

CVPR与ICCV 3D点云深度学习论文详解

CVer 今天

以下文章来源于中国图象图形学报，作者刘永成



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重磅干货，第一时间送达

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图片来源网络

深度学习在图像识别中成效显著，然而如何进行拓展以识别不规则的3D点云，仍然是一个开放性的问题。

近两年3D点云识别发展迅速，研究方法上，从对称函数聚合到局部模式挖掘，再到几何图建模以及卷积核设计，该领域呈现百家争鸣的状态。

图图带来中科院自动化所刘永成博士的报告：《深度学习在点云识别中的应用》，报告对领域研究现状进行综述并介绍了其研究团队的一些探索性成果：

- Relation-Shape CNN(CVPR 2019)
- DensePoint(ICCV 2019)

报告内容



中国科学院大学
University of Chinese Academy of Sciences



深度学习在点云识别中的应用

刘永成

中科院自动化所

2020.04

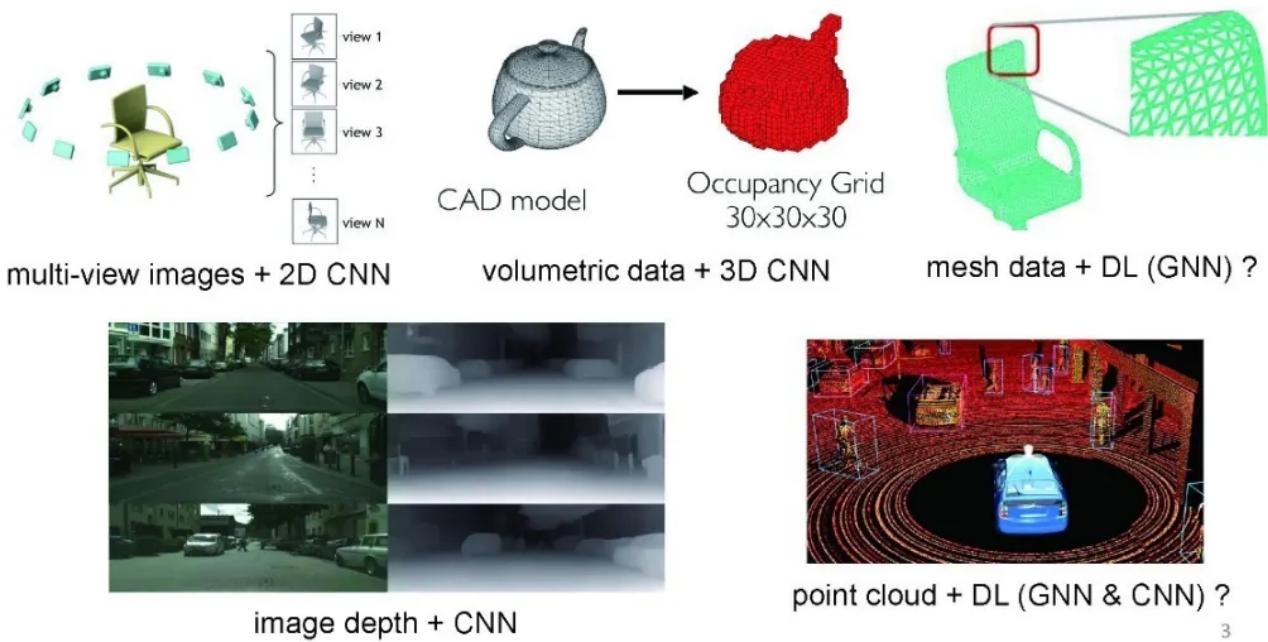
1

Outline

- ① **Introduction**
- ② **Brief review**
- ③ **RS-CNN & DensePoint**
- ④ **Summary & Outlook**

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Introduction 3D representations



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Introduction point clouds

Advantages

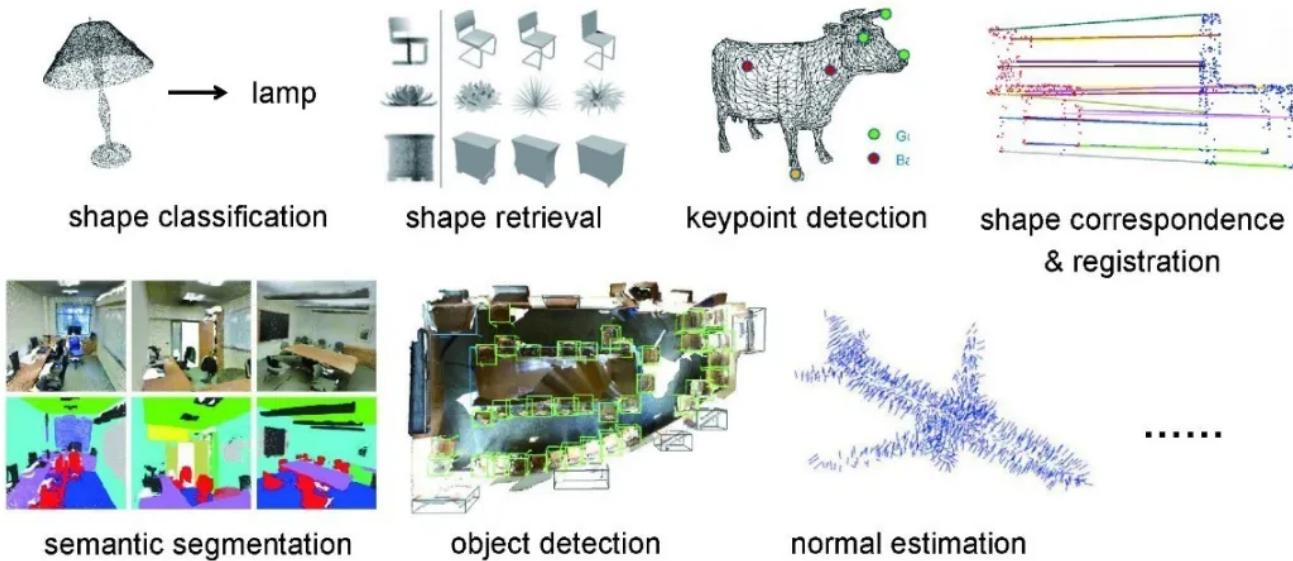
- ✓ raw sensor data, e.g., LiDAR
- ✓ simple representation: $N * (x, y, z, \text{color}, \text{normal}...)$
- ✓ better 3D shape capturing

Why emerging?

- ✓ autonomous driving
- ✓ AR & VR
- ✓ robot manipulation
- ✓ Geomatics
- ✓ 3D face & medical
- ✓ AI-assisted shape design in 3D game and animation, etc.
- ✓ open problem, flexible

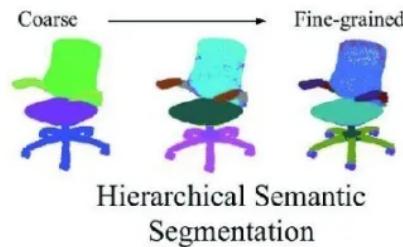
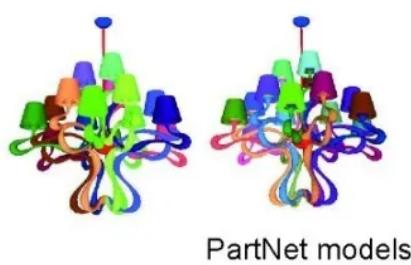
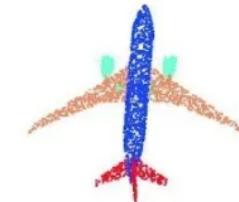
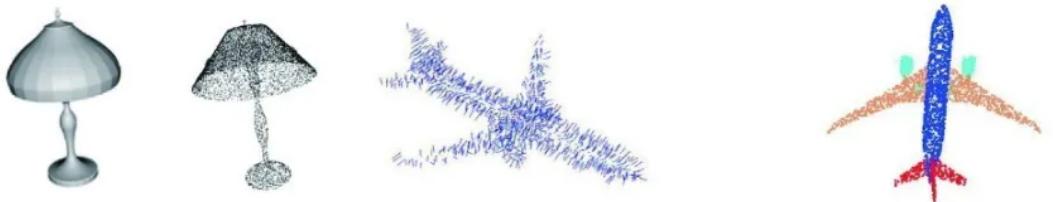


Introduction tasks



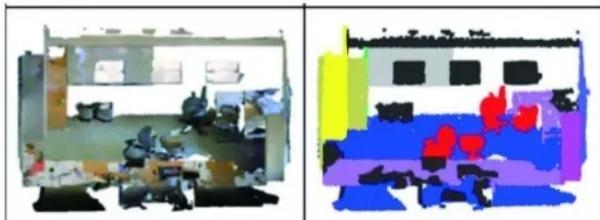
5

Introduction datasets



6

Introduction datasets



Stanford 3D indoor scene: 8k

[4] Armeni et al. CVPR 2016.



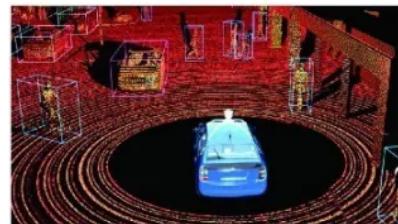
Semantic 3D: 4 billion in total

[5] Hackel et al. ISPRS 2017.



ScanNet: seg + det

[6] Dai et al. CVPR 2017.

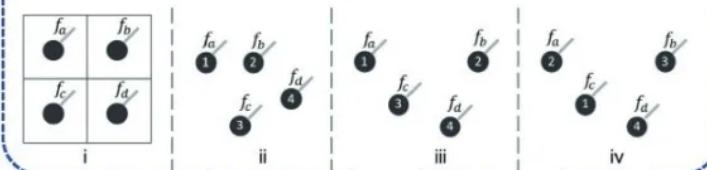


KITTI, Apollo, nuScenes, Waymo: det

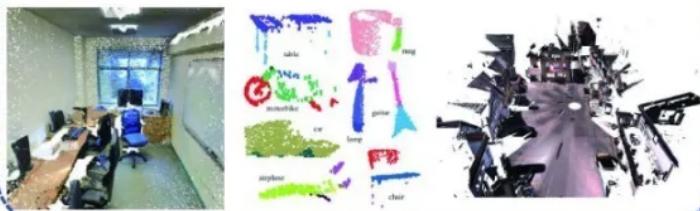
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Introduction some challenges

Irregular (unordered): permutation invariance

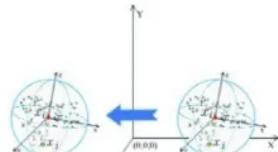
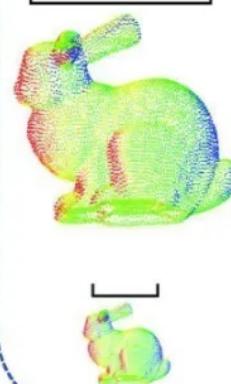


Robustness to corruption, outlier, noise; partial data; large-scale data

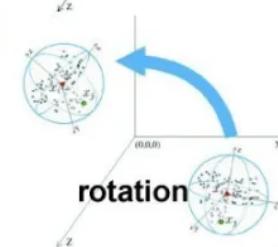


Robustness to geometric transformations

scale



translation



rotation

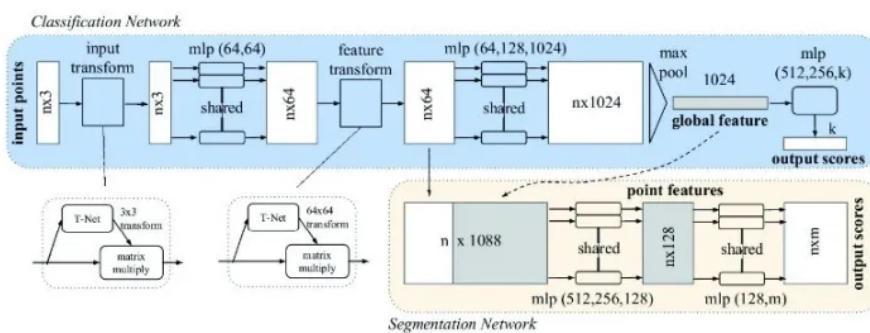
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- ④ Summary & Outlook

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Related Work PointNet family



[18] Qi et al. PointNet. CVPR 2017.

Shared MLP + max pool
(symmetric function)

General function: permutation invariance

[4] Zaheer et al. Deep sets. NeurIPS 2017.

$$f(\{x_1, \dots, x_n\}) \approx g(h(x_1), \dots, h(x_n))$$

h : shared transform function
MLP

g : symmetric aggregation function, e.g., + or *
Max pooling + fc layers

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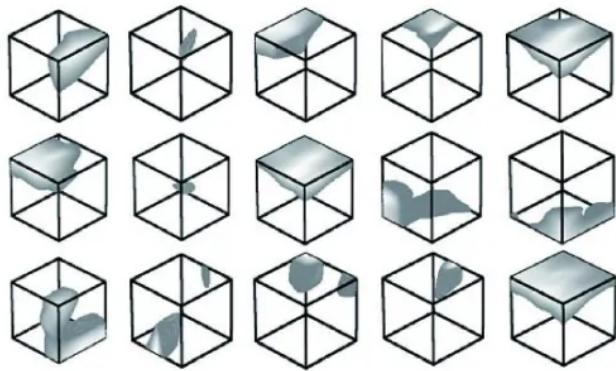
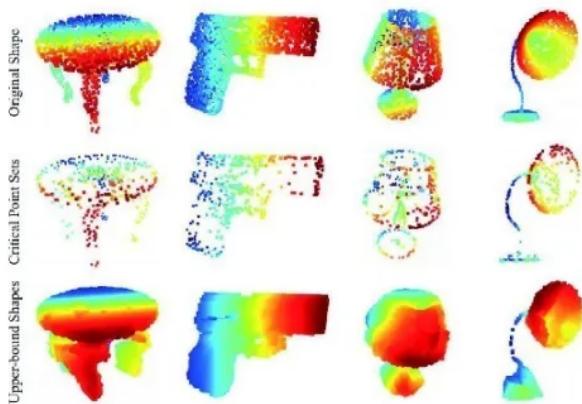
Related Work PointNet family

- What does PointNet learn?

summarize an input point cloud by
a sparse set of key points (shape skeleton)

[18] Qi et al. PointNet. CVPR 2017.

$$f(\{x_1, \dots, x_n\}) \approx g(h(x_1), \dots, h(x_n))$$

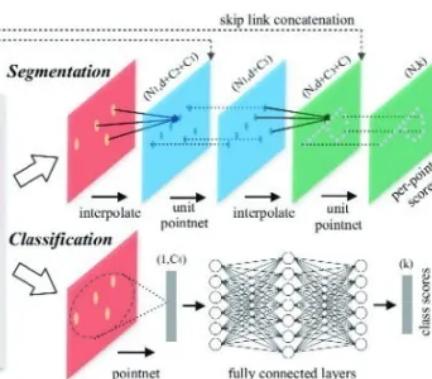
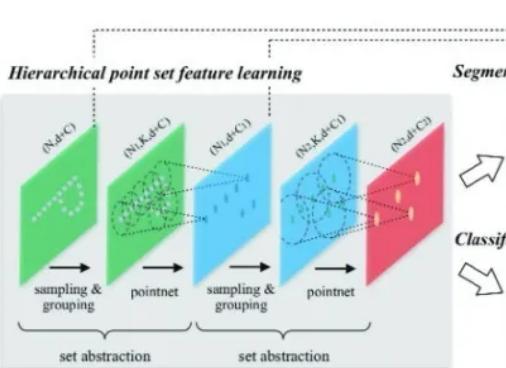


- What does PointNet learn?

$h_i(p) > 0.5$
partition/probe the space

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Related Work PointNet family



[19] Qi et al. PointNet++. NeurIPS 2017.

Sampling + Grouping + PointNet
capture local patterns better
CNN like

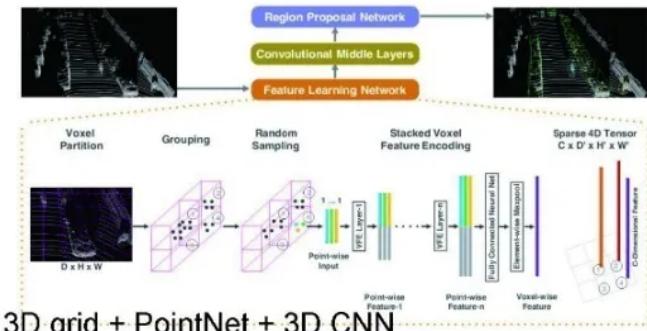
Segmentation decoder upsampling:

$$f^{(j)}(x) = \frac{\sum_{i=1}^k w_i(x) f_i^{(j)}}{\sum_{i=1}^k w_i(x)} \quad \text{where} \quad w_i(x) = \frac{1}{d(x, x_i)^p}, \quad j = 1, \dots, C$$

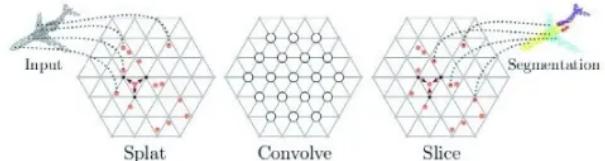
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Related Work regular processing

[7] Zhou et al. VoxelNet. CVPR 2018.



[8] Su et al. SPLATNet. CVPR 2018.



lattice + bilateral convolution + hash index

[9] Kiefer et al. Permutohedral Lattice CNNs. ICLR 2015.

[10] Jampani et al. Bilateral Neural Networks. CVPR 2016.

[11] Atzmon et al. PCNN. SIGGRAPH 2018. “without any discretization or approximation”

13

Related Work regular processing

[12] Li et al. PointCNN. NeurIPS 2018.

“simultaneously weight and permute the input features”

ALGORITHM 1: \mathcal{X} -Conv Operator

Input : $\mathbf{K}, p, \mathbf{P}, \mathbf{F}$

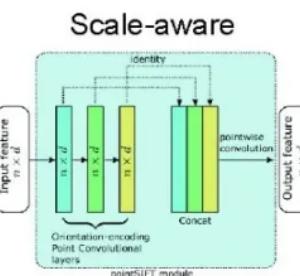
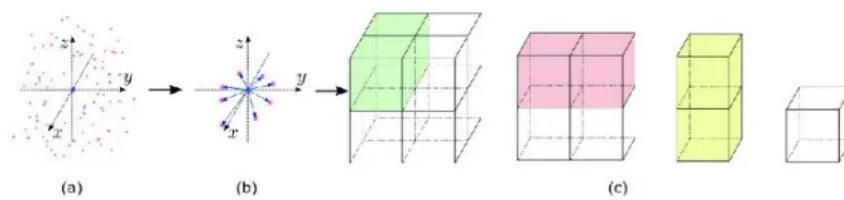
Output: \mathbf{F}_p

- 1: $\mathbf{P}' \leftarrow \mathbf{P} - p$
- 2: $\mathbf{F}_\delta \leftarrow MLP_\delta(\mathbf{P}')$
- 3: $\mathbf{F}_* \leftarrow [\mathbf{F}_\delta, \mathbf{F}]$
- 4: $\mathcal{X} \leftarrow MLP(\mathbf{P}')$
- 5: $\mathbf{F}_{\mathcal{X}} \leftarrow \mathcal{X} \times \mathbf{F}_*$
- 6: $\mathbf{F}_p \leftarrow \text{Conv}(\mathbf{K}, \mathbf{F}_{\mathcal{X}})$

- ▷ Features “projected”, or “aggregated”, into representative point p
- ▷ Move \mathbf{P} to local coordinate system of p
- ▷ **Individually** lift each point into C_δ dimensional space
- ▷ Concatenate \mathbf{F}_δ and \mathbf{F} , \mathbf{F}_* is a $K \times (C_\delta + C_1)$ matrix
- ▷ Learn the $K \times K$ \mathcal{X} -transformation matrix
- ▷ Weight and permute \mathbf{F}_* with the learnt \mathcal{X}
- ▷ Finally, typical convolution between \mathbf{K} and $\mathbf{F}_{\mathcal{X}}$

[13] Jiang et al. PointSIFT. arXiv 2018.

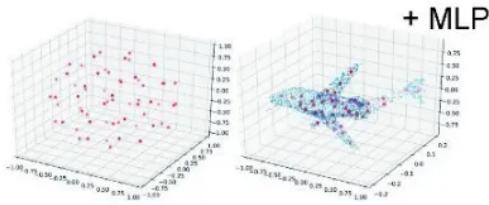
orientation-encoding



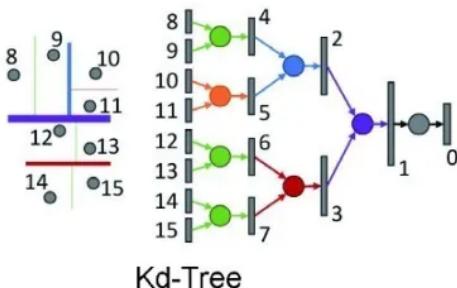
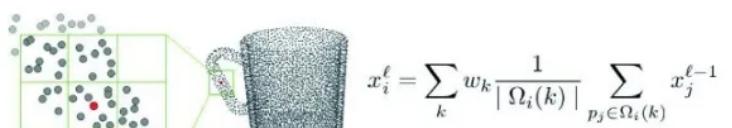
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Related Work regular processing

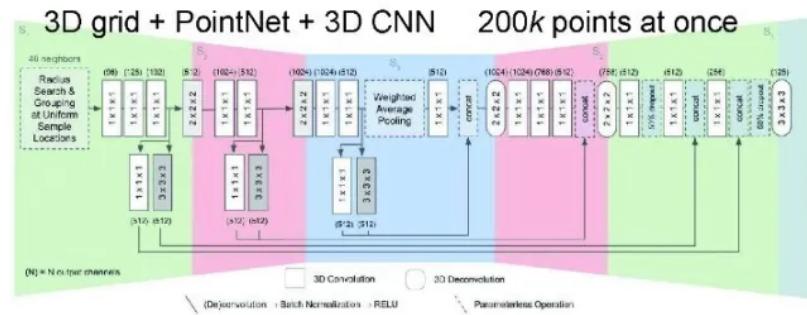
[14] Li et al. SO-Net. CVPR 2018. Self-Organizing Map



[15] Hua et al. Pointwise CNN. CVPR 2018.



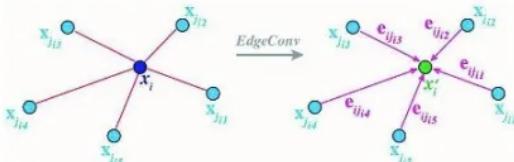
[16] Klokov et al. Kd-Net. ICCV 2017.



[17] Rethage et al. FCPN. ECCV 2018.

15

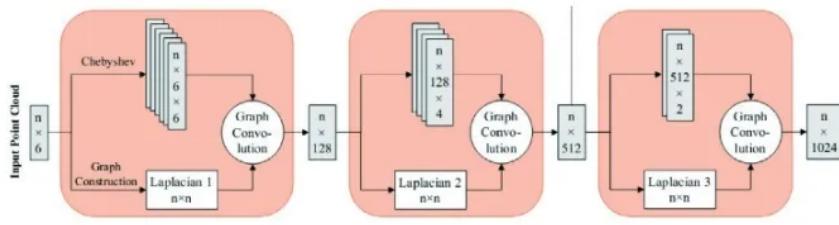
Related Work graph-based modeling



[29] Wang et al. DGCNN. TOG 2019.

EdgeConv kNN

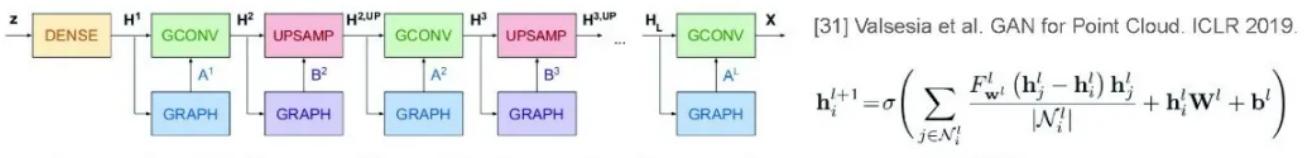
$$x'_i = \bigcup_{j:(i,j) \in \mathcal{E}} h_{\Theta}(x_i, x_j). \quad h_{\Theta}(x_i, x_j - x_i)$$



[30] Te et al. Regularized GCNN. MM 2018.

$$\mathbf{y} = g_{\theta}(\mathcal{L})\mathbf{x} = \sum_{k=0}^{K-1} \theta_k T_k(\mathcal{L})\mathbf{x}$$

$$a_{i,j} = \exp(-\beta \|\mathbf{p}_i - \mathbf{p}_j\|_2^2) \quad \sum_{i \sim j} a_{i,j} (y_i - y_j)^2 \quad \text{kNN}$$

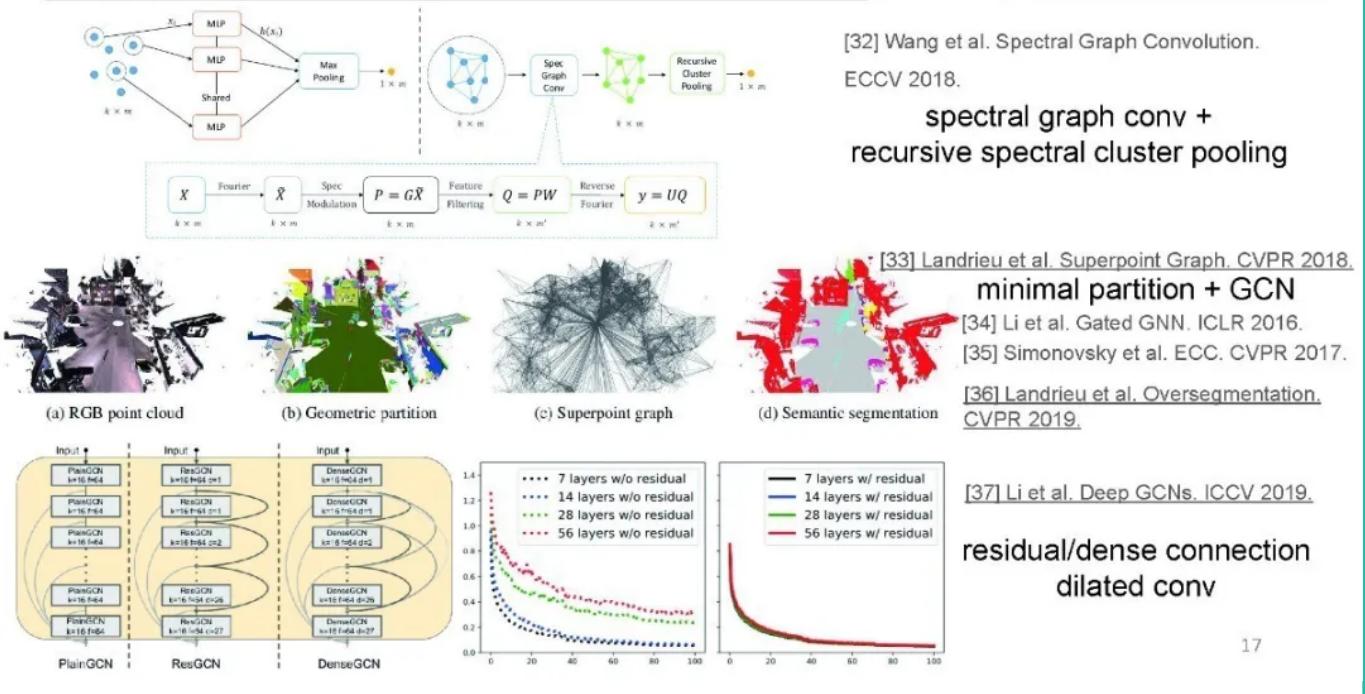


learn domain (the graph) and features simultaneously

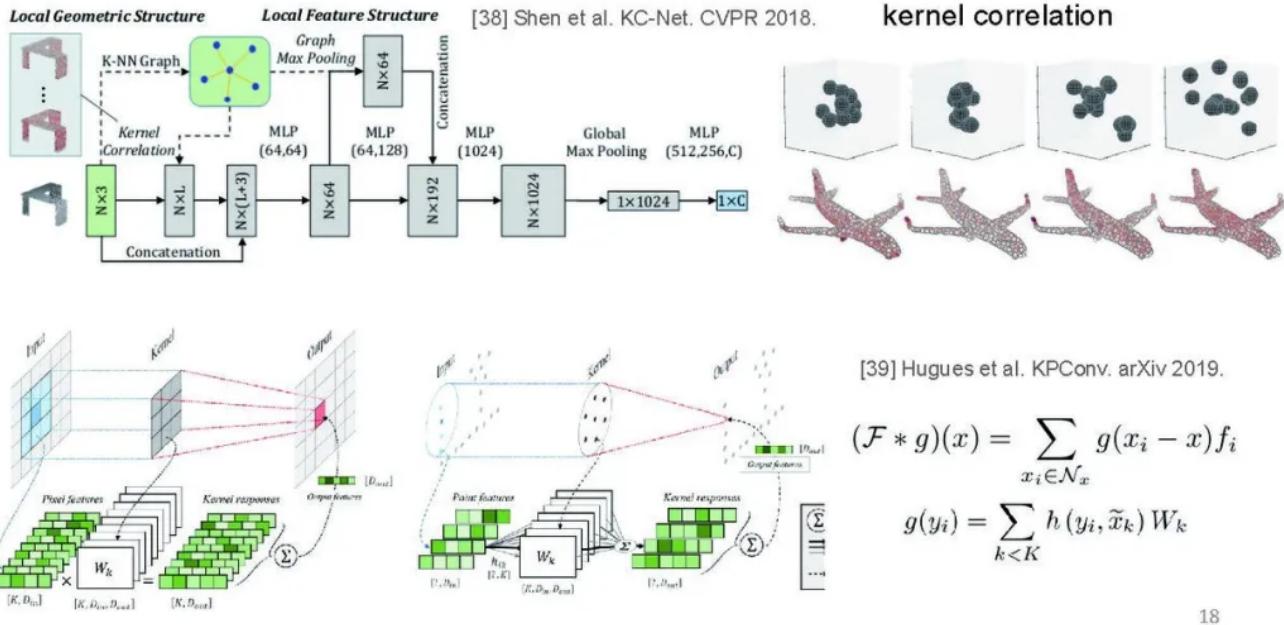
kNN

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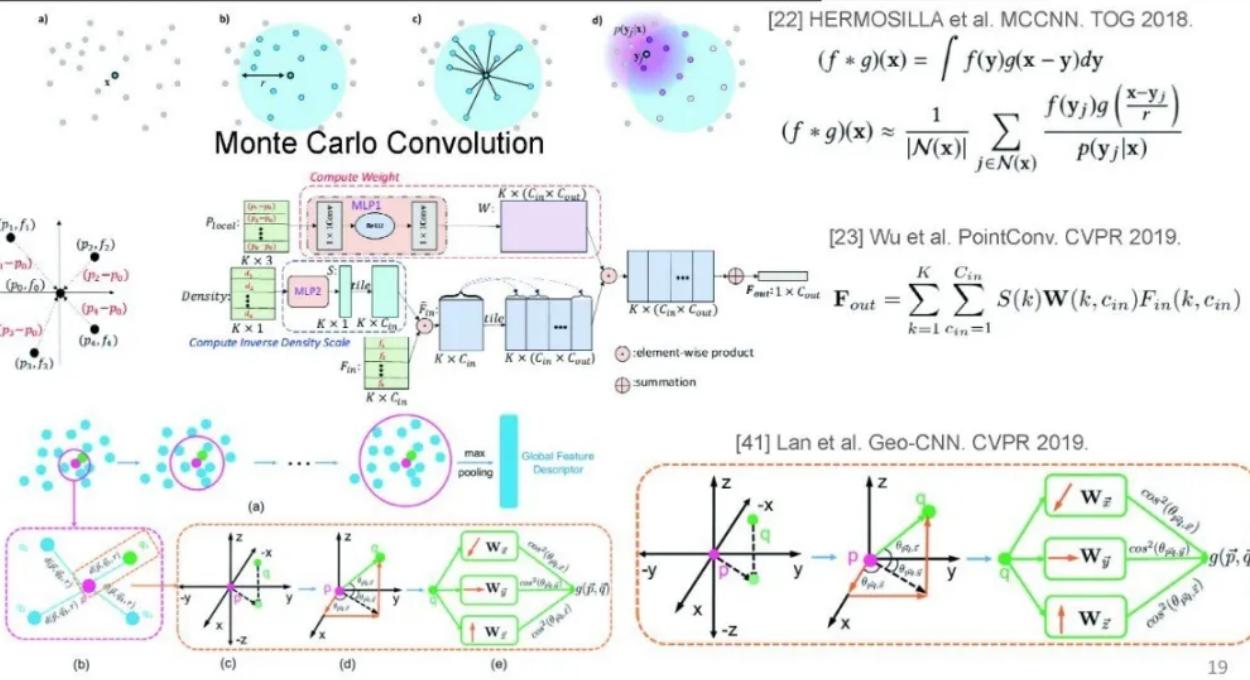
Related Work graph-based modeling



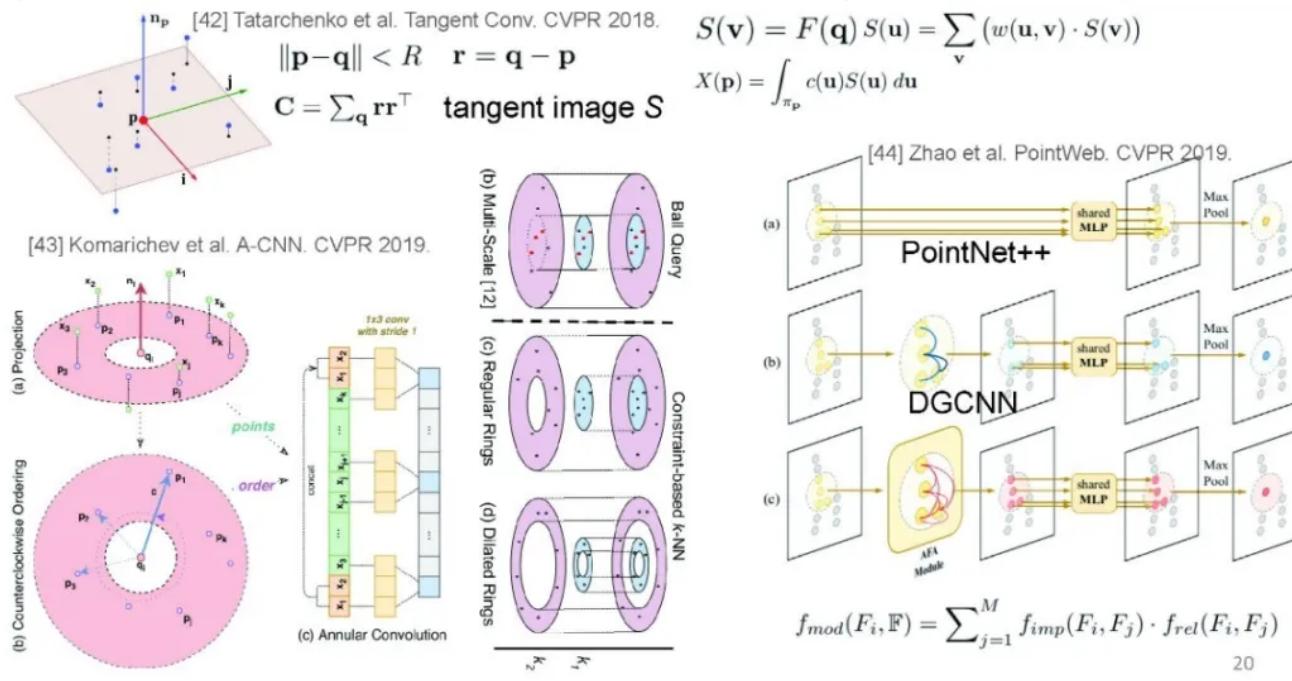
Related Work convolution kernel



Related Work convolution kernel



Related Work convolution kernel

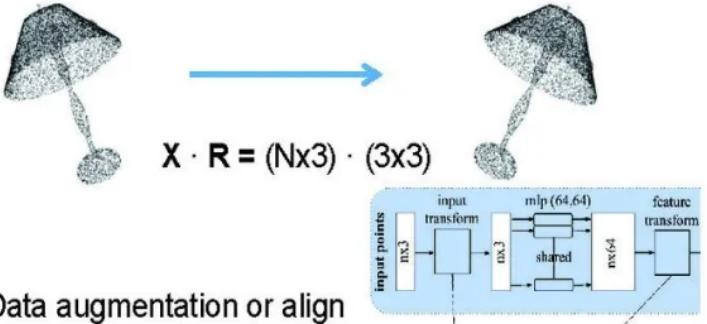


Related Work Robustness

Robustness to rigid transformation

Normalization:

- ✓ Translation
- ✓ Scale
- ✗ Rotation



Data augmentation or align

[18] Qi et al. PointNet. CVPR 2017.

Robustness to sampling density

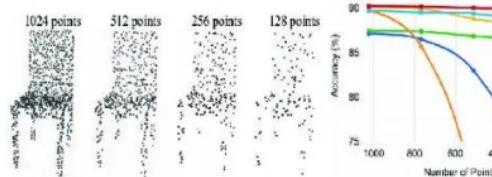
Multi-scale or Input dropout

Monte Carlo integration

Embedding density info.

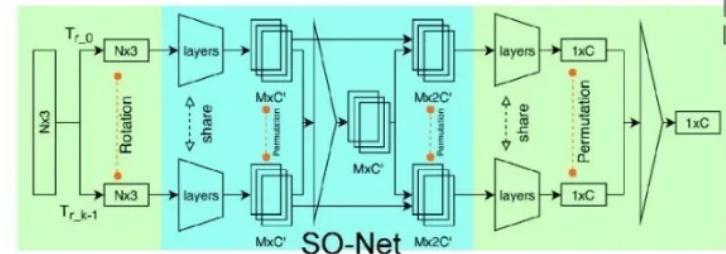
[22] HERMOSILLA et al. MCCNN. TOG 2018.

[23] Wu et al. PointConv. CVPR 2019.



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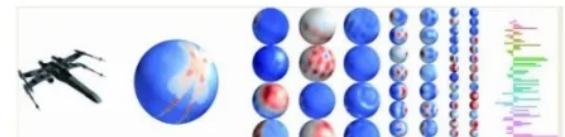
Related Work Robustness



[24] Li et al. Discrete Rotation Equivariance. ICRA 2019.

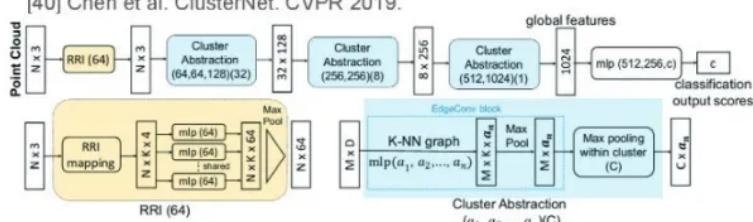
[25] Cohen et al. Group Equivariant CNN. ICML 2016.

$$\Phi(T_{r_i}x) = T'_{r_i}\Phi(x)$$

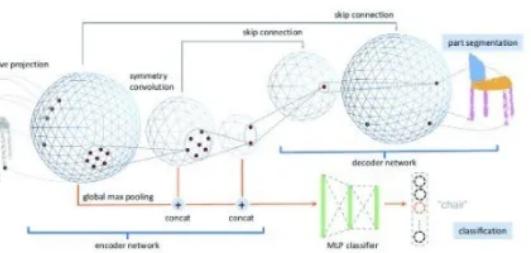


[26] Esteves et al. SO(3) Equivariant. ECCV 2018.

[27] Cohen et al. Spherical CNNs. ICLR 2018.



[40] Chen et al. ClusterNet. CVPR 2019.



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Rigorously Rotation-Invariant (RRI) Representation

$$\|Rx\|_2^2 = \|\mathbf{x}\|_2^2 \quad \langle Rx, Ry \rangle = (Rx)^T(Ry) = \mathbf{x}^T \mathbf{y} = \langle \mathbf{x}, \mathbf{y} \rangle$$

Github: awesome-point-cloud-analysis

CVPR, ICCV, ECCV, SIGGraph / Asia,
TOG, NeurIPS, ICLR, AAAI, MM, ICRA,
IROS, 3DV..... arXiv

awesome-point-cloud-analysis

- Recent papers (from 2017)

- Datasets

Keywords

2018

dat. : dataset | cls. : classification | rel. : retrieval | seg. : segment
det. : detection | tra. : tracking | pos. : pose | dep. : depth
reg. : registration | rec. : reconstruction | aut. : autonomous driving
oth. : other, including normal-related, correspondence, mapping, matching, alignment

Statistics: 🔥 code is available & stars >= 100 | ★ citation >= 50

CVPR 2018, ~25
CVPR 2019, ~50
ICCV 2019, ~40
CVPR 2020, ?

- [CVPR] SPLATNet: Sparse Lattice Networks for Point Cloud Processing. [[caffe](#)] [[seg.](#)] 🔥
- [CVPR] Attentional ShapeContextNet for Point Cloud Recognition. [[cls.](#) [seg.](#)]
- [CVPR] Mining Point Cloud Local Structures by Kernel Correlation and Graph Pooling. [[code](#)] [[cls.](#) [seg.](#)]
- [CVPR] FoldingNet: Point Cloud Auto-encoder via Deep Grid Deformation. [[code](#)] [[cls.](#)]
- [CVPR] Pointwise Convolutional Neural Networks. [[tensorflow](#)] [[cls.](#) [seg.](#)]
- [CVPR] PU-Net: Point Cloud Upsampling Network. [[tensorflow](#)] [[rec.](#) [oth.](#)] 🔥
- [CVPR] SO-Net: Self-Organizing Network for Point Cloud Analysis. [[pytorch](#)] [[cls.](#) [seg.](#)] 🔥 ★
- [CVPR] Recurrent Slice Networks for 3D Segmentation of Point Clouds. [[pytorch](#)] [[seg.](#)]
- [CVPR] 3D Semantic Segmentation with Submanifold Sparse Convolutional Networks. [[pytorch](#)] [[seg.](#)] 🔥
- [CVPR] Deep Parametric Continuous Convolutional Neural Networks. [[seg.](#) [aut.](#)]
- [CVPR] PIXOR: Real-time 3D Object Detection from Point Clouds. [[pytorch](#)] [[det.](#) [aut.](#)]
- [CVPR] SGPN: Similarity Group Proposal Network for 3D Point Cloud Instance Segmentation. [[tensorflow](#)] [[seg.](#)] 🔥
- [CVPR] Large-scale Point Cloud Semantic Segmentation with Superpoint Graphs. [[pytorch](#)] [[seg.](#)] 🔥
- [CVPR] VoxelNet: End-to-End Learning for Point Cloud Based 3D Object Detection. [[tensorflow](#)] [[det.](#) [aut.](#)] 🔥 ★

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中国科学院大学
University of Chinese Academy of Sciences



Relation-Shape Convolutional Neural Network for Point Cloud Analysis

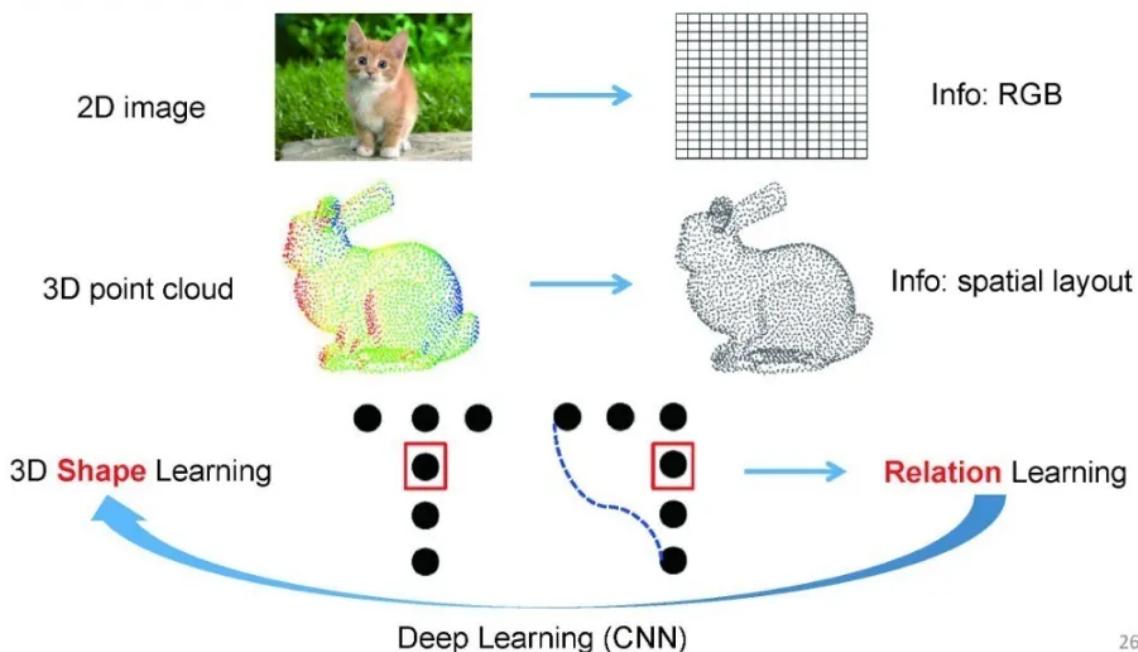
Yongcheng Liu, Bin Fan, Shiming Xiang, Chunhong Pan

CVPR 2019 Oral & Best paper finalist

Project Page: <https://yochengliu.github.io/Relation-Shape-CNN/>

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RS-CNN Motivation



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RS-CNN Method: Relation-Shape Conv

local point subset $P_{\text{sub}} \subset \mathbb{R}^3 \longrightarrow$ spherical neighborhood: $x_i + x_j \in \mathcal{N}(x_i)$

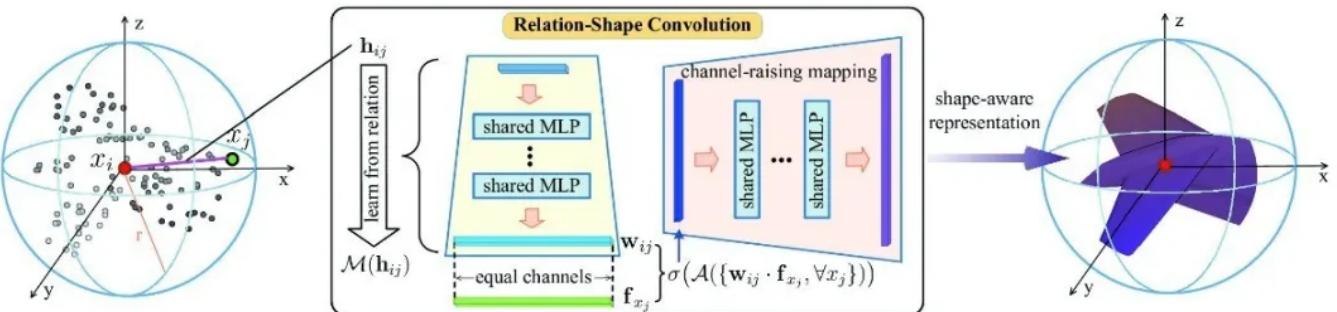
$$\mathbf{f}_{P_{\text{sub}}} = \sigma(\mathcal{A}(\{\mathcal{T}(\mathbf{f}_{x_j}), \forall x_j\})) \iff y = \sigma(\sum \mathbf{W} * \mathbf{X})$$

\mathcal{T} : feature transformation \mathcal{A} : feature aggregation

- Permutation invariance: only when \mathcal{A} is symmetric and \mathcal{T} is shared over each point
- Limitations of CNN: weight is not shared
gradient only w.r.t single point - implicit $\mathcal{T}(\mathbf{f}_{x_j}) = \mathbf{w}_j \cdot \mathbf{f}_{x_j}$
- Conversion: learn from relation $\mathcal{T}(\mathbf{f}_{x_j}) = \mathbf{w}_{ij} \cdot \mathbf{f}_{x_j} = \mathcal{M}(\mathbf{h}_{ij}) \cdot \mathbf{f}_{x_j}$
 \mathbf{h}_{ij} : predefined geometric priors → low-level relation
- $\mathbf{f}_{P_{\text{sub}}} = \sigma(\mathcal{A}(\{\mathcal{M}(\mathbf{h}_{ij}) \cdot \mathbf{f}_{x_j}, \forall x_j\}))$ \mathcal{M} : mapping function(shared MLP) → high-level relation

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RS-CNN Method



$$\mathbf{f}_{P_{\text{sub}}} = \sigma(\mathcal{A}(\{\mathcal{M}(\mathbf{h}_{ij}) \cdot \mathbf{f}_{x_j}, \forall x_j\}))$$

high-level relation encoding + channel raising mapping

low-level relation \mathbf{h}_{ij} : (3D Euclidean distance, $x_i - x_j$, x_i , x_j) 10 channels

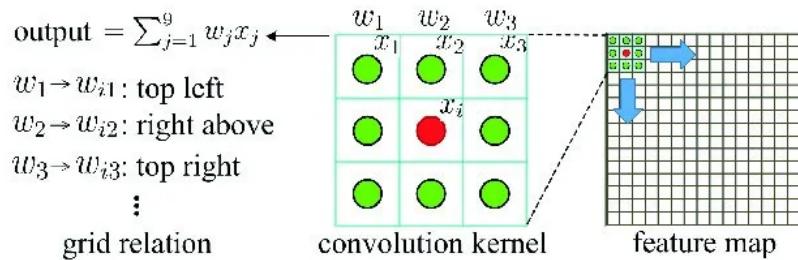
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RS-CNN RS-Conv: Properties

$$\mathbf{f}_{P_{\text{sub}}} = \sigma(\mathcal{A}(\{\mathcal{M}(\mathbf{h}_{ij}) \cdot \mathbf{f}_{x_j}, \forall x_j\}))$$

- ✓ Permutation invariance
- ✓ Robustness to rigid transformation in Relation Learning, e.g., 3D Euclidean distance
- ✓ Points' interaction
- ✓ Weight sharing

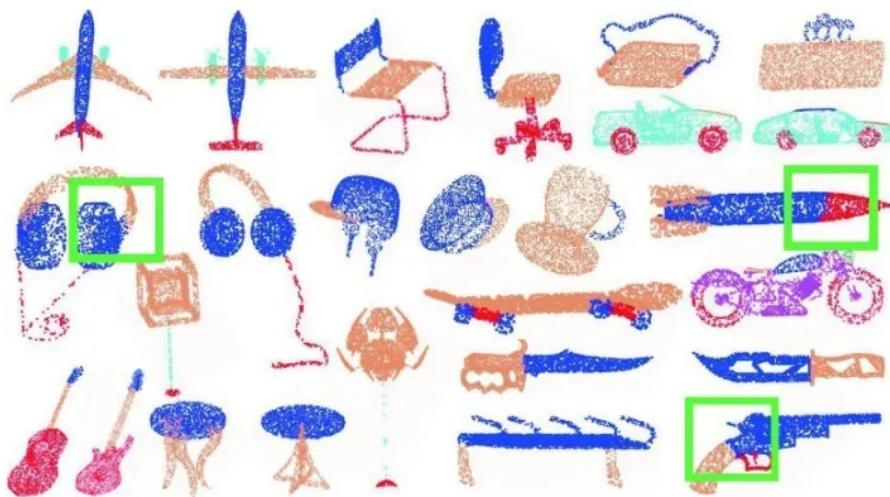
Revisiting 2D Conv:



RS-Conv with relation learning is more general and can be applied to model 2D grid spatial relationship.

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RS-CNN ShapePart Segmentation



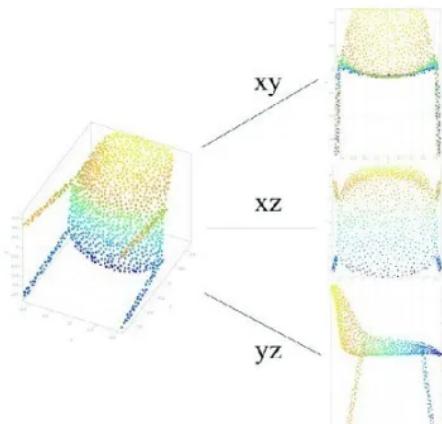
Diverse, confusing shapes

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RS-CNN Geometric priors

Princeton ModelNet40

$$\mathbf{f}_{P_{\text{sub}}} = \sigma(\mathcal{A}(\{\mathcal{M}(\mathbf{h}_{ij}) \cdot \mathbf{f}_{x_j}, \forall x_j\}))$$



model	low-level relation \mathbf{h}	channels	acc.
A	(3D-Ed)	1	92.5
B	(3D-Ed, $x_i - x_j$)	4	93.0
C	(3D-Ed, $x_i - x_j, x_i, x_j$)	10	93.6
D	(3D-cosd, $x_i^{\text{nor}}, x_j^{\text{nor}}$)	7	92.8
E	(2D-Ed, $x'_i - x'_j, x'_i, x'_j$)	10	≈ 92.2

low-level relation \mathbf{h}	channels	acc.
(XY-Ed, $x_i^{\text{xy}} - x_j^{\text{xy}}, x_i^{\text{xy}}, x_j^{\text{xy}}$)	10	92.1
(XZ-Ed, $x_i^{\text{xz}} - x_j^{\text{xz}}, x_i^{\text{xz}}, x_j^{\text{xz}}$)	10	92.1
(YZ-Ed, $x_i^{\text{yz}} - x_j^{\text{yz}}, x_i^{\text{yz}}, x_j^{\text{yz}}$)	10	92.2
fusion of above three views		92.5

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RS-CNN Model analysis

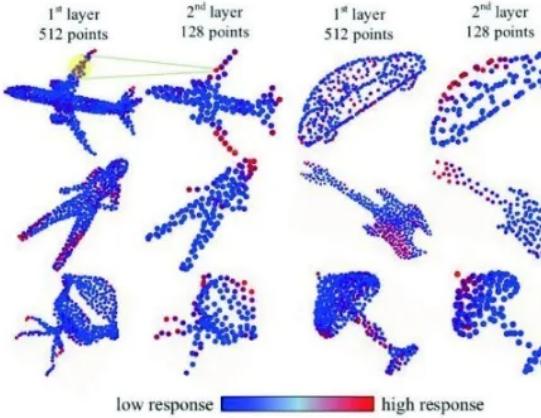
Robustness to point permutation and rigid transformation

relation: 3D	method	acc.	perm.	+0.2	-0.2	90°	180°
Euclidean distance	PointNet [24]	88.7	88.7	70.8	70.6	42.5	38.6
	PointNet++ [26]	88.2 [†]	88.2	88.2	88.2	47.9	39.7
	Ours	90.3[†]	90.3	90.3	90.3	90.3	90.3

$$\mathbf{f}_{P_{\text{sub}}} = \sigma(\mathcal{A}(\{\mathcal{M}(\mathbf{h}_{ij}) \cdot \mathbf{f}_{x_j}, \forall x_j\}))$$

Model complexity

method	#params	#FLOPs/sample
PointNet [24]	3.50M	440M
PointNet++ [21]	1.48M	1684M
PCNN [21]	8.20M	294M
Ours	1.41M	295M



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DensePoint: Learning Densely Contextual Representation for Efficient Point Cloud Processing

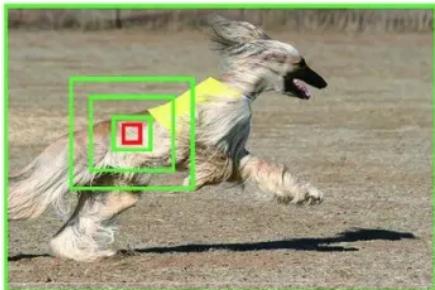
Yongcheng Liu, Bin Fan, Gaofeng Meng, Jiwen Lu, Shiming Xiang, Chunhong Pan

ICCV 2019

Code: <https://github.com/Yochengliu/DensePoint>

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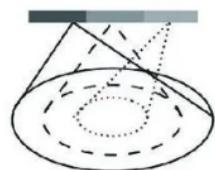
DensePoint Motivation



Context: potential semantic dependencies between a target pattern and its surroundings

Multi-scale learning – high complexity

- parameters
- FLOPs
- scale limitation
- unintuitive (scale \leftrightarrow semantic level)

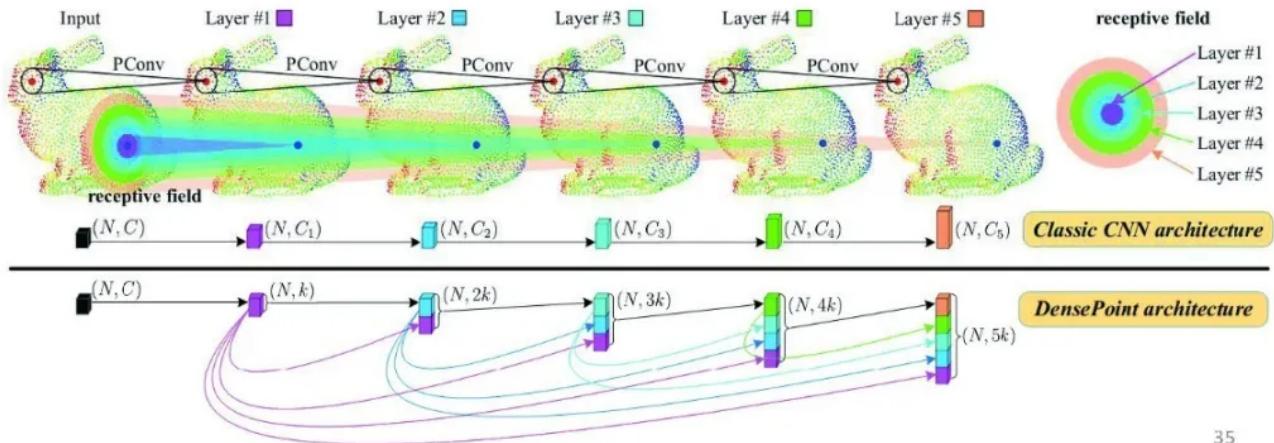


- ✓ Efficient solution using deep learning?
- ✓ How does it perform on point cloud (shape learning)?

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DensePoint Method

key idea: multi-level receptive fields + efficient conv on point cloud
 dense connections + efficient point convolution
 progressively aggregate multi-scale info. in an organic manner!



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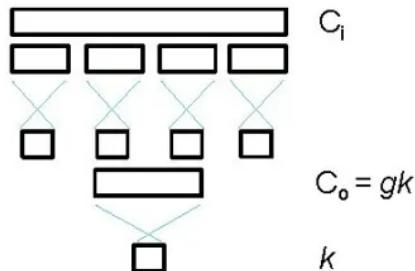
DensePoint Method: efficient PConv

$$\mathbf{f}_{\mathcal{N}(x)} = \rho(\{\phi(\mathbf{f}_{x_n}), \forall x_n \in \mathcal{N}(x)\}) \quad \text{ρ: single-layer perceptron}$$

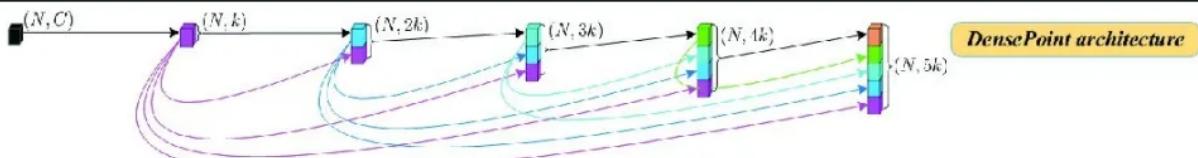
enhanced PConv: filter grouping

$$\mathbf{f}_{\mathcal{N}(x)} = \psi(\rho(\{\hat{\phi}(\mathbf{f}_{x_n}), \forall x_n \in \mathcal{N}(x)\}))$$

$$\begin{aligned} & C_i^*k \\ & \text{vs.} \\ & C_i^*gk/g + 4k^2 \end{aligned}$$



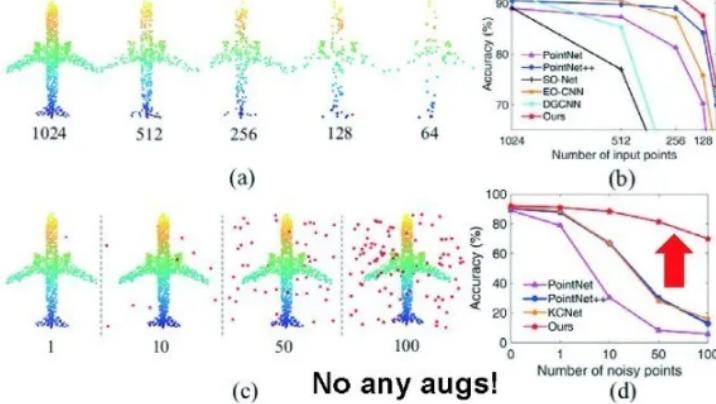
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DensePoint *Shape classification*

ModelNet40 benchmark

Robustness to sampling density and noise



method	input	#points	M40	M10
Pointwise-CNN [12]	pnt	1k	86.1	-
Deep Sets [60]	pnt	1k	87.1	-
ECC [40]	pnt	1k	87.4	90.8
PointNet [31]	pnt	1k	89.2	-
SCN [55]	pnt	1k	90.0	-
Kd-Net(depth=10) [21]	pnt	1k	90.6	93.3
PointNet++ [33]	pnt	1k	90.7	-
MC-Conv [11]	pnt	1k	90.9	-
KCNet [39]	pnt	1k	91.0	94.4
MRTNet [4]	pnt	1k	91.2	-
SpecGCN [49]	pnt	1k	91.5	-
DGCNN [52]	pnt	1k	92.2	-
PointCNN [26]	pnt	1k	92.2	-
PCNN [11]	pnt	1k	92.3	94.9
Ours	pnt	1k	93.2	96.6
SO-Net [24]	pnt	2k	90.9	94.1
Kd-Net(depth=15) [21]	pnt	32k	91.8	94.0
O-CNN [50]	pnt, nor	-	90.6	-
Spec-GCN [49]	pnt, nor	1k	91.8	-
PointNet++ [33]	pnt, nor	5k	91.9	-
SpiderCNN [56]	pnt, nor	5k	92.4	-
SO-Net [24]	pnt, nor	5k	93.4	95.7

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DensePoint *model complexity*

method	#params	#FLOPs/sample	acc. (%)
PointNet [31]	3.50M	440M	89.2
PointNet++ [26]	1.48M	1684M	90.7
DGCNN [26]	1.84M	2767M	92.2
SpecGCN [26]	2.05M	1112M	91.5
KCNet [39]	0.90M	-	91.0
PCNN [26]	8.20M	294M	92.3
PointCNN [26]	0.60M	1581M	92.2
Ours ($k = 12, L = 11$)	0.56M	294M	92.1
Ours ($k = 24, L = 11$)	0.67M	651M	93.2
Ours ($k = 24, L = 6$)	0.53M	148M	92.1

1024 points

method	#points	Time (ms)		Memory (GB)	
		training	test	training	test
PointNet [31]	1024	55	22	1.318	0.469
PointNet++ [33]	1024	195	47	8.311	2.305
DGCNN [52]	1024	300	68	4.323	1.235
PointCNN [26]	1024	55	38	2.501	1.493
Ours ($k=24, L=11$)	1024	21	10	3.745	1.228
Ours ($k=24, L=6$)	1024	10	5	1.468	0.886
Ours ($k=24, L=11$)	4096	21	10	7.503	1.767
Ours ($k=24, L=6$)	4096	10	5	2.417	1.638
Ours ($k=24, L=11$)	8192	21	10	14.521	3.027
Ours ($k=24, L=6$)	8192	10	5	4.335	2.776

batchsize = 16

Titan Xp

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Outline

- ① **Introduction**
- ② **Brief review**
- ③ **RS-CNN & DensePoint**
- ④ **Summary & Outlook**

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Summary & Outlook

Brief review

- PointNet family
 - regular processing
 - graph-based modeling
 - convolution kernel
attention/self-attention
- ...

RS-CNN & DensePoint

- relation modeling
 - geometry & deep learning
- contextual learning & efficiency
 - visual recognition & robust learning

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Summary & Outlook

Advantages

- ✓ raw sensor data, e.g., Lidar
- ✓ simple representation: $N * (x, y, z, \text{color}, \text{normal}...)$
- ✓ better 3D shape capturing

Why emerging?

- | | |
|---|---|
| <ul style="list-style-type: none"> ✓ autonomous driving ✓ AR & VR ✓ robot manipulation ✓ Geomatics ✓ 3D face & medical ✓ AI-assisted shape design in 3D game and animation, etc. ✓ <u>open problem, flexible</u> | <ul style="list-style-type: none"> • efficiency in large-scale point cloud • multi-sensor/multi-modal • reconstruction • high-precision • robustness |
|---|---|



Welcome to the world of 3D point cloud!

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Thanks for your attention !

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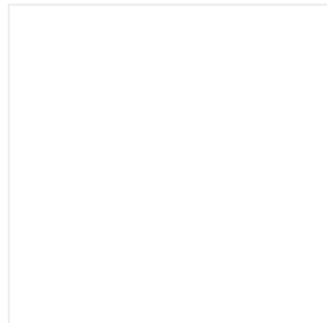
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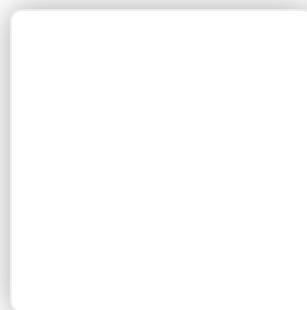
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