Tutorial 4: One-Pass profiling vs. MED on several FASTA alignments

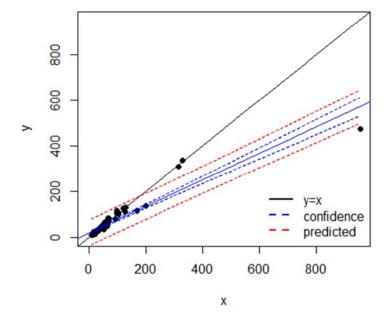
```
library(otu2ot)
hel p(package = otu2ot)
#all files for each OTU are found in
DIR = "E: /OI i gotypi ng/OT. 1800TU_fasta/arbTri mmedFASTAsForOI i gotypi ng/"
setwd(DIR)
FASTAFI LES=di r(DIR)
  #i =76 for "HGB_0013_GXJPMPL01A30QX. fasta"
NFiles=length(FASTAFILES) #269
#1) import all sequences into R
Al´n.list=vector("list", NFiles) #to store results names(Aln.list)<- FASTAFILES
system. time(
  for(i in 1: NFiles){
    Aln.list[[i]]<- ImportFastaAlignment(File=FASTAFILES[i]) #path to
FASTA file
)# 82.68 s
#2) Decomposing according to the two techniques
SEQUENCES=vector("list", NFiles) #to store results
names (SEQUENCES) <-FASTAFILES
for(i in 1: NFiles){
  SEQUENCES[[i]] <- toupper(Aln.list[[i]]$Seqs.only)</pre>
# filter across datasets to keep only those with enough entropy
system. time(
  EnoughEntropy<- sappl y(SEQUENCES, FUN=function(S){</pre>
       Check. entropy. nseq(S, mi nseq=0, entropy. mi n=0. 6)})
) #60.06 s
SEQUENCES. ok <- SEQUENCES[EnoughEntropy]#217 named vector with the file
Nok=length(SEQUENCES.ok) # HOw many OK
# 1) use OP
LISTOPResults =vector("list", Nok)
names(LISTOPResults)<-names(SEQUENCES.ok)
system. time(
  for(i in 1: Nok){
    Ll`STOPResults[[i]] <- OnePassProfilingMat(AlignedSequences =
SEQUENCES. ok[[i]],
mi nseq=21, entropymi n=0. 6, PI ot=FALSE)
)#user 49.53 s
#2) MED
LISTMEDResults = vector("list", Nok)
system. time(
  for(i in 1: Nok){#
         LISTMEDResults[[i]] <- MEDMat(AlignedSequences =
SEQUENCES. ok[[i]],
```

```
mi nseq=21, entropymi n=0. 6, PI ot=FALSE)
)#several minutes. user 583.99/60 = 9.7 min
length(LISTMEDResults)
names(LI STMEDResul ts)<-names(SEQUENCES. ok)</pre>
# get the ENV information from the FASTA header.
LISTENV=vector("list", Nok) #to store results
system. time(
  for(i in 1: Nok){
    LISTENV[[i]]<-
GetEnvironmentDatafromFileR(File=names(SEQUENCES.ok)[i], Start=2, Stop=9, tes
t=FALSE)
)#6 s
#Producing the Sample By OT tables.
LIST_TMO=vector("list", Nok) #to store results
names(LIST_TMO) <- names(SEQUENCES. ok)
for(i in 1: Nok){
  LIST_TMO[[i]]<-
    SampleXOT_Table(
       OT. seq. concat=LI STMEDResul ts[[i]],
       ENV=LISTENV[[i]],
       mosai cPI ot=FALSE,
       filterByMinAbund= 0# numeric. minimum abundance for the ot to be
present
    )$Sampl exOT. table
}#very fast
LIST_TOPO=vector("list", Nok) #to store results
names(LIST_TOPO)<- names(SEQUENCES.ok)
for(i in 1: Nok){</pre>
  i f(LI STOPResul ts[[i]]$0T. freq[1]!=1){
    LIST_TOPO[[i]]<-
Sampl eXOT_Tabl e(
         OT. seq. concat=LI STOPResul ts[[i]][[1]], ############# < ENV=LI STENV[[i]],
         mosai cPI ot=FALSE
         filterByMinAbund= 0# numeric. minimum abundance for the ot to be
present
       )$Sampl exOT. table
}#
#total variance
LIST_TMO. var <- sapply(LIST_TMO, FUN=function(S)sum(apply(S, 2, var)))
LIST_TOPO. var <- sapply(LIST_TOPO, FUN=function(S)sum(apply(S, 2, var)))
#RV coefficient
LIST_RVcoeff <- rep(NA, Nok)
require(FactoMineR)
for(i in 1: Nok){
  LIST_RVcoeff[i] <-
  coeffRV(LIST_TMO[[i]], LIST_TOPO[[i]])[[1]]
summary(LIST_RVcoeff)
Min. 1st Qu. Median
                        Mean 3rd Qu.
0. 7772 0. 9576 0. 9840 0. 9678 0. 9960 1. 0000
```

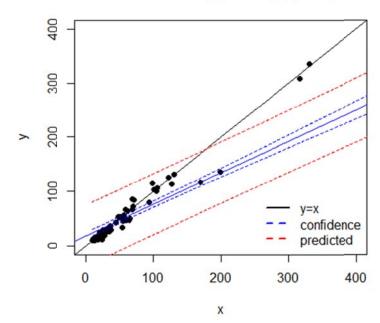
```
#using correspondence analysis to better resolve the finer correspondence between OT abundance and
require(vegan, quietly =TRUE)
LIST_TOPO. ČA <- I appl y(LIST_TOPO, FUN=function(S) {cca(S)})
LIST_TMO. CA <- I appl y(LIST_TMO, FUN=function(S)(cca(S)))
#Protest can only be used if the two ordination solutions are both 2D. (1D vs. 2D does not work!)
CA_1D <- NULL #
for(i in 1: Nok){
  if(LIST_TOPO.CA[[i]]$CA$rank==1){CA_1D=c(CA_1D, i)}
for(i in 1: Nok){
   if(LIST_TMO.CA[[i]]$CA$rank==1){CA_1D=c(CA_1D,i)}
ĆA_1D <- uni que(CA_1D)
Nok_2D=Nok-I ength(CA_1D) #198. Nber of 1CD: 19
if(!is.null(CA_1D)){
  LIST_TOPO.CA<-LIST_TOPO.CA[-CA_1D] #removing 1D
  LIST_TMO.CA <- LIST_TMO.CA[-CA_1D]</pre>
}
LIST_Protest. CA. r=rep(NA, Nok_2D) #coefficient in a symmetric Procrustes
rotati on
LIST_Protest. CA. p=rep(NA, Nok_2D) # its associated P value
system. time(
  for(i in 1:Nok_2D){
    Prot<- protest(LIST_TOPO.CA[[i]], LIST_TMO.CA[[i]])
LIST_Protest.CA.r[i] <- Prot$scale #coeff
LIST_Protest.CA.p[i] <- Prot$signif #coeff
)#10.98 s
Protest. table <-
as. data. frame(cbi nd(Procrustes_r=LI ST_Protest. CA. r, P=LI ST_Protest. CA. p))
Protest. tabl e. si gni fi cant <- Protest. tabl e[Protest. tabl e$"P"<0.05,]
Protest. tabl e. si gni fi cant
nrow(Protest. table. si gni fi cant)
#150 significant, i.e. 150/198 = 0.76
summary(Protest. tabl e. si gni fi cant[, 1])
   Min. 1st Qu.
                   Medi an
                              Mean 3rd Qu.
0.5432 0.7592
                            0.8566 0.9661
                  0.8825
                                             1.0000
# after filtering using Broken-stick model -----
#TM0
# Which OT in the raw table have abundances higher than predicted by using the Broken-Stick model
approach?
LIST_TM_BSM=vector("list", Nok) #to store results
names(LIST_TM_BSM) <- names(SEQUENCES. ok)
for(i in 1: Nok){
      TM. OTAbund <- apply(LIST_TMO[[i]], 2, sum) # overall abundance for each
OT
      TM. OTAbund_BSM <- Count. BrokenStick(TM. OTAbund, Plot =
FALSE) $Hi gherThanBSM
      LIST_TM_BSM[[i]] <- LIST_TMO[[i]][, TM.OTAbund_BSM]
}
#TOP0
# Which OT in the raw table have abundances higher than predicted by using the Broken-Stick model
approach?
LIST_TOP_BSM=vector("list", Nok) #to store results
names(LIST_TOP_BSM) <- names(SEQUENCES. ok)
for(i in 1: Nok){
  TOP. OTAbund <- apply(LIST_TOPO[[i]], 2, sum) # overall abundance for each
```

```
TOP. OTAbund_BSM <- Count. BrokenStick(TOP. OTAbund, Plot =
FALSE) $Hi gherThanBSM
  LIST_TOP_BSM[[i]] <- LIST_TOPO[[i]][, TOP. OTAbund_BSM]
### removing the empty slots after BSM filtering
LIST_TM_BSM. ncol = lapply(LIST_TM_BSM, ncol) # counting the nber of OT in
each slot
table(sapply(LIST_TM_BSM.ncol, is.null))
FALSE
        TRUE
  149
           68
 table(unlist(LIST_TM_BSM.ncol)) #
#0 2 3 4 5 6 7 12
                  # <- ncol
#70 43 18 8 5 2 2 1 # <- occurrence
LIST_TM_BSM_ncol_vec <- unlist(LIST_TM_BSM.ncol)
LIST_TM_BSM1 <- LIST_TM_BSM[names(which(LIST_TM_BSM_ncol_vec !=0 &
!is. null(LIST_TM_BSM_ncol_vec)))]
l ength(LI ST_TM_BSM1)
[1] 79
LIST_TOP_BSM. ncol = lapply(LIST_TOP_BSM, ncol) # counting the nber of OT in
each slot
table(sapply(LIST_TOP_BSM.ncol,is.null))
FALSE
        TRUE
  161
           56
 table(unlist(LIST_TOP_BSM.ncol)) #
#0 2 3 4 5 6 7 8 9 10 11 12 13 18 25 29 39 # <- ncol
#38 35 25 16 12 7 5 4 3 6 4 1 1 1 1 1 1 # <- occurrence
LIST_TOP_BSM_ncol_vec <- unlist(LIST_TOP_BSM.ncol)
LIST_TOP_BSM1 <- LIST_TOP_BSM[names(which(LIST_TOP_BSM_ncol_vec !=0 & !is.null(LIST_TOP_BSM_ncol_vec)))]
length(LIST_TOP_BSM1)
[1] 123
## Conclusion: More OP than TM that are finally available
## need to find the common set of data
DataNamesInCommon <- intersect(names(LIST_TM_BSM1), names(LIST_TOP_BSM1))</pre>
Ncomm=length(DataNamesInCommon)#67 only in common
LIST_TM_BSM1comm<- LIST_TM_BSM1[DataNamesInCommon]
LIST_TOP_BSM1comm <- LIST_TOP_BSM1[DataNamesInCommon]
#total variance
LIST_TM_BSM1comm.var <-
sapply(LIST_TM_BSM1comm, FUN=function(S)sum(apply(S, 2, var)))
LIST_TOP_BSM1comm. var <-</pre>
sapply(LIST_TOP_BSM1comm, FUN=function(S)sum(apply(S, 2, var)))
Variance_TM_TOP. BSM <-
as. data. frame(cbi nd(TM_BSM=LI ST_TM_BSM1comm. var, TOP_BSM=LI ST_TOP_BSM1comm.
var))
  plot. Im. ci (Vari ance_TM_TOP. BSM[, 2], Vari ance_TM_TOP. BSM[, 1],
               main="Variance: TM [y] TOP [x] (BSM)",
               xlim=c(0, 950), ylim=\bar{c}(\bar{0}, 950)
```

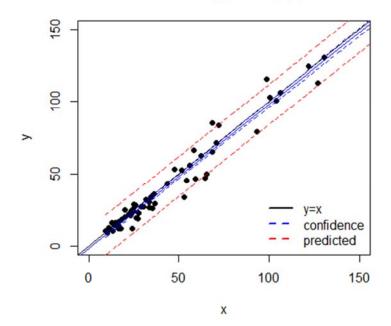
Variance: TM [y] TOP [x] (BSM)



Variance: TM [y] TOP [x] (BSM)



Variance: TM [y] TOP [x] (BSM)



#link with max(entropy) or number of components?

```
NberComponent <- function(MatSeq, entropy. mi n=0.6) {
    return(length(whi ch(appl y(MatSeq, 2, Cal cEntropy. seq) > entropy. mi n)))
}
LIST. NberComp <- sappl y(SEQUENCES. ok, NberComponent)
LIST. NberComp [rownames(Wei rd)]
#HGB_0024_HIULTSN01CPGLX.fasta HGB_0025_HDPDD3401D6L31.fasta HGB_0013_GXJPMPL01A3OQX.fasta

#10 1 5

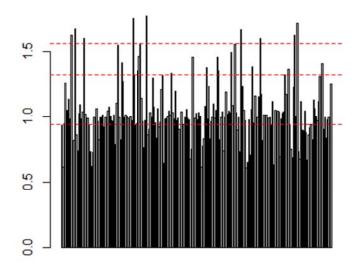
barplot(LIST. NberComp, names. arg="", , mai n="Nber of components per dataset")
abline(h=c(1, 5, 10), col="red", I ty=2)

Nber of components per dataset
```

0 5 10 15 20 25 30

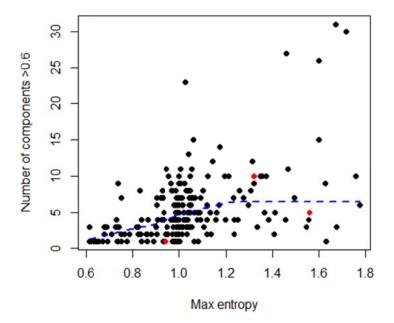
```
summary(LIST. NberComp)
Min. 1st Qu. Median
1.000 2.000 4.000
                                  Mean 3rd Qu.
                                                        Max.
                                  5. 253
                                             7.000
                                                       31.000
 #Conclusions not the nber of components
   MaxEntropy <- function(MatSeq){</pre>
      return(
                        max(appl y(MatSeq, 2, Cal cEntropy. seq))
                                                                                       )
  LIST. MaxEntropy <- sapply(SEQUENCES. ok, MaxEntropy)
LIST. MaxEntropy [rownames(Weird)]
  #HGB_0024_HIULTSN01CPGLX.fasta HGB_0025_HDPDD3401D6L31.fasta
HGB 0013 GXJPMPL01A3OQX.fasta
                                                       1.5584605
  #1.3207916
                             0.9403435
  barplot(LIST. MaxEntropy, names. arg="", main="Max entropy per dataset") abline(h=as.numeric(LIST. MaxEntropy [rownames(Weird)]), col="red", Ity=2)
 #Conclusions not the max entropy
```

Max entropy per dataset



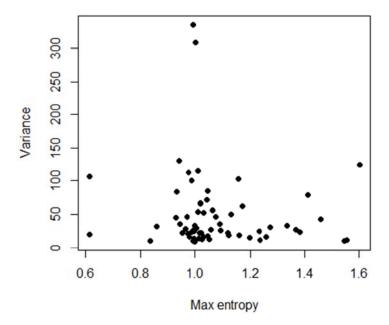
```
par(pch=16)
  pl ot(LIST. MaxEntropy, LIST. NberComp, xl ab="Max entropy", yl ab="Number of
components >0.6")

poi nts(LIST. MaxEntropy[rownames(Wei rd)], LIST. NberComp[rownames(Wei rd)], col
="red")
  # in red points, the 3 datasets not falling on the straight line
  lines(lowess(LIST. MaxEntropy, LIST. NberComp), lty=2, lwd=2)
# conclusion: cannot find the reason. Also the relationship between max entropy and nber of
components is not predictable
```



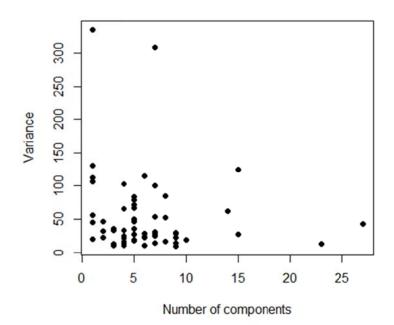
high variance == high entropy?

```
rownames(Vari ance_TM_TOP. BSM_ )
pl ot(LI ST. MaxEntropy[rownames(Vari ance_TM_TOP. BSM_ )],
    Vari ance_TM_TOP. BSM_ [, 1], xl ab="Max entropy", yl ab="Vari ance")
    # conclusion: no relationships
```



```
# high variance == large nber of components?
pl ot(LIST. NberComp[rownames(Variance_TM_TOP. BSM__)],
    Variance_TM_TOP. BSM__[, 1],
```

```
xlab="Number of components", ylab="Variance")
cor. test(LIST. NberComp[rownames(Variance_TM_TOP. BSM__)],
    Variance_TM_TOP. BSM__[, 1])#t = -0.8342, df = 62, p-value = 0.4074
# conclusion: no relationships
```



```
#RV coefficient
```

```
LIST_RVcoeff_BSM1comm <- rep(NA, Ncomm)
require(FactoMineR)
for(i in 1: Ncomm){
    LIST_RVcoeff_BSM1comm[i] <- coeffRV(LIST_TM_BSM1comm[[i]], LIST_TOP_BSM1comm[[i]])[[1]]
} summary(LIST_RVcoeff_BSM1comm)
#Min. 1st Qu. Median Mean 3rd Qu. Max.
#0.7920 0.9403 0.9646 0.9537 0.9883 1.0000
```

#using correspondence analysis to better resolve the finer correspondence between OT abundance and sample

```
require(vegan)
#issue with empty rows
Names_OK_TOP_CA <-
names(which(sapply(LIST_TOP_BSM1comm, FUN=function(S){any(rowSums(S)==0)})=
=FALSÈ))
Names OK TM CA <-
names(which(sapply(LIST_TM_BSM1comm, FUN=function(S){any(rowSums(S)==0)})==
FALSE))
Names_OK_both_CA <- intersect(Names_OK_TOP_CA, Names_OK_TM_CA)#57
Ncom1 <- length(Names_OK_both_CA)</pre>
LIST_TOP_BSM1comm. CA <-
lapply(LIST_TOP_BSM1comm[Names_OK_both_CA], FUN=function(S){cca(S)})
LIST_TM_BSM1comm. CA <-
lapply(LIST_TM_BSM1comm[Names_OK_both_CA], FUN=function(S){cca(S)})
#Protest can only be used if the two ordination solutions are both 2D. (1D vs. 2D does not work!)
CA_1D1com1 <- NULL #
for(i in 1: Ncom1){
```

if(LIST_TOP_BSM1comm. CA[[i]]\$CA\$rank==1){CA_1D1com1=c(CA_1D1com1, i)}

```
for(i in 1: Ncom1){
  if(LIST_TM_BSM1comm. CA[[i]]$CA$rank==1){CA_1D1com1=c(CA_1D1com1,i)}
CA_1D1com1 <- uni que(CA_1D1com1)
Nok_2D1com1=Ncom1-length(CA_1D1com1) #25 (48%). 32 in CA_1D1com1
#Conclusions: already half have a very different representation (2D vs. 1D)
if(!is.null(CA_1D1com1)){
  LIST_TOP_BSM1comm2. CA<-LIST_TOP_BSM1comm. CA[-CA_1D1com1] #removing 1D
  LIST_TM_BSM1comm2. CA <- LIST_TM_BSM1comm. CA[-CA_1D1com1]
LIST_Protest.CA_BSM1comm.r=rep(NA, Nok_2D1com1) #coefficient in a symmetric
Procrustes rotation
LIST_Protest.CA_BSM1comm.p=rep(NA, Nok_2D1com1) # its associated P value
for(i in 1: Nok_2D1com1){
  Prot1comm<-
protest(LIST_TOP_BSM1comm2. CA[[i]], LIST_TM_BSM1comm2. CA[[i]])
  LIST_Protest. CA_BSM1comm. r[i] <- Prot1comm$scale #coeff LIST_Protest. CA_BSM1comm. p[i] <- Prot1comm$signif #coeff
}
Protest. table_BSM1comm <-
as. data. frame(cbi nd(Procrustes_r=LI ST_Protest. CA_BSM1comm.r,
P=LIST_Protest. CA_BSM1comm. p))
nrow(Protest. table_BSM1comm)#25
Protest. table_BSM1comm <-
Protest. table_BSM1comm <-
Protest. table_BSM1comm[Protest. table_BSM1comm$"P"<0.05,]
Protest. table. significant_BSM1comm
nrow(Protest. table. significant_BSM1comm)#19 significant, i.e. 19/25 =0.76
nrow(subset(Protest. table. significant_BSM1comm, Procrustes_r>0.8)) # 7/25 =
0.28
summary(Protest. tabl e. si gni fi cant_BSM1comm[, 1])
Min. 1st Qu. Median Mean 3rd Qu. Max.
0.5706 0.6487 0.7089 0.7707 0.9183 1.0000
```