## Baryogenesis and the Standard Model

#### What's the Problem?

William Terrano, TUM Michigan-Munich EDM meeting

#### Sakharov conditions are met!

- Baryon Number violation
  - Sphaeleron Process

- Non-equilibrium dynamics
  - Phase Transitions

- Charge and CP-violation
  - CKM matrix

### Observed baryon density is not!

- B-violation
  - Sphaeleron Process

- Non-equilibrium
  - Phase Transitions

### 10 Orders of magnitude less than measured!

$$\Delta_B = (3-10) \times 10^{-11}$$
.

- C and CP-violation
  - CKM matrix

### Why Not?

- B-violation
  - Sphaeleron Process

- Non-equilibrium
  - Phase Transitions

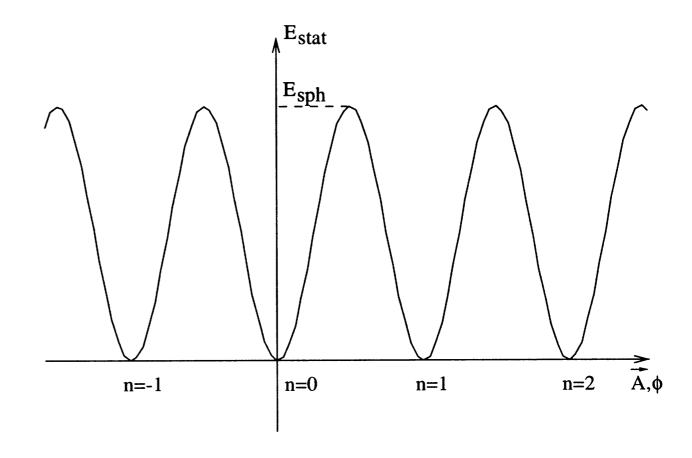
- C and CP-violation
  - CKM matrix

### Thermal Equilibrium

- Equilibrium would mean the system was stationary
- Must stay out of equilibrium from the creation of the imbalance and for the entire rest of the evolution of the universe
  - Otherwise the B or CP violation gets washed back out and the system is returned to its equilibrium state
- Condition to be out of equilibrium :  $\Gamma < H = \dot{a}/a$

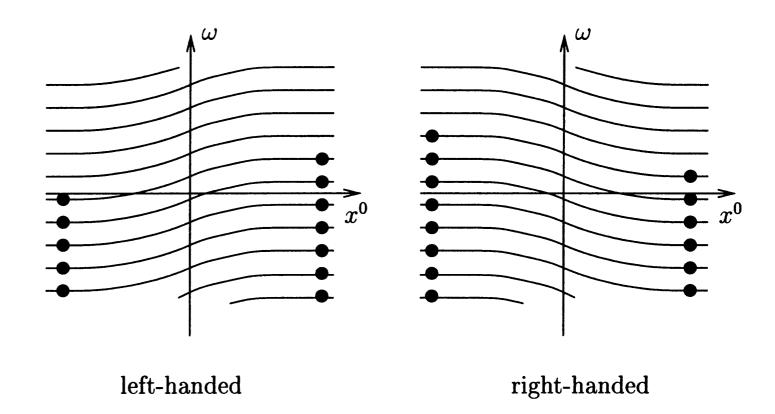
# B-violation from Gauge Structure

- Infinite number of Vacua from different gauge choices
- Vacua do not smoothly map from one to the other!
  - → Energy Barrier
- Vacua defined by a winding number



# B-violation from Gauge Structure

- EW-anomaly conserves B-L number
- So changing between vacua changes B+L:
- $\Delta B = 3 \text{ per}$  winding number



#### B-violation: Sphaelerons

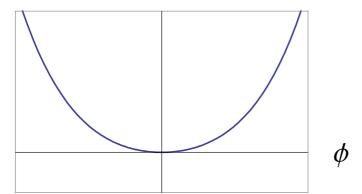
- Sufficient energy to pass over barrier
- Boltzmann suppression if temperature below barrier height
- Height of barrier depends on the Higgs VEV and the W-coupling:

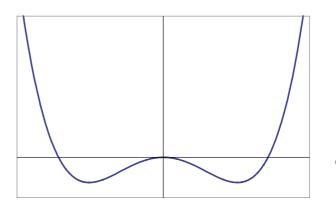
$$E_{\rm sph} = f\left(\frac{\lambda}{g^2}\right) \frac{4\pi v}{g} \cong f\left(\frac{\lambda}{g^2}\right) \frac{2m_W}{\alpha_W} = \frac{8\pi v}{g},$$

# Electro-Weak Symmetry Breaking

$$\mathcal{L}_{\phi} = (\partial_{\mu}\phi)^{\dagger}(\partial^{\mu}\phi) - \mu^{2}\phi^{\dagger}\phi - \lambda(\phi^{\dagger}\phi)^{2}$$

$$V(\phi) \qquad \qquad V(\phi)$$





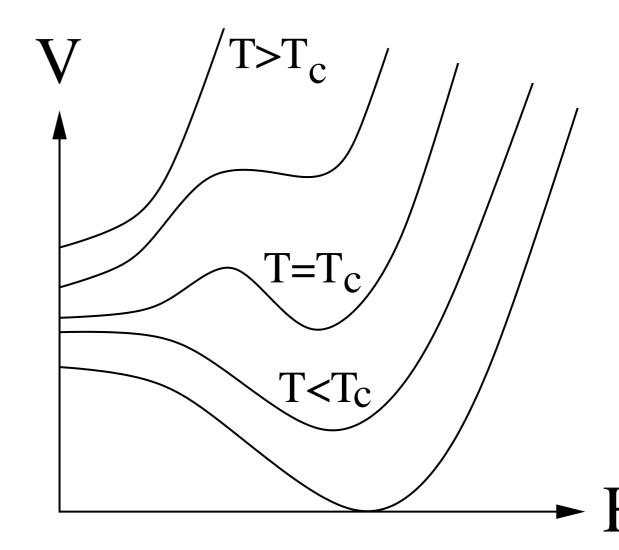
Sign of  $\mu^2$  depends on loop-corrections — Higgs potential is temperature dependent! All particles become massless above T<sub>c</sub>!

$m_H$	$T_c$
115  GeV	$160.5~{ m GeV}$
140 GeV	$191.3  \mathrm{GeV}$
160  GeV	$216.4~{ m GeV}$

# Sphaelerons out of equilibrium

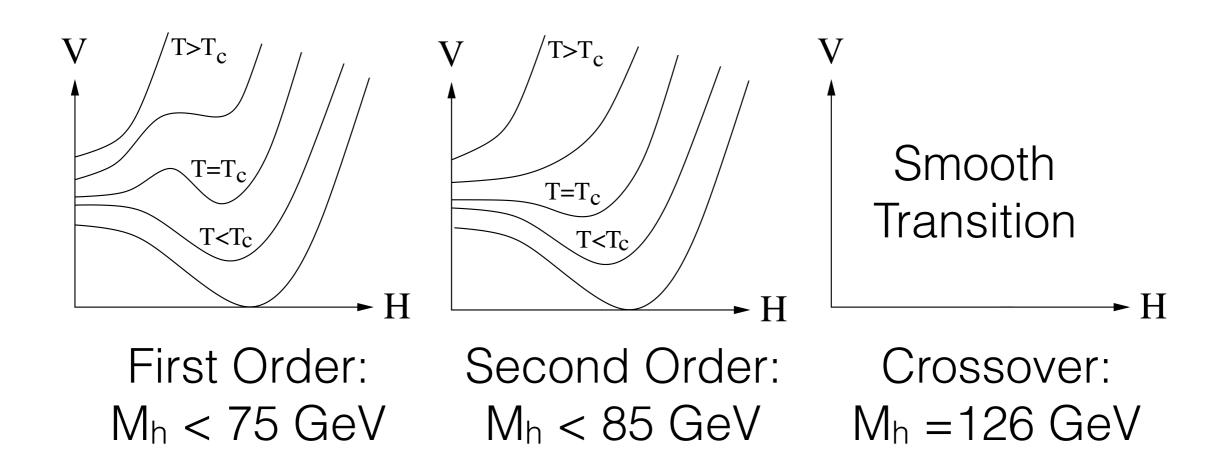
- Above T<sub>c</sub> the Higgs vev is 0 so the Sphaelerons energy barrier is also 0
- Below T<sub>c</sub> Sphaeleron process must freeze out so that B-number does not wash-out
- Expansion of the universe is slow, so suppression must be large

$$\Gamma_{sph} \sim T \exp\left(-\frac{E_{sph}(T)}{T}\right)$$



$$\frac{E_{sph}(T_c)}{T_c} > 45.$$

### Electroweak Phase Transition



Only first order transitions can produce non-zero Baryon number!

#### Bubble-wall separation

- Assume first-order phase transition: "Bubbles" of Higgs phase expanding into symmetric phase
- Known CP-violating effects at the bubble-walls preferentially allow Baryons (over anti-Baryons) to cross in to the Higgs phase
- Sphaeleron effects are shut-off in the Higgs phase so Baryon number is conserved
- Baryon/entropy produced is correct magnitude

# Importance of EDM experiments

- Beyond the standard model physics (multi-Higgs, SUSY) must be invoked to make a first order phase transition
- All these new particles produce new opportunities for CP-violation... usually too much
- These particles also allow for new EDM generating loops
- EDMs larger than the Standard Model values are always predicted!

#### Some useful References

Review article, slightly dated but readable and my main reference:

Baryon Asymmetry of the Universe
V.A. Rubakov (Moscow, INR). 2001. 45 pp.
Published in NATO Sci.Ser.C 566 (2001) 97-141

DOI: <u>10.1007/978-94-010-0522-7\_3</u> Conference: <u>C00-06-15</u> <u>Proceedings</u>

Masters thesis with some extra detail on electroweak symmetry breaking and sphalerons etc.:

http://www.helsinki.fi/~donofrio/MastersThesis.pdf

Article first describing Higgs phases:

http://ac.els-cdn.com/0370269372901098/1-s2.0-0370269372901098-main.pdf?\_tid=aa5b9e76-fc2e-11e5-a375-00000aab0f02&acdnat=1459971486\_841e508634ab83296976e0d0f4f7b6b2

Article describing how bubble wall CP-violation works out:

http://journals.aps.org.eaccess.ub.tum.de/prd/pdf/10.1103/PhysRevD.50.774

### Higgs Properties

$$\mathcal{L}_{\phi} = (\partial_{\mu}\phi)^{\dagger}(\partial^{\mu}\phi) - \mu^{2}\phi^{\dagger}\phi - \lambda(\phi^{\dagger}\phi)^{2}$$

$$(\phi^{\dagger}\phi) = \frac{1}{2}(\phi_1^{0^2} + \phi_2^{0^2} + \phi_1^{+^2} + \phi_2^{+^2}) = -\frac{\mu^2}{2\lambda}.$$

$$\frac{\partial V}{\partial (\phi^{\dagger} \phi)} = 0,$$

$$v = \sqrt{-\mu^2/\lambda},$$

$$\mathcal{L}_{\phi} = \left(\partial_{\mu}\phi + ig\frac{\sigma_{a}}{2}W_{\mu}\phi\right)^{\dagger} \left(\partial^{\mu}\phi + ig\frac{\sigma_{a}}{2}W^{\mu}\phi\right) - V(\phi) - \frac{1}{4}W_{\mu\nu}W^{\mu\nu}.$$

$$(D_{\mu}\phi)^{\dagger}(D^{\mu}\phi) = \frac{g^2v^2}{8}W_{\mu}W^{\mu} + \frac{g^2v}{8}W_{\mu}W^{\mu}2h + \dots \qquad m_W = \frac{gv}{2},$$