

Note

Reveal Cards In Increasing Order.

Q) You are given a deck of cards \rightarrow deck = $[17, 13, 11, 2, 3, 5, 7]$
Now there is a certain order in which the deck of cards are getting picked

Step 1: Pick the card on the top, reveal it and take it out

Step 2: After step 1 if there are more cards left, then pick the top card and put it at the bottom of the deck

Step 3: If deck is not empty. Redo from Step 1.

You have to order the cards in such a fashion, so that the cards picked up in the above order, always reveals the

cards in increasing order.

$[2, 13, 3, 11, 5, 17, 7] \rightarrow$ 2 is revealed, 13 is skipped.
3 is revealed, 11 is skipped
and so on. . .

$[2, 3, 5, 7, 11, 13, 17] \rightarrow$ order of revealing

A How I did it?

I took a normal array of indexes already sorted.

$[0, 1, 2, 3, 4, 5, 6, \dots]$ \rightarrow Now

Now I replicated the behaviour using a deque and marked which index is getting popped when.

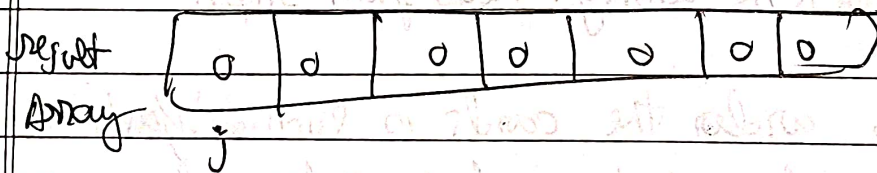
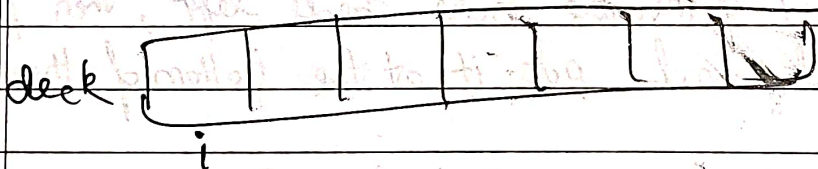
You get ~~get~~ the sorted result while (!q.isEmpty())

// peek for element
// pop

// move next element to
back of the queue

}

Solution, which I found on Leetcode?



1) Move $(i = i + 1)$ and $j = (j + 2) \% N$

2) ~~if~~ populate $result[j] = ans[i]$

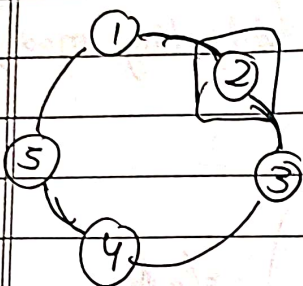
3) if $(result[j] \neq 0)$ that means it is populated, then
do ~~not~~ $j++$.

(Note)

(Find the winner of the Circular Game)

Q) Question is Similar to Russian Roulette.

($N=5, k=2$)



At each step.

the k^{th} Alive guy is to be eliminated.

* Start from ① go to k^{th} node.
Eliminate k .

* Then Start from next Alive Person and go the k^{th} Alive person in the circle and eliminate.

* Do this till only 1 person is alive.
Find the winner.

(A) Intuition: Recursion.

Let's say for a circle of N persons. I have to find the winner.

[1, 2, 3, 4, 5, 6, 7, 8, ..., N]

Let's say I have a magic function $f()$.

To which if I pass the index of (the number of people $= N$)
then it tells me the index of the winner.

So for N people.

I know $(k \% N)$ th guy will be eliminated.

So my winner will be

$$(k \% N) + f(N-1, k)$$

but since it's a circle, we have to cover it in a loop.

$$((k \% N) + f(N-1, k)) \% N.$$

code.

```
f(n, k) {
```

```
    int loser = k % n;
```

```
    if (loser == 0) {
```

```
        loser = N;  $\Rightarrow$  to adjust 1 based indexing
```

```
    }
```

```
    int winner = (loser + f(n-1, k)) % N.
```

```
    if (winner == 0) {
```

```
        winner = N;  $\Rightarrow$  adjust
```

```
    }
```

```
    return winner;
```

```
}
```