

Phy482Hw2Prob6Wood

January 26, 2018

1 Computing Electric Field Along the Axis of a Charged Ring With a Computer

This program computes the net electric field due to a uniformly charged ring of radius R and charge Q at a given point in space.

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In [1]: from __future__ import division, print_function
        from vpython import *
        from math import *
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In [2]: scene=canvas(title="Electric field due to uniformly charged ring at various points")
        scene.background=color.white
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R=0.02 #radius of ring in m
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Q=1e-9 #charge of ring in C
N=5 #number of unique pieces
npoints = 3

#draw the objects
myring=ring(pos=vector(0,0,0), radius=R, axis=vector(0,0,1), color=color.blue, thickness=0.01)
zaxis=cylinder(pos=-2*R*myring.axis, radius=0.015*R, axis=4*R*myring.axis, color=color.red, radius=5*zaxis.radius)
points = []
for i in range(npoints):

    xr = 0.01*sin(i*2*pi/npoints)
    yr = 0.01*cos(i*2*pi/npoints)

    points.append(sphere(pos=vector(xr,yr,0), color=color.red, radius=5*zaxis.radius))

for j in range(npoints,2*npoints):

    xr2 = 0.005*sin(j*2*pi/npoints)
    yr2 = 0.005*cos(j*2*pi/npoints)

    points.append(sphere(pos=vector(xr2,yr2,0), color=color.red, radius=5*zaxis.radius))

# Find net field
for a in points:

    oofpez=9e9 #1/(4pi epsilon_0) in N m^2/C^2
    dq=Q/N #charge of a piece
    dtheta=2*pi/N #theta increment for our loop
    theta=dtheta/2 #initial theta for first piece of loop
    Enet=vector(0,0,0) #net electric field of all pieces

    rpoint = a.pos

    scale=1.2*mag(rpoint)/8000 #used to scale the arrows representing E-field

    while theta<2*pi:
        rpiece = R*vector(cos(theta),sin(theta),0) #location of piece
        r = rpoint-rpiece #vector from piece to point in space
        rmag = mag(r) #magnitude of r
        rhat = norm(r) #unit vector for r
        dE = oofpez * dq / rmag / rmag * rhat #Electric field due to piece at rpoint
        Enet = Enet + dE
        particle=sphere(pos=rpiece, radius=a.radius, color=color.yellow) #draw a particle
        dEvector=arrow(pos=rpoint, axis=scale*dE, color=color.magenta, shaftwidth=a.radius)
        theta=theta+dtheta

    print("The net electric field at ", rpoint, "= ",Enet, "N/C")
    Evector=arrow(pos=rpoint, axis=scale*Enet, color=color.orange, shaftwidth=a.radius)

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The net electric field at $\langle 0, 0.01, 0 \rangle = \langle 3936.48, -7576.91, 0 \rangle$ N/C
The net electric field at $\langle 0.00866025, -0.005, 0 \rangle = \langle -8867.63, 7582.05, 0 \rangle$ N/C
The net electric field at $\langle -0.00866025, -0.005, 0 \rangle = \langle 4577.03, 535.732, 0 \rangle$ N/C
The net electric field at $\langle -1.22465e-18, 0.005, 0 \rangle = \langle 222.772, -3023.69, 0 \rangle$ N/C
The net electric field at $\langle 0.00433013, -0.0025, 0 \rangle = \langle -2732.29, 1706.42, 0 \rangle$ N/C
The net electric field at $\langle -0.00433013, -0.0025, 0 \rangle = \langle 2505.45, 1318.21, 0 \rangle$ N/C

```
In [4]: scene=canvas(title="Electric field inside wire")
        scene.background=color.white

        R=0.02 #radius of ring in m
        Q=1e-9 #charge of ring in C
        N=4 #number of unique pieces
        npoints = 5
        nrings = 11
        spacing = 0.005
        c = 1e-11 #change in charge from center ring

        #draw the objects
        zaxis=cylinder(pos=-2*R*myring.axis, radius=0.015*R, axis=4*R*myring.axis, color=color.red)
        rings = []
        charge = [Q-5*c,Q-4*c,Q-3*c,Q-2*c,Q-c,Q,Q+c,Q+2*c,Q+3*c,Q+4*c,Q+5*c]

        for i in range(nrings):

            loc = i - (nrings)//2
            rings.append(ring(pos=vector(0,0,spacing*loc), radius=R, axis=vector(0,0,1), color=color.red))

        points = []
        for i in range(npoints):

            xr = 0.01*sin(i*2*pi/npoints)
            yr = 0.01*cos(i*2*pi/npoints)

            points.append(sphere(pos=vector(xr,yr,0), color=color.red, radius=5*zaxis.radius))

        for j in range(npoints,2*npoints):

            xr2 = 0.005*sin(j*2*pi/npoints)
            yr2 = 0.005*cos(j*2*pi/npoints)
```

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points.append(sphere(pos=vector(xr2,yr2,0), color=color.red, radius=5*zaxis.radius)

# Find net field
for a in points:

    for i in range(nrings):
        b = rings[i] # look at one ring

        dq = charge[i]/N #charge of a piece
        dtheta = 2*pi/N #theta increment for our loop
        theta=dtheta/2 #initial theta for first piece of loop
        Ering = vector(0,0,0) #net electric field for one ring
        oofpez=9e9 #1/(4pi epsilon_0) in N m^2/C^2

        rpoint = a.pos

        scale=1.2*mag(rpoint)/32000 #used to scale the arrows representing E-field

        while theta<2*pi:
            rpiece = R*vector(cos(theta),sin(theta),b.pos.z/R) #location of piece
            r = rpoint-rpiece #vector from piece to point in space
            rmag = mag(r) #magnitude of r
            rhat = norm(r) #unit vector for r
            dE = oofpez * dq / rmag / rmag * rhat #Electric field due to piece at rpoint
            Enet = Enet + dE
            particle=sphere(pos=rpiece, radius=a.radius, color=color.yellow) #draw a piece
            theta=theta+dtheta

        Evector=arrow(pos=rpoint, axis=scale*Enet, color=color.orange, shaftwidth=a.radius)

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