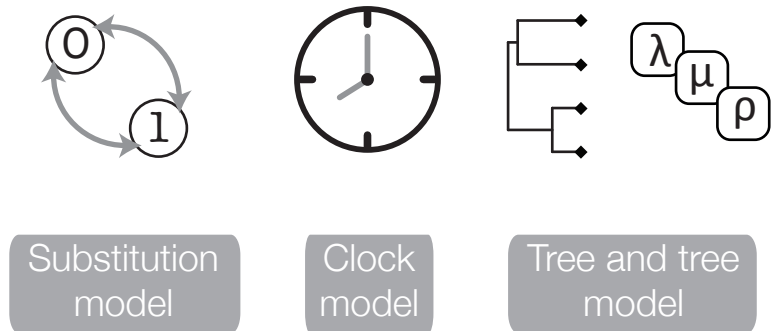


## Tripartite model components



## Bayes' theorem

$$P(\text{parameters} \mid \text{data, model}) = \frac{\overset{\text{likelihood}}{\downarrow} P(\text{data} \mid \text{parameters, model}) \overset{\text{priors}}{\downarrow} P(\text{parameters} \mid \text{model})}{\underset{\substack{\uparrow \\ \text{marginal probability of the data}}}{P(\text{data} \mid \text{model})}}$$

$\nwarrow$  posterior

## Putting everything together

$$\overset{\text{posterior}}{\nwarrow} P(\text{tree, flower, } \lambda, \mu, \rho, \text{substitution model, clock model} \mid \begin{matrix} 0101... \\ 1101... \\ 0100... \end{matrix}) =$$

$\downarrow$   
 $P(\begin{matrix} 0101... \\ 0100... \end{matrix} \mid \text{tree, flower, } \lambda, \mu, \rho, \text{substitution model, clock model})$   
 probability of the character data given everything\*

$\downarrow$   
 $P(\text{tree} \mid \text{flower, } \lambda, \mu, \rho)$   
 probability of the timetree given the tree model

$\downarrow$   
 $P(\text{flower})$   
 priors on fossil ages

$\downarrow$   
 $P(\lambda, \mu, \rho)$   
 priors on model parameters

$$\frac{P(\begin{matrix} 0101... \\ 0100... \end{matrix} \mid \text{tree, flower, } \lambda, \mu, \rho, \text{substitution model, clock model}) P(\text{tree} \mid \text{flower, } \lambda, \mu, \rho) P(\text{flower}) P(\lambda, \mu, \rho) P(\text{substitution model}) P(\text{clock model})}{\underset{\substack{\uparrow \\ \text{marginal probability of the data}}}{P(\begin{matrix} 0101... \\ 1101... \\ 0100... \end{matrix})}}$$

\*the tree, the parameters and the tripartite model