

$$\tau(s) = \tau_0 + \sum_{s_i < s} E(s, s_i)$$

$$(1) \quad \begin{aligned} & E(s, s_i) \geq \\ & 0\tau_0 \\ & \tau_0 = \\ & 0E(s, s_i) = \\ & (s - \\ & s_i)^{-d} d? \\ & ?E(s, s_i) = \\ & \exp^{-d(s-s_i)} ??s_1, s_2, \dots, s_6 s'_1 s'_2 ??s'_1 s'_1 s'_2 ??s'_1 \tau^*(s'_1) \\ & \tau^*(s'_1) = \\ & \sum_{i=1}^6 E(s'_1, s_i) = \\ & \sum_{i=1}^6 \exp^{-d(s'_1-s_i)} \\ & \exp^{-d(s'_1-s_6)} \sum_{i=1}^5 (1 + \\ & \exp^{-d(s_6-s_i)}) \\ & = \\ & \exp^{-d(s'_1-s_6)} \tau^*(s_6) \\ & s'_1 s_6 sssust \end{aligned}$$

$$\tau(u, t, s) = \sum_{s_i < s} \exp^{-d(s-s_i)} = \exp^{-d(s-s_{last})} \tau(s_{last})$$

$$(2) \quad \begin{matrix} \tau_0 = \\ 0_{slast} s \\ < \\ u, m > \end{matrix}$$

$$\begin{aligned} (3) \quad & \hat{y}_{umt}^s = w_{ut}^s \mathbf{P}_u^\top \mathbf{T}_t^{\mathcal{P}} + w_{mt} \mathbf{Q}_m^\top \mathbf{T}_t^{\mathcal{Q}} \\ & w_{u,t}^s < \\ & u, t, s > w_{i,t} < \\ & m, t > u s t < \\ & u, t, s > w_{ut}^{ut} m t < \\ & m, t > u s t t w_{ut}^s w_{mt} w_{ut}^{ut} ?? \end{aligned}$$

$$(4) \quad \begin{aligned} w_{ut}^s &= 1 + \log_{10}(1 + 10^{a^{\mathcal{P}}} \cdot \|\tau(u, t, s)\|) \\ \alpha^{\mathcal{P}} \|\tau(u, t, s)\| \|\tau(u, t, s)\| &= \\ \frac{\tau(u, t, s)}{\sum_{t \in \mathcal{T}_u} \tau(u, t, s)} \mathcal{T}_u u \|\tau(u, t, s)\| w_{ut}^s \|\tau(u, t, s)\| 0 w_{ut}^s &= \\ 1 u s t w_{i, t m} ? \end{aligned}$$

$$(5) \quad w_{mt} = 1 + \log_{10}(1 + 10^{a_Q} \cdot ||\hat{\mathbf{Y}}_{mt}||)$$

$$\begin{array}{c} \alpha^Q \hat{\mathbf{Y}}_{mt} | mt \\ ?? \mathbf{P}_u^\top \mathbf{T}_t^\mathcal{P} \mathbf{Q}_m^\top \mathbf{T}_t^\mathcal{Q} \\ [1] \\ \text{TAPITF} \\ \hat{\mathbf{Y}} \hat{\mathbf{Y}}_{k\delta\lambda} \\ \mathbf{P} \in \\ R^{N \times K} \mathbf{Q} \in \\ R^{M \times K} \mathbf{T}^\mathcal{P} \in \\ R^{T \times K}, \mathbf{T}^\mathcal{Q} \in \\ R^{T \times K} \\ \hat{\mathbf{Y}} y = < \\ u, m, t, s >- \\ - \\ w_{ut}^s - \end{array}$$