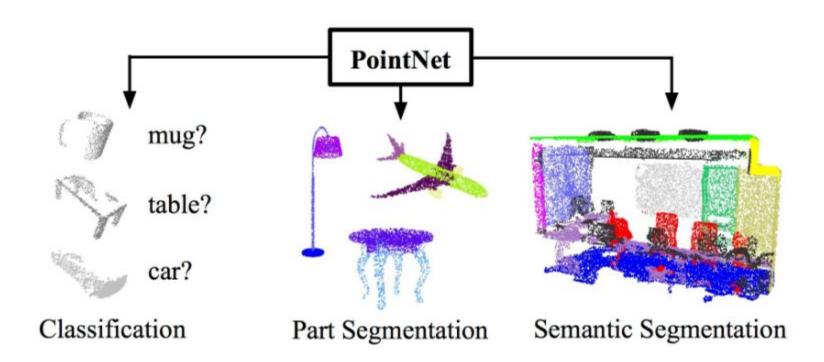
PointNet (CVPR 2017)

Coming up: PointNet++, TangentConv, SplatNet, FCGF

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Abstract

- Point clouds have an irregular format
 - usually transformed to 3D voxel grids / image collections
 - ...which renders data unnecessarily voluminous and causes issues
- Introduces a network that directly consumes point clouds
 - well respects the permutation invariance of points
 - normalized into unit sphere
- Unified architecture for:
 - Object classification
 - Part segmentation
 - Semantic segmentation



Key contributions

- 1. A novel deep architecture suitable for consuming unordered point sets in 3D
- 2. Show how such a net can be trained to perform 3D shape classification, shape part segmentation and scene semantic parsing tasks
- Empirical and theoretical analysis on the stability and efficiency of our method
- 4. Illustrate 3D features computed by selected neurons in the net and develop intuitive explanations for its performance (visualization, proof for (3))

Per-task specifics

Object Classification

Input cloud is either:

- 1. Directly sampled from a shape
- 2. Pre-segmented from a scene point cloud

PointNet outputs K scores for all the K candidate classes

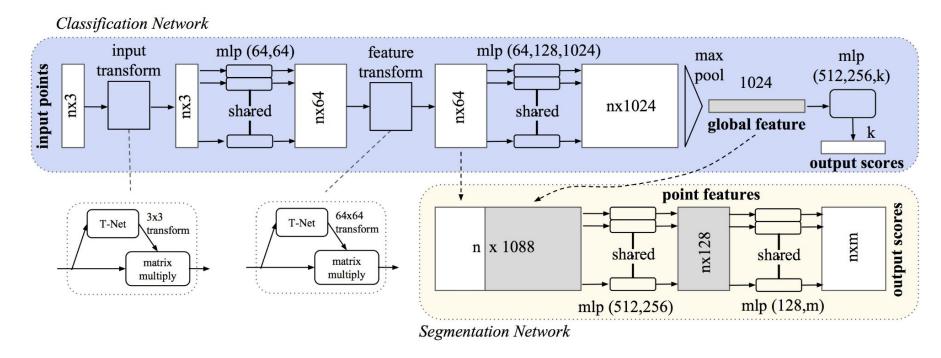
Semantic segmentation

Input can be either:

- A single object for part region segmentation
- 2. A sub-volume from a 3D scene for object region segmentation

Outputs n X m scores for each of the n points, and each of the m semantic subcategories.

PointNet Architecture



Batchnorm used in all layers with ReLU. Dropout layers are used for the last mlp in classification net

Properties of point sets (pointclouds)

1. Unordered

- Unlike pixel / voxels, there is no specific order
- A network that consumes **N 3D point sets** needs to be invariant to **N!** permutations of input set in data feeding order

2. Interaction among points

- Points are not isolated, neighboring points form a meaningful subset
- Model needs to be able of capture local structures

3. Invariance under transformations

- Learned representation should be invariant to certain transformations

Architecture explained

3 key modules

- Max pooling layer
 - as a SYMMETRIC FUNCTION to aggregate information from all the points
- 2. Local and Global information combination structure
- 3. Two joint alignment networks
 - to align both input points and point features

Symmetry function for unordered input

Three strategies to make a model invariant to input permutation:

- sorting into canonical (normalized) order
- treating input as a sequence to train RNN (and augmenting data by permutations
- using a simple symmetric function to aggregate info from each point

sorting and RNN are "plausible", but not the best choices

- proved through theory and experiments

IDEA: approximate a general function defined on a point set by applying a symmetric function on transformed elements in a set.

Symmetry function for unordered input

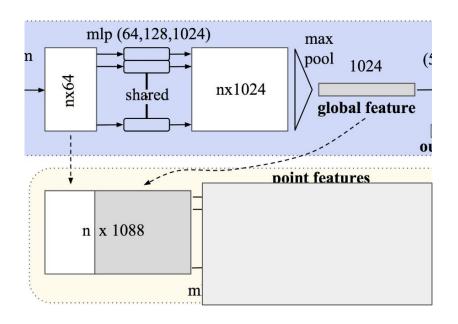
$$f(\lbrace x_1, \dots, x_n \rbrace) \approx g(h(x_1), \dots, h(x_n)), \tag{1}$$

where
$$f: 2^{\mathbb{R}^N} \to \mathbb{R}$$
, $h: \mathbb{R}^N \to \mathbb{R}^K$ and $g: \mathbb{R}^K \times \cdots \times \mathbb{R}^K \to \mathbb{R}$ is a symmetric function.

approximate *h* by MLP approximate *g* by composition of single variable function and max pooling function

Through collection of h, we can learn a number of *f*s to capture different properties of point set

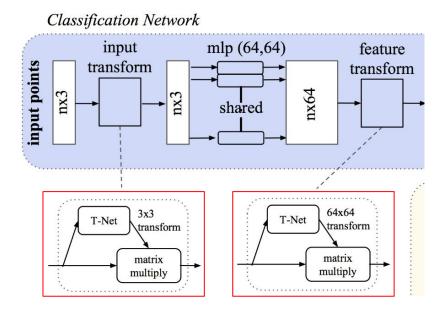
Local and Global Information Aggregation



Concat the global feature with EACH of the point features

Aware of both local and global information -> Can predict based on both *local geometry* and *global sementics*

Joint Alignment Network



Align all inputs sets to a canonical space before feature extraction

Also applied to features, to align features from different input points clouds

- Transformation matrix has much higher dimension in feature space, so regularizer term is used to constrain the feature transformation to be close to orthogonal matrix -> optimization becomes more stable

$$L_{reg} = ||I - AA^T||_F^2,$$

Theoretical Analysis

Application of function Analysis (해석학) to prove that PointNet can successfully approximate our target function *f*

- Uses epsilon-delta strategy
- Proves that as long as the neurons at the max pooling layer (K) is sufficiently high, can approximate f
- More details in the supplementary material.

