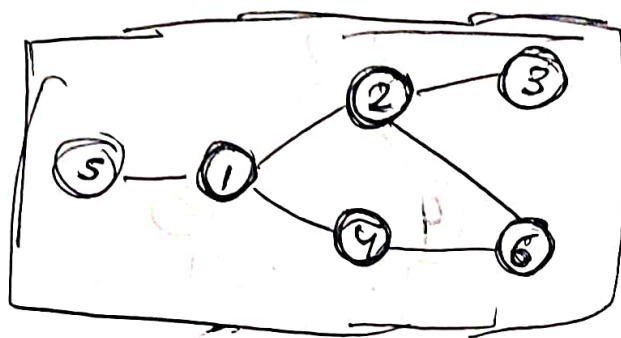
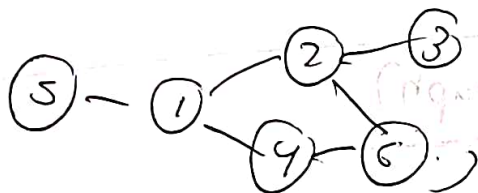


# (Explanation)

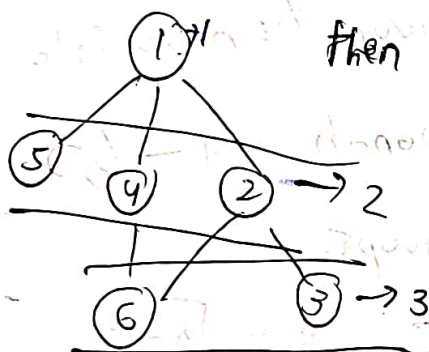


Prerequisite  
Bipartite graph

First thought in my mind, I had ~~remark~~ idea.

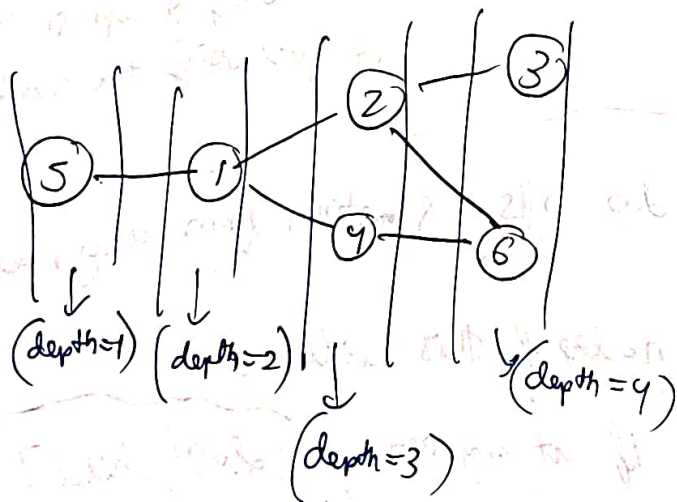


Let's say that we choose node 1 as root



then we calculate depth. and whatever is the max depth, we consider that as the total number of groups.

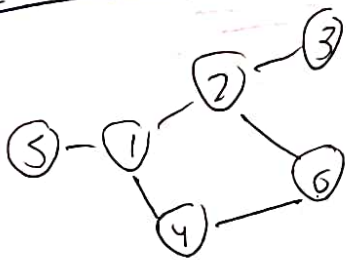
But I saw that depending on the node we choose as root, the max depth changes.



So ideally I could just do BFS starting from each node and get the answer.

(My thought Process)

Pick any node at Random.

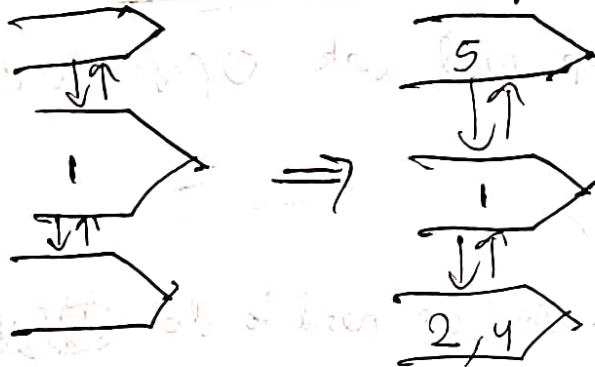


Step 1) → Picked node ①

1 (Placed 1 in a bucket)

Step 2) Picked the neighbors of ① → { 5, 2, 4 }

Using DLL over to create side by side buckets

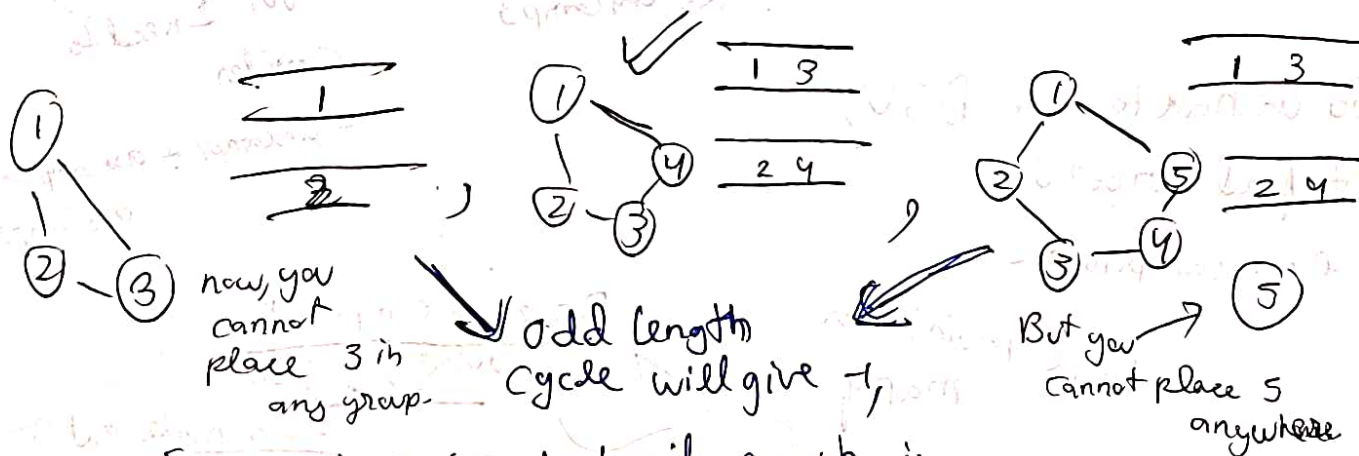


But we are not sure where to place the nodes in which bucket, Upon placing the nodes on any bucket, in future it might be required to backtrack and place them in new bucket

The code would be very complicated and we are not sure abt the complexity.

Some negated this approach.

Now coming to the part, where this is not possible at all, I mean answer is -1.



So we need to check if graph is Bipartite or not. If Bipartite, then ok, if not -1.



Now coming back to finding actual soln.

Since  $n = 500$ ,

$$\text{edges} = 10000, \quad \text{BFS} = (n + \text{edges})$$

$$= (500 + 10000)$$

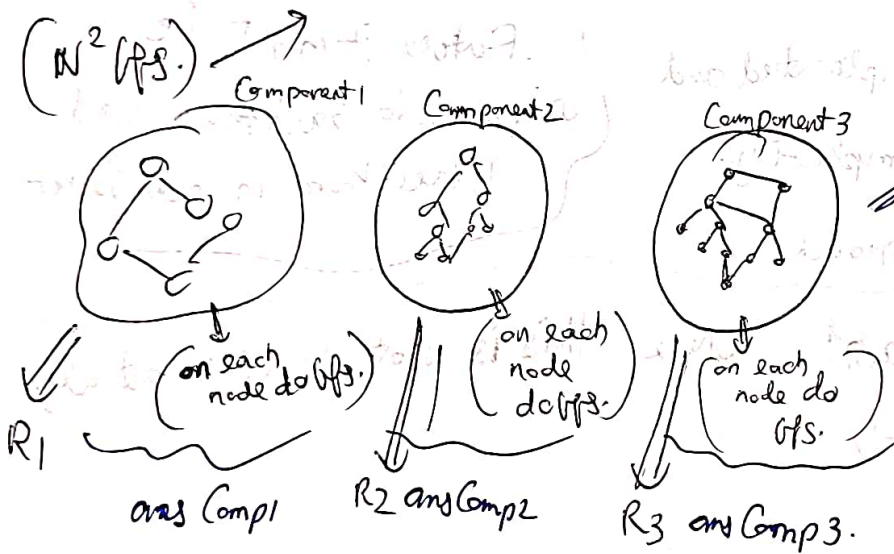
if we do

$$n * (n + \text{edges}) = \underline{500 * (500 + 10000)}$$

So actually a double for loop will work  $O(N^2)$  works

1 more thing,

the graph can be disconnected. And we need to do ~~dfs~~ the



~~a mistake I did~~,  
then I will consider

$$\max(\text{ansComp1}, \text{ansComp2}, \text{ansComp3})$$

but I need to

consider

$$= \text{ansComp1} + \text{ansComp2} + \text{ansComp3}$$

So we have to use DSU,  
to find root of  
each component.

So we maintain a map of

For each component,  
doing BFS from

each node get the value

