



Data Structure and Algorithm Training Program

Week 1 : Pseudo Code Solution Part 1

Problem 2 : Write a Program to reverse the order of the elements of a given array.

Iterative Pseudo Code : Two pointer Approach of Iteration

- Time Complexity : $O(n)$
- Space Complexity : $O(1)$ [In-Place]

reverse(A[], l, r)

```
{
    i=l
    j=r
    While(i<j)
    {
        temp=A[i]
        A[i]=A[j]
        A[j]=temp
        i=i+1
        j=j-1
    }
}
```

Recursive Pseudo Code : Decrease & Conquer approach

- Time Complexity : $O(n)$
- Space Complexity : $O(n)$ Recursion Call Stack
- Decreasing the input size by 2 at each step of recursion
- Recurrence Relation : $T(n) = T(n-2) + c$

recursiveReverse(A[], l, r)

```
{
    if(l>=r)
        Return

    temp=A[l]
    A[l]=A[r]
    A[r]=temp
    recursiveReverse(A[], l+1, r-1)
}
```

Problem 6 : Find a minimum Value in Sorted and rotated array

Pseudo Code : Divide and conquer approach of binary search.

- Time Complexity : $O(\log n)$
- Space Complexity : $O(\log n)$ [Recursive Call Stack]

rotatedMinimum(A[], l, r)

```
{
    if(l>r)
        return A[0]
    if(l==r)
        return A[l]

    mid = (l+r)/2
    if(mid<r && A[mid]>A[mid+1])
        return A[mid+1]

    if(mid>l && A[mid-1]>A[mid])
        return A[mid]

    if(A[mid]<A[r])
        return rotatedMinimum(A, l, mid-1)
    else
        return rotatedMinimum(A, mid+1, r)
}
```

Base Case	<ul style="list-style-type: none">- When array is not rotated at all- If there is only one element
Divide	<ul style="list-style-type: none">- Calculate the mid- Check If the mid element is minimum- Check If (mid+1) element is minimum
Conquer	<ul style="list-style-type: none">- Compare with A[r]- Search in the left half or right half

Problem 7 : Find maximum and minimum Value in an array

Pseudo Code : Brute Force Approach

- Time Complexity : $O(n)$
- $2n-2$ comparisons in worst case
- Space Complexity : $O(1)$

findMinMax(A[], n)

```
{
    max=A[0]
    min= A[0]
    for(i=1 to n-1)
    {
        if(A[i]>max)
            max=A[i]

        else if(A[i]<min)
            min= A[i]
    }

    return (max, min)
}
```

Pseudo Code : Efficient Approach

- Time Complexity : $O(n)$
- Worst case : $3n/2-1$ Comparisons in worst case
- Space Complexity : $O(1)$
- Comparing 2 value in each stage of iteration
[Incrementing the the loop size by 2 at each step.]

findMinMax(A[], n)

```
{
    If( n is even)
    {
        if(A[0]>A[1])
        {
            max=A[0]
            min=A[1]
        }
        else
        {
            max=A[1]
            min=A[0]
        }
        i=2
    }
    else
    {
        max=A[0]
        min=A[0]
        i=1
    }
}
```

Initialization

Incrementing loop by 2

```
While(i<n)
{
    if(A[i]>A[i+1])
    {
        if(max<A[i])
            max=A[i]
        if(A[i+1]<min)
            min=A[i+1]
    }
    else
    {
        if(max<A[i+1])
            max=A[i+1]
        if(A[i]<min)
            min=A[i]
    }
    i=i+2
}
return (min, max)
}
```

Pseudo Code : Recursive Approach [Divide & Conquer]

- Recurrence Relation : $T(n) = 2T(n/2) + 2$
- Time Complexity $T(n) = 3n/2 - 2 = O(n)$
- 2 Base case : $(l==r)$ and $(r==l+1)$
- Space Complexity : $O(\log n)$ Recursion Call Stack [Because height of Recursion tree is $O(\log n)$]

findMinMax(A[], l, r)

```
{
    if(l==r)
    {
        max=A[l]
        min=A[l]
        return (min, max)
    }
    If(r==l+1)
    {
        if(A[r]>A[l])
        {
            max=A[r]
            min=A[l]
        }
        else
        {
            max=A[l]
            min=A[r]
        }
        return (min, max)
    }
}
```

Base Case

$mid = (l+r)/2$) **Divide**

Conquer {

```
(max1, min1) = findMinMax(A[], l, mid)
(max2, min2) = findMinMax(A[], mid, r)

if(max1>max2)
    max= max1
else
    max= max2

if(min1<min2)
    min= min1
else
    min= min2

return (min, max)
}
```

Combine

Enjoy Algorithms!

Thank You.