



# Digital Pulse Shape methods with Silicon Detectors

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for the NUCL-EX and FAZIA collaborations







Why Pulse Shape in Silicon – comparison with  $\Delta E-E$ 



Experimental results with analog methods



Digital signal processing:

- Energy measurements
- Timing and Time of Flight measurements
- Pulse Shape Analysis



Key factors affecting PSA



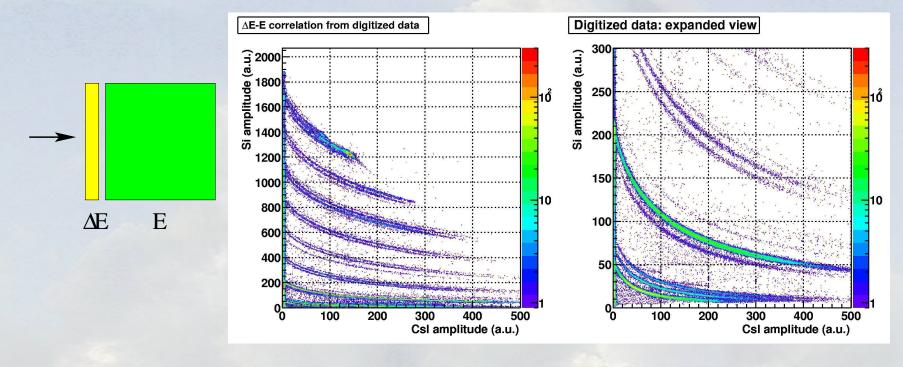
Current research topics within FAZIA



Conclusions



### The $\Delta E-E$ method is a very common particle identification solution:



L.Bardelli et al., Nucl.Phys. A746 (2004) 272.

Problem: high thresholds  $\leftrightarrow$  punch through  $\Delta \mathsf{E}$ 

# Why PSA in silicon (1)

Some estimates about thresholds and isotopic identification properties for a  $\Delta E-E$  detector, taking into account energy straggling and homogeneity ( $\pm 0.5 \mu m$ ):

### 300 $\mu$ m detector:

Ion	Threshold	Near punch through:	
		$\Delta E(Z,A+1)-\Delta E(Z,A)$	$\delta$ E(stragg+unif)
<sup>1</sup> H	6.2 AMeV		
<sup>4</sup> He	6.2 AMeV		
<sup>6</sup> Li	7.8 AMeV		
<sup>8</sup> Be	9.1 AMeV		
<sup>10</sup> B	10.3 AMeV		
<sup>12</sup> C	11.4 AMeV		

Using Hubert eloss tables and Wang/Yang straggling parametrization

# Why PSA in silicon (1)

Some estimates about thresholds and isotopic identification properties for a  $\Delta E-E$  detector, taking into account energy straggling and homogeneity ( $\pm 0.5 \mu m$ ):

### 300 $\mu$ m detector:

Ion	Threshold	Near punch through:	
		$\Delta E(Z,A+1)-\Delta E(Z,A)$	$\delta$ E(stragg+unif)
<sup>1</sup> H	6.2 AMeV	2.0 MeV	0.5 MeV
<sup>4</sup> He	6.2 AMeV	2.4 MeV	0.9 MeV
<sup>6</sup> Li	7.8 AMeV	3.0 MeV	1.4 MeV
<sup>8</sup> Be	9.1 AMeV	3.6 MeV	1.9 MeV
<sup>10</sup> B	10.3 AMeV	4.0 MeV	2.4 MeV
<sup>12</sup> C	11.4 AMeV	4.5 MeV	3.1 MeV

Using Hubert eloss tables and Wang/Yang straggling parametrization

# Why PSA in silicon (2)

Some estimates about thresholds and isotopic identification properties for a  $\Delta E-E$  detector, taking into account energy straggling and homogeneity ( $\pm 0.5 \mu m$ ):

### **100** $\mu$ m detector:

Ion	Threshold	Near punch trought:	
		$\Delta E(Z,A+1)-\Delta E(Z,A)$	$\delta$ E(stragg+unif)
<sup>1</sup> H	3.2 AMeV	1.0 MeV	0.3 MeV
<sup>4</sup> He	3.2 AMeV	1.1 MeV	0.5 MeV
<sup>6</sup> Li	4.0 AMeV	1.4 MeV	0.8 MeV
<sup>8</sup> Be	4.7 AMeV	1.7 MeV	1.0 MeV
<sup>10</sup> B	5.2 AMeV	1.8 MeV	1.4 MeV
<sup>12</sup> C	5.8 AMeV	1.8 MeV	1.7 MeV

# Why PSA in silicon (3)

Some estimates about thresholds and isotopic identification properties for a  $\Delta E-E$  detector, taking into account energy straggling and homogeneity ( $\pm 0.5 \mu m$ ):

### 50 $\mu$ m detector:

Ion	Threshold	Near punch trought:		
		$\Delta E(Z,A+1)-\Delta E(Z,A)$	$\delta$ E(stragg+unif)	
<sup>1</sup> H	2.1 AMeV	0.6 MeV	0.2 MeV	
<sup>4</sup> He	2.1 AMeV	0.5 MeV	0.3 MeV	
<sup>6</sup> Li	2.6 AMeV	0.8 MeV	0.6 MeV	
<sup>8</sup> Be	3.0 AMeV	0.9 MeV	0.7 MeV	
<sup>10</sup> B	3.4 AMeV	1.0 MeV	0.9 MeV	
<sup>12</sup> C	3.7 AMeV	1.1 MeV	1.2 MeV	



# Why PSA in silicon (4)



It is not possible to lower the identification thresholds by simply using thinner  $\Delta E$  detectors, due to various experimental effects (mainly energy straggling and detector inhomogeneities).



### Why PSA in silicon (4)



It is not possible to lower the identification thresholds by simply using thinner  $\Delta E$  detectors, due to various experimental effects (mainly energy straggling and detector inhomogeneities).

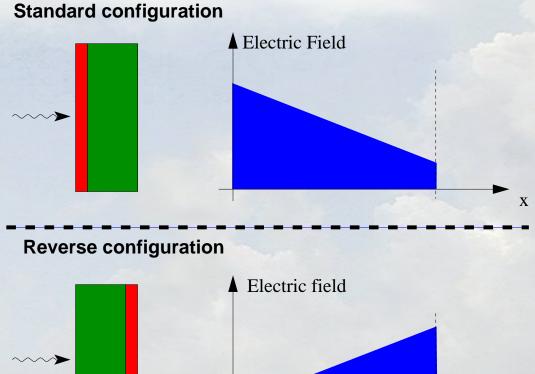
A more effective method: Pulse Shape in Silicon

### **PSA** properties are due to two main effects:

Electric field particles that explore high-electric-field regions will have shorter collection times

Plasma effects signals from high ionization-density tracks (heavy ions with small range) have a longer collection time (due to a "space-charge" effect)





Pulse Shape
capabilities due to
a combination of
charge collection
and plasma effects.

reverse mount Silicon detector

Some groups (ChimeraPS) are also investigating PSA in front mount Si



Ions with different ranges in silicon will explore different regions of the detector, i.e. the charge collection time will vary.

For reverse mount silicon:

Long range→ Short collection time Short Range → Long collection time

Idea: look an Energy vs "RiseTime" plot.

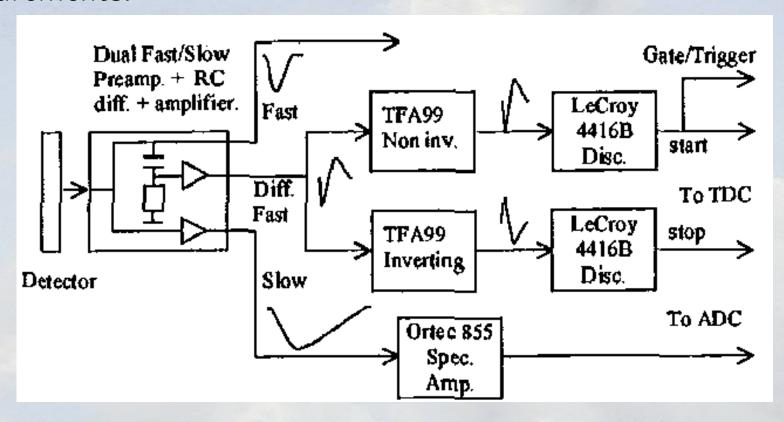
Some results with analog methods:



### PSA with analog methods



Example of an analog chain employing energy and risetime measurements:

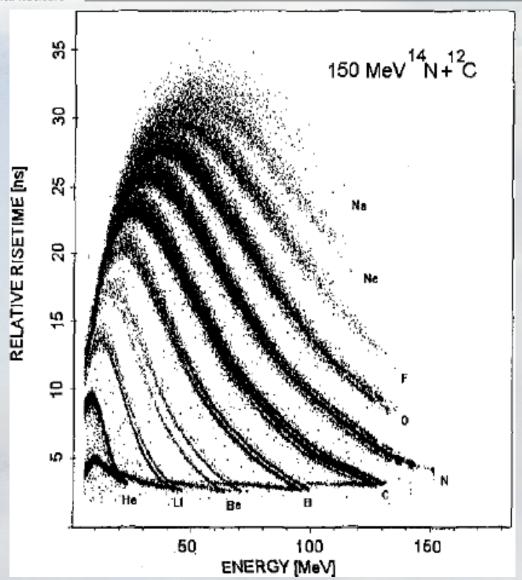


M.Mutterer et al., IEEE Trans. Nucl. Science, vol.47, no.3, June 2000



### PSA with analog methods (2)





 $250~\mu m$  NTD detector

100 mm<sup>2</sup>

Depletion: 45 V

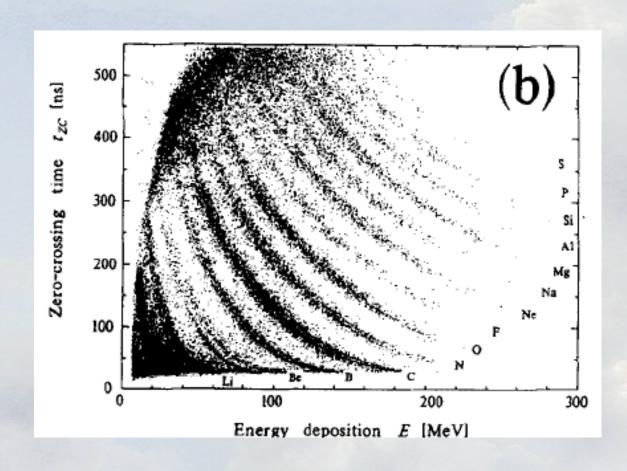
Bias: 140 V

M.Mutterer *et al.*, IEEE Trans. Nucl. Science, vol.47, no.3, June 2000



# PSA with analog methods (3)





500  $\mu$ m detector

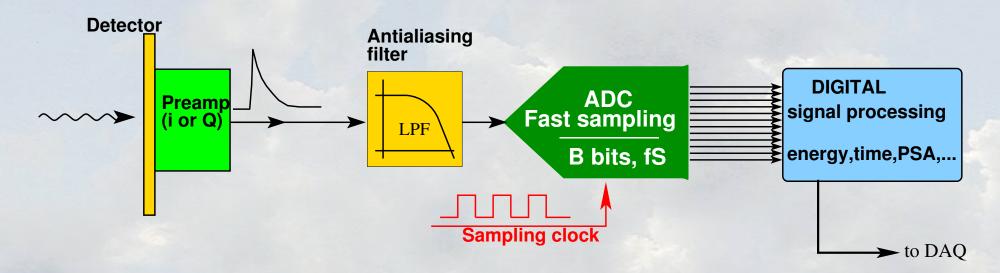
750 mm<sup>2</sup>

Depletion: 62 V

Bias: 80 V

G.Pausch *et al.*, Nucl. Instr. and Meth. **A365** (1995) 176

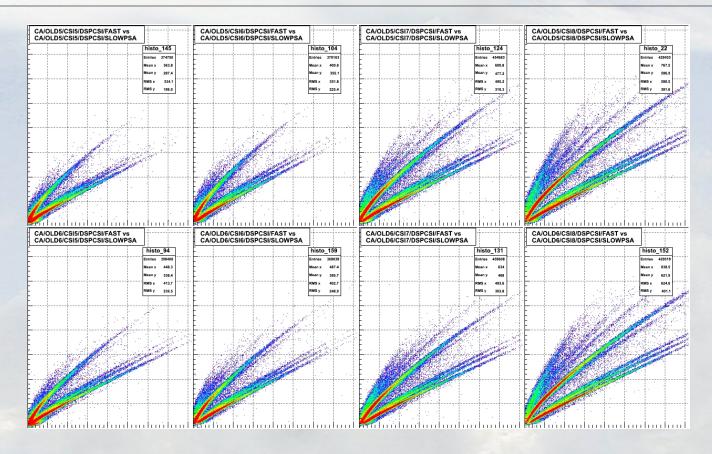
Typical configuration employing digital sampling and processing:





### Example of a digital online analysis





Fast-Slow correlations in CsI, GARFIELD experiment @ LNL Custom digitizer 12 bit—125 MS/s, about 180 channels installed and tested,  $\sim$ 200 in construction

G.Pasquali et al., NIMA 570 (2007) 126



What do we need to perform Nuclear Physics experiments with such digitizers?

#### A wide class of detectors can be handled with:

- ◆ Signal Amplitude measurement ( ⇒ energy)
- Timing measurement ( ⇒ CFD, rise time)
- Inter-channel time synchronization (  $\Longrightarrow$  ToF)
- Pulse Shape (often a combination of Amplitude and Timing)

Let's see some examples...

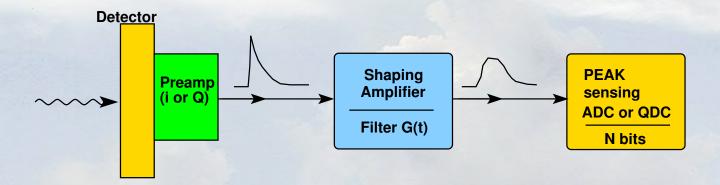




# energy

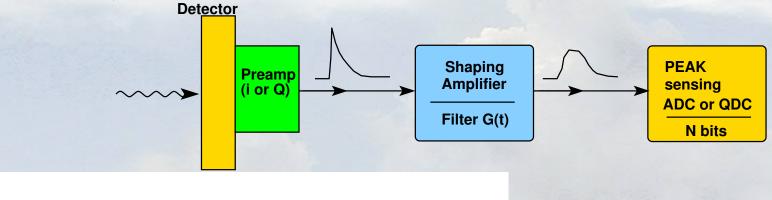


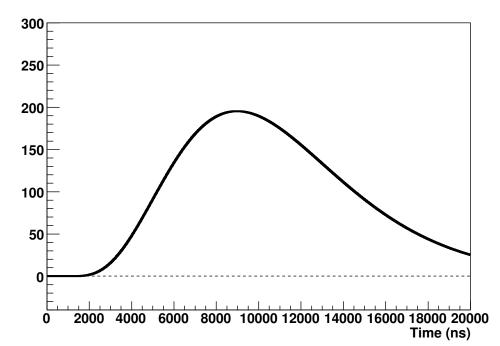






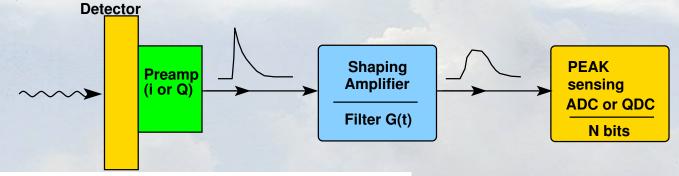


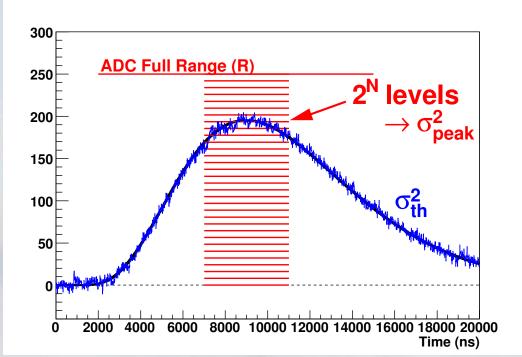






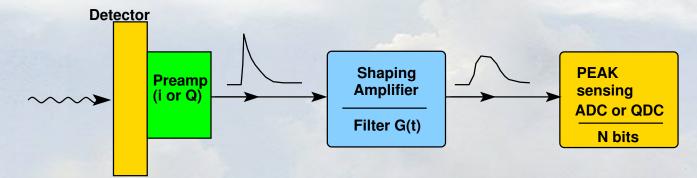


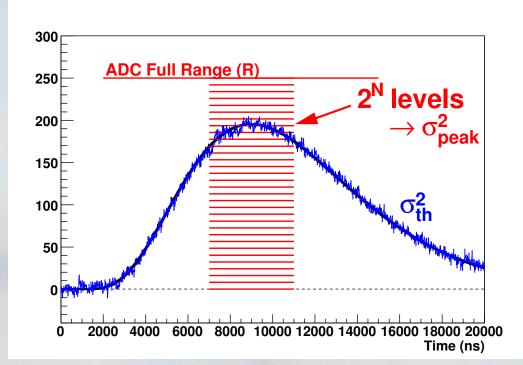










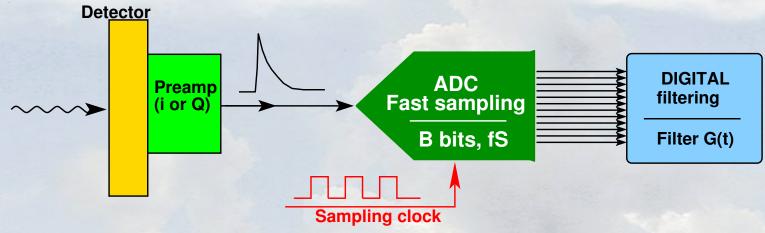


$$\sigma_{exp}^2 = \sigma_{th}^2 + \sigma_{peak}^2$$

PEAK-sensing contribution to the resolution:

$$\frac{\sigma_{exp}^2}{\sigma_{th}^2} = 1 + \frac{9}{12} \cdot \left(\frac{R}{3\sigma_{th}}\right)^2 \frac{1}{4N}$$





Which resolution with an B-bits,  $f_S$ -MSamples/s fast AD converter

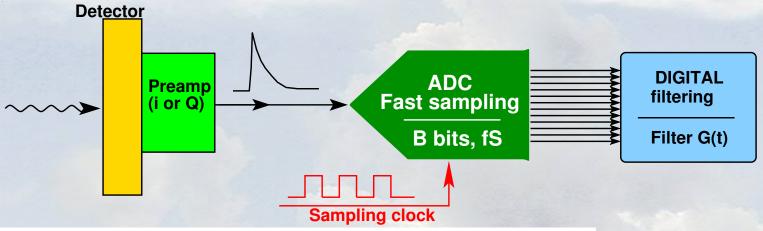


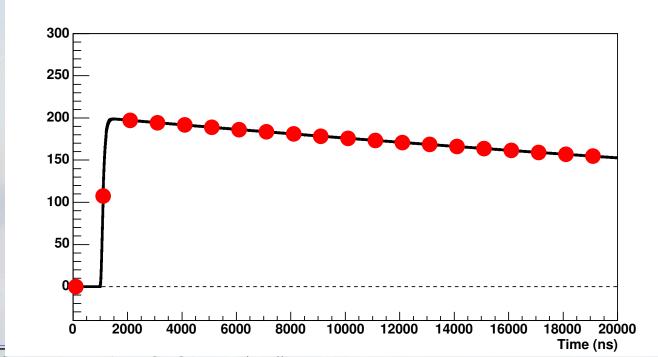
(direct comparison with peak-sensing ADCs?)



### Energy measurements with digital systems



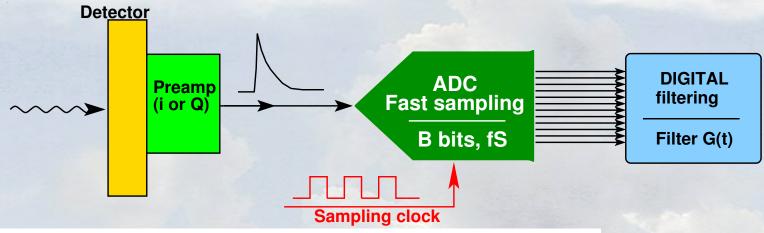


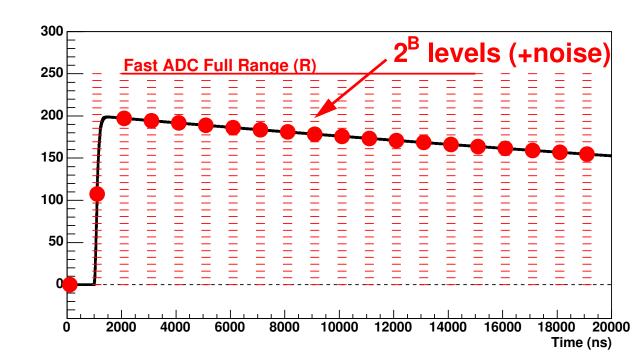




### Energy measurements with digital systems



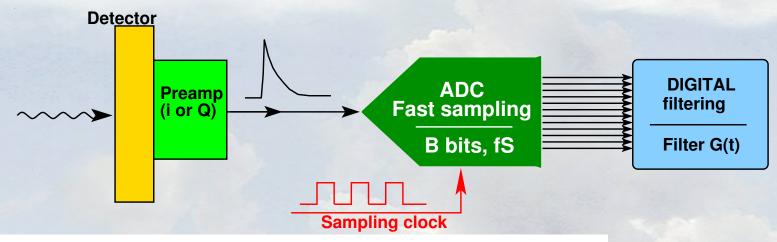


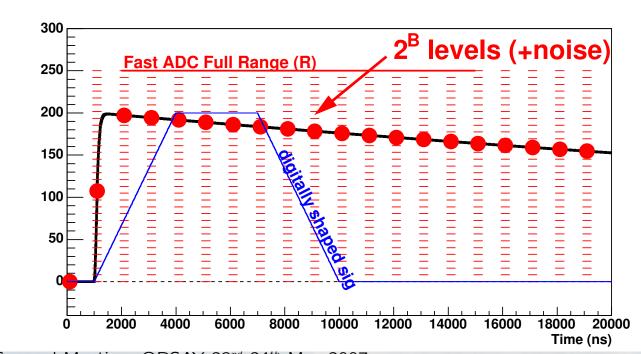




### Energy measurements with digital systems





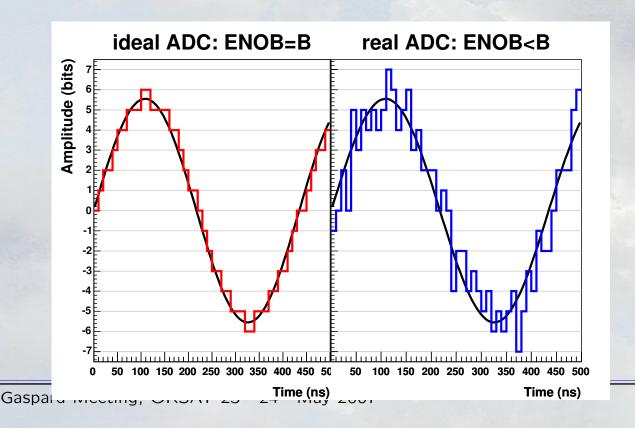


digital filter:

semigaussian, trapezoidal, triangular, optimal... **Sampling frequency "** $f_S$ " Limits the bandwidth of the system

Number of bits "B" quantization level

Effective number of bits "ENOB" Real ADCs have thermal noise,... ENOB gives the ADC noise performances in terms of an equivalent "ideal" ADC:



The same quantization level, but much more noise

In the figure:

 $\mathsf{B} = 12$ 

ENOB = 10.6

(typical values)



PSENOB [

One can carry out the computation and compare the result with the peak-sensing expression:

$$\frac{\sigma_{\rm exp}^2}{\sigma_{\rm th}^2} = 1 + \frac{9}{12} \left(\frac{R}{3\sigma_{\rm th}}\right)^2 \cdot \frac{1}{4^{\rm PSENOB}}$$

with the definition

$$\mathbf{PSENOB} = \mathbf{ENOB} + \frac{1}{2}\log_2\left(\frac{f_S\tau_C}{k_G^2}\right) - \frac{1}{2}$$

Peak-Sensing-Equivalent Number of Bits

- depends on the ADC ENOB value
- ullet depends logarithmically on  $f_S \cdot au_C$  (detector corner time)
- ullet depends on the used filter G with  $k_G$  ( $\simeq 1$  for common filters)

details in: L.Bardelli and G.Poggi, NIM A560 (2006) 517 and 524



$$\mathbf{PSENOB} = \mathbf{ENOB} + \frac{1}{2}\log_2\left(\frac{f_S\tau_C}{k_G^2}\right) - \frac{1}{2}$$

Some numerical examples (using  $\tau_C = 5\mu s$ ):

ENOB	Bits	$f_S$ (MS/s)	PSENOB
12.0	14	100	16.2
10.0	12	400	15.3
10.8	12	100	15.0
10.0	12	200	14.7
7.0	8	2000	13.4

Modern fast sampling ADCs  $\rightarrow$  wide dynamic ranges! details in: L.Bardelli and G.Poggi, NIM A560 (2006) 517 and 524





# timing



Timing: introduction



# High resolution or High speed Sampling ADC?



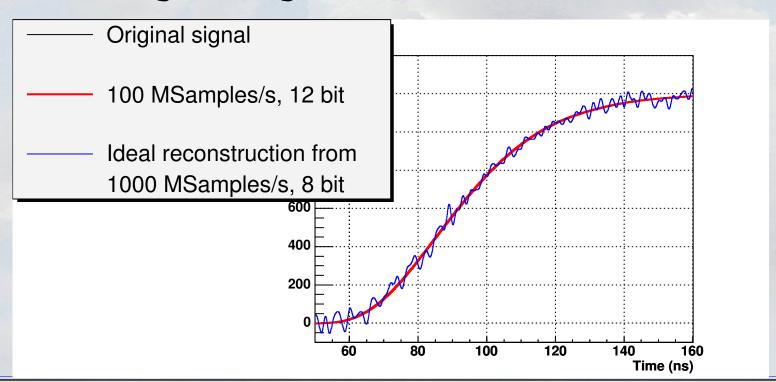
Timing: introduction

# High resolution or High speed Sampling ADC?

Timing measurements: in practice obtain the time  $t_0$  where  $S(\mathbf{t}_0) = S_0$ 



good timing possible with good signal reconstruction!





Key points for good signal reconstruction:

### low noise

Higher speed = wider bandwidth = higher noise.

 $f_{
m sampling}pprox f_{
m Nyquist}$  is enough...

# good interpolation

linear interpolation gives more error/noise



at least **cubic** is needed

Low noise + Good interpolation =

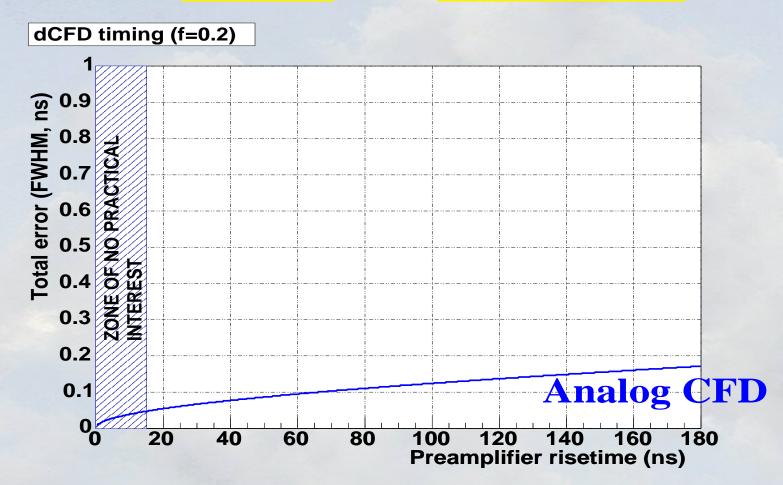
= Good Signal reconstruction = Good Timing!



### Timing measurements (1)



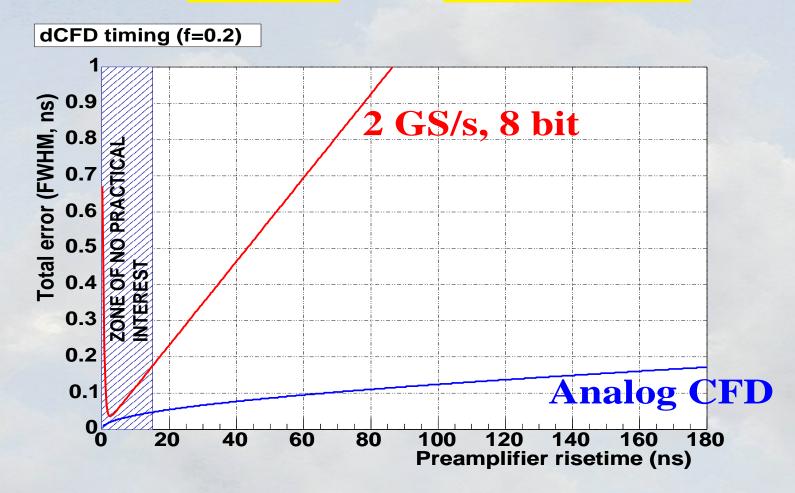
Which AD converter? L.Bardelli et al., NIM A521 (2004) realistic simulations, fixed shape signals, cubic interpolation:



### Timing measurements (1)



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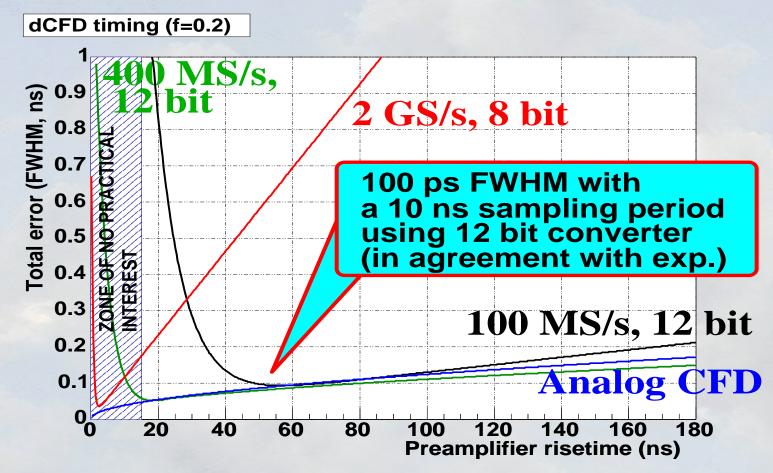




### Timing measurements (1)



Which AD converter? L.Bardelli et al., NIM A521 (2004) realistic simulations, fixed shape signals, cubic interpolation:

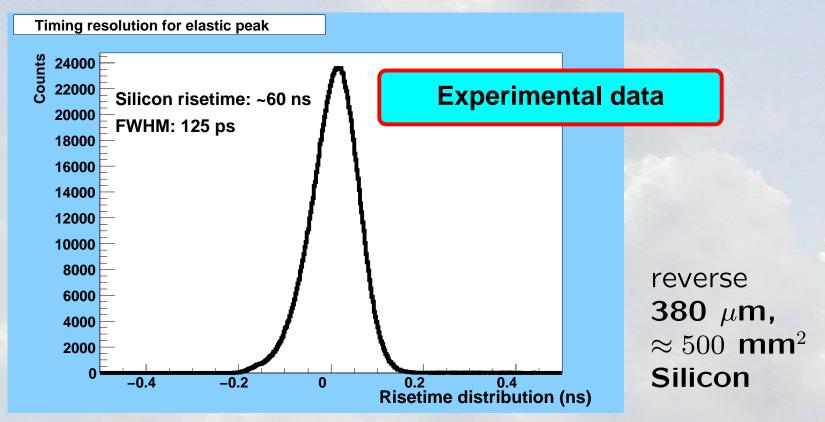


12 bit  $\Rightarrow$  FWHM resolution 100 times smaller than sampling period

### Timing measurements

Rise-time analysis: differences between two dCFDs.

250 MeV Oxygen elastic peak using a Si detector (test at LNL)



Time difference between 90% and 10% dCFDs Cubic interpolation with 100 MS/s ADC

L.Bardelli et al., NIM **A521** (2004)





# time of flight





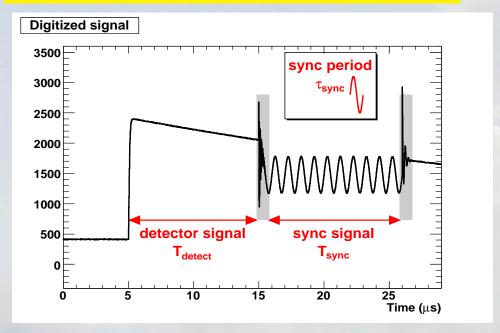
Time of Flight or coincidence measurements?





# Time of Flight or coincidence measurements?

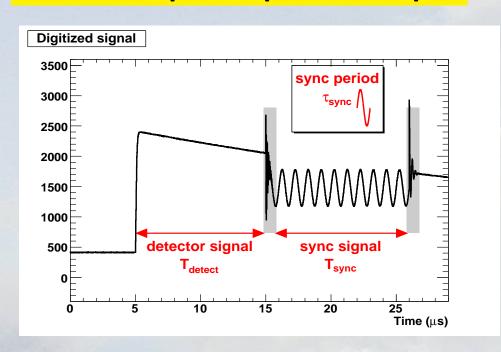
Time-stamped clock or mix a common time reference signal with the preamplifier output:





## Time of Flight or coincidence measurements?

Time-stamped clock or mix a common time reference signal with the preamplifier output:



The DSP software can separate the "true" signal from the "reference" one and compute the time difference.

Using a train of pulses as reference the resolution can be significantly improved, down to

1-5 ps FWHM

This allows for **synchronization** between many channels: **coincidence** measurements possible.

L.Bardelli et al., NIM A, 572 (2007) pag 882

L.Bardelli et al., NIM A, 521 (2004) pag 480





## We have seen DIGITAL examples of:

- ◆ Signal Amplitude measurement ( ⇒ energy)
- Timing measurement ( ⇒ CFD, rise time)
- Inter-channel time synchronization ( ⇒ ToF)

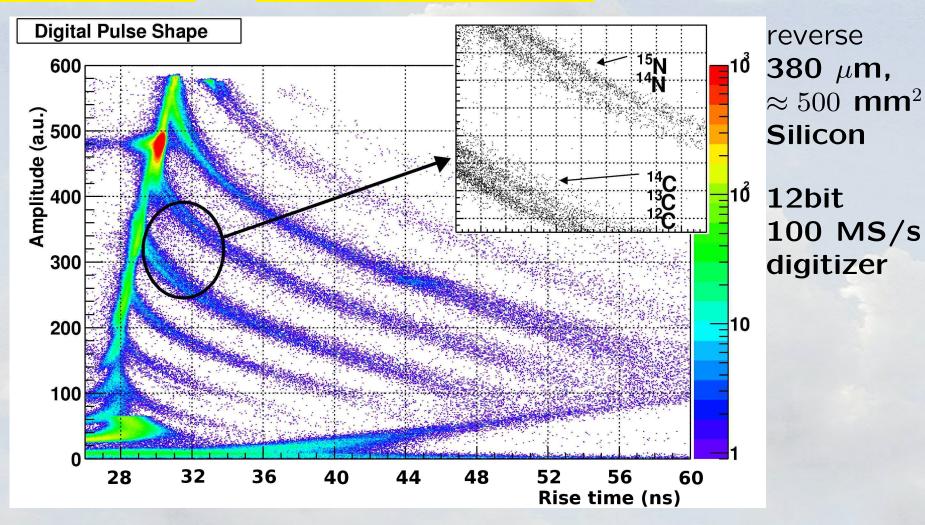
Now we can try an Energy vs "RiseTime" plot for a Silicon detector:



#### Pulse Shape Analysis in Si



# Digital Amplitude vs. Digital Zero Crossing time:



L.Bardelli et al., NIM **A521** (2004)



## Limitations of PSA in silicon



Regardless of the analysis method, various factors may limit the achievable identification performances, like:

- Detector thickness inhomogeneities
- Detector bias voltage
- Thresholds
- Channeling effects

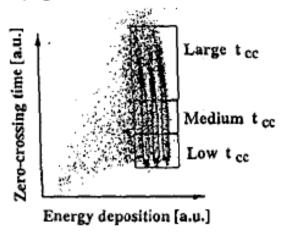
...let's see some examples



## Detector inhomogeneities



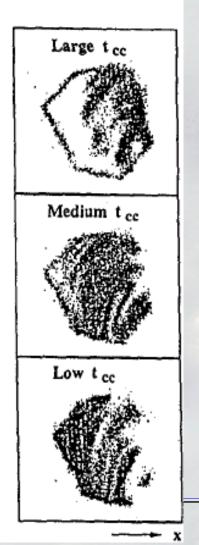
a) t<sub>cc</sub> gates:



 c) Combined maps of detectors from a single Si wafer (medium t<sub>cc</sub>):



b) Maps of a single detector:



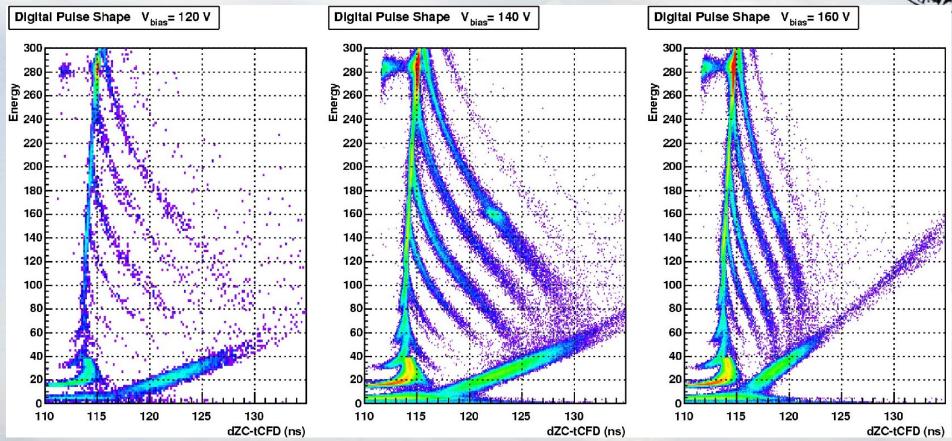
G.Pausch *et al.*, IEEE Trans. Nucl. Science, vol.44, no.3, June 1997

the detector area and uniformity are important!

Additional tests will be performed by the FAZIA collaboration at LNL in the first week of June.



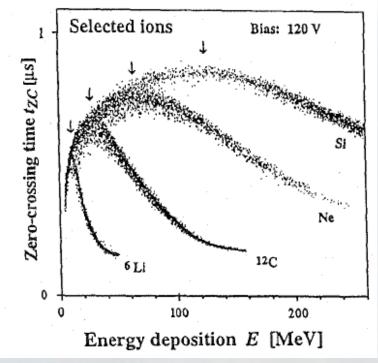
#### Detector Bias Voltage



- detector bias/depletion voltage need careful optimization
- during experiment the detector bias must be monitored

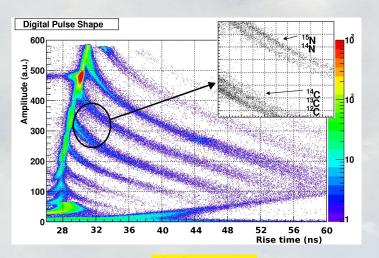
L.Bardelli, PhD Thesis, Florence, 2005





G.Pausch *et al.*, IEEE Trans. Nucl. Science, vol.44, no.3, June 1997

All the "identification" lines merge into a single line: this effect can be explained in terms of "plasma" effects, see L.Bardelli et al, Proc. of IWM2005 conf., ISBN 88-7438-029-1

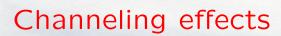


About  $30 \mu m$ LNL2002 dataset.

Si-equivalent

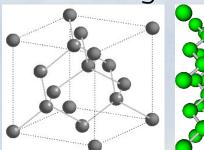
for



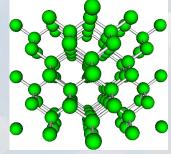




## Channeling effects can destroy the PSA resolution:





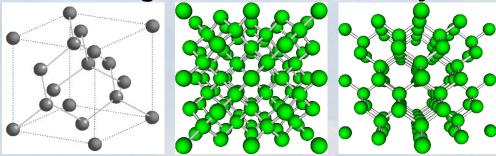


→ our detectors??

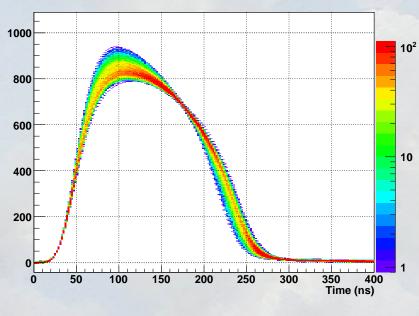


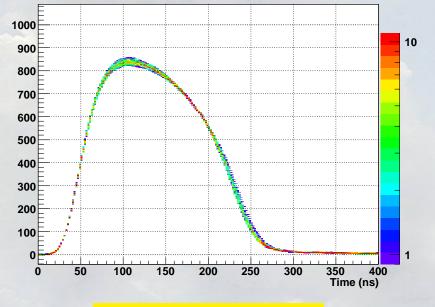


## Channeling effects can destroy the PSA resolution:



→ our detectors??





Channeled

Random  $(\sim 9^{\circ})$ 

i(t),  $^{80}$ Se @ 408 MeV,  $\langle 100 \rangle$ 

L.Bardelli et al., LNL Ann.rep.2006 & in preparation





1. dedicated working group (WG1)



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- 2. a number of experimental tests for building a signal database (mainly for heavy ions)



- The FAZIA collaboration is currently performing an R&D activity on digital pulse shape analysis in Silicon Detectors:
- 1. dedicated working group (WG1)
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- 3. PACI preamp to compare q(t) and  $i(t) \rightarrow H$ . Hamrita et al.



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- 7. Strip detectors?

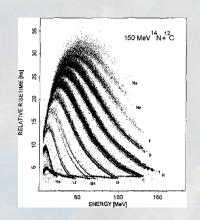


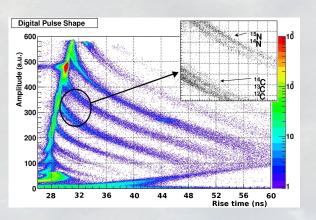
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- 9. Detector simulations are in progress (L.Bardelli et al)



- PSA in silicon detectors may be used to significantly lower the detection and particle identification thresholds
- Digital sampling methods offer a powerful and compact way to realize such systems
- Proper algorithms make high-resolution digital energy and timing measurements possible
- PSA resolution may be limited by detector properties





Some references: M.Mutter, IEEE.T.N.S.47, L.B. NIMA572, G.Pasquali NIMA570, L.B. NIMA560, L.B. NIMA521, L.B. NPA746, L.B. NIMA491, http://fazia.in2p3.fr



