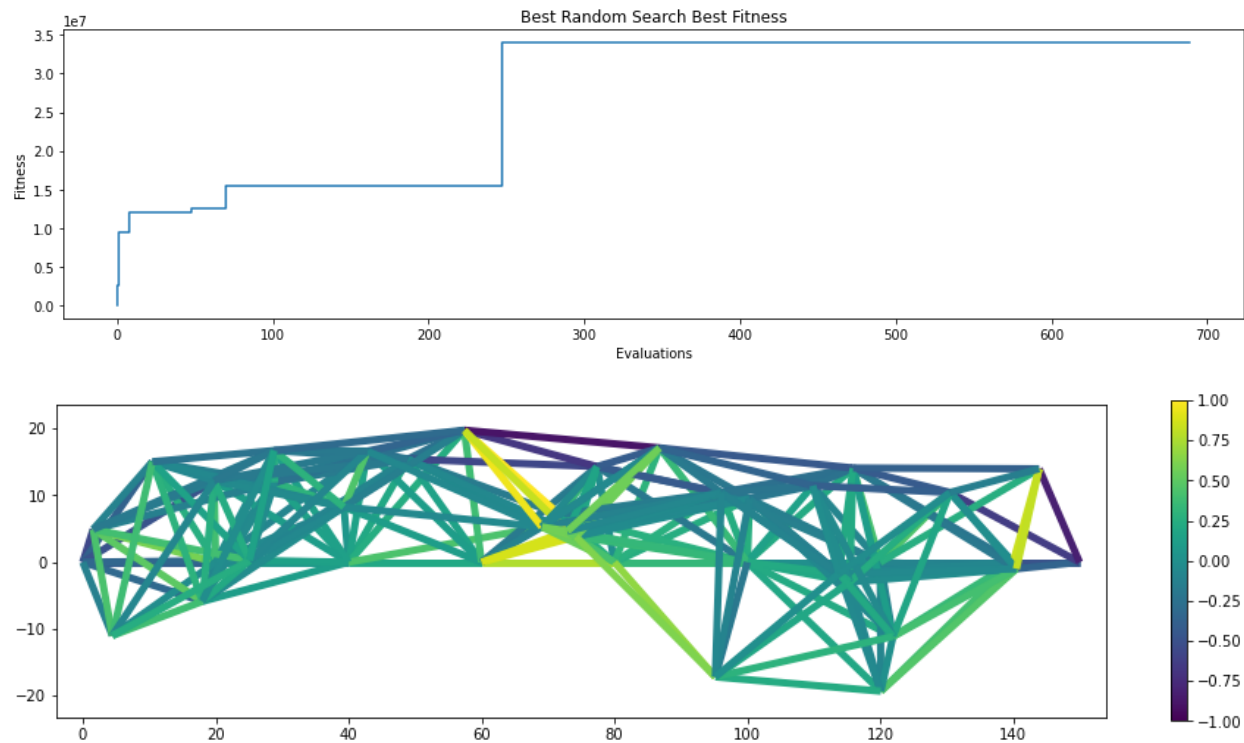


# Will Humphlett (wah0028) COMP 5660 Fall 2022

## Assignment 1a

### Best Run



Highest observed fitness: 34,000,000

### Statistical Analysis

#### F-Test

F-Test Two-Sample for Variances	random	mystery
Mean	24500000	47083333.33
Variance	1.5931E+13	8.8467E+13
Observations	30	30

df	29	29
$\alpha$	0.025	
F	0.180078931	
P(F<=f) one-tail	7.22455E-06	
F Critical one-tail	0.475964774	

Given that  $F < 1$  and  $F < F$  Critical one-tail ( $0.180 < 1$  and  $0.180 < 0.476$ ), the null hypothesis of equal variances is rejected and it is determined that the two populations have significantly unequal variances.

### t-Test

t-Test: Two-Sample Assuming Unequal Variances	random	mystery
Mean	24500000	47083333.33
Variance	1.5931E+13	8.8467E+13
Observations	30	30
Hypothesized Mean Difference	0	
df	39	
$\alpha$	0.05	
t Stat	-12.106054	
P(T<=t) one-tail	4.38052E-15	
t Critical one-tail	1.684875122	
P(T<=t) two-tail	8.76103E-15	
t Critical two-tail	2.02269092	

Given that  $t \text{ Stat} < 0$  and  $t \text{ Stat} < -t \text{ Critical two-tail}$  ( $-12.106 < 0$  and  $-12.106 < -2.022$ ), the null hypothesis of equal means is rejected and it is determined that the two populations have significantly unequal means. The mystery algorithm can be assumed to produce a significantly higher mean fitness than the random algorithm.