1 = x * y ; t1, t2, t3 are temporary variables
t2 = z / w
t3 = t1 + t2
```

- Sequential translation of an AST
- ➤ Internal nodes in AST are translated to temporary variables
- > Can be generated through a depth-first traversal of AST

## Common Three-Address Statements (I)

Assignment statement:

x = y op z

where op is an arithmetic or logical operation (binary operation)

Assignment statement:

$$x = op y$$

where op is an unary operation such as -, not, shift)

Copy statement:

$$x = y$$

Unconditional jump statement:

goto L

where L is label

**Code Generation** 

## Common Three-Address Statements (II)

```
Conditional jump statement:
          if (x relop y) goto L
    where relop is a relational operator such as =, \neq, >, <
 Procedural call statement:
          param x_1, ..., param x_n, call F_v, n
    As an example, foo(x1, x2, x3) is translated to
          param x<sub>1</sub>
          param x<sub>2</sub>
          param x<sub>3</sub>
          call foo, 3
    Procedural call return statement:
          return y
    where y is the return value (if applicable)
```

## Common Three-Address Statements (III)

Indexed assignment statement:

where x is a scalable variable and y is an array variable

Address and pointer operation statement:

```
x = & y; a pointer x is set to location of y
```

$$y = x$$
; y is set to the content of the address

; stored in pointer x

\*y = x; object pointed to by y gets value x

## Implementation of Three-Address Code

- There are three possible ways to store the code
  - quadruples
  - triples
  - indirect triples
- Using quadruples op arq1, arq2, result
  - ➤ There are four(4) fields at maximum
  - > Arg1 and arg2 are optional
  - Arg1, arg2, and result are usually pointers to the symbol table

#### **Examples:**

$$x = a + b$$
 => + a, b, x  
 $x = -y$  => -y, , x  
goto L => goto , , L

## **Using Triples**

To avoid putting temporaries into the symbol table, we can refer to temporaries by the positions of the instructions that compute them

Example: a = b \* (-c) + b \* (-c)

		Quadruples			Triples		
	ор	arg1	arg2	result	ор	arg1	arg2
(0)	-	С		t1	-	С	
(1)	*	b	t1	t2	*	b	(0)
(2)	-	С		t3	-	С	
(3)	*	b	t3	t4	*	b	(2)
(4)	+	t2	t4	t5	+	(1)	(3)
(5)	=	t5		а	=	а	(4)

## More About Triples

■ Triples for array statements

$$x[i] = y$$

is translated to

- (0) [] x i
- (1) = (0) y
- That is, one statement is translated to two triples

## **Using Indirect Triples**

- Problem with triples
  - Cannot move code around because instruction numbers will change

		Quadruples				Triples	S
	ор	arg1	arg2	result	ор	arg1	arg2
(0)	-	С		t1	-	С	
(1)	*	b	t1	t2	*	b	(0)
(2)	-	С		t3	-	С	
(3)	*	b	t3	t4	*	b	(2)
(4)	+	t2	t4	t5	+	(1)	(3)
(5)	=	t5		а	=	а	(4)

## **Using Indirect Triples**

- Problem with triples
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		Quadruples				Triple	S
	ор	arg1	arg2	result	ор	arg1	arg2
(0)	-	С		t1	-	С	
(1)	*	b	t1	t2	*	b	(0)
(2)	+	t2	t2	t5	+	(1)	(1)
(3)	=	t5		а	=	а	(4)

## **Using Indirect Triples**

- ➤ IR is a listing of pointers to triples instead of triples themselves
- Triples are stored in a separate triple 'database'
- > Can modify listing as long as the database does not change
- Slightly more overhead but allows optimizations

	Indirect Triples
	(ptr to triple database)
(0)	(0)
(1)	(1)
(2)	(2)
(3)	(3)
(4)	(4)
(5)	(5)

		Triple	S
	ор	arg1	arg2
(0)	-	С	
(1)	*	b	(0)
(2)	-	С	
(3)	*	b	(2)
(4)	+	(1)	(3)
(5)	=	а	(4)

## After Optimization

	Indirect Triples
	(ptr to triple database)
(0)	(0)
(1)	(1)
(2)	(4)
(3)	(5)

	Triple Database		
	ор	arg1	arg2
(0)	-	С	
(1)	*	b	(0)
(2)	-	С	
(3)	*	b	(2)
(4)	+	(1)	(1)
(5)	=	a	(4)

After optimization, some entries in database can be reused

> i.e. Entries in triple database do not have to be contiguous

## After Optimization

	Indirect Triples
	(ptr to triple database)
(0)	(0)
(1)	(1)
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(3)	(5)

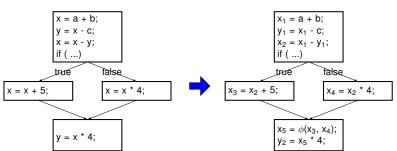
	Tri	ple Data	abase
	ор	arg1	arg2
(0)	-	С	
(1)	*	b	(0)
(2)	(em	pty)	
(3)	(sto	ring nev	v triple)
(4)	+	(1)	(1)
(5)	=	а	(4)

After optimization, some entries in database can be reused

> i.e. Entries in triple database do not have to be contiguous

## Static Single Assignment (SSA)

- Developed by R. Cytron, J. Ferrante, et al. in 1980s
  - > Every variable is assigned exactly once i.e. one **DEF**
  - ightharpoonup Convert original variable name to name  $_{version}$  e.g.  $x o x_1, x_2$  in different places
  - ightharpoonup Use  $\phi$ -function to combine two DEFs of same original variable on a control flow merge



#### Benefits of SSA

- SSA can assist compiler optimizations
  - > e.g. remove dead code

$$x = a + b;$$
  
 $x = c - d;$   
 $y = x * b;$   
 $x_1 = a + b;$   
 $x_2 = c - d;$   
 $y_1 = x_2 * b;$ 

.... x<sub>1</sub> is defined but never used, it is safe to remove

- Will discuss more in compiler optimization phase
- Intuition: Makes data dependency relationships between instructions more apparent in the IR

**Code Generation** 

# Generating IR using Syntax Directed Translation

## Generating IR

Code Generation

#### Generating IR

- What is our parsing scheme?
  - Bottom-up LR/LALR parsing
    - Natural to translate synthesized attributes
    - Hack to translate L-attributed inherited attributes

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## Generating IR

- What is our parsing scheme?
  - Bottom-up LR/LALR parsing
    - Natural to translate synthesized attributes
    - Hack to translate L-attributed inherited attributes
- What language structures do we need to translate?
  - Declarations
    - variables, procedures (need to enforce static scoping), ...
  - Assignment statement
  - > Flow of control statement
    - if-then-else, while-do, for-loop, ...
  - Procedure call
  - **>** ...

#### Attributes to Evaluate in Translation

- Statement **S** 
  - S.code a synthesized attribute that holds IR code of S
- Expression **E** 
  - E.code a synthesized attribute that holds IR code for computing E
  - ➤ E.place a synthesized attribute that holds the location where the result of computing E is stored
- Variable declaration:
  - **TV** e.g. int a,b,c;
  - > Type information T.type T.width
  - > Variable information V.type, V.offset

#### Attributes to Evaluate in Translation

- Statement S
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  - E.code a synthesized attribute that holds IR code for computing E
  - E.place a synthesized attribute that holds the location where the result of computing E is stored
- Variable declaration:
  - **T V** e.g. int a,b,c;
  - > Type information T.type T.width
  - > Variable information V.type, V.offset
    - ..... What is V.offset?

- When there are multiple variables defined in a procedure,
  - we layout the variable sequentially
  - use variable offset, to get address of x
    - address(x)  $\leftarrow$  offset
    - offset += sizeof(x.type)

```
void foo() {
    int a;
    int b;
    long long c;
    int d;
}
```

- When there are multiple variables defined in a procedure,
  - we layout the variable sequentially
  - use variable offset, to get address of x
    - address(x) ← offset
    - offset += sizeof(x.type)

```
      void foo() {
      Address

      int a;
      0x0000

      int b;
      0x0004

      long long c;
      0x0008

      int d;
      0x000c

      }
      0x0010
```

- When there are multiple variables defined in a procedure,
  - we layout the variable sequentially
  - use variable offset, to get address of x

Address

- address(x) ← offset
- offset += sizeof(x.type)

```
      void foo() {
      0x0000
      a
      Offset=0 Addr(a)←0

      int b;
      0x0004
      0x0008
      0x000c

      int d;
      0x000c
      0x0010
```

- When there are multiple variables defined in a procedure,
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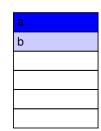
      int d;
      0x000c

      }
      0x0010
```

- When there are multiple variables defined in a procedure,
  - we layout the variable sequentially
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void foo() {
  int a;
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}
```

```
Address
0x0000
0x0004
0x0008
0x000c
0x0010
```

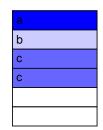


Offset=8 Addr(a) $\leftarrow$ 0 Addr(b) $\leftarrow$ 4

- When there are multiple variables defined in a procedure,
  - we layout the variable sequentially
  - use variable offset, to get address of x
    - address(x) ← offset
    - offset += sizeof(x.type)

```
void foo() {
    int a;
    int b;
    long long c;
    int d;
}

Address
0x0000
0x00004
0x00008
0x0000c
0x0010
```



Offset=16 Addr(a) $\leftarrow$ Addr(b) $\leftarrow$ Addr(c) $\leftarrow$ 

- When there are multiple variables defined in a procedure,
  - we layout the variable sequentially
  - use variable offset, to get address of x
    - address(x) ← offset
    - offset += sizeof(x.type)

```
void foo() {
    int a;
    int b;
    long long c;
    int d;
}

Address
0x0000
0x00004
0x00008
0x0000c
0x0010
```

6	a
k	)
C	
C	
C	b

```
\begin{array}{l} \text{Offset=20} \\ \text{Addr(a)} \leftarrow 0 \\ \text{Addr(b)} \leftarrow 4 \\ \text{Addr(c)} \leftarrow 8 \\ \text{Addr(d)} \leftarrow 16 \end{array}
```

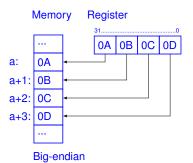
## More About Storage Layout (I)

- Allocation alignment
  - Enforce addr(x) mod sizeof(x.type) == 0
  - Most machine architectures are designed such that computation is most efficient at sizeof(x.type) boundaries
    - E.g. Most machines are designed to load integer values at integer word boundaries
    - If not on word boundary, need to load two words and shift & concatenate

## More About Storage Layout (II)

#### Endianness

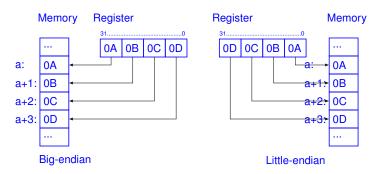
- Big endian stores MSB (most significant byte) in lowest address
- Little endian stores LSB (least significant byte) in lowest address



#### More About Storage Layout (II)

#### Endianness

- Big endian stores MSB (most significant byte) in lowest address
- Little endian stores LSB (least significant byte) in lowest address



## More About Storage Layout (III)

- Questions still unanswered
  - How are non-local variables laid out?
  - How dynamically allocated variables laid out?

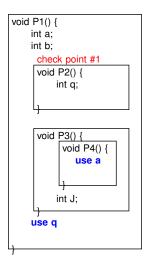
## **Processing Declarations**

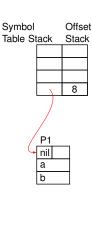
- Translating the declaration in a single procedure
  - enter(name, type, offset) insert the variable into the symbol table

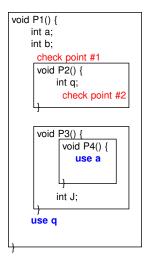
```
\begin{array}{ll} P \rightarrow M \ D \\ M \rightarrow \varepsilon & \{ \ offset=0; \} \ /^* \ reset \ offset \ before \ layout \ ^*/ \\ D \rightarrow D \ ; \ D \\ D \rightarrow T \ id & \{ \ enter(id.name, \ T.type, \ offset); \ offset \ += \ T.width; \} \\ T \rightarrow integer & \{ \ T.type=integer; \ T.width=4; \} \\ T \rightarrow real & \{ \ T.type=real; \ T.width=8; \} \\ T \rightarrow T1[num] & \{ \ T.type=array(num.val, \ T1.type); \\ & \qquad \qquad T.width=num.val \ ^* \ T1.width; \} \\ T \rightarrow ^* T1 & \{ \ T.type=ptr(T1.type); \ T.width=4; \} \end{array}
```

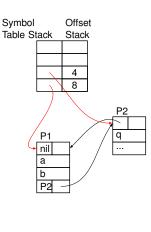
## **Processing Nested Declarations**

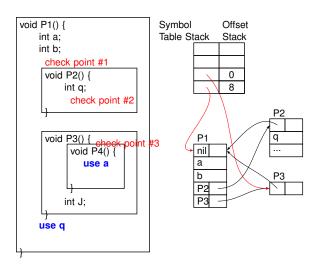
- Need scope information for each level of nesting.
- When encountering a nested procedure declaration...
  - Create a new symbol table when encountering a sub-procedure declaration
    - mktable(ptr); ptr points back to its parent table
  - Store procedure name in parent symbol table, with a pointer pointing to the new table
    - enterproc(parent\_table\_ptr, proc\_id, child\_table\_ptr)
  - Suspend the processing of parent symbol table
    - Push new table in the active symbol table stack
    - Push the current offset in the offset stack
  - When done, resume the processing of parent symbol table
    - Pop entries in active symbol table stack, offset stack for nested procedure
    - Restore current offset from the offset stack

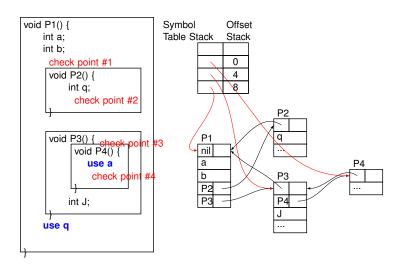


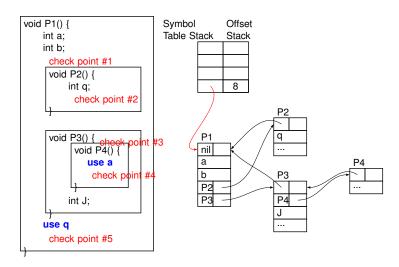












# **Processing Nested Declarations**

Syntax directed translation rules

```
\begin{array}{ll} P \rightarrow M \ D & \{ \ pop(tblptr); \ pop(offset); \} \\ \\ M \rightarrow \varepsilon & \{ \ t=mktable(nil); \ push(t, \ tblptr); \ push(0,offset); \} \\ D \rightarrow D1; \ D2 & \\ D \rightarrow void \ pid() \ \{ \ N \ D1; \ S \ \} \ \{ \ t=top(tblptr); \ pop(tblptr); \ pop(offset); \\ & \ enter \ proc( \ top(tblptr), \ pid, \ t); \} \ /^* \ new \ symbol \ table \ ^*/ \\ \\ D \rightarrow T \ id; & \{ \ enter(top(tblptr), \ id, \ T.type, \ top(offset)); \\ & \ top(offset) = top(offset) + T.width; \} \\ N \rightarrow \varepsilon & \{ \ t=mktable(top(tblptr)); \\ & \ push(t, \ tblptr); \ push(0, \ offset); \\ \end{array}
```

- Statements are processed sequentially after processing declarations
  - useful functions: **lookup (id)** — search id in symbol table, return nil if none emit() — print three address IR

```
newtemp() — get a new temporary variable
```

**Code Generation** 

```
S \rightarrow id = E { P = lookup(id); if (P = nil) perror(...); else emit(P' = E.place);}
E → E1 + E2 { E.place = newtemp(); emit(E.place '=' E1.place '+' E2.place); }
E → E1 * E2 { E.place = newtemp(); emit(E.place '=' E1.place '*' E2.place); }
E \rightarrow -E1 { E.place = newtemp(); emit(E.place '=' '-' E1.place); }
E \rightarrow (E1) \{ E.place = E1.place; \}
E \rightarrow id { P=lookup(id); E.place=P; }
```

# **Processing Array References**

```
Recall generalized row/column major addressing
For example:
    1-dimension: int x[100]; ..... x[i<sub>1</sub>]
   2-dimension: int x[100][200]; .... x[i_1][i_2]
   3-dimension: int x[100][200][300]; .... x[i_1][i_2][i_3]
   Row major: addressing a k-dimension array item
    (low_i = base = 0)
    1-dimension: A_1 = a_1*width
                                       a_1 = i_1
   2-dimension: A_2 = a_2*width
                                       a_2 = a_1 * N_2 + i_2
   3-dimension: A_3 = a_3*width
                                       a_3 = a_2 N_3 + i_3
   k-dimension: A_k = a_k^* width
                                       a_k = a_{k-1} * N_k + i_k
```

#### **Processing Array References**

Processing an array assignment (e.g. A[i] = B[j];)

```
\begin{split} S \rightarrow L = E & \{ \text{ } t = \text{newtemp(); emit( } t \text{ } '=' \text{ } L.\text{place } '*' \text{ } L.\text{width); } \\ & \text{emit(} t \text{ } '=' \text{ } L.\text{base } '+' \text{ } t); \text{ } \text{emit } ('*'t \text{ } '=' \text{ } E.\text{place); } \} \\ E \rightarrow L & \{ \text{ } E.\text{place } = \text{newtemp(); } \text{ } t = \text{newtemp(); } \\ & \text{emit( } t \text{ } '=' \text{ } L.\text{place } '*' \text{ } L.\text{width); } \text{ } \text{emit } (\text{ } E.\text{place } '=' \text{ } (L.\text{base } '+' \text{ } t) \text{ } ); } \} \\ L \rightarrow \text{id } [\text{ } E] & \{ \text{ } L.\text{base } = \text{lookup(id).base; } L.\text{width } = \text{lookup(id).width; } L.\text{dim=1; } \\ & L.\text{place } = \text{E.place; } \} \\ L \rightarrow \text{L1 } [\text{ } E] & \{ \text{ } L.\text{base } = \text{L1.base; } L.\text{width } = \text{L1.width; } L.\text{dim } = \text{L1.dim } + \text{ 1; } \\ & L.\text{place } = \text{newtemp(); } \\ & \text{emit( } L.\text{place } '=' \text{ } L.\text{place } '*' \text{ } L.\text{max[L.dim]); } \\ & \text{emit( } L.\text{place } '=' \text{ } L.\text{place } '+' \text{ } E.\text{place); } \} \end{split}
```

## **Processing Boolean Expressions**

- Boolean expression: a op b
  - $\rightarrow$  where op can be <, >, >=, &&, ||, ...
  - Compute just like any other arithmetic expression
    - Good for languages with no short circuiting
    - Short circuiting:
      - In expression A && B, not evaluating B when A is false
      - In expression A || B, not evaluating B when A is true
    - Without short circuiting, entire expression is evaluated as usual

```
\begin{array}{ll} S \! \rightarrow \! id = E & \equiv & lookup(id) = E.place \\ E \! \rightarrow \! (a < b) \text{ or } (c < d \text{ and } e < f) \equiv & t1 = a < b \\ & t2 = c < d \\ & t3 = e < f \\ & t4 = t2 \text{ \& } t3 \\ & E.place = t1 \text{ || } t4 \\ \end{array}
```

## **Processing Boolean Expressions**

- 2. Implement as a series of jumps
  - ➤ For languages with short circuiting (e.g. C/C++), evaluations sometimes have to be 'jumped'
  - Processing a boolean expression:

```
\begin{array}{lll} S \! \to & \text{if E then S1} \\ E \! \to & a < b & \equiv & E.true = S1.label; \\ E.false = S.next \\ & \text{if E goto E.true} \\ & \text{goto E.false} \\ \end{array}
```

S1.label: label created at the address of code S1

S.next: address of code after S
E.true: code to execute on 'true'
E.false: code to execute on 'false'

- > Processing compound boolean expressions:
  - Chain together multiple of above by updating E.true/E.false
  - E→ E1 && E2: E1.true = code for E2, E1.false = S.next
  - E→ E1 || E2: E1.false = code for E2, E1.true = S1.label

# **Processing Boolean Expressions**

- 2. Implement as a series of jumps (cont'd)
  - ightharpoonup A short circuited compound boolean expression E 
    ightharpoonup (a < b) or  $(c < d \text{ and } e < f) \equiv if (a < b) \text{ goto E.true}$  goto L1
     L1: if (c < d) goto L2
     goto E.false
     L2: if (e < f) goto E.true goto E.false
  - ➤ Can apply to other control flow statements
    S → if E then S1 | if E then S1 else S2 | while E do S1
  - > Problem: E.true, E.false, S.next are non-L-attributes
    - Depend on code that has not been generated yet S.next: Only available when code after S is generated E.true: Only available when S1 is generated

## Syntax Directed Translation

- A non-L-attributed grammar may preclude a one pass syntax directed translation scheme
  - Both top-down and bottom-up SDTS rely on L-attributed grammars
- How to handle non-L attributes?
  - E.true, E.false, S.next
- Solutions: two methods
  - Two pass approach process the code twice
    - Generate labels in the first pass
    - Replace labels with addresses in the second pass
  - One pass approach
    - Generate holes when address is needed but unknown
    - Fill in holes when addresses is known later on
    - Finish code generation in one pass

#### Two-Pass Based Syntax Directed Translation Scheme

- Attributes for two pass based approach
  - > Expression **E** 
    - Synthesized attributes: E.code
    - —- non-L inherited attributes: **E.true**, **E.false**
  - Statement S
    - Synthesized attributes: S.code
    - --- non-L inherited attributes: S.next
- Evaluation order:

Given rule  $S \rightarrow if E$  then S1, the two passes are:

- (1). Generate **E.code** and **S1.code** making a label for E.true
- Replace label E.true with actual address of S1 (Labels E.false and S1.next are inheried from S.next)

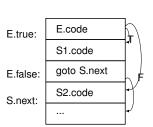
Given rule  $S \rightarrow S1 S2$ , the two passes are:

- (1). Generate **S1.code** and **S2.code** making a label for S1.next
- (2). Replace label **S1.next** with the actual address of S2 (Label **S2.next** is inheried from **S.next**)

#### Two Pass based Rules

```
S \rightarrow \text{if E then S1} \\ \{ \text{ E.true} = \text{newlabel}; \\ \text{ E.false} = \text{ S.next}; \\ \text{ S1.next} = \text{ S.next}; \\ \text{ S.code} = \text{ E.code} \mid\mid \text{gen(E.true':')} \mid\mid \text{S1.code}; \} \\ \\ E.true: \\ \text{ E.false:} \\ \text{ S1.code} \\ \vdots \\ \dots
```

```
S \rightarrow \text{if E then S1 else S2} \\ \{ \text{ S1.next} = \text{S2.next} = \text{S.next}; \\ \text{E.true} = \text{newlabel}; \\ \text{E.false} = \text{newlabel}; \\ \text{S.code} = \text{E.code} \mid\mid \text{gen(E.true':')} \mid\mid \\ \text{S1.code} \mid\mid \text{gen('goto' S.next)} \mid\mid \\ \text{gen(E.false':')} \mid\mid \text{S2.code}; \} \\ \end{cases}
```



#### More Two Pass based SDT Rules

```
E \rightarrow id1 \text{ relop id2}
                           { E.code=gen('if' id1.place 'relop' id2.place 'goto' E.true) ||
                                      gen('goto' E.false); }
F \rightarrow F1 \text{ or } F2
                           { E1.true = E2.true = E.true:
                              E1.false = newlabel:
                             E2.false = E.false;
                             E.code = E1.code || gen(E1.false ':') || E2.code; }
F \rightarrow F1 and F2
                           { E1.false = E2.false = E.false;
                             E1.true = newlabel:
                             E2.true = E.true;
                             E.code = E1.code || gen(E1.true ':') || E2.code; }
E \rightarrow not E1
                           { E1.true = E.false; E1.false = E.true; E.code = E1.code; }
\mathsf{E} \to \mathsf{true}
                           { E.code = gen('goto' E.true); }
F → false
                           { E.code = gen('goto' E.false); }
```

#### Problem

- Try this at home. Refer to textbook Chapter 6.6.
- Write SDT rule (two pass) for the following statement
  - $S \rightarrow \text{while (a<b) do}$  if (c<d)
    - then S
    - andif
    - endif
    - endwhile

## Backpatching

- If grammar contains L-attributes only, then it can be processed in one pass
- However, we know there are occasions for non-L attributes
  - Example: E.true, E.false, S.next during code generation
  - Is there a general solution to this problem?

#### Solution:

- Leave holes for non-L attributes, record their locations in holelists, and fill in the holes when we know the target values
  - holelist: synthesized attribute of 'holes' to be filled in for a particular target value
  - Holes are filled in one shot when target value is known
  - > All holes can be replaced at the end of code generation

#### One-Pass Based Syntax Directed Translation Scheme

- Attributes for two pass based approach
  - > Expression **E** 
    - Synthesized attributes: E.code
       E.holes truelist, and E.holes falselist
  - > Statement S
    - Synthesized attributes: S.code and S.holes\_nextlist
- Evaluation order:

Given rule  $S \rightarrow if E$  then S1, below is done in one-pass:

- (1). Gen E.code, making E.holes\_truelist, E.holes\_falselist
- Gen S1.code, filling in E.holes\_truelist and merging S1.holes\_nextlist with E.holes\_falselist
- (3). Pass on merged list to S.holes\_nextlist

Given rule  $S \rightarrow S1 S2$ , below is done in one-pass:

- (1). Gen S1.code making S1.holes\_nextlist
- (2). Gen S2.code filling in S1.holes\_nextlist and making S2.holes\_nextlist
- (3). Pass on S2.holes nextlist to S.holes nextlist



## Backpatching Rules for Boolean Expressions

- 3 functions for implementing backpatching for IR generation
  - makelist(i) creates a new list with statement index i
  - merge(p1, p2) concatenates list p1 and list p2
  - backpatch(p, i) insert i as target label for each statement in list p

```
\label{eq:energy} \begin{array}{ll} E \rightarrow \text{E1 or M E2} & \{ \text{ backpatch(E1.holes\_falselist, M.quad);} \\ & \text{E.holes\_truelist} = \text{merge(E1.holes\_truelist, E2.holes\_truelist);} \\ & \text{E.holes\_falselist} = \text{E2.holes\_falselist;} \, \} \\ \\ E \rightarrow \text{E1 and M E2} & \{ \text{ backpatch(E1.holes\_truelist, M.quad);} \\ & \text{E.holes\_falselist} = \text{merge(E1.holes\_falselist, E2.holes\_falselist);} \\ & \text{E.holes\_truelist} = \text{E2.holes\_truelist;} \, \} \\ \\ M \rightarrow \varepsilon & \{ \text{ M.quad} = \text{nextquad;} \, \} \\ \end{array}
```

#### More One Pass SDT Rules

```
E \rightarrow not E1
                          { E.holes truelist = E1.holes falselist;
                             E.holes falselist = E1.holes truelist; }
\mathsf{E} \to (\mathsf{E}1)
                          { E.holes truelist = E1.holes truelist;
                             E.holes falselist = E1.holes falselist: }
E \rightarrow id1 \ relop \ id2
                          { E.holes truelist = makelist(nextguad);
                             E.holes falselist = makelist(nextguad+1);
                             emit('if' id1.place 'relop' id2.place 'goto ____');
                             emit('goto '); }
E \rightarrow true
                          { E.holes_truelist = makelist(nextquad);
                             emit('goto '); }
E → false
                          { E.holes falselist = makelist(nextquad);
                             emit('goto '); }
```

# Backpatching Example

$$\blacksquare$$
 E  $\rightarrow$  (a

$$\square$$
 When reducing  $\varepsilon$  to M1, we have

103: goto

$$\blacksquare$$
 When reducing  $\varepsilon$  to M2, we have

$$M1.quad = 102$$

$$M2.quad = 104$$

# Backpatching Example (cont.)

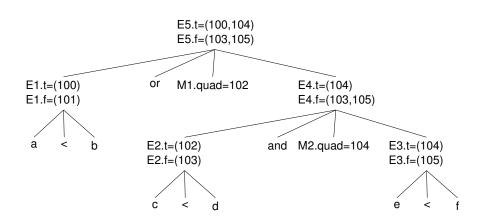
```
When reducing (E2 and M2 E3) to E4, we backpatch((102), 104);
          100: if(a<b) goto
                                        E4.hole truelist=(104)
          101: goto
                                       E4.hole falselist=(103,105)
          102: if(c<d) goto 104
          103: goto
          104: if(e<f) goto ____
          105: goto ____
   When reducing (E1 or M1 E4) to E5, we backpatch((101), 102);
          100: if(a<b) goto
                                       E5.hole truelist=(100, 104)
                                       E5.hole falselist=(103,105)
          101: goto 102
          102: if(c<d) goto 104
          103: goto
          104: if(e<f) goto ____
          105: goto ____
```

# Backpatching Example (cont.)

```
When reducing (E2 and M2 E3) to E4, we backpatch((102), 104);
          100: if(a<b) goto
                                        E4.hole truelist=(104)
          101: goto
                                       E4.hole falselist=(103,105)
          102: if(c<d) goto 104
          103: goto
          104: if(e<f) goto ____
          105: goto ____
   When reducing (E1 or M1 E4) to E5, we backpatch((101), 102);
          100: if(a<b) goto
                                       E5.hole truelist=(100, 104)
                                       E5.hole falselist=(103,105)
          101: goto 102
          102: if(c<d) goto 104
          103: goto
          104: if(e<f) goto ____
          105: goto ____
   Are we done?
```

# Backpatching Example (cont.)

```
When reducing (E2 and M2 E3) to E4, we backpatch((102), 104);
          100: if(a<b) goto
                                       E4.hole truelist=(104)
                                      E4.hole falselist=(103,105)
          101: goto
          102: if(c<d) goto 104
          103: goto
          104: if(e<f) goto ____
          105: goto
   When reducing (E1 or M1 E4) to E5, we backpatch((101), 102);
          100: if(a<b) goto
                                      E5.hole truelist=(100, 104)
                                      E5.hole falselist=(103,105)
          101: goto 102
          102: if(c<d) goto 104
          103: goto
          104: if(e<f) goto
          105: goto ____
Are we done?
     Yes for this expression
```



#### Problem

```
Try this at home. Refer to textbook Chapter 6.6, 6.7.
```

Write SDT rule (one pass using backpatching) for the following statement

```
S \rightarrow while E1 do if E2 then S2 endif endwhile
```

#### Solution Hint

 $\square$  S  $\rightarrow$  while E1 do if E2 then S2 endif endwhile

	Known Attributes	Attributes to Evaluate/Process
Two	E1.code	E1.true, E1.false
Pass	E2.code	E2.true, E2.false
	S2.code	S2.next
	S.next	S.code
One	E1.code, E1.hole_truelist	S.code
Pass	E1.hole_falselist	S.hole_nextlist
	E2.code, E2.hole_truelist	
	E2.hole_falselist	(E1.hole_truelist,E1.hole_falselist)
	S.code, S.hole_nextlist	(E2.hole_truelist,E2.hole_falselist)