

I want to choose first number as the minimum itself, then it automatically becomes competitive.

$K=4$

I have to figure out how to write an $O(n)$ solution for this.

[2 4 3 3 5 4 9 6]

1st element



in this range pick the smallest element.

(2)

remaining 3 elements.

2nd element

4 (3) 3 5 4 9 6

$K=3$

in this range pick the smallest element.

remaining 2 elements.

3rd element

(3) 5 4 9 6

$K=2$

in this range try to pick minimum.

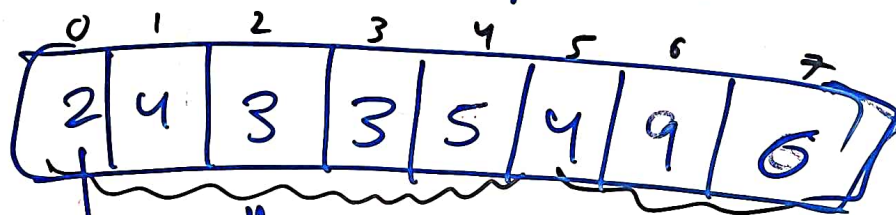
remaining 1 element

4th element

5 (4) 9 6

(pick minimum in this)
 $K=1$

I want to choose first number
as the minimum itself, then it auto-
matically becomes competitive.



1st element



in this range pick the smallest element.

$n = 8$

$(k = 4)$

$[0 \text{ to } n-k]$ { range to pick 1st element }

$[i+1 \text{ to } n-k+1]$ { range to pick 2nd element }

$[j+1 \text{ to } n-k+2]$ { range to pick 3rd element }

:

$[p+1 \text{ to } n-1]$ { range to pick last element }

2	4	3	3	5	4	9	6
0	1	2	3	4	5	6	7

$k=4$

One approach to solve it using fenwick tree. The approach is
intuitive approach

for 1st element $\rightarrow \min(0, n-k) \rightarrow i$ the index which is having minimum value

for 2nd element $\rightarrow \min(i, n-k+1) \rightarrow j$ the index which has minimum value in this range.

for 3rd element $\rightarrow \min(j, n-k+2) \rightarrow m$

\vdots

for a^{th} element $\rightarrow \min(p, n-1) \rightarrow k$

In fenwick tree construct a min fenwick tree which returns the index of the smallest index in the given range.

2	4	3	3	5	4	9	6
0	1	2	3	4	5	6	7

$$K=4, n=8$$

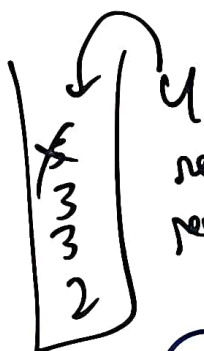
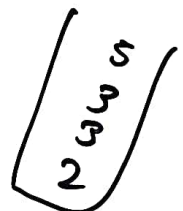
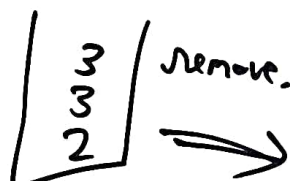
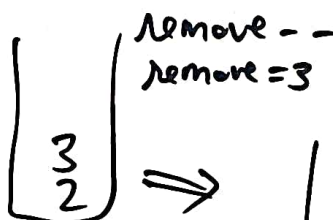
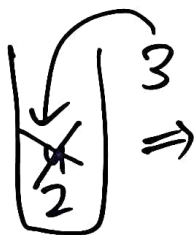
If we have to pick K elements, then we have to remove $n-K$ elements.

$$K=4, n-K=4$$

lets use a monotonic stack
to insert elements into the stack,
and we will try to keep it
non-decreasing.

2 4 3 3 5 4 9 6

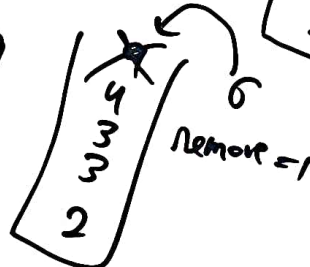
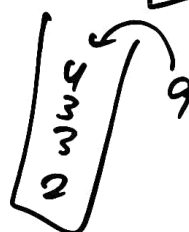
$$\text{remove} = n - K = 4$$



$$\text{remove} = 2$$



$$\text{remove} = 2$$



$$\text{remove} = 1$$

we still can remove 1.

Since the stack is monotonically increasing or non-decreasing we can do that

one doubt which I was having.

remove = $n-k$.
 my doubt was that, what if I exhaust all the
 remove at the start of the stack itself. And at
 the end a big number appears in the stack like 1000.

Doubt clearing.

But my doubt was cleared, since

$a = 1\ 2\ 3\ 5$ 1000
 $b = 1\ 2\ 5\ 3$ 2

$\text{Req}(a) < \text{Req}(b)$ this is the index
 where difference is happening
 hence we want to apply
 the removal in the beginning itself.