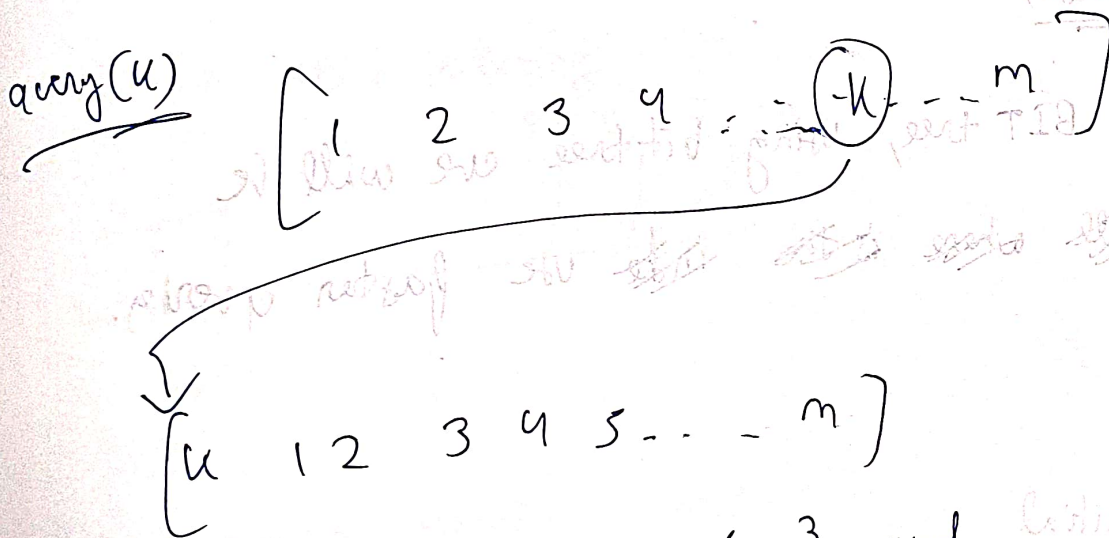


Explanation.

permutation $\rightarrow [1 \ 2 \ 3 \ 4 \ 5 \ \dots \ m]$

queries $\Rightarrow [u_1, u_2, u_3, u_4, \dots]$

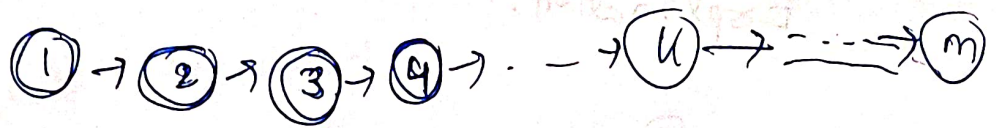
When query[i] comes to us, we can search have to tell the position, where it is in the permutation order. And then we have to move that in front of the permutation.



Given the constraints $m \leq 10^3$ and

queries $\leq m$.

Even if we ~~more~~ simulate the whole process & for a given u just ~~more~~ store the permutation in a linkedlist



Then ~~we~~ for search just travel the linked list,
 Move ~~the~~ it to the front of the linked list. Basic linked list
 operation.

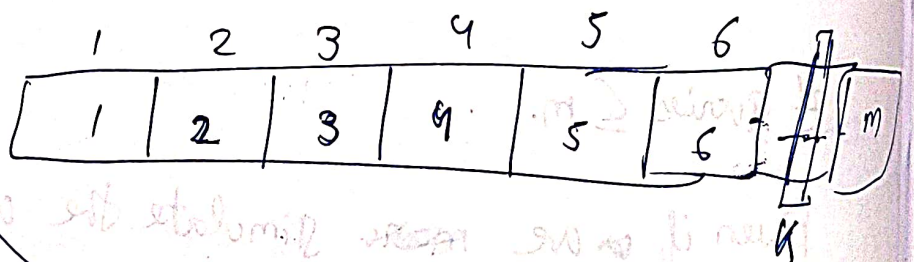
For each query $O(m)$. Total number of queries m .
 QR $m \times m \Rightarrow O(m^2)$.

(Better Approach)

Use BIT tree, using bit tree we will be
 able to ~~tell where it is~~ ~~into~~ use faster queries.

Intuition

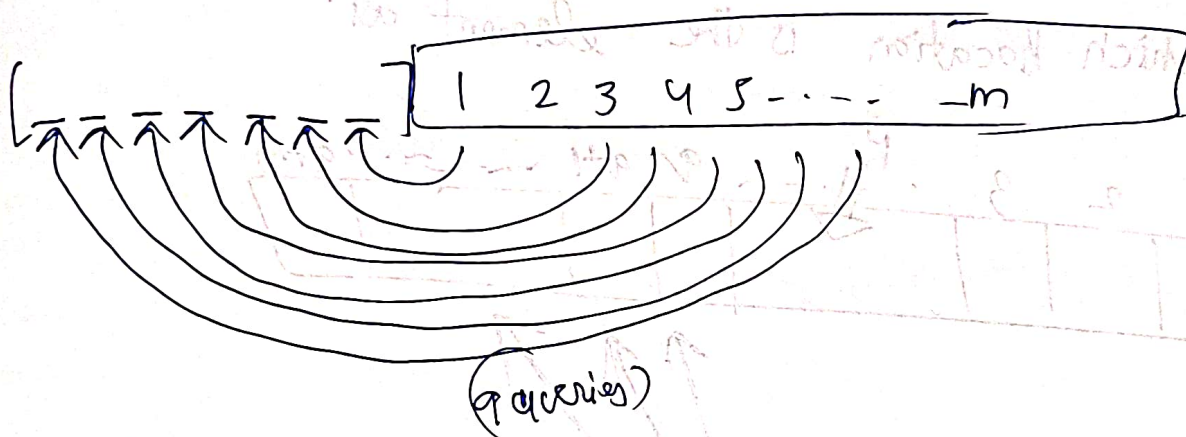
initial
 permutation



When
 any query is
 performed. let's say k .

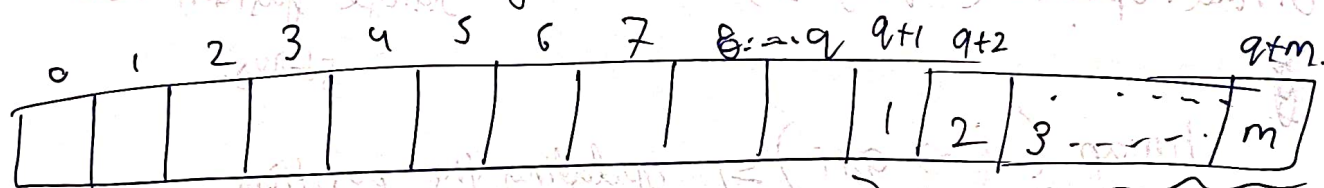
Let's say total number of queries = q .

Some know of times any number will come to the front.



So we create a BIT tree of size $[q+m+1]$

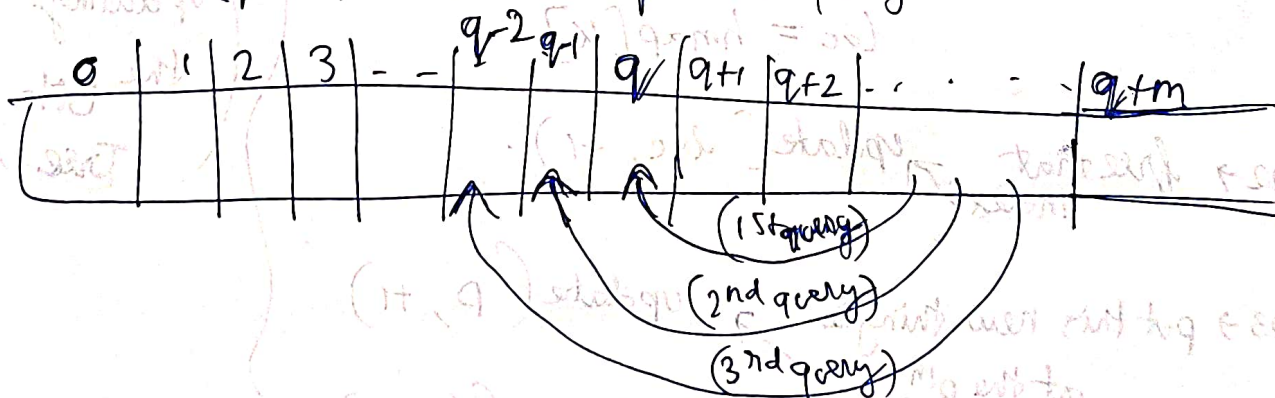
$+1 \rightarrow$ for 1 based indexing



(Here m elements will be stored)

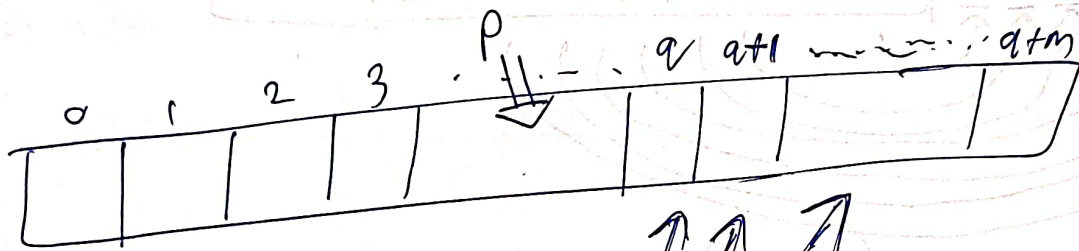
For each query operation we can move the element.

to $(q+1-i)^{\text{th}}$ position for i^{th} query



Instead of storing the actual numbers in the array of BIT tree we will store 1 and 0.

And we will have a HashMap (Number \rightarrow Location) to denote which location is the element at.



```
for (int i = 1; i <= m; i++) {
    GifTree.update(q+i, 1);
```

making updates and
storing in the
range fashion that it
stores.

```
hmap(i  $\rightarrow$  q+i)  $\Rightarrow$  updating the position.
```

```
}
```

$p \Rightarrow$ [Pointer denoting where the next entry should go].

\Rightarrow Part when a query comes $\rightarrow (K)$

Step 1 \rightarrow Get the location from map.

$loc = hmap[K]$

Step 2 \rightarrow free that index \rightarrow update($loc, -1$).

Step 3 \rightarrow put this new thing at the p^{th} index \rightarrow update($p, +1$)

$hmap(K, p)$

$p--;$

(Updating
the Bit
Tree)

Interesting part comes, on how to now tell its location.

my thoughts \rightarrow

Am thinking. Since in HashMap we have its location. $loc = \text{hmap.get}(k)$.

\hookrightarrow Now this loc is ~~the~~ of the ~~BIT tree~~ new Array that we formed.

we have to find the relative index. The one which it has in the modified permutation.

option 1 \rightarrow $\text{sum}(loc) \rightarrow$ tells me exactly how many 1's are there from (1 to loc) that should be the position of k .

option 2 \rightarrow